

ASTR 405

Planetary Systems

Exoplanet Atmosphere

Fall 2025
Prof. Jiayin Dong

Supplementary Readings: **atmosphere.pdf** on Canvas
Exoplanet Atmospheres by Sara Seager and Drake Deming

Modules

- Part I: Exoplanet Detection Methods
 - Explore the techniques astronomers use to discover planets beyond our solar system
- Part II: Exoplanet Demographics and Planet Formation
 - Investigate the statistical properties of exoplanets and theories of how planetary systems form
- **Part III: Exoplanet Atmospheres, Interiors, and Characterization**
 - **Examine methods for studying the physical properties and compositions of distant worlds**

Module III: Exoplanet Atmospheres, Interiors, and Characterization

- **Exoplanet Characterization**

- Transmission, emission & phase curves → atmospheric composition, P-T profile
- Rossiter-McLaughlin effect → spin-orbit angles

- **Atmospheric Physics**

- Hydrostatic structure and P-T profiles
- Thermodynamics: convection, lapse rate, and radiative balance
- Composition and clouds: metallicity, C/O ratio, disequilibrium chemistry
- Atmospheric loss and the cosmic shoreline

- **Planetary Interiors**

- Giant planets: phase diagram of hydrogen, central pressure, Hot Jupiter radius inflation
- Terrestrial planets: heat transport, cooling, and mass-radius relation

Atmosphere Scale Height

Recall the hydrostatics balance of protoplanetary disks, the exoplanet atmosphere in hydrostatic equilibrium can be expressed as

$$\frac{dp}{dz} = -\rho g .$$

From ideal gas law, $p = \rho RT$, and assume an **isothermal** atmosphere, we get

