

Last Class

- Artificial Intelligence
 - An artificial machine that acts and thinks like humans
- 기호주의 인공지능 vs 연결주의 인공지능, 그리고 인지주의 인공지능 (장병탁 교수)

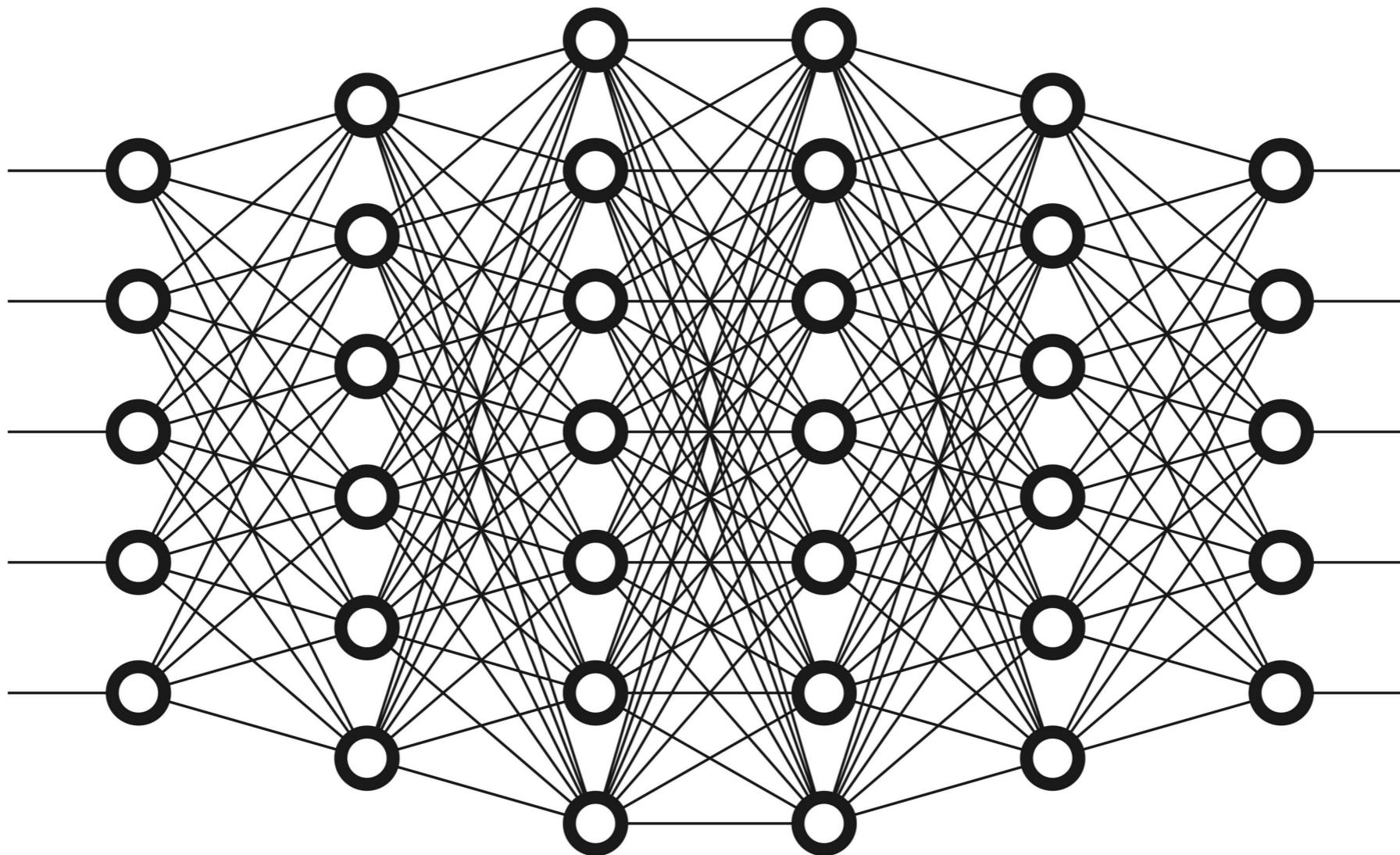
	신경망	규칙기반 인공지능
영역	연결주의	기호주의
도구	뉴런의 연결	기호와 규칙
대표적 개발자	로젠블릿, 힌턴 등	민스키와 매카시 등
핵심 기술	머신러닝, 딥러닝	규칙기반의 추론
응용 분야	음성인식 등 패턴인식	문제 해결, 전문가 시스템

Assignment 2

- John Searle의 아래의 강연듣고
 - [https://www.ted.com/talks/
john searle our shared condition consciousness](https://www.ted.com/talks/john_searle_our_shared_condition_consciousness)
 - 다음 질문에 대한 여러분의 생각을 1페이지(12pt) 이상 작성해서 제출하세요.
 - 우선 의식이 존재한다고 가정하고, 의식은 과연 AI로 구현이 가능할 것인가?
 - 기호주의 AI 혹은 연결주의 AI 중 “의식”을 구현 하기에 더 좋은 방법은

Assignment 3 (Bonus)

- 이 과제는 여러분이 선택적으로 할 수 있습니다. 반드시 제출해야 하는 것은 아닙니다. 하지만 보너스 점수를 받을 수는 있습니다
- 아래의 비디오를 시청하고 다음의 질문에 자신의 생각을 기술하여 제출하세요.
 - 과연 “의식”은 인공지능으로 구현하는 것이 가능하다고 생각하는가?
 - 의식을 인공지능으로 구현하는 것이 가능하면, 인공지능과 복제인간간 차이는 무엇인가? 과연 복제인간도 인공지능이라 할 수 있을것인가?
- 뇌, 현실, 그리고 인공지능 (김대식 교수)
 - https://www.youtube.com/watch?v=tKLRQs_nOxM



Introduction to Machine Learning

Jin Hyun Kim

In This Class

- More about AI, Thinking Machine
- Machine Learning vs Classical Programming
- What is Machine Learning?
- Simple Learning Algorithm using Perceptron

References

- 장교수의 딥러닝 - 장병탁, 홍릉출판사
- Python Machine Learning (2nd edition) - Sebastian Raschka and Jared Huffman
 - (한국어) 머신러닝 교과서 with 파이썬, 사이킷런, 텐서플로- 박 해선 번역
- Deep Learning from Scratch - 사이토 고기, 한빛미디어

