

# Daily Call Volume Prediction

Using Historical Call Volume, Time,  
and Weather Data as parameters

Linear & Degree 2 Polynomial Regression Models

# Glance at the dataset

\*Only includes first 20 columns and 5 rows here.

There are 149 columns and 894 rows in total.

index	Date	Day of the Week	Total Inbound Calls	AWND	PRCP	SNOW	SNWD	TAVG	TMAX	TMIN	AWN_D_Lag1	AWN_D_Lag2	AWN_D_Lag3	AWN_D_Lag4	AWN_D_Lag5	AWN_D_Lag6	AWN_D_Lag7	AWN_D_Lag8	AWN_D_Lag9	AWN_D_Lag10
0	2022-01-01 00:00:00	Saturday	0.0	10.07	0.63	0.0	0.0	44	48.0	27.0	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN
1	2022-01-02 00:00:00	Sunday	0.0	13.42	0.0	0.1	0.0	24	27.0	16.0	10.07	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN
2	2022-01-03 00:00:00	Monday	78.0	5.59	0.0	0.0	0.0	21	34.0	13.0	13.42	10.07	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN
3	2022-01-04 00:00:00	Tuesday	73.0	13.42	0.0	0.0	0.0	32	43.0	26.0	5.59	13.42	10.07	NaN	NaN	NaN	NaN	NaN	NaN	NaN
4	2022-01-05 00:00:00	Wednesday	70.0	15.88	0.0	0.0	0.0	34	42.0	20.0	13.42	5.59	13.42	10.07	NaN	NaN	NaN	NaN	NaN	NaN

NaN cells only exist in several top rows,  
because there is no Lag data for those days.  
I eliminated those rows in later analysis.

# Parameters

2022-1 to 2024-6, excluding non-Sunday 0 call days

- **5 Historical Call Volume Parameters:**

1-5 Lag Days

- **2 Time Parameters & 1 market index:**

Year, Month (together as 1 column), S&P 500 index

- **140 (8 \*20) Weather parameters:**

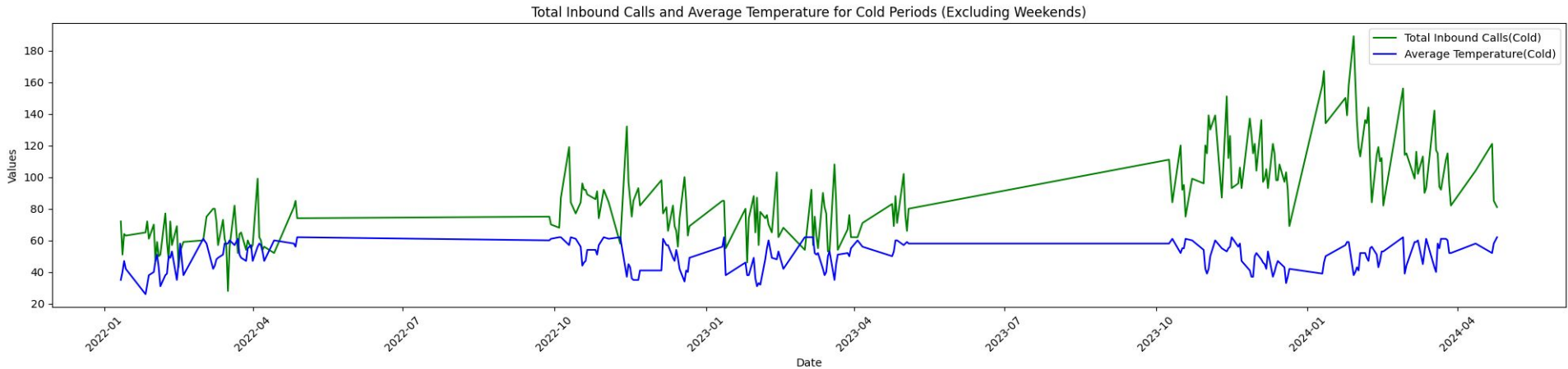
0-19 Lag Days

**AWND** - Average wind speed      **SNOW** - Snowfall      **HAIL** - Hail

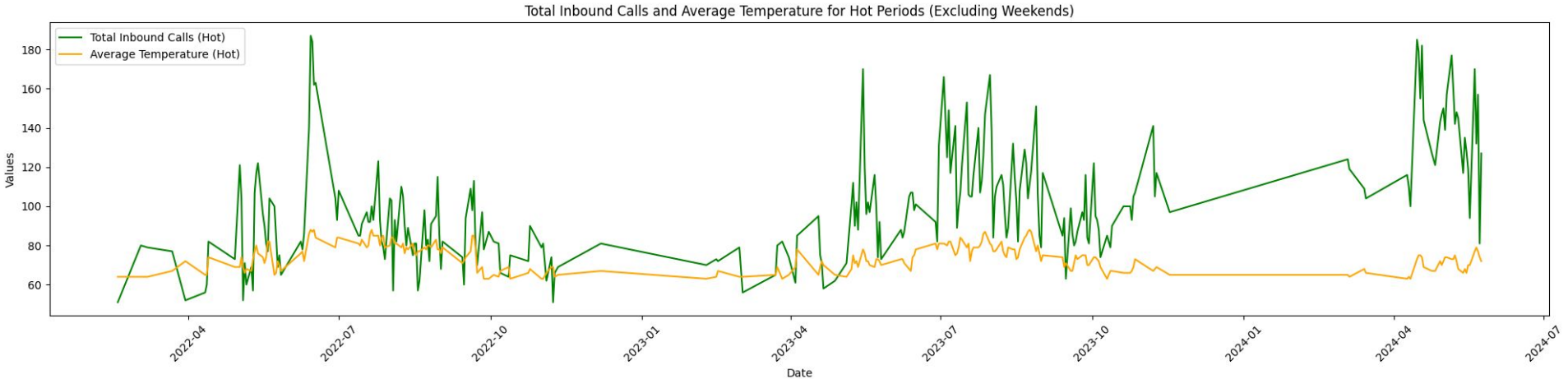
**TMAX** - Maximum temperature      **TAVG** - Average Temperature

