



Econ 2250: Stats for Econ

Fall 2022

Source for pic stats above.

What we will do today?

- Something that we discussed last time?
- Probability rules
 - Work through
 <u>https://ethanweed.github.io/pythonbook/04.02-probability.html</u> via <u>colab</u>
 - First section of <u>https://mixtape.scunning.com/02-probability_and_regression</u>

Today's materials

https://colab.research.google.com/github/jonkrohn/ML-foun dations/blob/master/notebooks/5-probability.ipynb#scrollTo =hKciO43C5ChT

Words, words, words

- elementary event: each draw will only be one event
- sample space: list of all possible events
- independent event: P(A|B) = P(A)
- joint probabilities: P(A,B) = P(A)P(B)

Equations

Review: Standard Deviation

 $\sigma = \sqrt{rac{\sum (x_i - \mu)^2}{N}}$

 σ = population standard deviation

N = the size of the population

 x_i = each value from the population

 μ = the population mean

Code:

Likelihood of event

$$P(\text{event}) = \frac{\text{# of outcomes of event}}{\text{# of outcomes in }\Omega}$$

Basic Rules

$$P(A \text{ and } B) = P(A \cap B) = P(A)P(B).$$

For example, if two coins are flipped, then the chance of both being heads is $\frac{1}{2} * \frac{1}{2} = \frac{1}{4}$

$$P(A \text{ or } B) = P(A \cup B) = P(A) + P(B) - P(A \text{ and } B).$$

For example, when drawing a card from a deck of cards, the chance of getting a heart or a face card (J,Q,K) (or both) is 13/52 + 12/52 - 3/52 = 11/26

Summary of probabilities

Event	Probability
Α	$P(A) \in [0,1]$
not A	$P(A^{\complement}) = 1 - P(A)$
A or B	$P(A \cup B) = P(A) + P(B) - P(A \cap B)$ $P(A \cup B) = P(A) + P(B)$ if A and B are mutually exclusive
A and B	$P(A \cap B) = P(A B)P(B) = P(B A)P(A)$ $P(A \cap B) = P(A)P(B)$ if A and B are independent
A given B	$P(A \mid B) = rac{P(A \cap B)}{P(B)} = rac{P(B A)P(A)}{P(B)}$

Combinatorics

Code:

$$\binom{n}{k} = \frac{n!}{k!(n-k)!}$$

Exercise

Does everyone feel that they have at very least the tools needed for the homework?

End of class form



(https://forms.gle/dS2BqkwNEGQvaMQJ8)