Thinking Machine

Deep Blue



Watson



AlphaGo



1997

딥 블루는 가능한
모든 경우를 조사하
여 다음 수를 결정

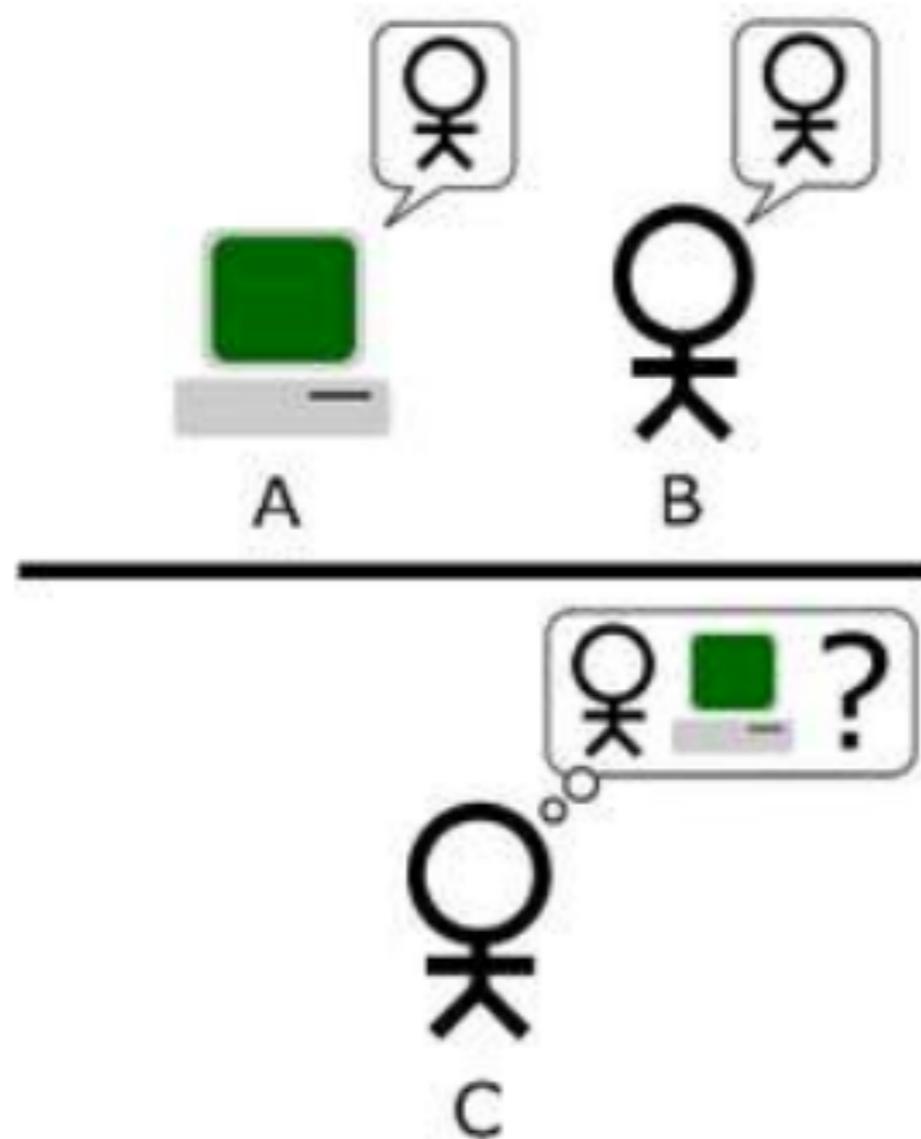
2011

2011년 기능 시험으로서
왓슨은 [퀴즈 쇼 제퍼디!](#)에
참가하였으며, 이는 이제
까지도 유일한 인간 대 컴
퓨터 대결

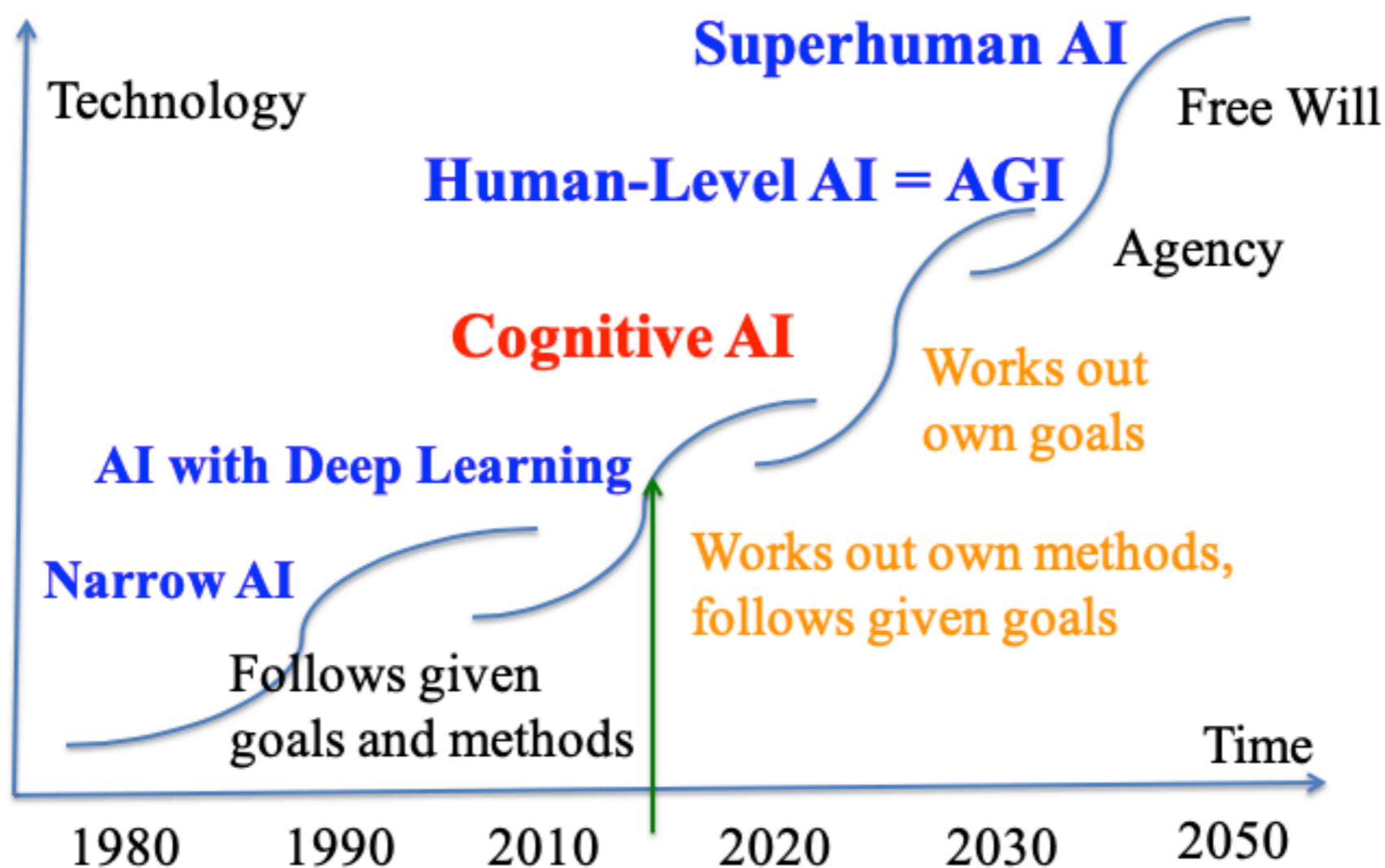
2016

구글(Google)의 딥마인드
(DeepMind Technologies
Limited)가 개발한 인공지능
(AI, Artificial Intelligence)
바둑 프로그램