**TMIN** - Minimum temperature      **PRCP** - Precipitation      **SNWD** - Snow depth

# Cold Periods

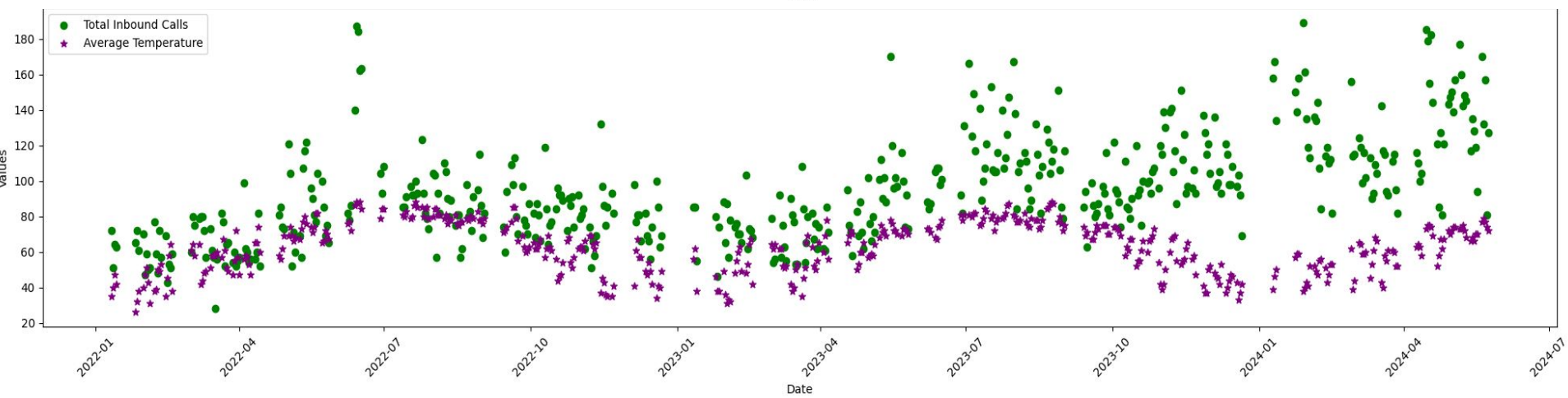
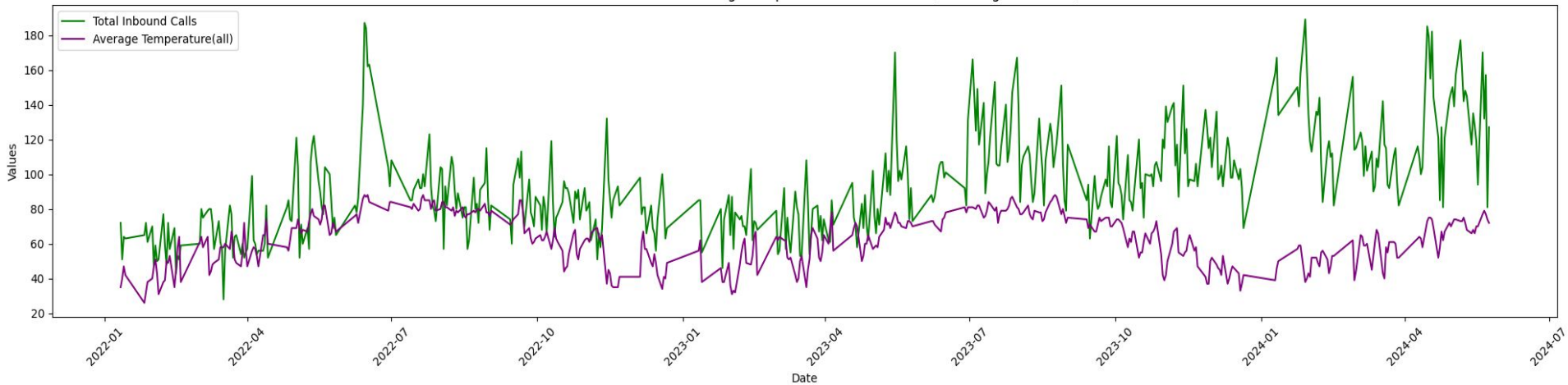


# Hot Periods



# All Periods

Total Inbound Calls and Average Temperature for All Periods (Excluding Weekends)



# Linear Regression for Cold Periods

## OLS Regression Results

```
=====
Dep. Variable:      Total Inbound Calls      R-squared:      0.913
Model:              OLS                     Adj. R-squared:  0.879
Method:             Least Squares           F-statistic:    26.73
Date:               Mon, 24 Jun 2024         Prob (F-statistic): 1.58e-80
Time:               16:53:14                 Log-Likelihood: -1197.0
No. Observations:   305                     AIC:            2568.
Df Residuals:       218                     BIC:            2892.
Df Model:           86
Covariance Type:    nonrobust
=====
```

Set **Friday** as the benchmark:

Monday: 54.51 more calls on average  
Tuesday: 4.17 more calls on average\*  
Wednesday: 11.33 more calls on average\*  
Thursday: 5.75 more calls on average\*  
Saturday: 43.24 less calls on average  
Sunday: 58.66 less calls on average

Set **Sunday** as the benchmark:

Monday: 103 calls on average  
Tuesday: 62 calls on average  
Wednesday: 70 calls on average  
Thursday: 63 calls on average  
Friday: 58.66 calls on average  
Saturday: 15.42 calls on average

# Important parameters interpretation

<b>spending</b>	<b>0.0005</b>	<b>0.000</b>
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For every 1000 dollars spent on Google Ads, the inbound call volume increases by 5 per day on average.

