

A decorative graphic on the left side of the slide, consisting of a network of thin, light blue lines and small circles, resembling a circuit board or a stylized tree structure.

RADIATION HEAT TRANSFER

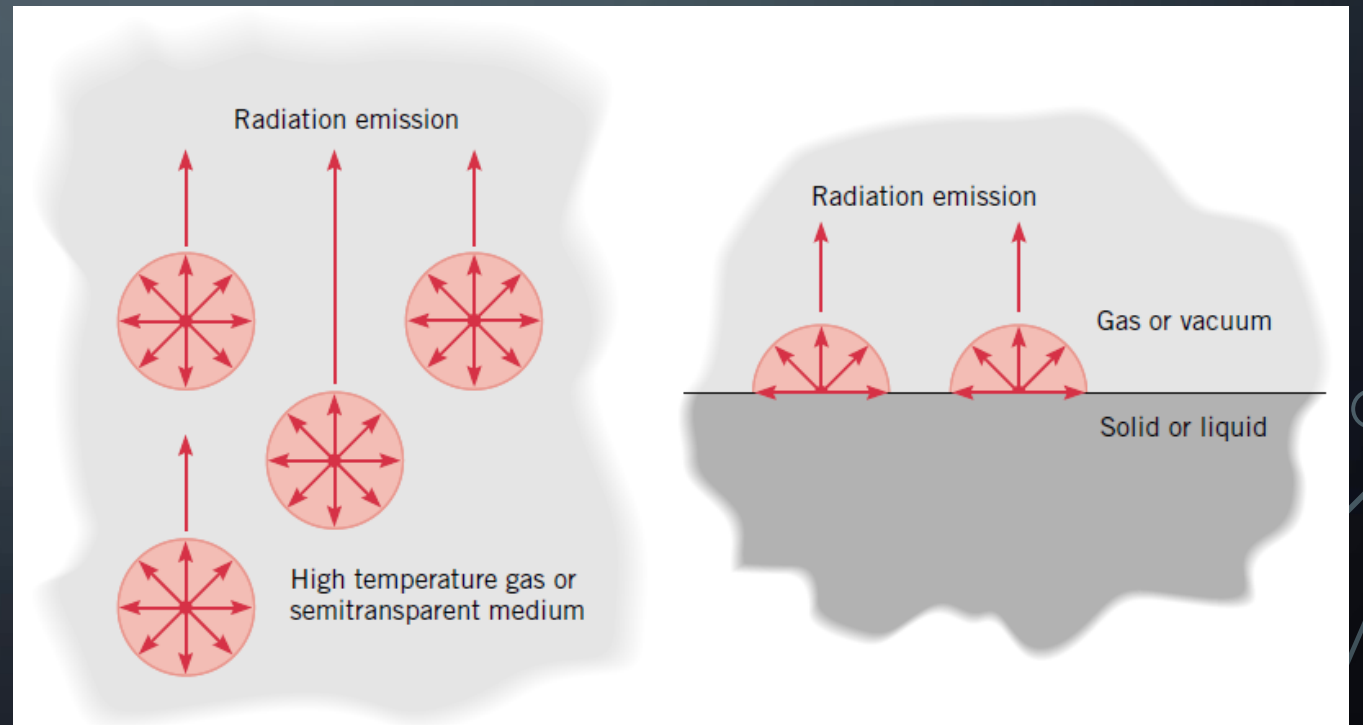
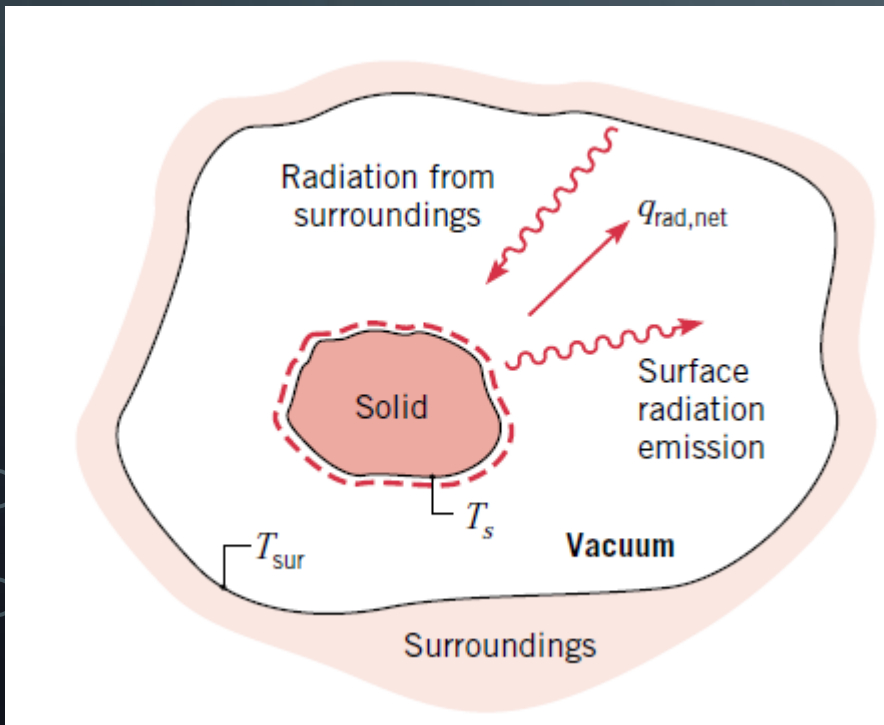
LAB 10