Turing Test

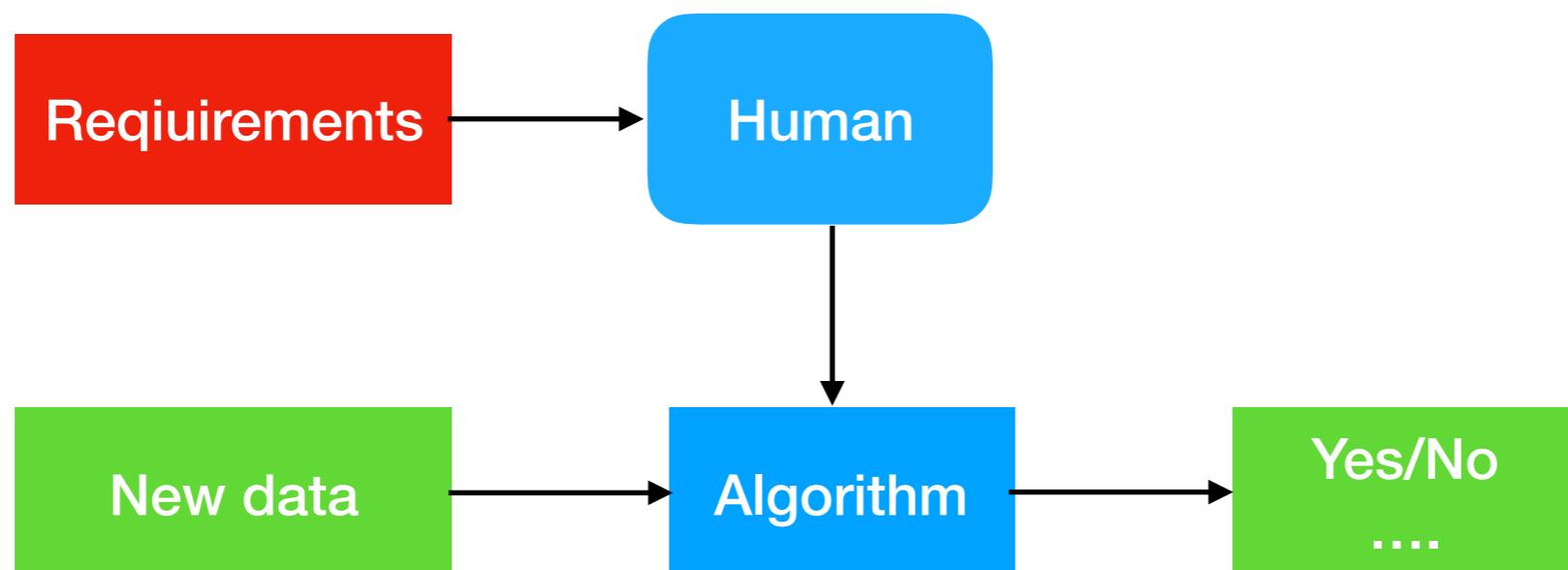


Advancing AI



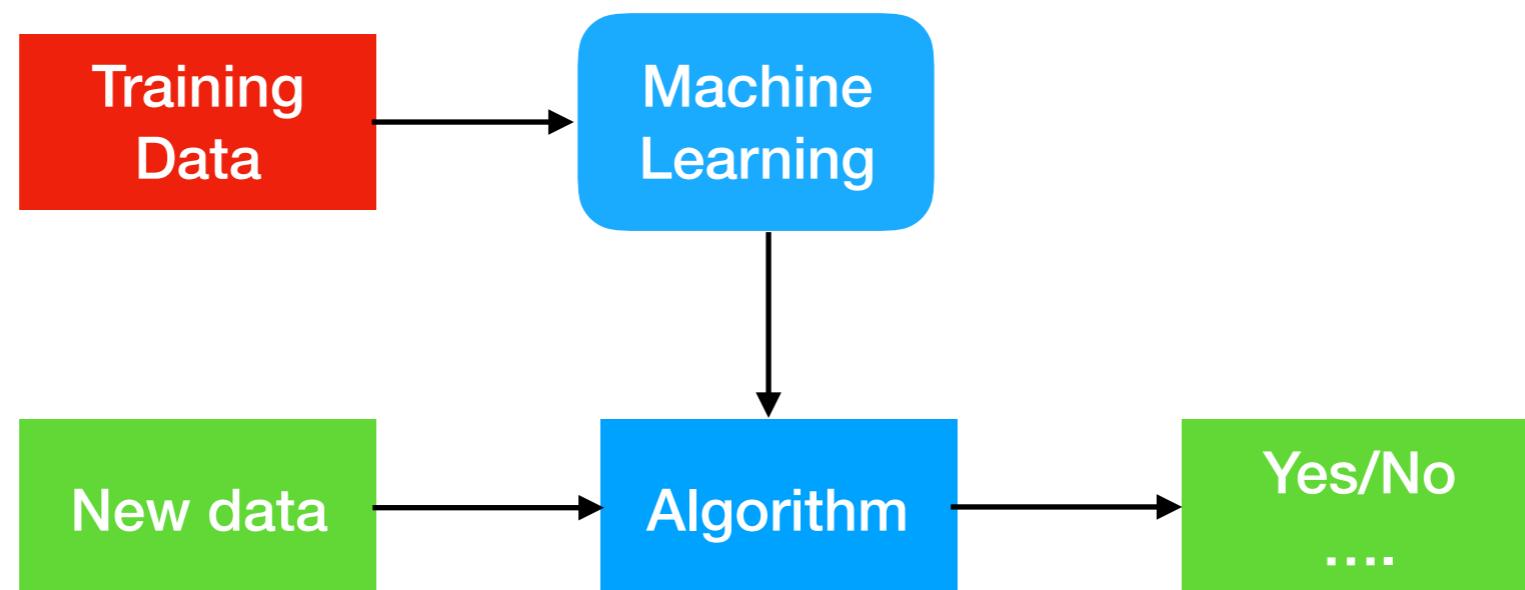
Human-Oriented Algorithm

- Human-oriented algorithm development based on requirements



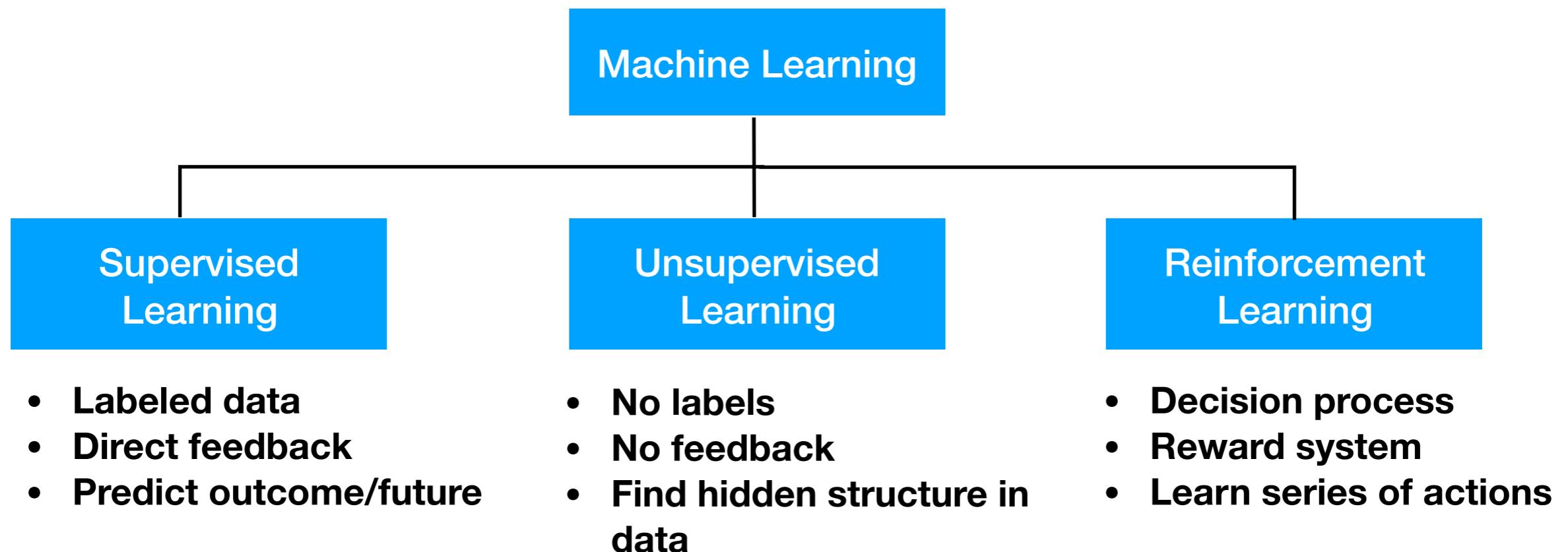
Machine-Oriented Learning

- AI-oriented algorithm synthesis based on data

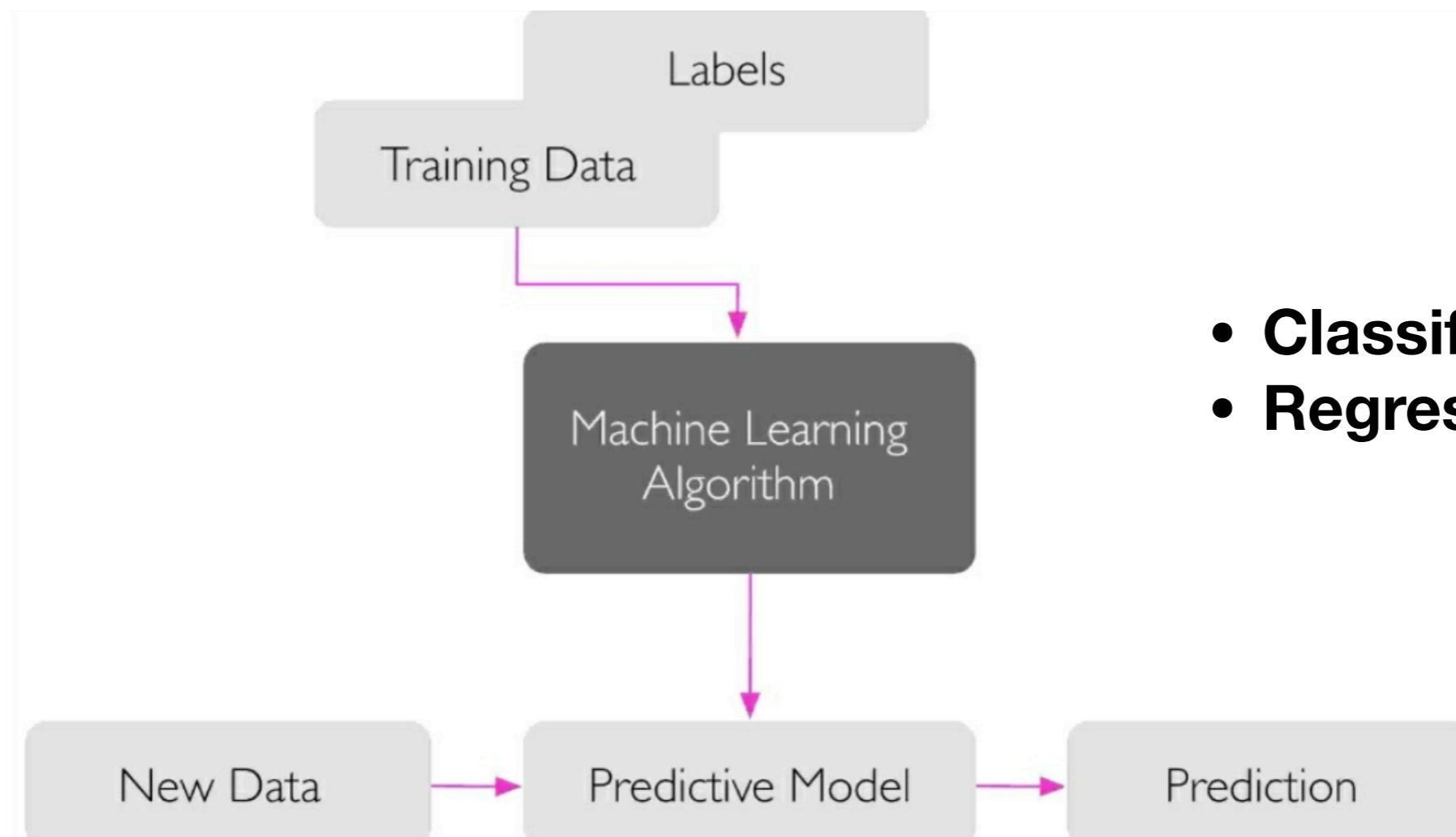


Machine Learning

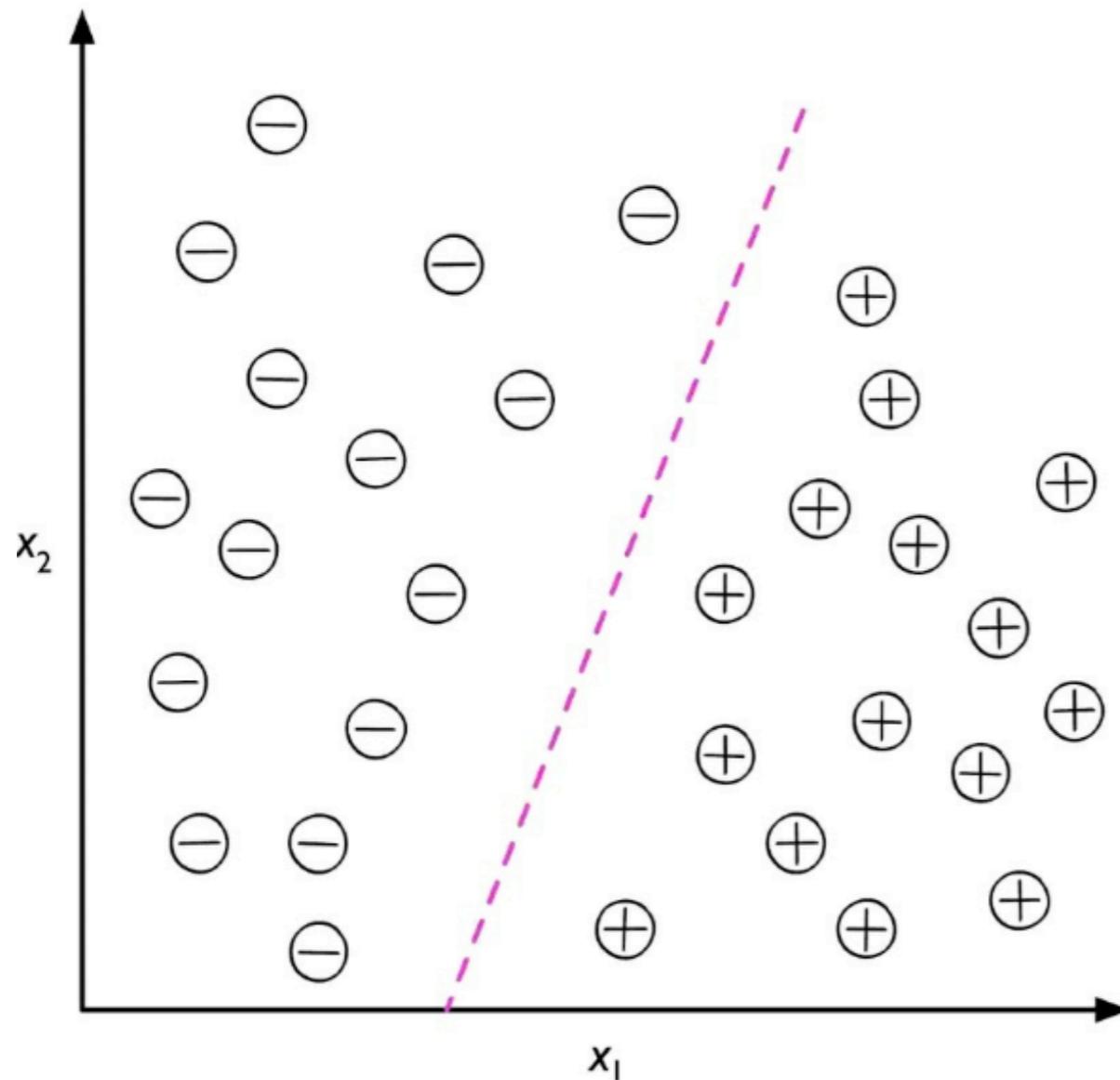
Classification



Supervised Learning

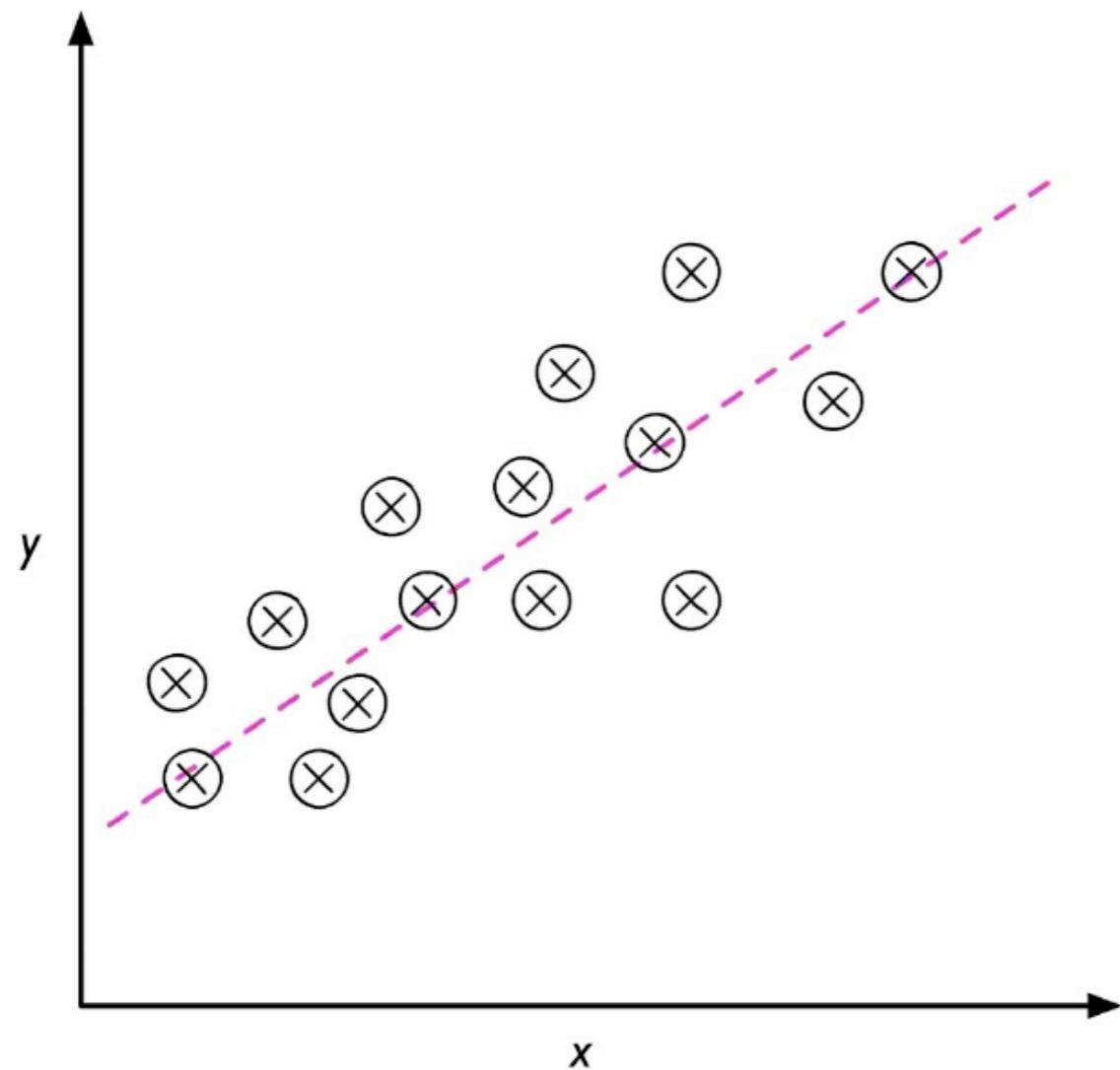