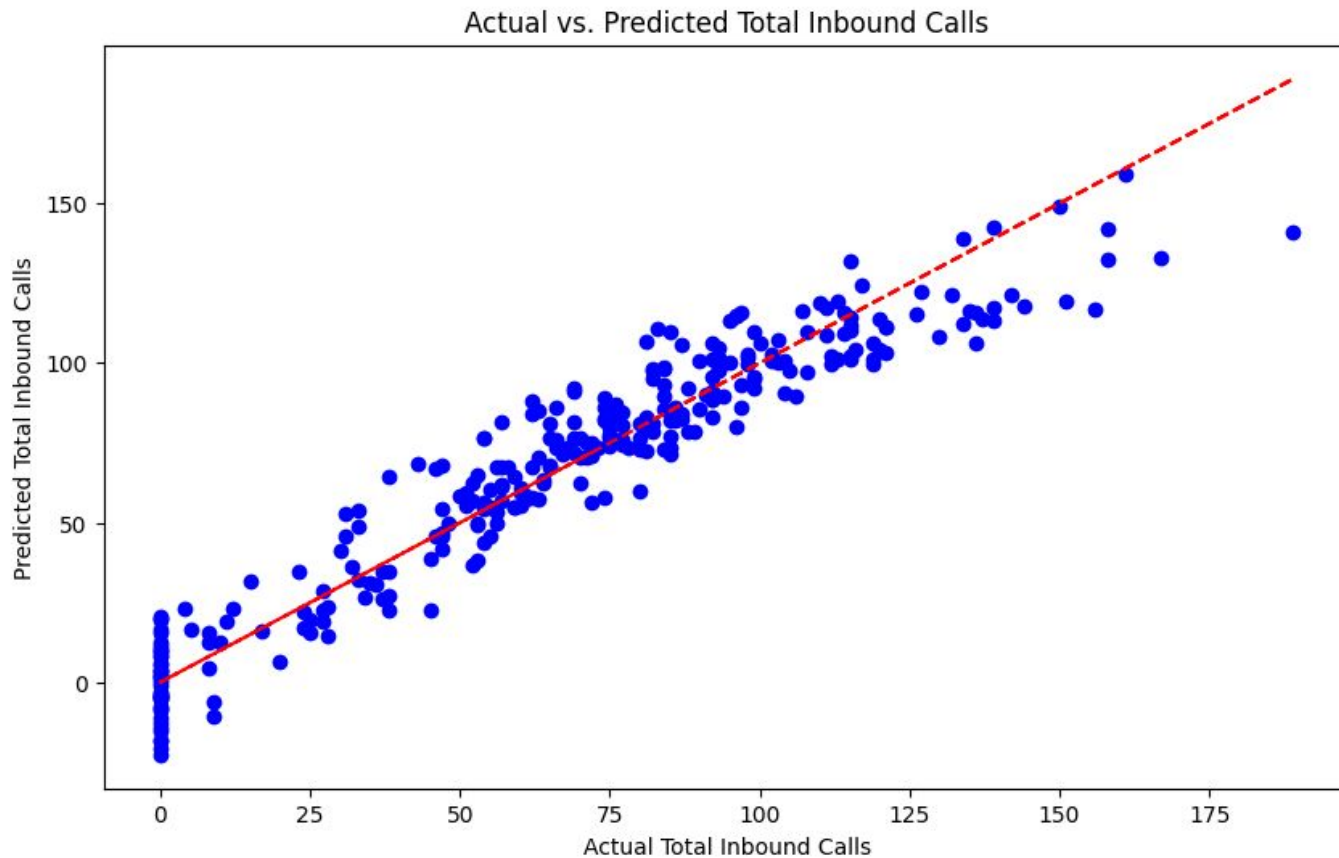
<b>PRCP</b>	<b>5.0746</b>	<b>0.271 *</b>
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if precipitation increases by 1 inch, the inbound call volume will increase by 5 per day on average.

<b>Month_index_continuous</b>	<b>1.1995</b>	<b>0.000</b>
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Every month later, the call volume will increase by 1 per day on average.

