

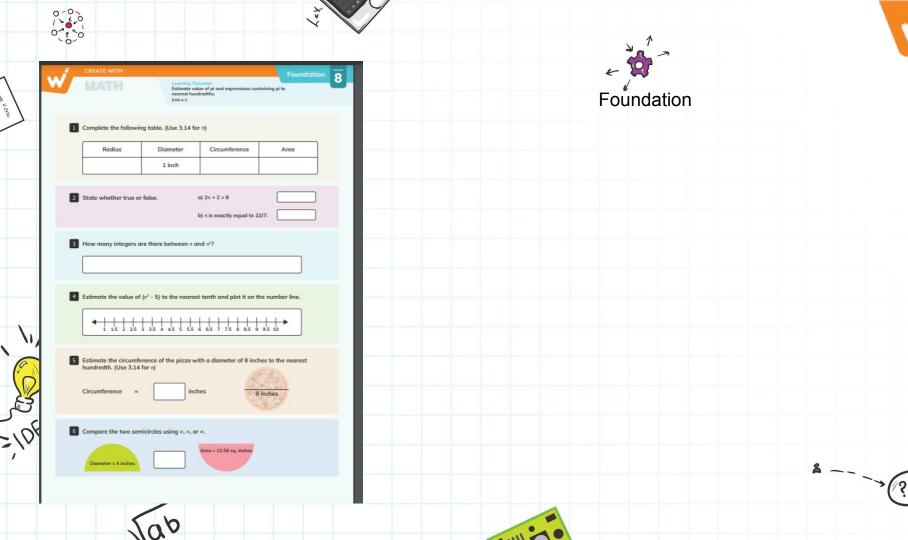
CREATE WITH

MATH













Radius	Diameter	Circumference	Area
	1 inch		



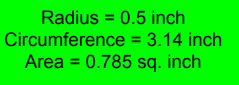
Diameter (D) = 1 inch

Solution:

Radius = D/2 = 1/2 = 0.5 inch

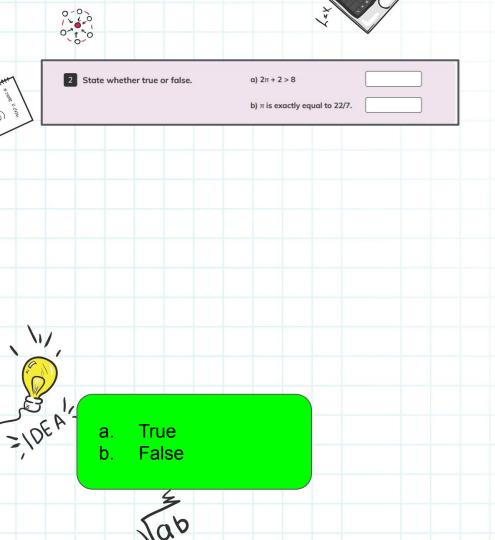
Circumference = πD = 3.14 x 1 = 3.14 inches

Area = $(\pi/4)D^2$ = $(3.14/4) \times 1^2$ = 0.785 sq. inch









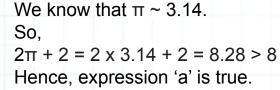
Given:



a. $2\pi + 2 > 8$

 $\pi = 22/7$

Solution:

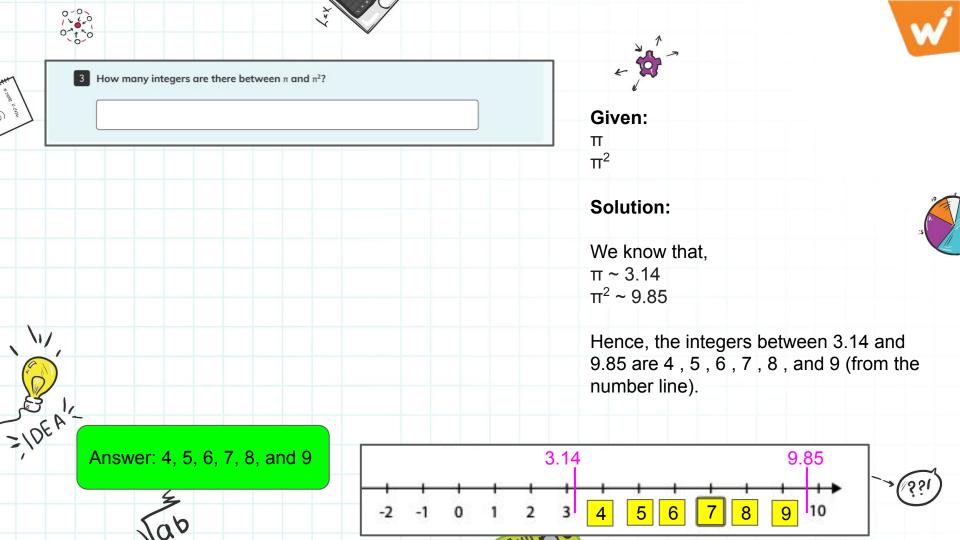


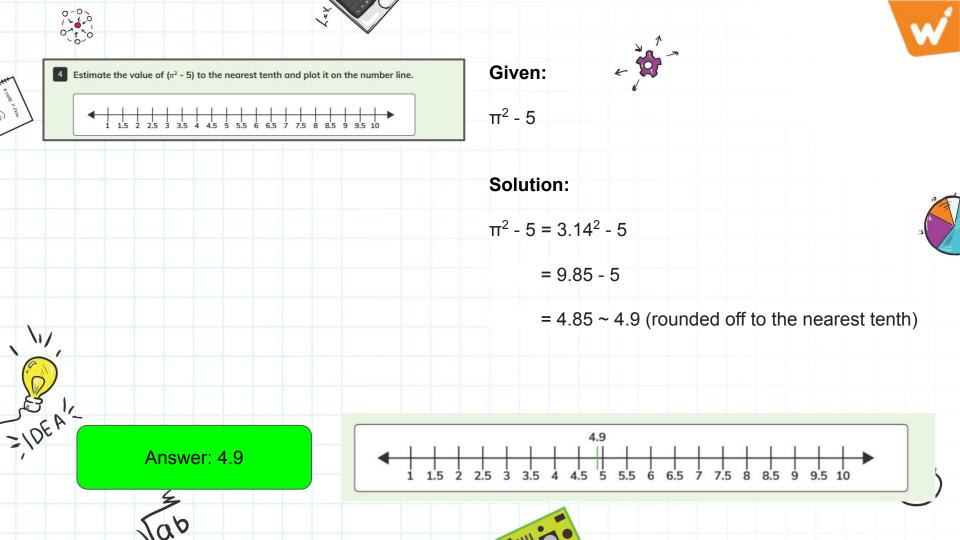
And,

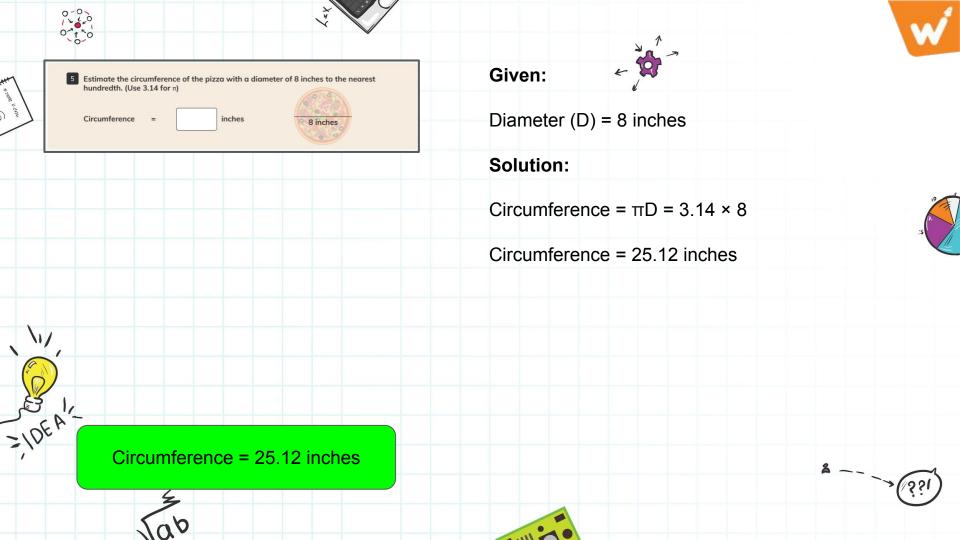
π is approximately equal to 22/7 or 3.14. Hence, statement 'b' is false.