Classification



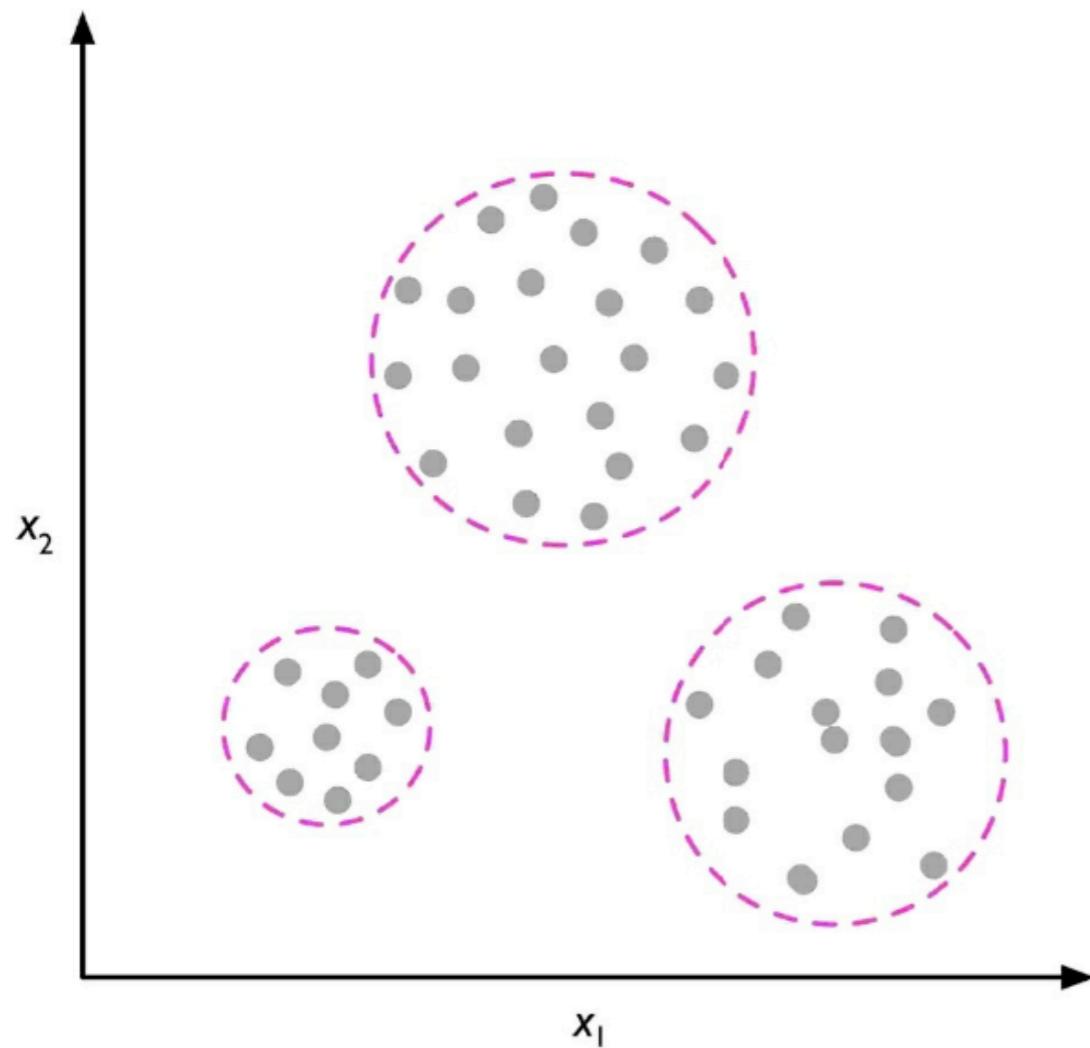
- To predict the categorical class labels of new instances, based on past observations.
- E.g. Spam filter

Regression



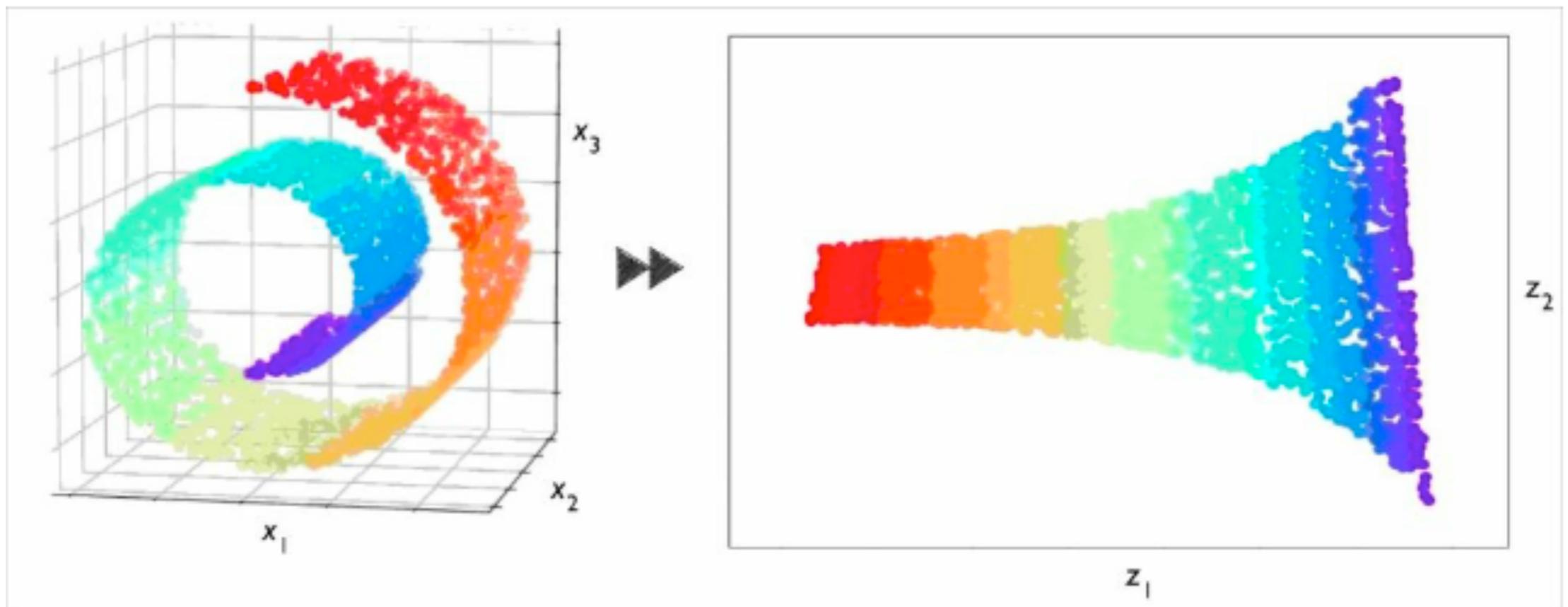
- The prediction of continuous outcomes
- Given a number of predictor (explanatory) variables and a continuous response variable (outcome or target), find a relationship between those variables that allows us to predict an outcome.
- E.g. Predict SAT grade according to study time