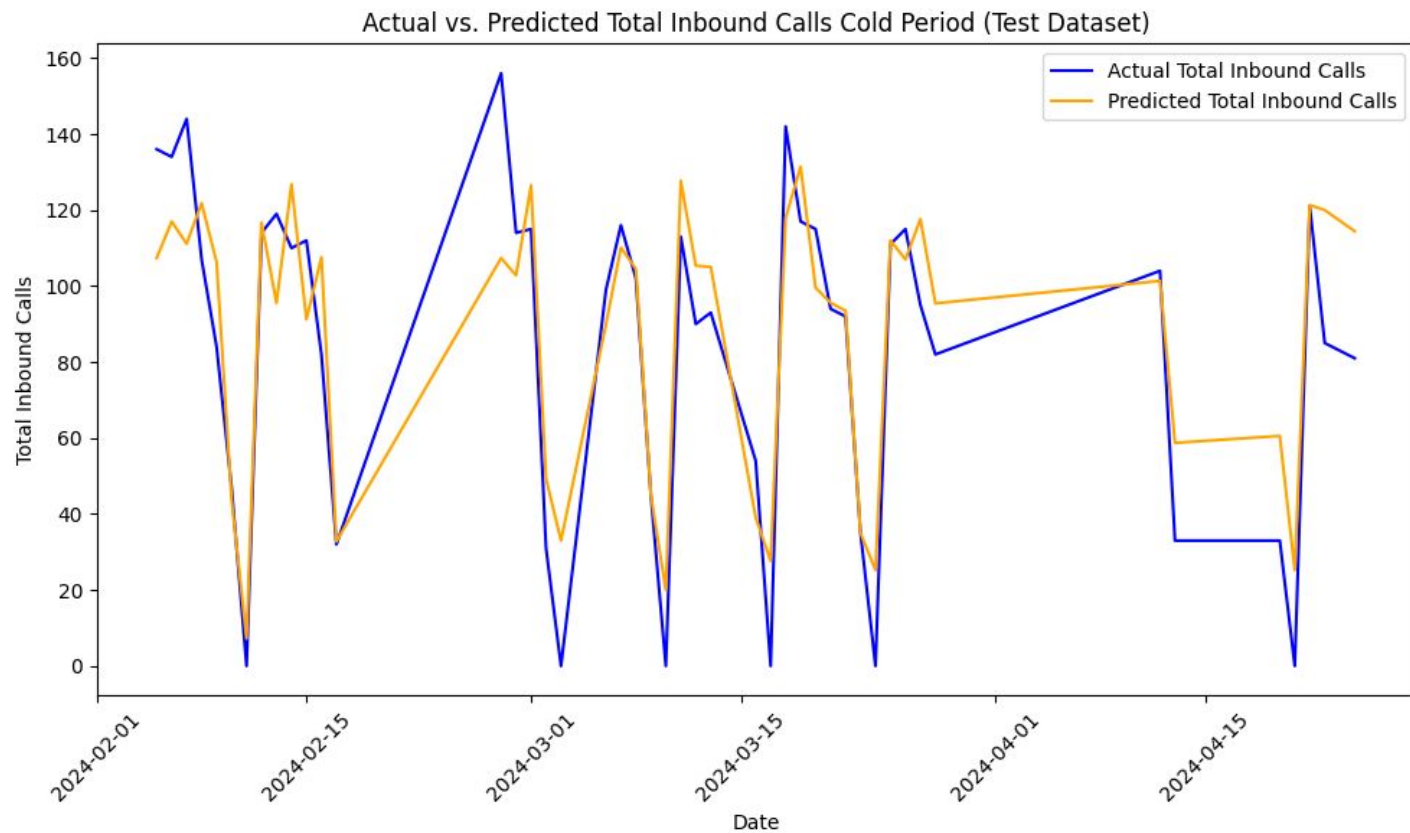
# Linear Regression for Cold Periods





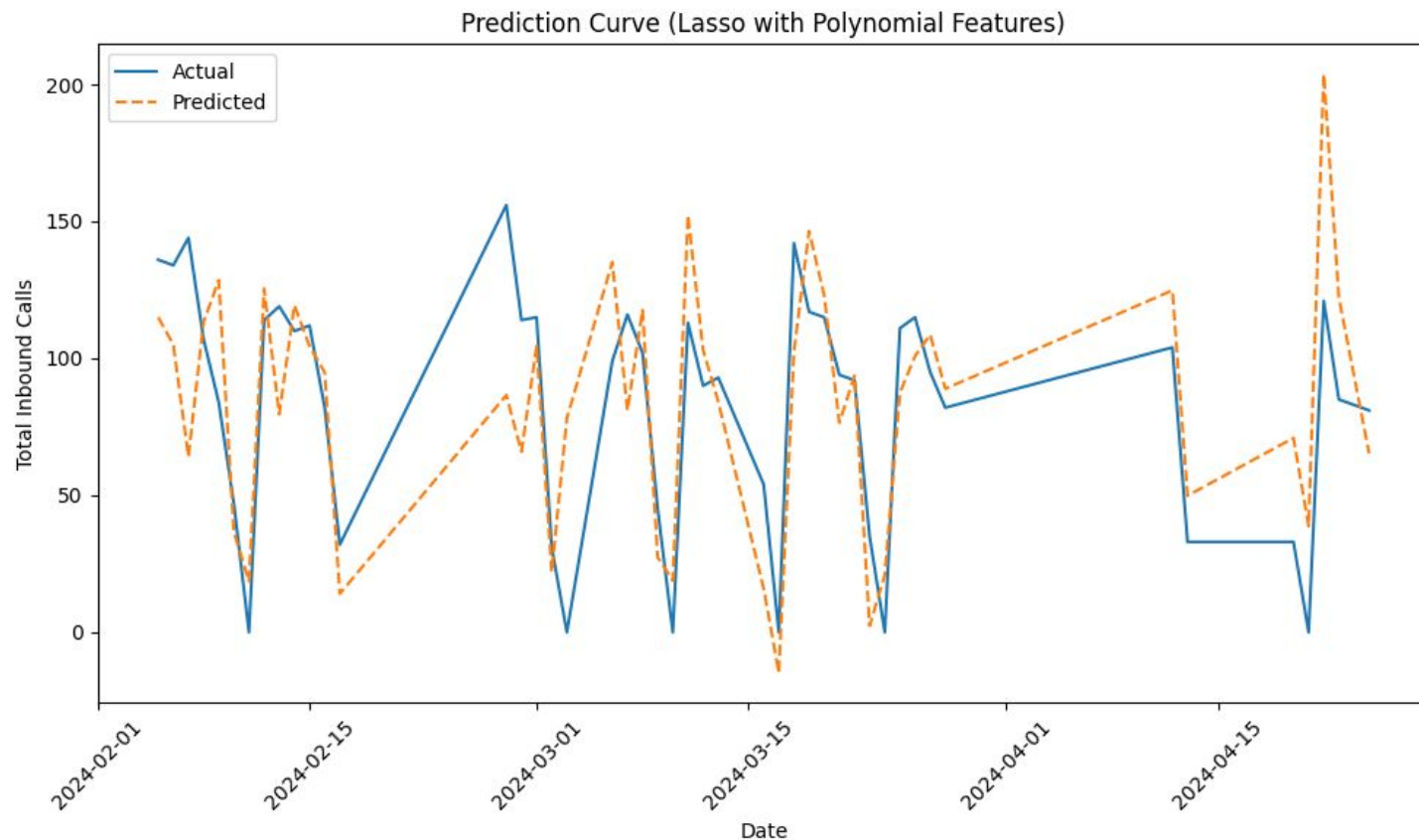
# Split the dataset into training (85%) and test (15%) sets

