

Q2

a) Fagaras → Sibiu → Rimina Vilcea → Craiova

Q3

a) if $h(n)$ is not admissible then $h(n) > k(n)$ where $k(n)$ is true shortest path to goal

Proof by contradiction

1. Assuming $h(n) > k(n)$
2. Take that $C(n, G) = c$ where $C(G)$ is the cost to goal state from state n
3. $h(n) > C(n, G)$
4. However, if $h(n)$ is consistent then:

$$h(n) \leq C(n, G) + h(G) \text{ where } h(G) = 0$$

5. Reaches a contradiction, therefore $h(n)$ is admissible

b) Take 8-tile puzzle for example, instead summing number of squares away of every tile but you randomly choose Manhattan distance of only a few tiles. It will still be admissible not inconsistent

c) proven in a)

Q4

a) No. Get stuck in the state:

1 2 8
4 3
7 6 5

b)

Actions

* 2 8 2 8 * 2 8 3 2 8 3 2 8 3 2 8 3 * 8 3 8 * 3 8 1 3 8 1 3 * 1 3
1 4 3 → 1 4 3 → 1 4 * → 1 * 4 → * 1 4 → * 1 4 → 2 1 4 → 2 1 4 → 2 * 4 → * 2 4 → 8 2 4
7 6 5 7 6 5 7 6 5 7 6 5 7 6 5 7 6 5 7 6 5 7 6 5 7 6 5

1 * 3 1 2 3
8 2 4 → 8 * 4
7 6 5 7 6 5

Q5

$$h(B) = 1 \quad h(A) = 5$$

Therefore, node B will be expanded first since $f(n) = 5 < f(n) = 7$

$h(A) = 5$ is admissible since \leq actual shortest path 5

$h(B) = 1$ is admissible since \leq actual shortest path 4