Unsupervised Learning

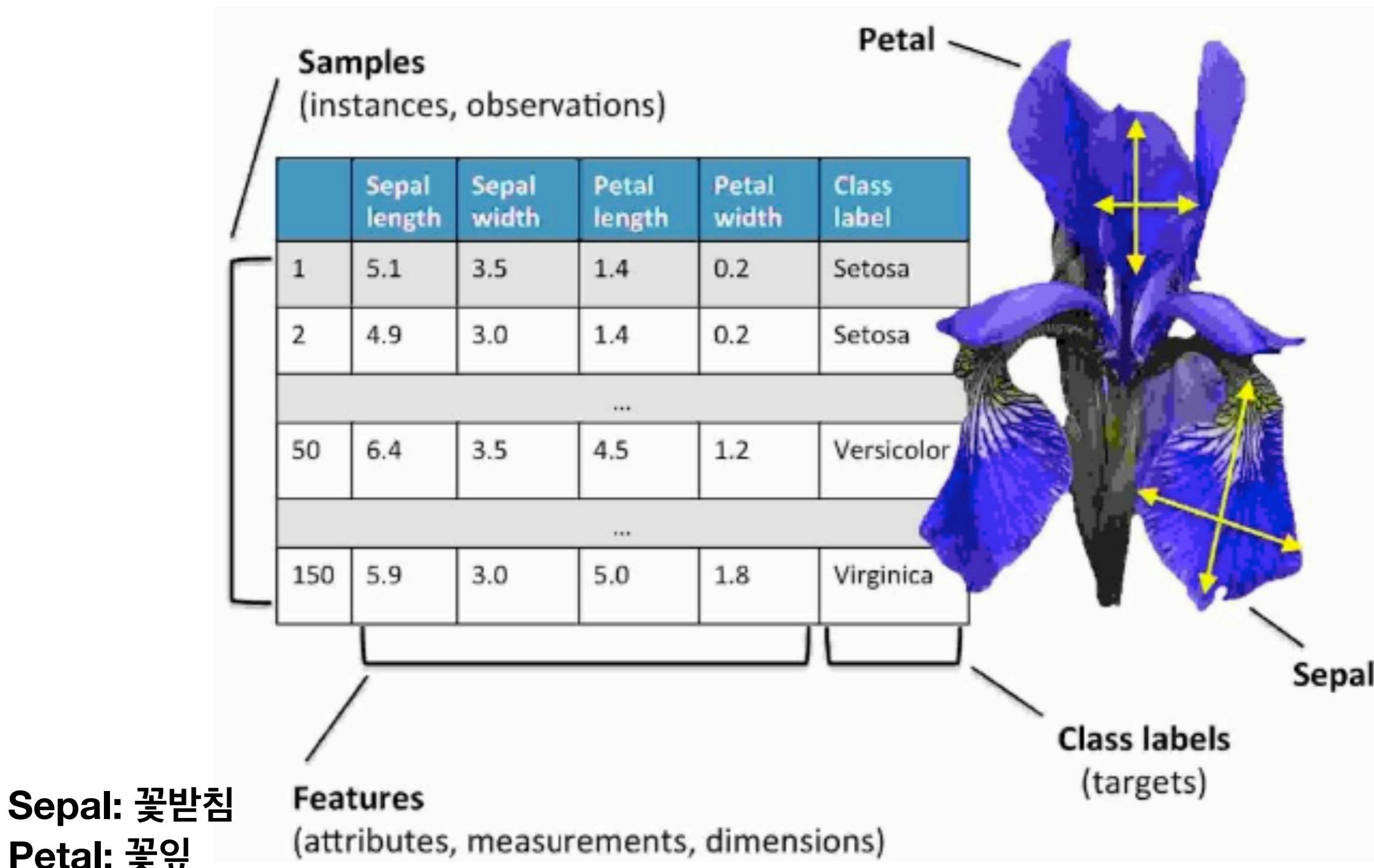


- Clustering
 - An exploratory data analysis technique that organizes a pile of information into **meaningful subgroups** (clusters) without having any prior knowledge of their group memberships.

Unsupervised Learning



Mathematics Notation



Mathematical Notation

$$\begin{bmatrix} x_1^{(1)} & x_2^{(1)} & x_3^{(1)} & x_4^{(1)} \\ x_1^{(2)} & x_2^{(2)} & x_3^{(2)} & x_4^{(2)} \\ \vdots & \vdots & \vdots & \vdots \\ x_1^{(150)} & x_2^{(150)} & x_3^{(150)} & x_4^{(150)} \end{bmatrix}$$

$$x_j^{(i)}$$

Samples
(instances, observations)

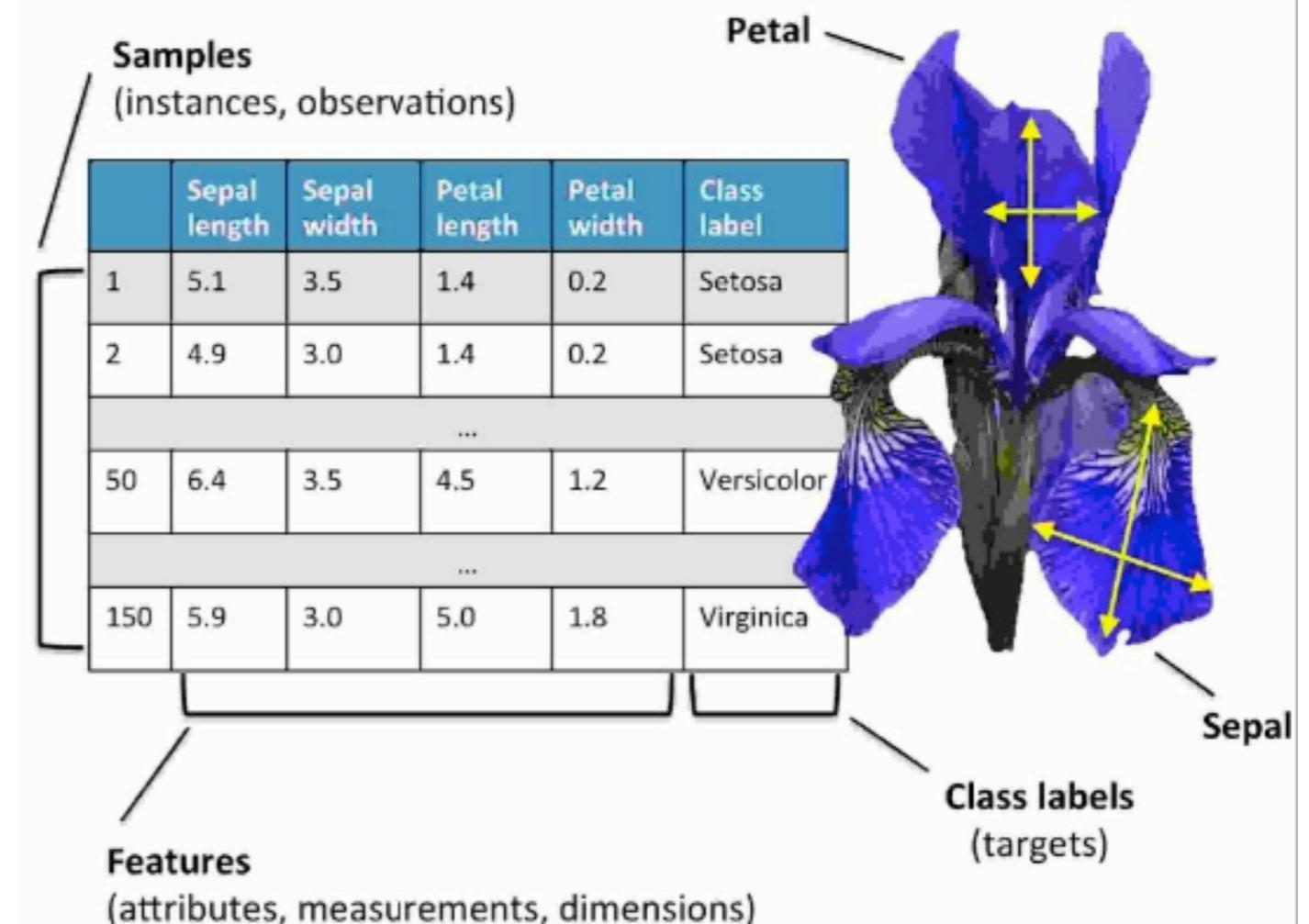
	Sepal length	Sepal width	Petal length	Petal width	Class label
1	5.1	3.5	1.4	0.2	Setosa
2	4.9	3.0	1.4	0.2	Setosa
	...				
50	6.4	3.5	4.5	1.2	Versicolor
	...				
150	5.9	3.0	5.0	1.8	Virginica

Features
(attributes, measurements, dimensions)

Petal

Sepal

Class labels
(targets)



Mathematical Notation

	Sepal length	Sepal width	Petal length	Petal width
Sample #1	$x_1^{(1)}$	$x_2^{(1)}$	$x_3^{(1)}$	$x_4^{(1)}$
Sample #2	$x_1^{(2)}$	$x_2^{(2)}$	$x_3^{(2)}$	$x_4^{(2)}$
Sample #150	\vdots	\vdots	\vdots	\vdots
	$x_1^{(150)}$	$x_2^{(150)}$	$x_3^{(150)}$	$x_4^{(150)}$

$x_j^{(i)}$

The number i of sample with j feature
j 피처를 가진 i번째 샘플

Mathematical Notation

- Target variable

$$y = \begin{bmatrix} y^{(1)} \\ y^{(2)} \\ y^{(3)} \\ \vdots \\ \vdots \\ y^{(150)} \end{bmatrix} \quad (y \in Setosa, Versicolor, Virginica)$$