Mean Squared Error: **388.799**

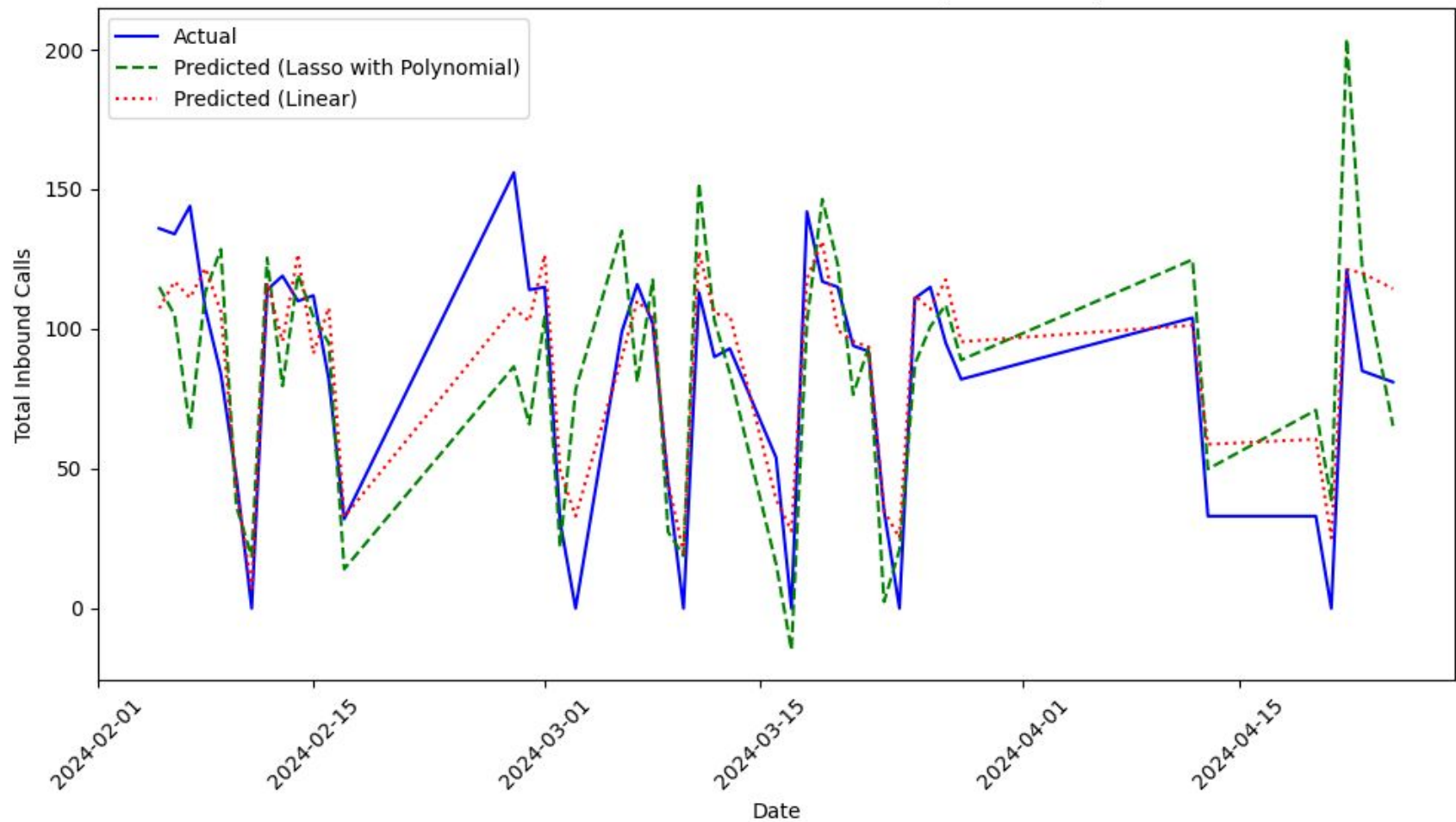


# Polynomial Regression for Cold Periods

Mean Squared Error: 1092.20



Actual vs. Predicted Total Inbound Calls (Test Dataset)



# Linear Regression for Hot Periods

## OLS Regression Results

```
=====
Dep. Variable:      Total Inbound Calls      R-squared:      0.877
Model:              OLS                     Adj. R-squared:  0.845
Method:             Least Squares           F-statistic:    27.14
Date:               Mon, 24 Jun 2024        Prob (F-statistic): 8.72e-91
Time:               15:27:25                Log-Likelihood: -1451.5
No. Observations:   347                     AIC:            3049.
Df Residuals:       274                     BIC:            3330.
Df Model:           72
Covariance Type:    nonrobust
=====
```

Set **Friday** as the benchmark:

Monday\*: 42 more calls on average  
Tuesday: 11 (-9.353, 28.943) 95%  
Wednesday: 3 (-17.699, 24.227) 95%  
Thursday: 0 (-18.485, 15.570) 95%  
Saturday\*: 69 less calls on average  
Sunday\*: 87 less calls on average

Set **Sunday** as the benchmark:

Monday: 129 calls on average  
Tuesday: 98 calls on average  
Wednesday: 90 calls on average  
Thursday: 87 calls on average  
Friday: 87 calls on average  
Saturday: 18 calls on average

# Important parameters interpretation

<b>HAIL</b>	<b>22.2346</b>	14.289	1.556	<b>0.121</b>	-5.897	50.366
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Every inch increase in hail will result 22 more calls

<b>spending</b>	<b>0.0003</b>	0.000	2.340	<b>0.020</b>	4.33e-05	0.001
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For every 1000 dollars spent on Google Ads, the inbound call volume increases by 3 per day on average.