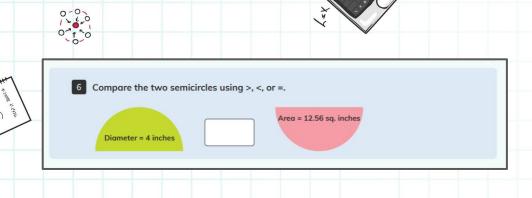














For semicircle 1, diameter $(D_1) = 4$ inches For semicircle 2, area $(\pi D_2^2) = 12.56$ sq. inches

Solution:

 $D_1 = 4$ inches

$$\Rightarrow D_{2}^{2} = (4 \times 12.56)/\pi = 4 \times 12.56 \div 3.14$$

$$\Rightarrow D_{2}^{2} = 4 \times 4 = 16$$

 $(\pi/4)D_2^2 = 12.56$ sq. inches

$$\Rightarrow D_2^{-1} - 4 \times 4 - 4 = 4 \times 4 = 4 \times$$

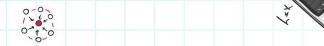
So, on comparing the diameter of both the semicircles (D1 and D2),

$$D_1 = D_2$$



Area of Semicircle 1 = Area of Semicircle 2
Diameter of Semicircle 1 = Diameter of Semicircle 2







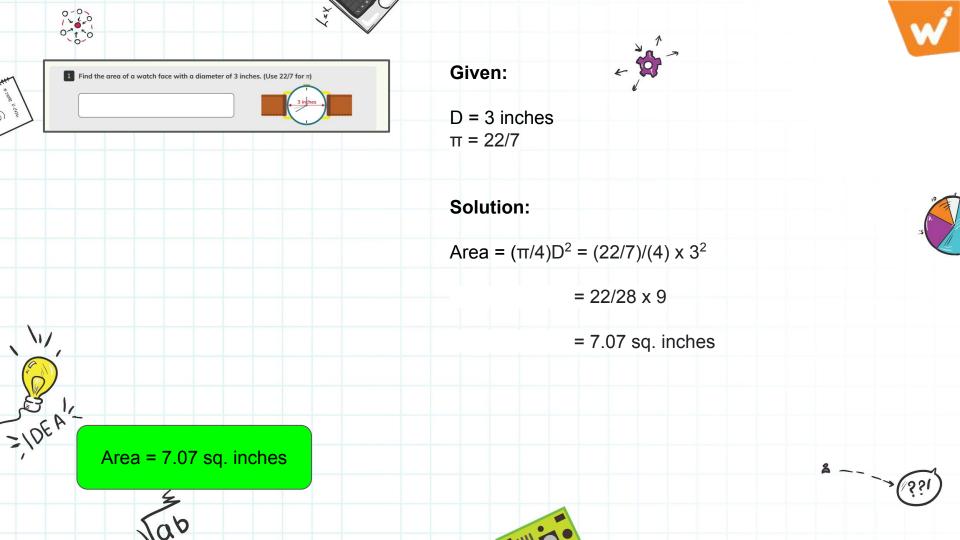
1	CREATE WITH Application
W	Learning Outcome: Estimate value of pi and expressions contoining pi to nearest hundraditis. BXS.A2
8	Find the area of a watch face with a diameter of 3 inches. (Use 22/7 for n)
2	You are riding a merry-go-round which has a circular platform of radius 3 feet. What is the distance traveled in one revolution? (Use 3.14 for n)
3	Your friend colculated the circumference of a playground to be 100 feet. If the diameter of the playground is 40 feet, what is the value of "n" used? Was it a good approximation? 40 feet
4	Estimate the area covered by a frisbee, if its circumference is 50.24 inches. (Use 3.14 for n)
5	A tsunami warning siren can be heard up to 2.5 miles in all the directions. Estimate the area up to which the siren can be heard? (Use 3.14 for n)
6	Your car has sufficient fuel to cover a distance of 80 miles. There's a semicircular road with a radius of 20 miles. Will you be able to cross it?