Mathematical Notation

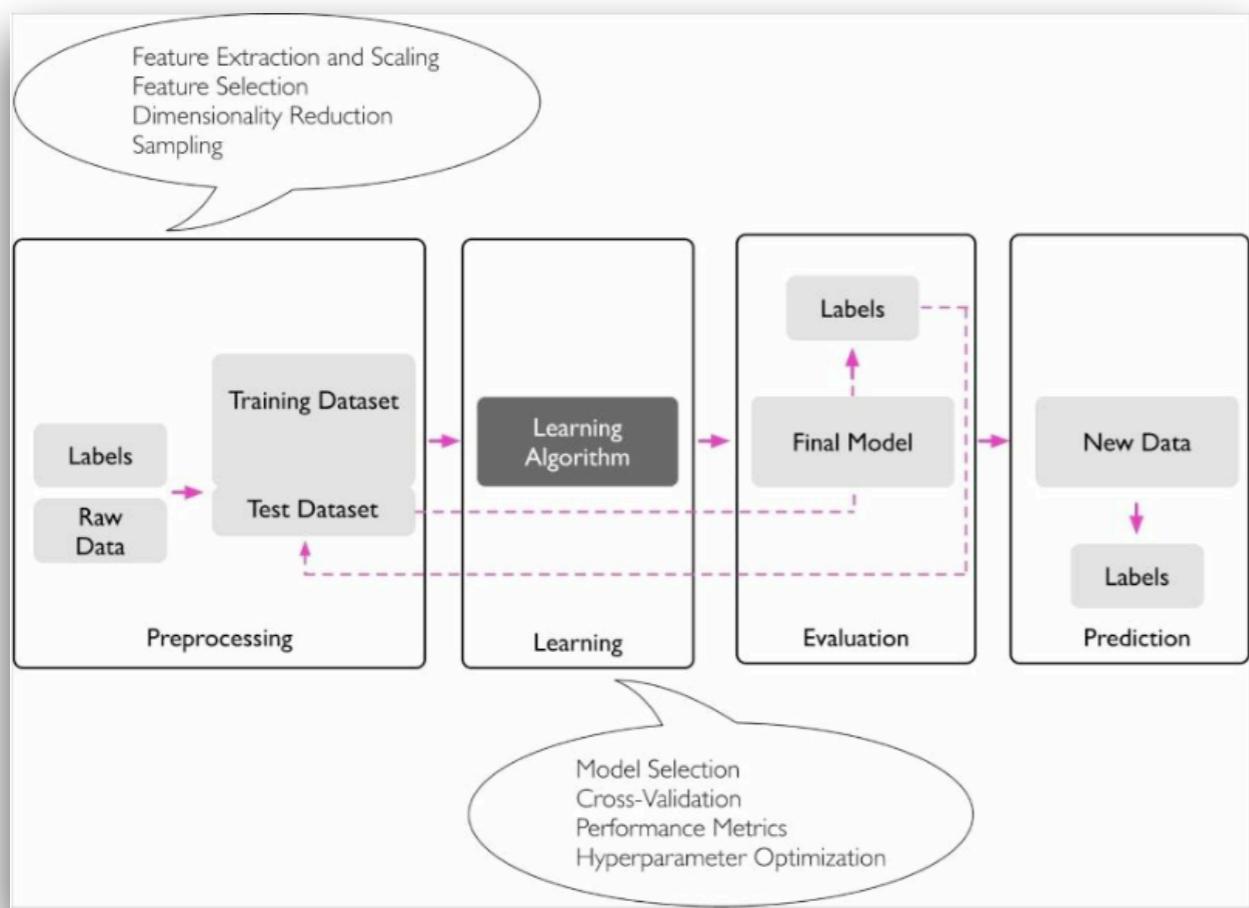
- Row vector

$$x^{(i)} = [x_1^{(i)} \ x_2^{(i)} \ x_3^{(i)} \ x_4^{(i)}]$$

- Column vector

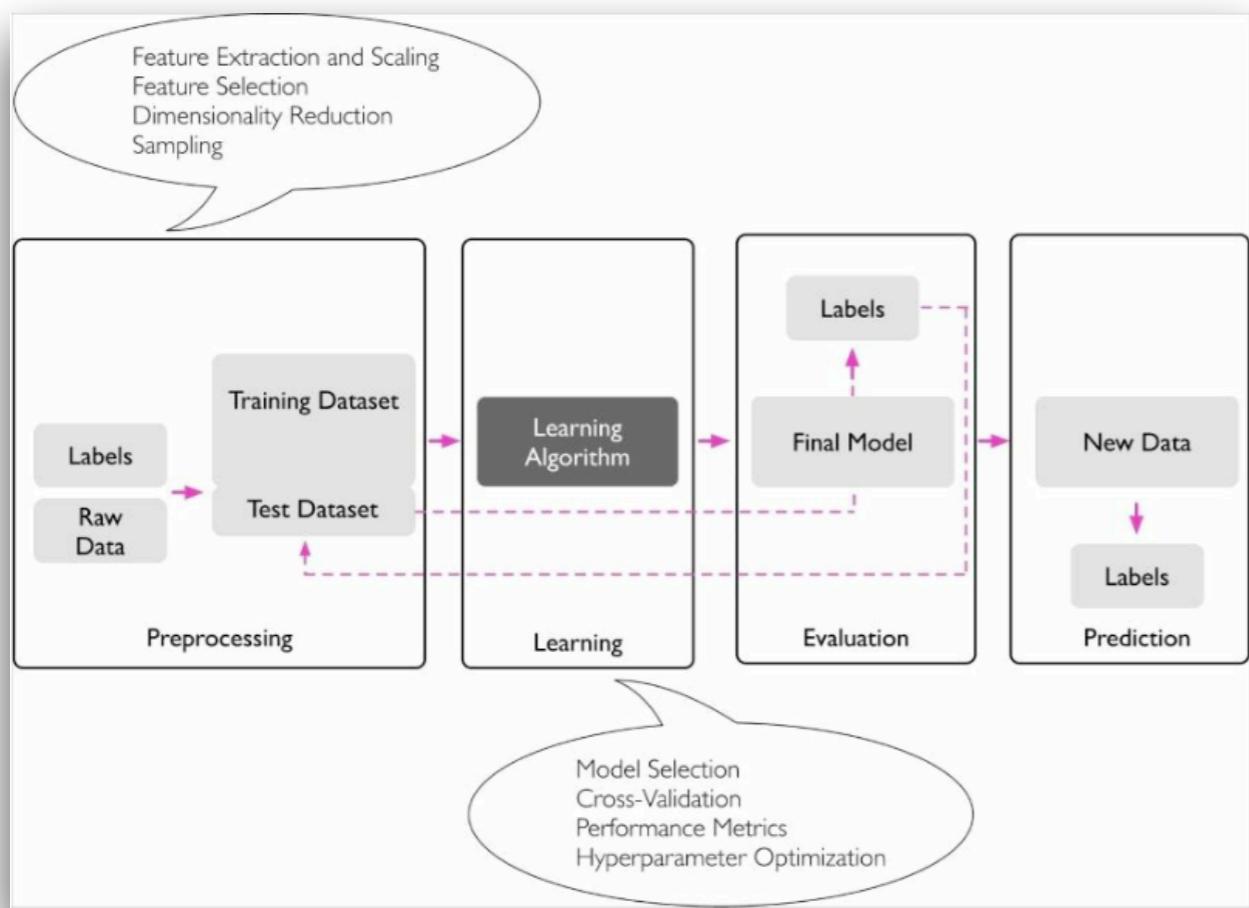
$$x^{(i)} = \begin{bmatrix} x_j^{(1)} \\ x_j^{(2)} \\ x_j^{(3)} \\ \vdots \\ x_j^{(150)} \end{bmatrix}$$

Machine Learning Model Construction



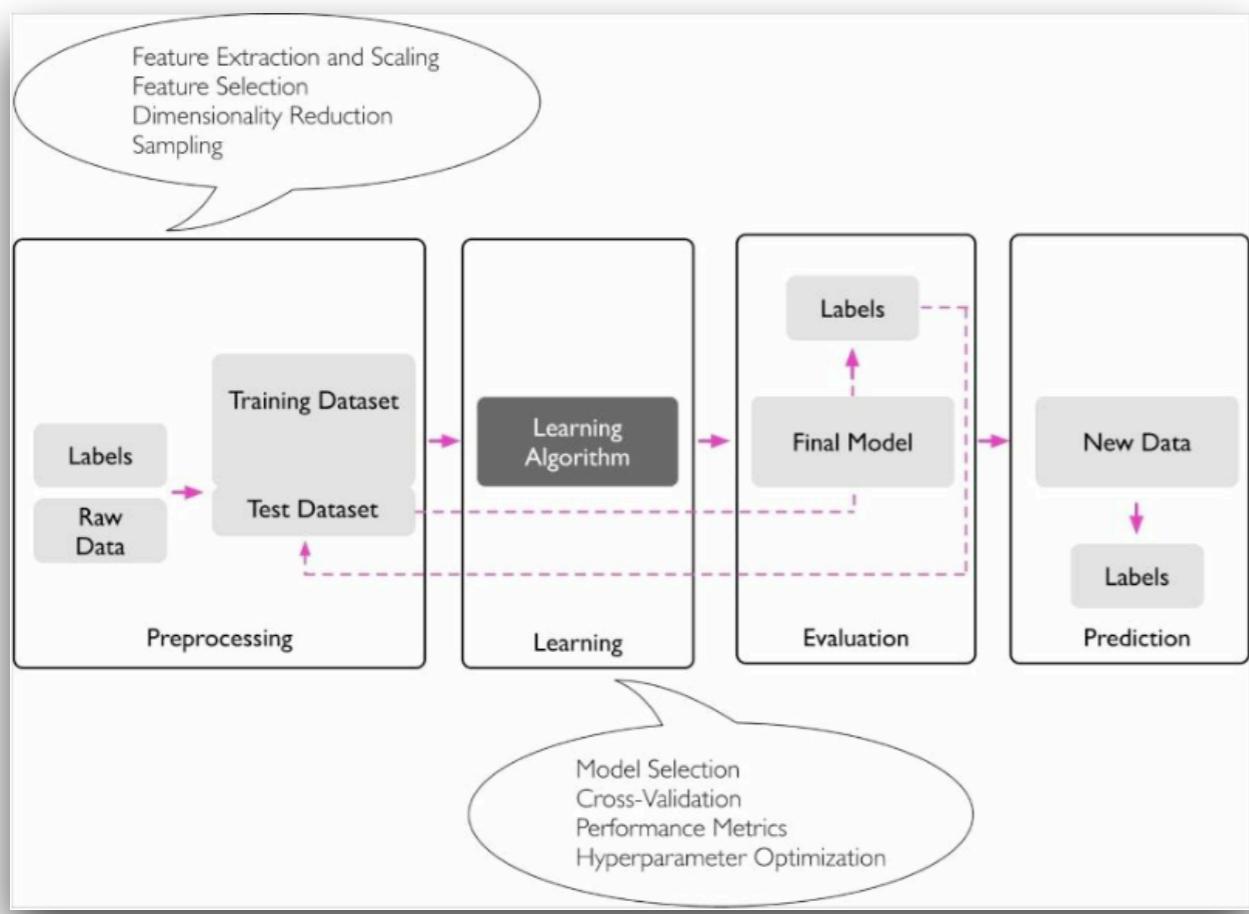
- Feature extraction
 - e.g. For a series of flower images, features could be the color, the hue, the intensity of the flowers, the height, and the flower lengths and widths.

Machine Learning Model Construction



- Feature scaling
 - Transforming the features to be in a common scale, such as $[0, 1]$ or a standard normal distribution with zero mean and unit variance
 - E.g. X has 2 features (house size($0-2000 \text{ ft}^2$), and number of bedrooms($0\sim 5$))
 - $x_{houseSize} = \text{size}(\text{ft}^2)/2000$
 - $x_{rooms} = \# \text{ of bedrooms}/5$