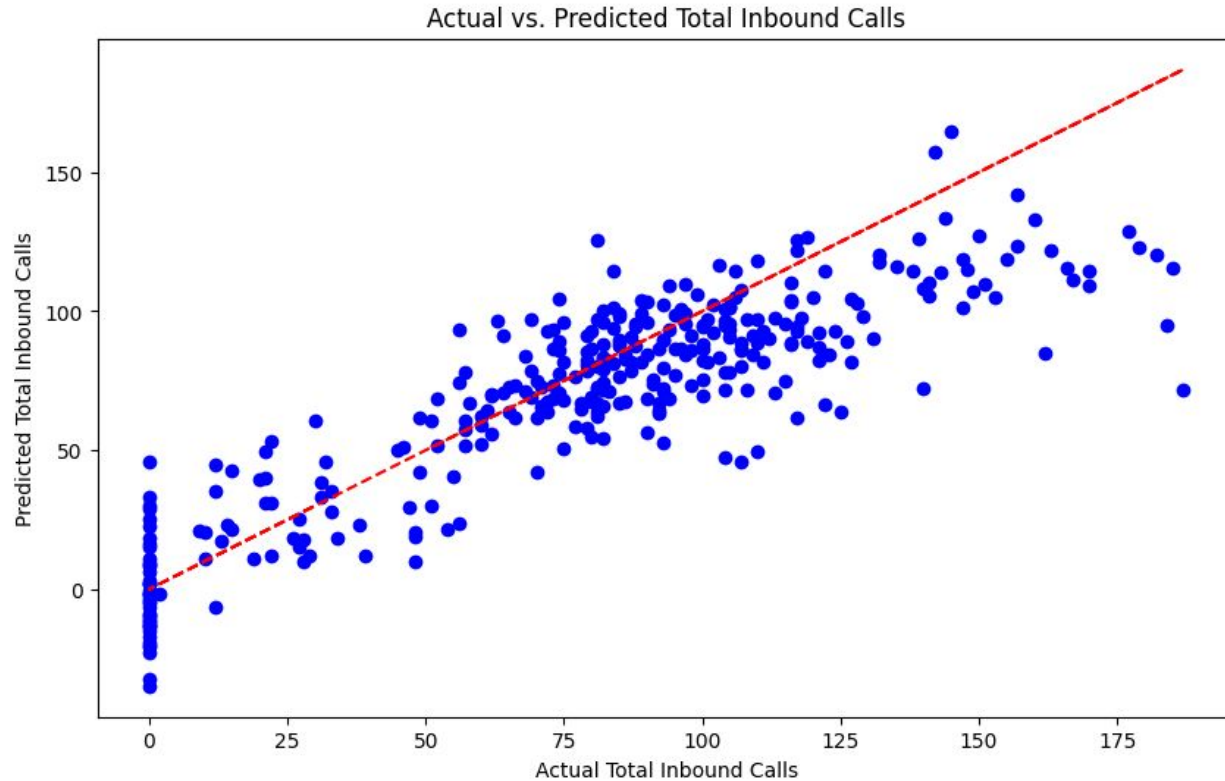
<b>PRCP_Lag8</b>	<b>6.5472</b>	3.703	1.768	<b>0.078</b>	-0.742	13.837
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if there is a precipitation 8 days ago, every 1 inch precipitation will increase the inbound call volume by 6.5 per day on average.

<b>Month_index_continuous</b>	<b>0.8187</b>	0.279	2.929	<b>0.004</b>	<b>0.269</b>	1.369
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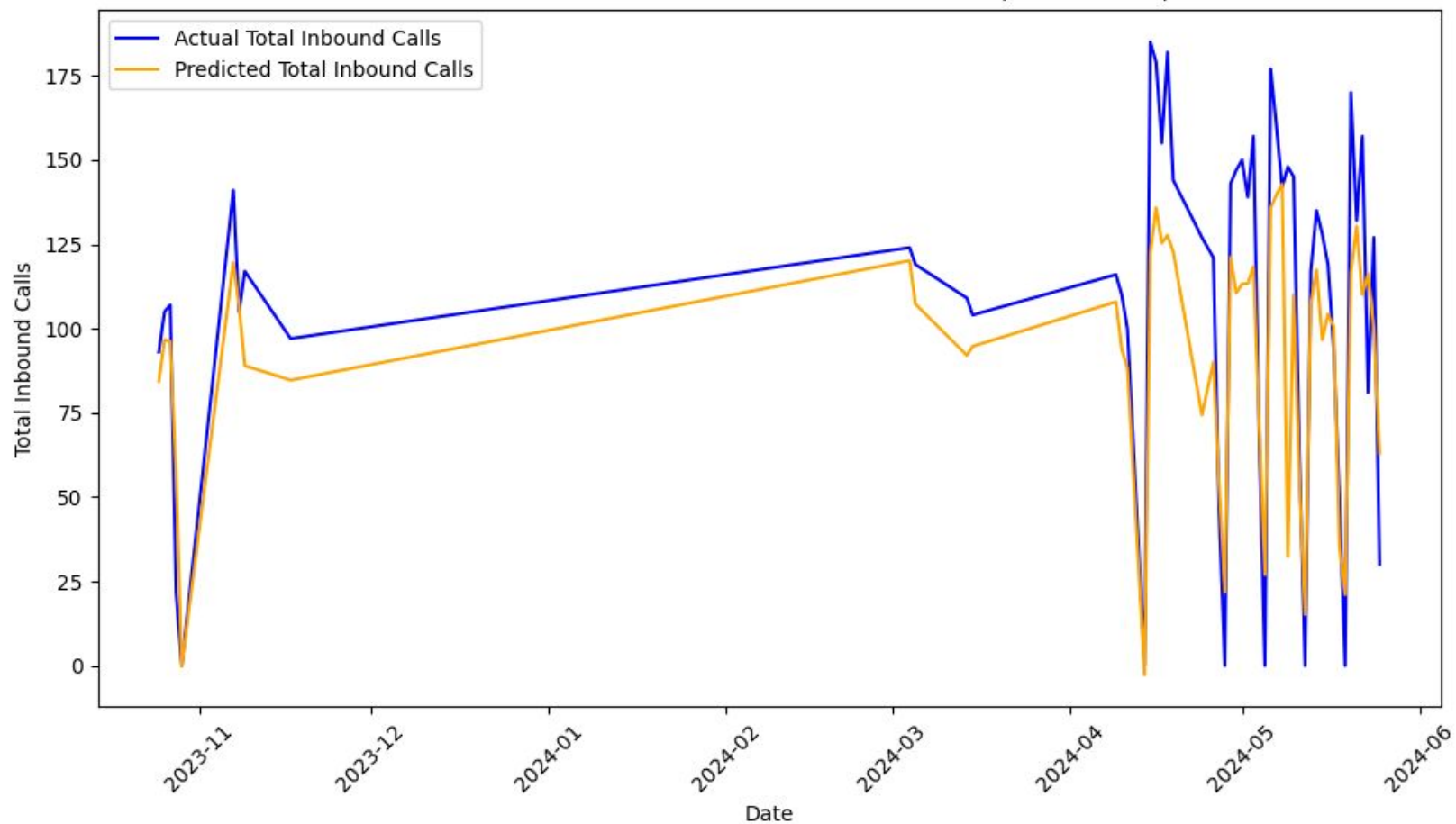
Every month later, the call volume will increase by 0.8 per day on average.

