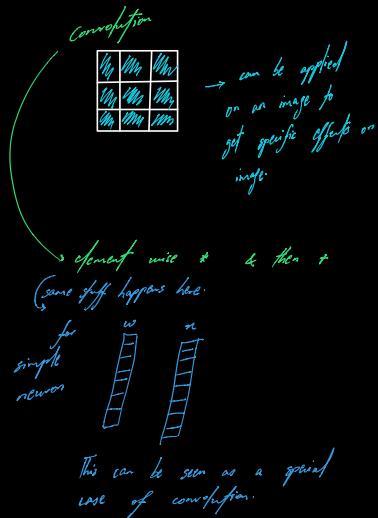


Edge Definition



$$\text{input } N \times N \xrightarrow{k \times k \text{ conv}} \text{output } (n-k+1) \times (n-k+1)$$

Padding = 1

$$N \times N \xrightarrow{\text{padding} = 1} (N+2) \times (N+2)$$

that means

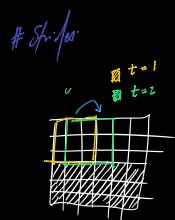
zero padding → fill padding
with zero

same value padding
→ take the value of neighbouring point.
→ there is confusion sometimes → which
value to take from
surrounding
6 pixels?

not that much

$$N \times N \xrightarrow[\text{pad } = p]{\substack{k \times k \\ \text{conv}}} (N - k + 1 + 2p) \times (N - k + 1 + 2p)$$

→ kernels are typically square matrices.
for conv types.



stride is 1 over here. it can vary
depending on the application.
not just horizontal, which also applies for vertical.
They help us reduce the size of
the feature map.

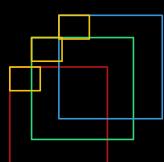
$$N \times N \xrightarrow[\substack{k \times k \\ \text{conv}}]{\text{stride } = s} \left(\frac{N - k}{s} + 1 \right) \times \left(\frac{N - k}{s} + 1 \right)$$

↑ if fraction, take floor f^n

$$N \times N \xrightarrow[\substack{k \times k \\ \text{conv}}]{\text{pad } = p} \left(\frac{N - k + 2p}{s} + 1 \right) \times \left(\frac{N - k + 2p}{s} + 1 \right)$$

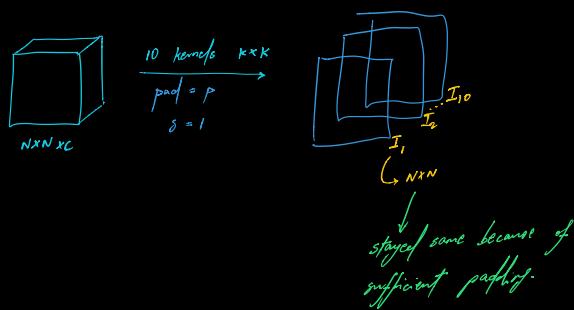
conv, pad, stride
→ need to understand images

#Convolution on RGB

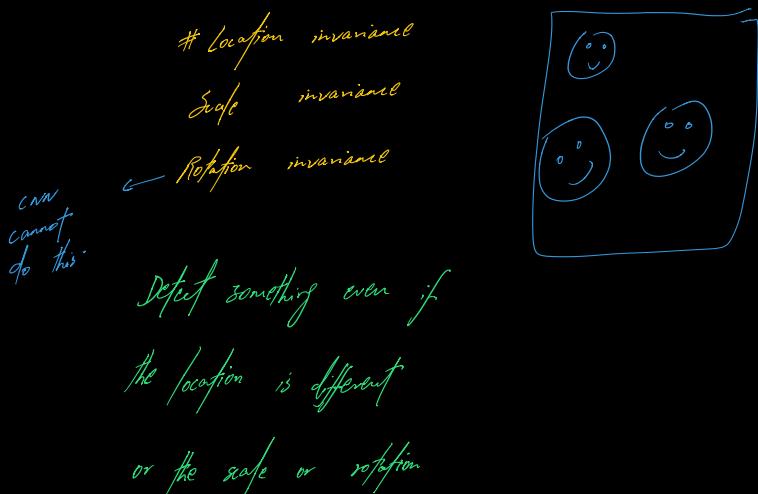
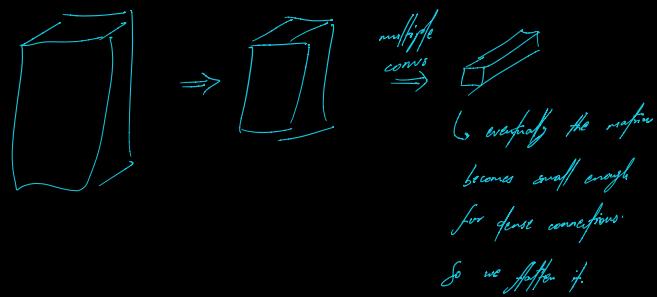


The same concept applies,
for a 2D conv.

changes like this

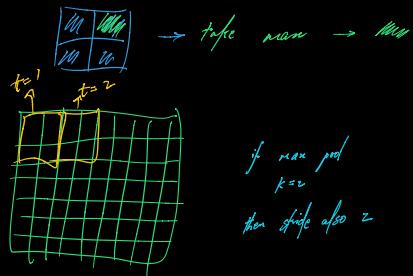


$$N \times N \times C \xrightarrow{M \text{ kernels of } k \times k \atop \text{pool} = p \atop s=1} N \times N \times M$$



is different

max pooling
provides a way of
achieving some location invariance




if we have an edge here
it can be in 0 0 0 or 0
it will still be detected!

some location invariance

And if some kernel has learnt
to activate after seeing an "ice cream",

that kernel is going to run over
the entire image anyway. If ice
cream is present in image, it will
be found!!

→ can by definition
not location invariant
this way.

They also have average
pooling, in case we
want to preserve some
data. When pooling takes highest and throws the
+ 0 0 ...

way of doing away.

→ In medical applications we want to preserve as much data as possible

Training a CNN

$$w \xrightarrow{w} y \rightarrow L(y, \hat{y})$$

As long as $\frac{\partial L}{\partial w}$ → anything is possible

compute with a tensor

↓
just like dot product

Derivative of max profit

compute derivative but

only pass it to the non-pixel
that was chosen



for max value → derivative = 1 → derivative with profit
else 0