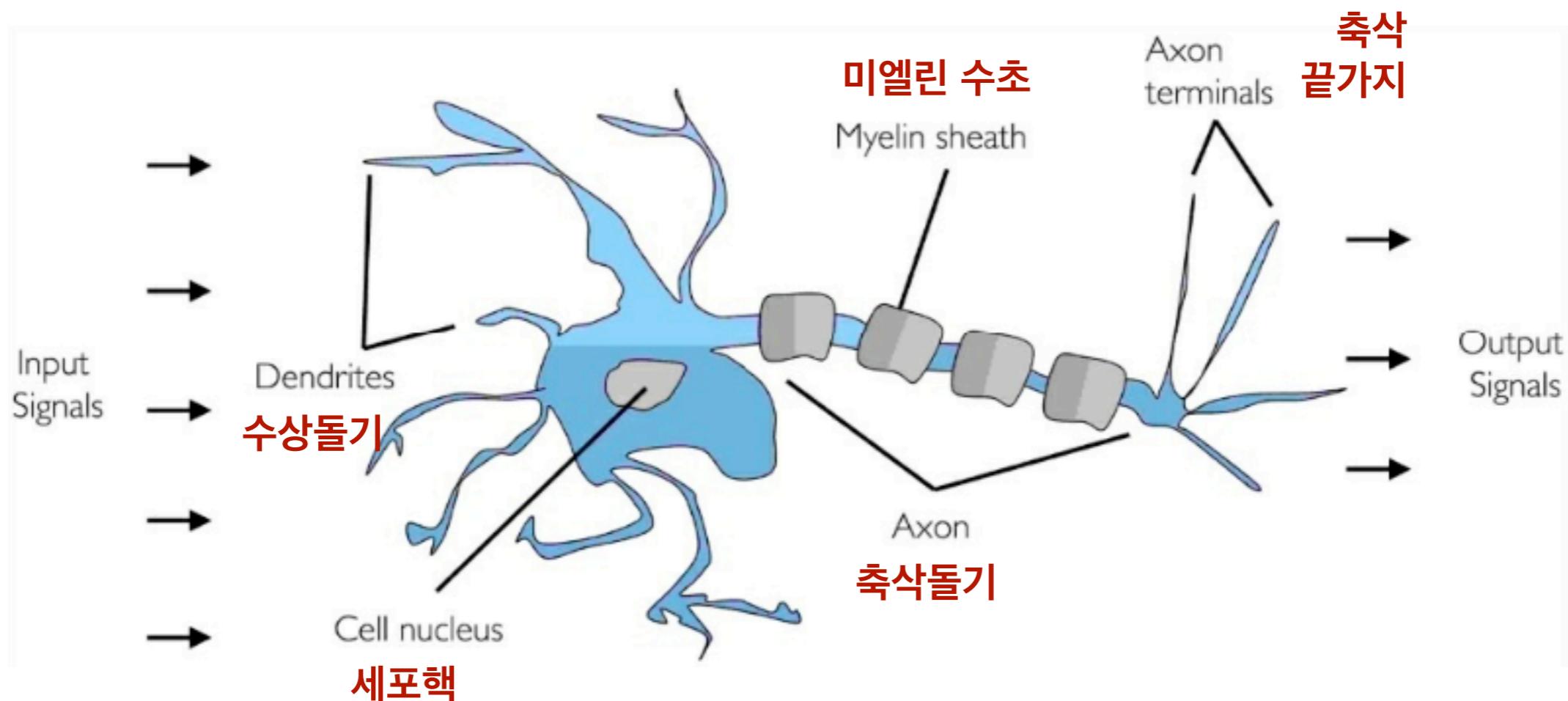
Machine Learning Model Construction



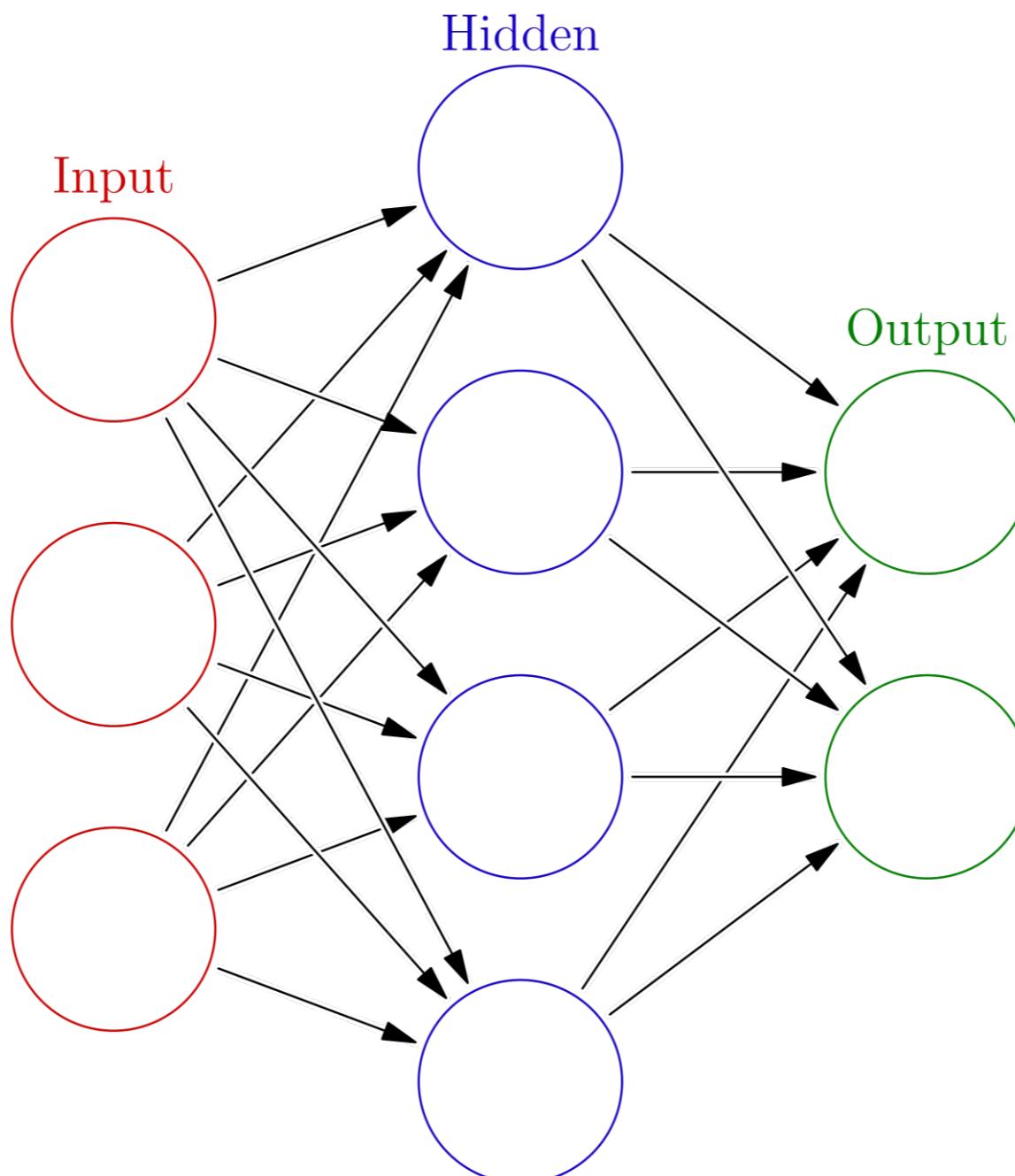
- Model Selection
- Cross-Validation 교차검증
 - Training data set
 - Test data set
- Performance Metrics 성능지표
 - Accuracy
- Hyperparameters
 - Improving model performance

Simple Learning Algorithm: Perceptron

Neurons 신경세포



Neural Networks



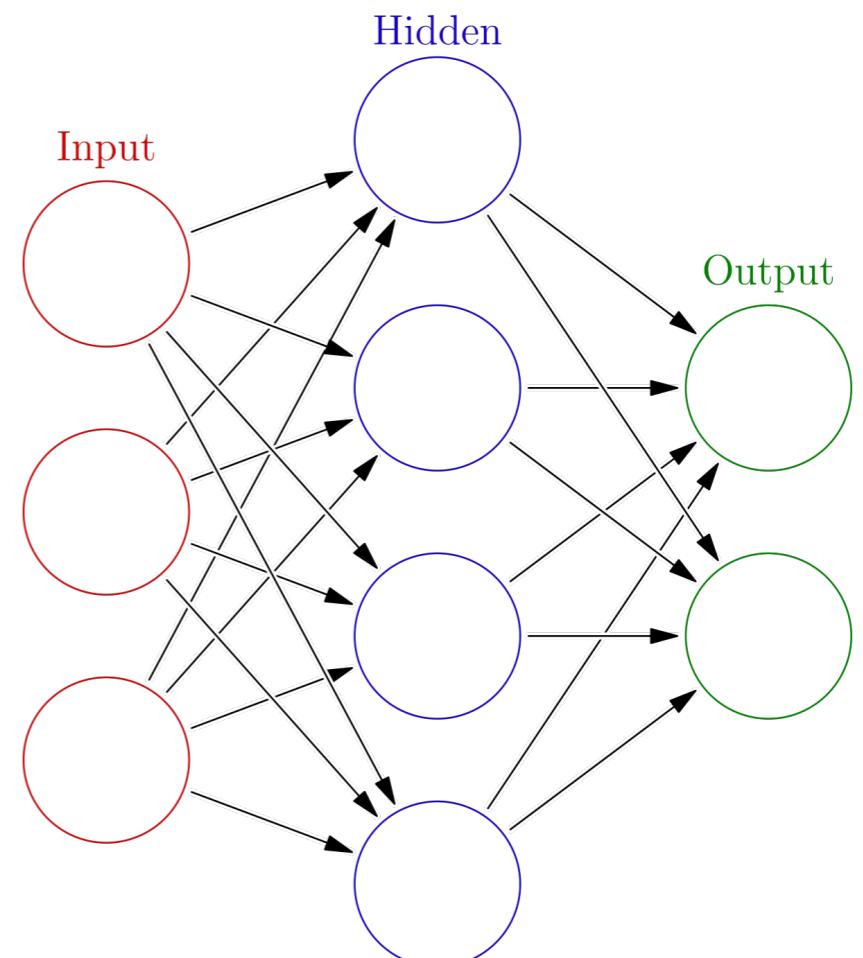
Artificial Neuron: Perceptron

- A node

$$y = wx$$

- A single layer neuron

$$y = w_1 \cdot x_1 + \dots + w_m \cdot x_m = \sum_{i=1}^m w_i \cdot x_i,$$



Perceptron

- A single layer neuron

$$y = w_1 \cdot x_1 + \dots + w_m \cdot x_m = \sum_{i=1}^m w_i \cdot x_i,$$

- In matrix notation

$$w \cdot x = [w_1 w_2 \dots w_m] \cdot \begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_m \end{bmatrix} = w_1 \cdot x_1 + \dots + w_m \cdot x_m$$

Challenge Problem

- Can we teach neural networks something?
 - Something - Functions, Functionalities, Behaviors, Actions ...
- Can we teach neural networks to learn a function?

A Problem

- AND gate

x1	x2	y
0	0	0
0	1	0
1	0	0
1	1	1

$$y = w_1x_2 + w_2x_2$$

Problem

- Build a reasoning system, i.e., a perceptron model for the AND gate. In particular, decide w_1, w_2, Θ .
 - AND gate

x1	x2	y
0	0	0
0	1	0
1	0	0
1	1	1

$$y = \begin{cases} 0 & \text{if } w_1 \cdot x_1 + w_2 \cdot x_2 \leq \theta \\ 1 & \text{if } w_1 \cdot x_1 + w_2 \cdot x_2 > \theta \end{cases}$$

Problem

- For OR and NAND gates, determine w_i and θ .

OR gate

x ₁	x ₂	y
0	0	0
0	1	1
1	0	1
1	1	1

NAND gate

x ₁	x ₂	y
0	0	1
0	1	1
1	0	1
1	1	0

$$y = \begin{cases} 0 & \text{if } w_1x_1 + w_2x_2 \leq \theta \\ 1 & \text{if } w_1x_1 + w_2x_2 > \theta \end{cases}$$

Problem

- What about XOR gate, can we determine w_i and θ ?