# Linear Regression for Hot Periods

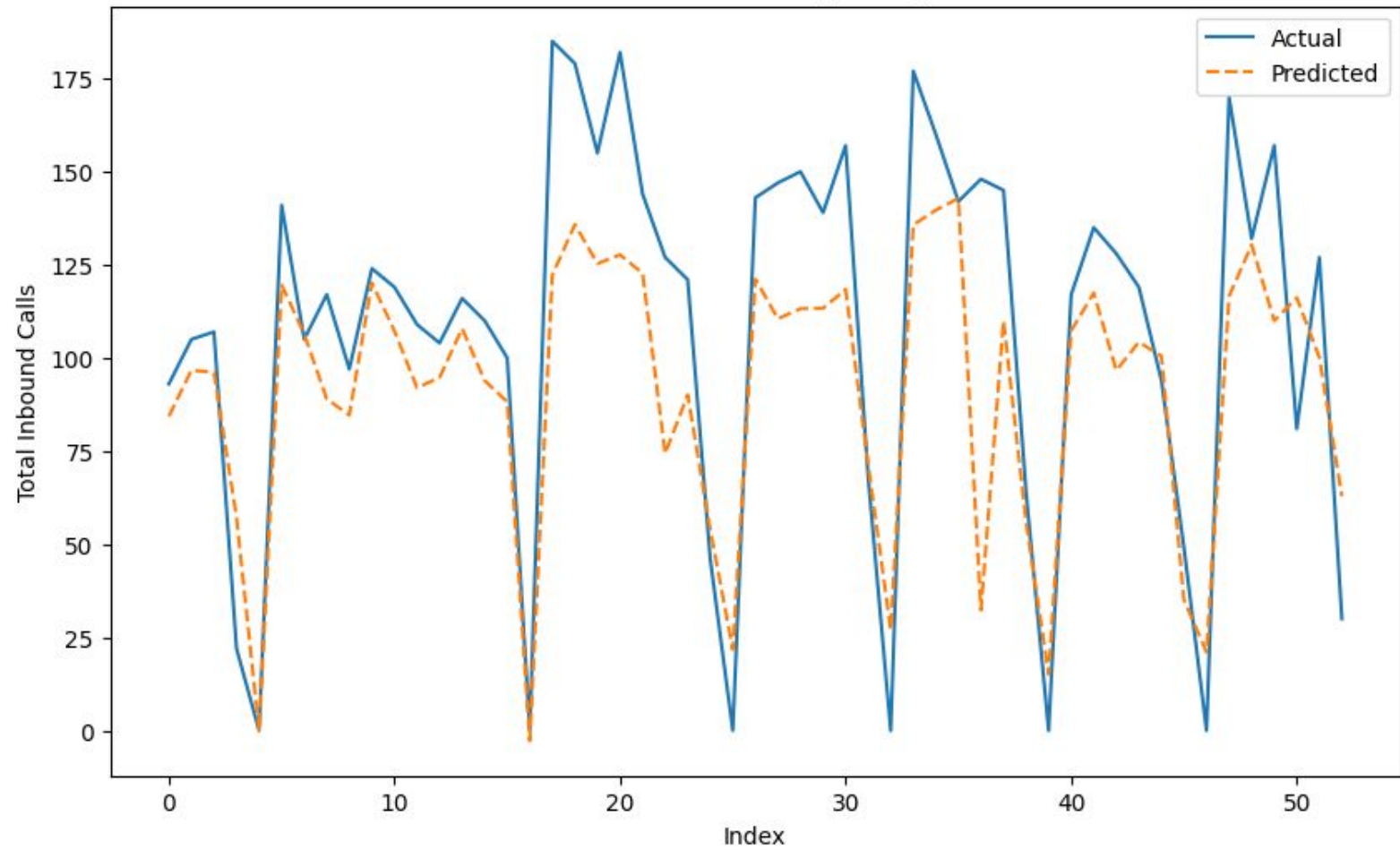


MSE: 1521

Actual vs. Predicted Total Inbound Calls Hot Period (Test Dataset)