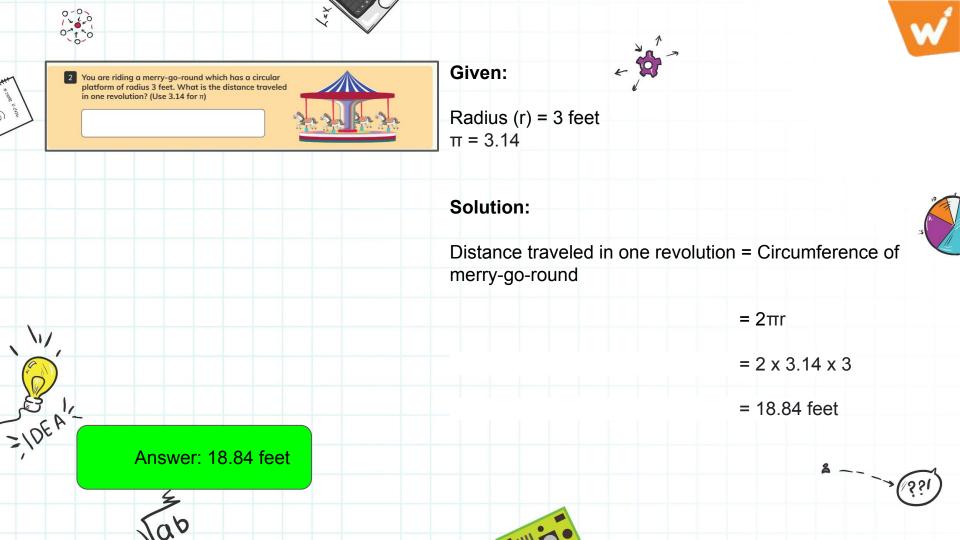


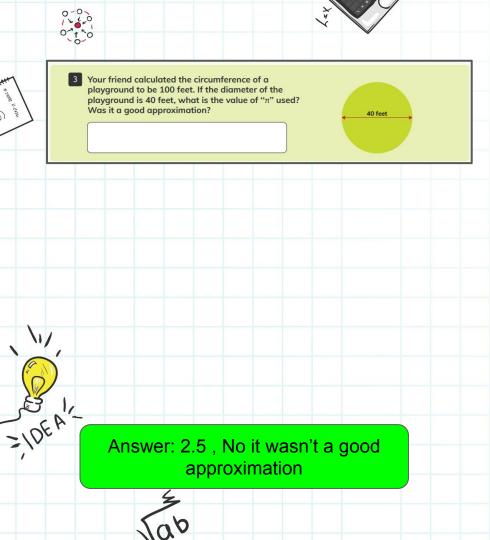




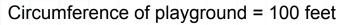












Diameter (D) = 40 feet

Let the approximation of pi that your friend used be π



Solution:

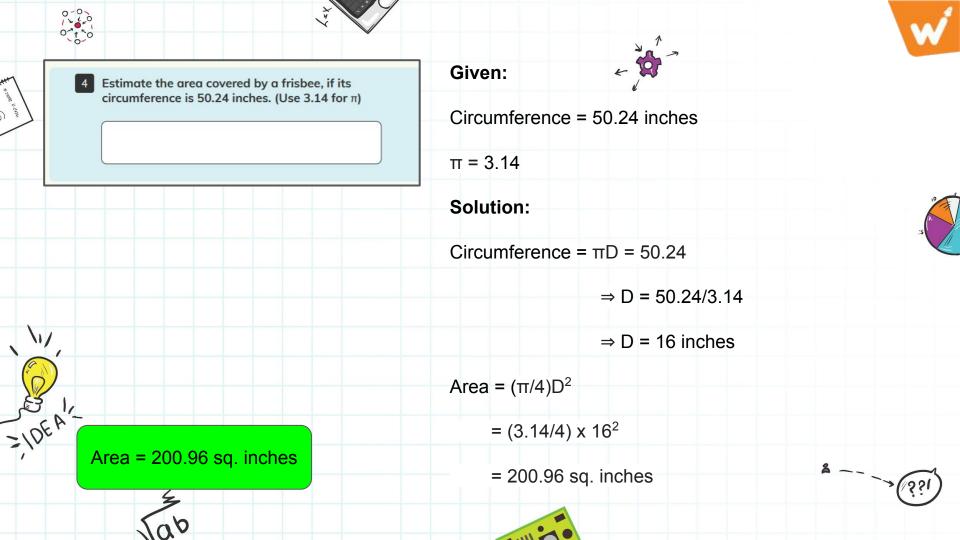
Circumference =
$$\pi$$
'D

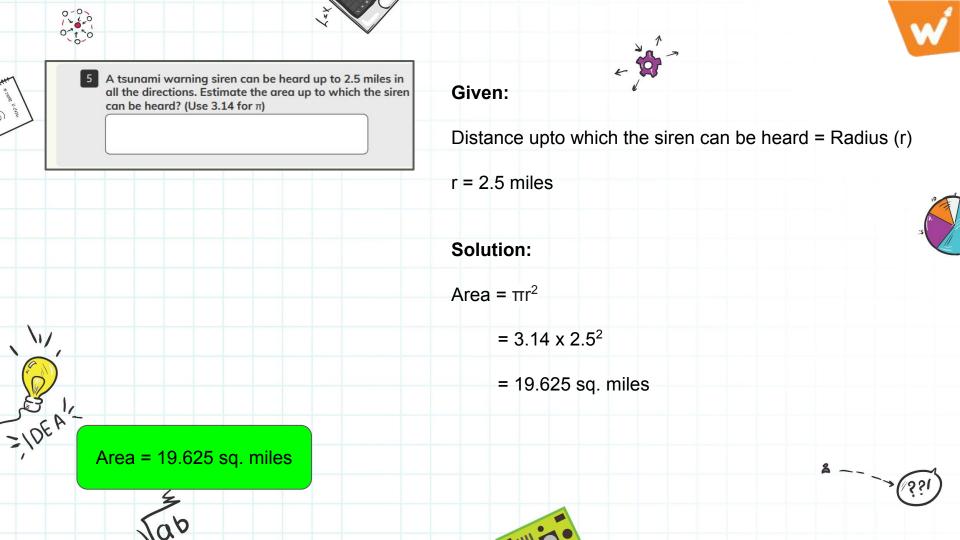
$$100 = \pi' \times 40$$

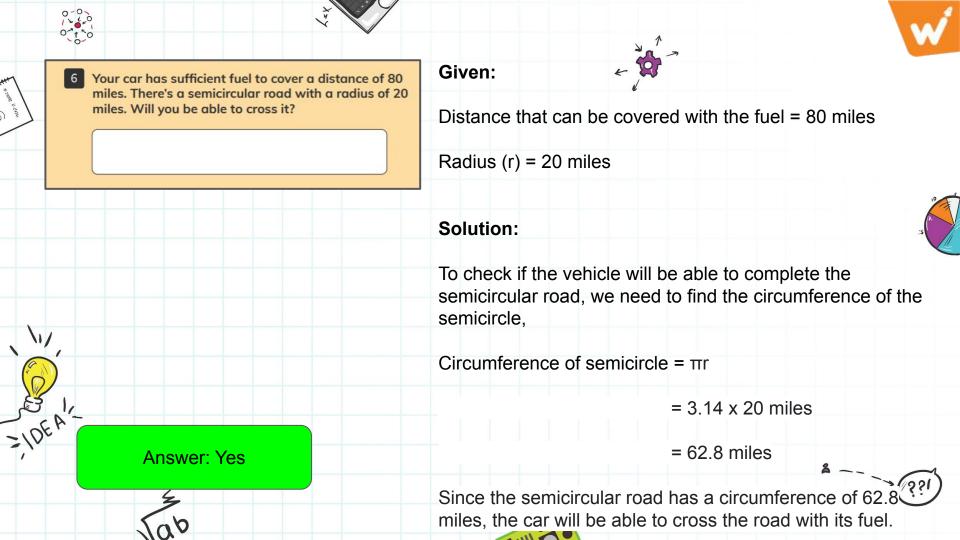
$$\Rightarrow \pi' = 100/40 = 2.5$$

0 200

The π value used here is 2.5. No, it wasn't a good approximation since the ideal value of pie lies between 3.1 and 3.2.









