

⇒ 8-Puzzle problem using A* Algorithm:

1) Node (data, level): initialize node with puzzle
start & level

2) def puzzle():
• accept(): ← Accept start & goal state.
• $f(\text{start}, \text{goal}) \leftarrow \text{calculate } [f = h + g]$
• process() ← process A* algorithm

3) Heuristic

$h(\text{start}, \text{goal})$: Manhattan dist. b/w current &
goal state.

4) A* algorithm:-

1) Initialize start node, & add to open list

2) Loop until goal state come.

→ Select node have lowest ' f ' from
open list

→ Display state & check goal

→ generate ^{child} ~~state~~ node & calculate

f
→ Add current node to closed list ^{→ visited}

remove from open list → get to explore

→ explore list by ' f '

3) Display find move

5) • Create puzzle instance

• call process for the execute.

if (mats[i][j]) and
 (mats[i][j] != final[i][j]);
 count += 2

return count

def newNodes (mats, empty, new-empty, levels, parent, final) → nodes.

new-mats = copy.deepcopy(mats)

x1 = empty_posi [0]

y1 = empty_posi [1]

x2 = new_posi [0]

y2 = new_posi [1]

new_mats[x1][y1], new_mats[x2][y2] = new_mats[x2][y2],
 new_mats[x1][y1]
 costs = calculate_cost (new-mats, final)

new_node = nodes (parent, new-mats, new-empty, cost, levels)

return new_node

def printMatrix (mats):

for i in range (n):

for j in range (n):

print ("{} ".format (mats[i][j]), end = " ")

print ()

child = newNodes (minimum_mats)

initial = [[1, 2, 3],

[5, 6, 0],

[7, 8, 4],

final = [[1, 2, 3],

[5, 8, 6],

[0, 7, 4]]

Code

```
import copy
from heapq import heappush, heappop
```

n=5

rows = [1,0,1,0,0]

cols = [0,1,0,0,1]

class priorityQueue:

def __init__(self):

self.heap = []

def push(self, key):

heappush(self.heap, key)

def pop(self):

return heappop(self.heap)

def empty(self):

if not self.heap:

return True

else

False

class node:

def __init__(self, parent, mats, empty, level):

self.parent = parent

self.mats = mats

self.empty = empty

self.costs = costs

self.level = level

def calculateCosts(mats, final) -> int:

count = 0

for i in range(n):

for j in range(n):

empty - tile - pos = [1, 2]

sol - c (initial, empty - tile, final)

o/e

1 2 3

5 6 0

7 8 4

1 2 3

5 0 6

7 8 6

1 2 3

5 8 6

7 0 4

1 2 3

5 8 6

0 7 4



Enter the start state matrix

1 2 3
4 5 6

Enter the goal state matrix

1 2 3 4
5 6



1 2 3 4
5 6
_ 7 8



1 2 3 4
5 6
7 _ 8



1 2 3
4 5 6
7 8