XOR gate

x1	x2	y
0	0	0
0	1	1
1	0	1
1	1	0

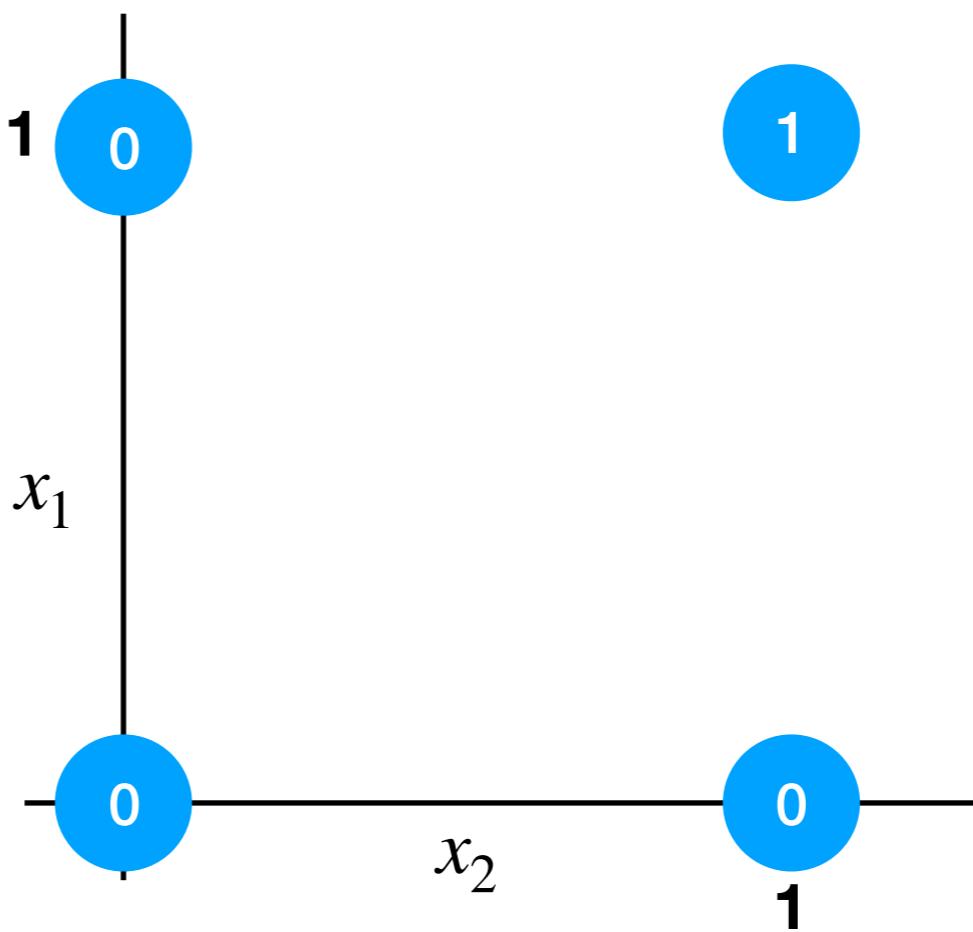
$$y = \begin{cases} 0 & \text{if } w_1x_1 + w_2x_2 \leq \theta \\ 1 & \text{if } w_1x_1 + w_2x_2 > \theta \end{cases}$$

Perceptron

- AND gate

$$y = \begin{cases} 0 & \text{if } w_1x_1 + w_2x_2 \leq \theta \\ 1 & \text{if } w_1x_1 + w_2x_2 > \theta \end{cases}$$

x1	x2	y
0	0	0
0	1	0
1	0	0
1	1	1

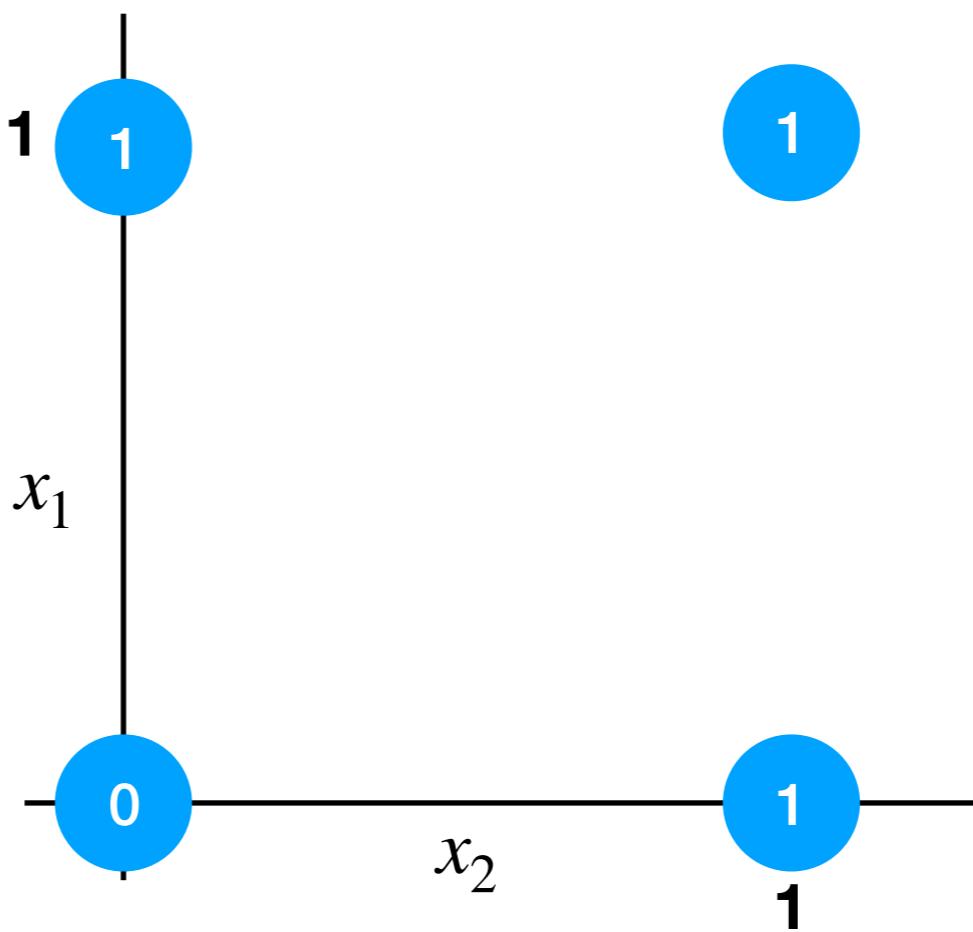


Perceptron

- OR gate

$$y = \begin{cases} 0 & \text{if } w_1x_1 + w_2x_2 \leq \theta \\ 1 & \text{if } w_1x_1 + w_2x_2 > \theta \end{cases}$$

x1	x2	y
0	0	0
0	1	1
1	0	1
1	1	1

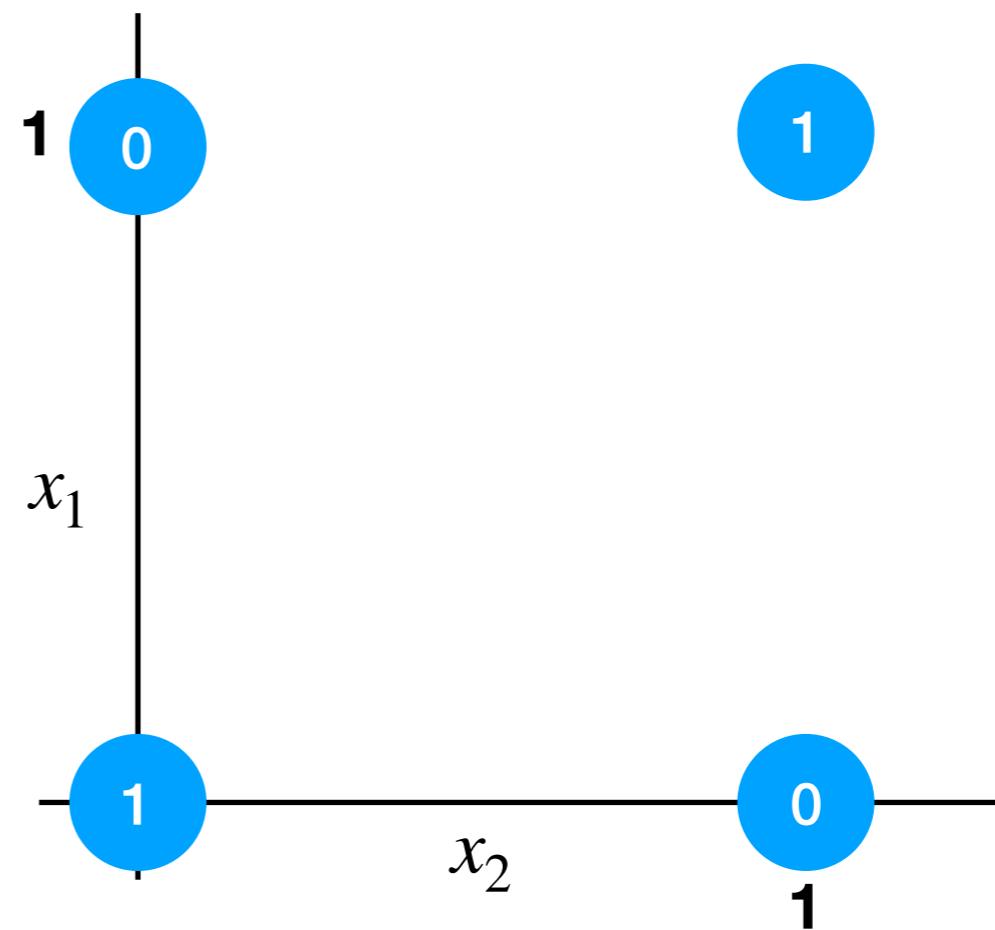


Perceptron

- XOR gate

$$y = \begin{cases} 0 & \text{if } w_1x_1 + w_2x_2 \leq \theta \\ 1 & \text{if } w_1x_1 + w_2x_2 > \theta \end{cases}$$

x1	x2	y
0	0	0
0	1	1
1	0	1
1	1	0



Transform Perceptron

$$y = \begin{cases} 0 & \text{if } w_1 \cdot x_1 + w_2 \cdot x_2 \leq \theta \\ 1 & \text{if } w_1 \cdot x_1 + w_2 \cdot x_2 > \theta \end{cases}$$



$$y = \begin{cases} 0 & \text{if } b + w_1 \cdot x_1 + w_2 \cdot x_2 \leq 0 \\ 1 & \text{if } b + w_1 \cdot x_1 + w_2 \cdot x_2 > 0 \end{cases}$$

- w_i is called weight 가중치
- b is called bias 편향

The Problem

- How to determine weights and bias for perceptron models such that a model returns right answers?

In next Class

- Dig into more maths for machine learning and Python, Numpy