$$p = p_0 e^{-z/H},$$

Atmospheres are not
exactly isothermal

where the scale height is

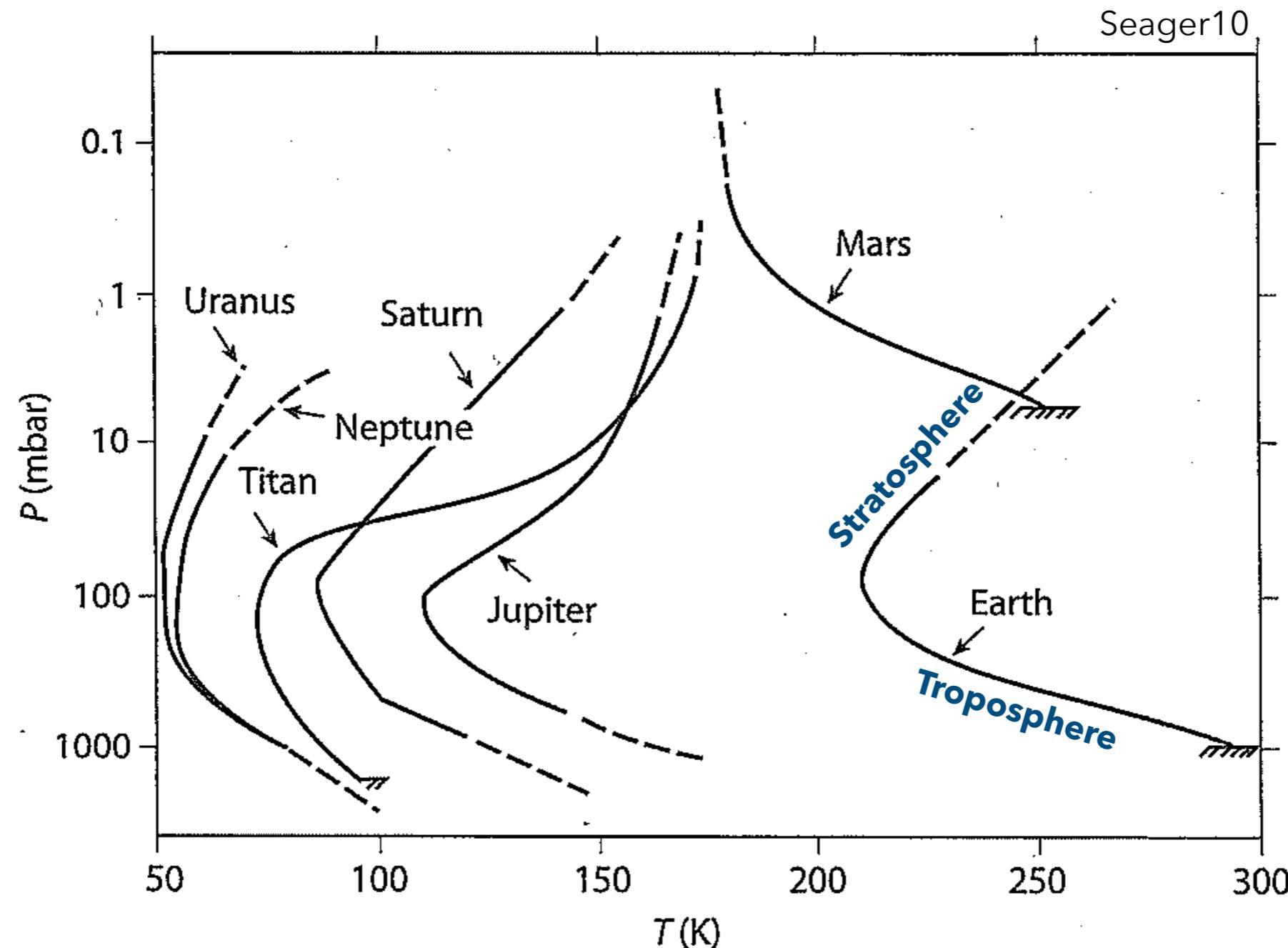
$$H = \frac{RT}{g}.$$

$R = \frac{R_u}{\mu}$ is the **specific gas constant**, which depends on the gas composition.

$R_u = 8.3145 \text{ J mol}^{-1} \text{ K}^{-1}$ is the universal gas constant and μ is the mean molecular weight (in g mol^{-1}).

Pressure-Temperature (P-T) Profiles

Atmospheric pressure-temperature profiles of planets in our Solar System with significant atmospheres (troposphere + stratosphere).



Energy Budget and the First Law of Thermodynamics

- Tracking how temperature changes in an atmosphere requires following the energy budget of an air parcel, i.e., how energy is gained, lost, or transformed between heat and work.
- The First Law of Thermodynamics expresses this energy conservation: The change in a system's internal energy equals the heat added minus the work done by the system.
- **For a parcel of gas:**

$$\boxed{\frac{dU}{dt} = Q - p \frac{dV}{dt}}$$

or equivalently (using enthalpy $H = U + pV$)

$$\frac{dH}{dt} = Q + V \frac{dp}{dt}$$

U is internal energy, Q is heat added to the system, $p dV$ is work done by the system during expansion.

Atmospheric Application of the First Law

The First Law: $dU = \delta Q - pdV$ and $\delta Q = 0$ (the process is adiabatic, no heat exchange)

For an air parcel moving vertically:

- Rising parcel
 - Ambient pressure drops → parcel expands ($dV > 0$)
 - Does work on surroundings → internal energy ↓, temperature ↓ → adiabatic cooling
- Sinking parcel
 - Ambient pressure increases → parcel compresses ($dV < 0$)
 - Work done on parcel → internal energy ↑, temperature ↑ → adiabatic heating

Vertical temperature changes are largely governed by expansion/compression, not by direct heating.

Atmospheric Application of the First Law

The First Law: $dU = \delta Q - pdV$ and $\delta Q = 0$ (the process is adiabatic, no heat exchange)

Leads to the adiabatic lapse rate:

$$\frac{dT}{dz} = -\frac{g}{c_p}$$

where g is gravity and c_p is specific heat capacity at constant pressure.

In-Class Activity

Deriving the Convective Instability

Pressure-Temperature (P-T) Profiles

Earth

Jupiter

Troposphere

Heated from below by sunlight

Stratosphere

Heated from above by ozone (UV)

Heated from below by internal heat

Heated from above by CH_4 + photochemical hazes (UV/IR)