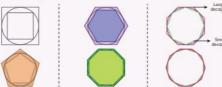


Create

Learning Outcome:
Estimate value of pi and expressions containing pi to nearest
handredits.

We just held our very own olympics! And now, here's another Olympian challenge for you. One which was similarly solved in ancient Greece, the birthplace of the Olympics! You know how to derive π with the help of a circle, but can you do it with regular polygons? We know that π is the ratio of circumference to diameter. Let's look at a method to estimate the value of π using regular polygons. The method uses the idea that if a circle is inscribed and circumscribed by the same polygon, then the circumference of the circle lies between the perimeters of the inscribed and circumscribed polygons. Let's use this idea, here, to approximate the value of π . Follow the given steps to see how that can be done.

- . Measure the diameter of the circle to the nearest millimeter.
- Measure the perimeter of the outermost polygon using a ruler to the nearest millimeter.
- Find the ratio of the perimeter of the outermost polygon to the diameter of the circle.
- Measure the perimeter of the innermost polygon to the nearest millimeter.
- · Find the ratio of the perimeter of the innermost polygon to the diameter of the circle.
- Now, find the average of these two ratios.



Note: Above mentioned 6 steps have to be repeated for all the five shapes given. It's time to tabulate your findings.

	Diameter	Perimeter of	Perimeter of	Larger perimeter	Smaller perimeter	Average of ratios -
Sides	of circle		smaller polygon	Diameter (Ratio 1)	Diameter (Ratio 2)	Ratio 1 + Ratio 2
4						
5	1					
6						
8						
10						

Based on the table, what can you conclude about π ?

In earlier days, Greek mathematicians used this method to approximate the value of π from a polygon with 96 sides. Do you think their approximation was accurate? Explain.

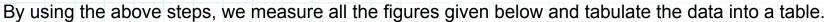


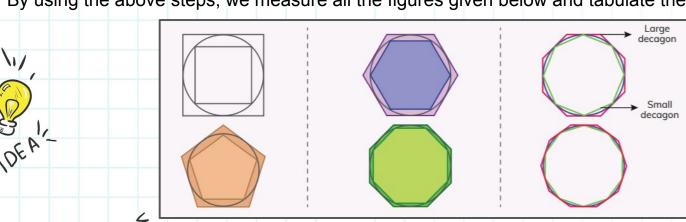






- Measure the diameter of the circle to the nearest millimeter.
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- Find the ratio of the perimeter of the outermost polygon to the diameter of the circle.
- Measure the perimeter of the innermost polygon to the nearest millimeter.
- Find the ratio of the perimeter of the innermost polygon to the diameter of the circle.
- Now, find the average of these two ratios.













Tabulating the data in the following table:



	Diameter Perin	Perimeter of	5253	Larger perimeter	Smaller perimeter	Average of ratios =
	of circle	7000		Diameter (Ratio 1)	Diameter (Ratio 2)	Ratio 1 + Ratio 2
4	10	40	28	4	2.8	3.4
5	10	35	30	3.5	3	3.25
6	10	36	30	3.6	3	3.3
8	10	35	30	3.5	3	3.25
10	10	32	30	3.2	3	3.1

Ratio 1 = Larger perimeter/Diameter

Ratio 2 = Smaller perimeter/Diameter

\/Average ratio = (Ratio 1 + Ratio 2)/2

Based on the table, what can you conclude about π ?

From the last column of the table, the value of π lies between 3.1 and 3.4

In earlier days, Greek mathematicians used this method to approximate the value of π from a polygon with 96 sides. Do you think their approximation was accurate? Explain.

Approximation of π is more accurate if we increase the number of sides since a circle can be considered as a polygon with infinite number of sides.