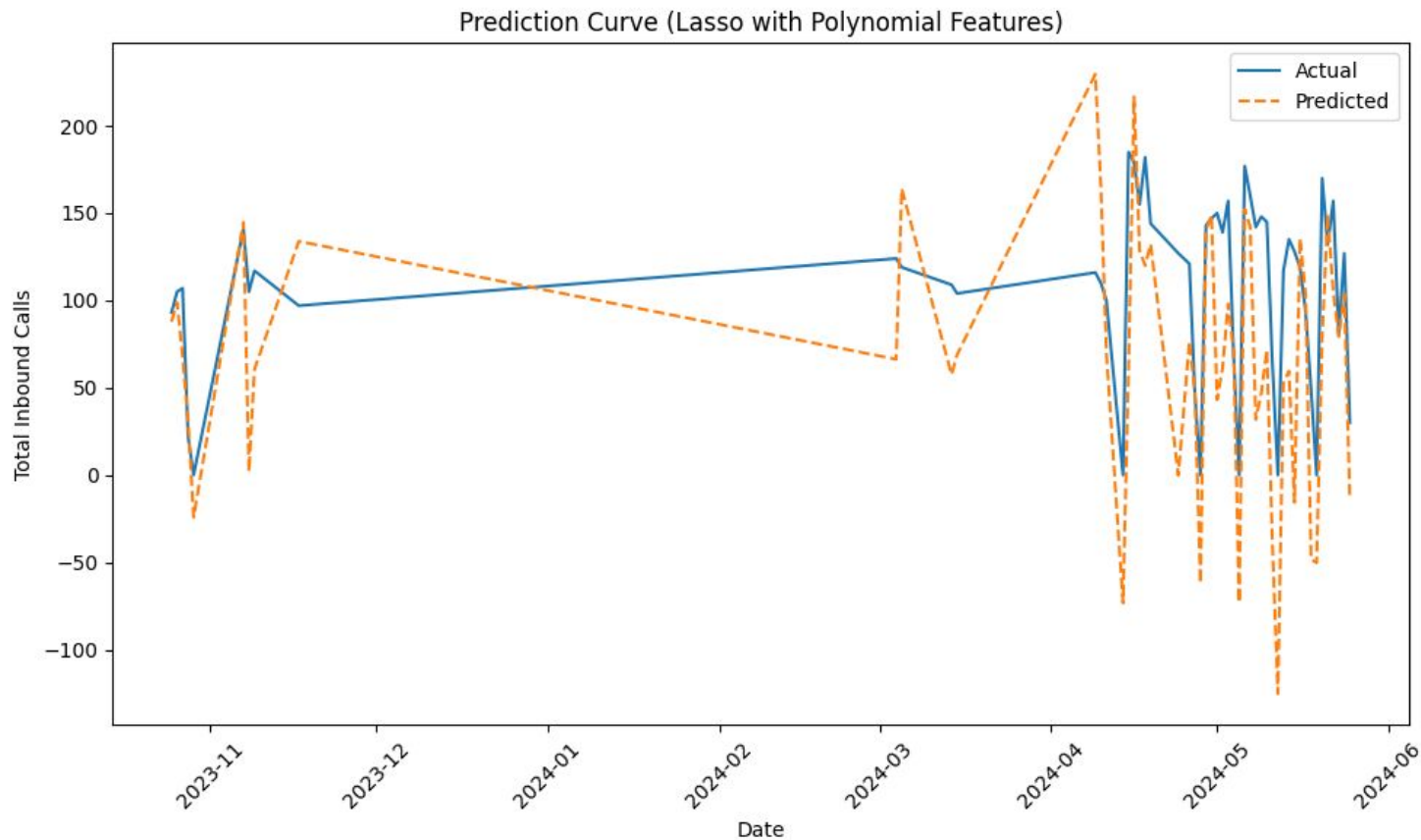
Prediction Curve (Linear)



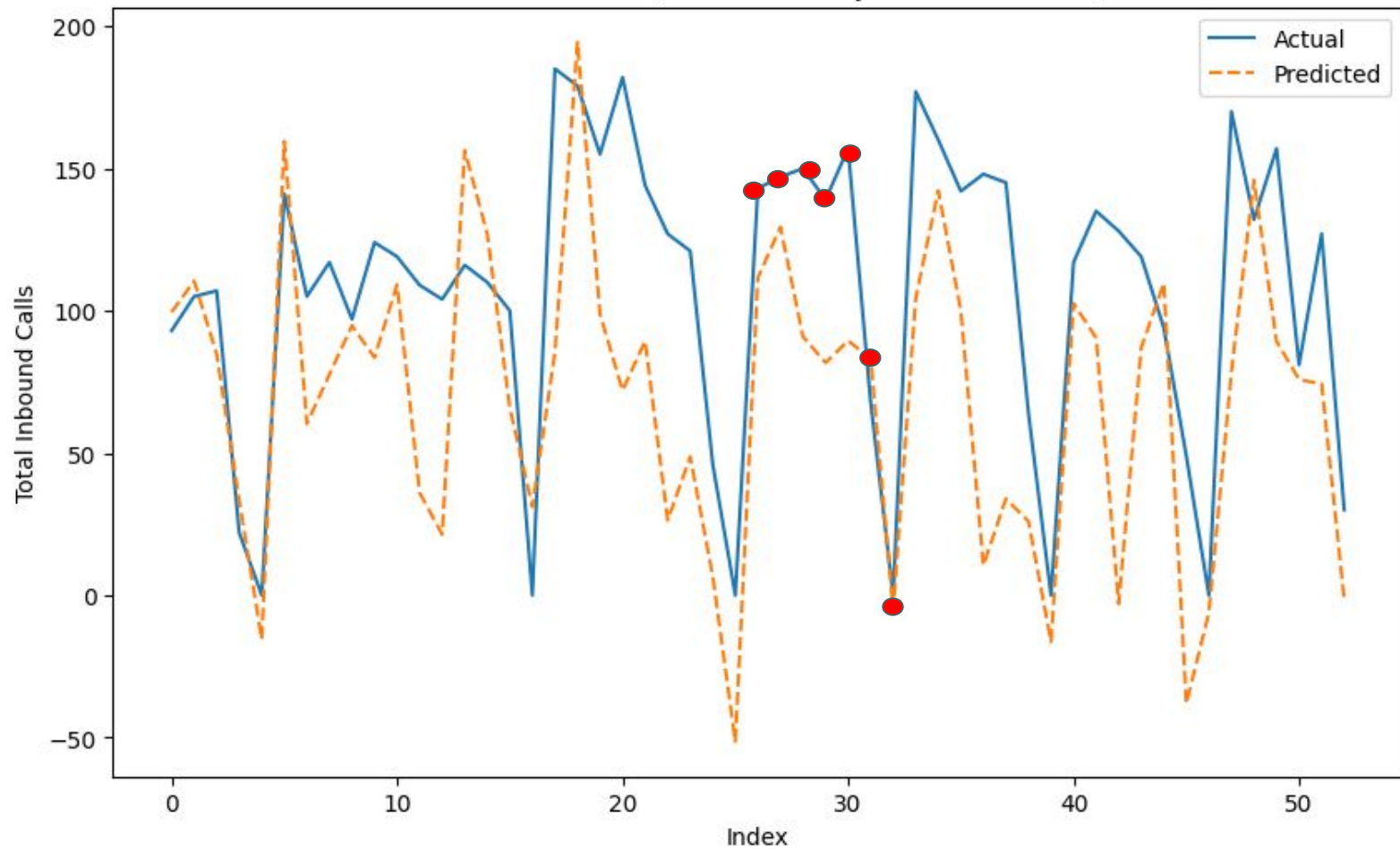


# Polynomial Regression for Hot Periods

Mean Squared Error: 3189



Prediction Curve (Lasso with Polynomial Features)



Prediction Curve (Lasso with Polynomial Features)