RADIATION HEAT TRANSFER

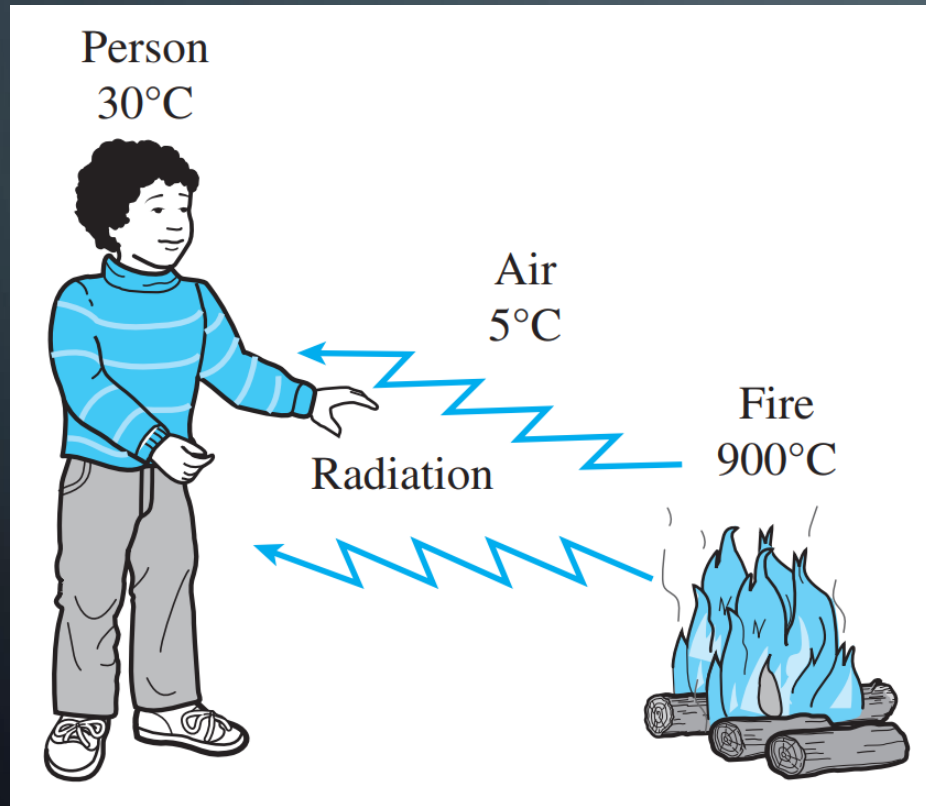
- Electromagnetic Waves Radiation
- Radiative Heat Flux
- Radiation Intensity
- Black Body Radiation
- Stefan-Boltzmann Law
- Solar Heat Flux
- Lab 10 Goal: To verify that the total radiation emitted by a heat source is proportional to the fourth power of its absolute temperature (Stefan-Boltzmann Law) and the effect emissivity has on measured emission

ELECTROMAGNETIC WAVES

- Radiation refers to the emission of electromagnetic waves from the surface of an object



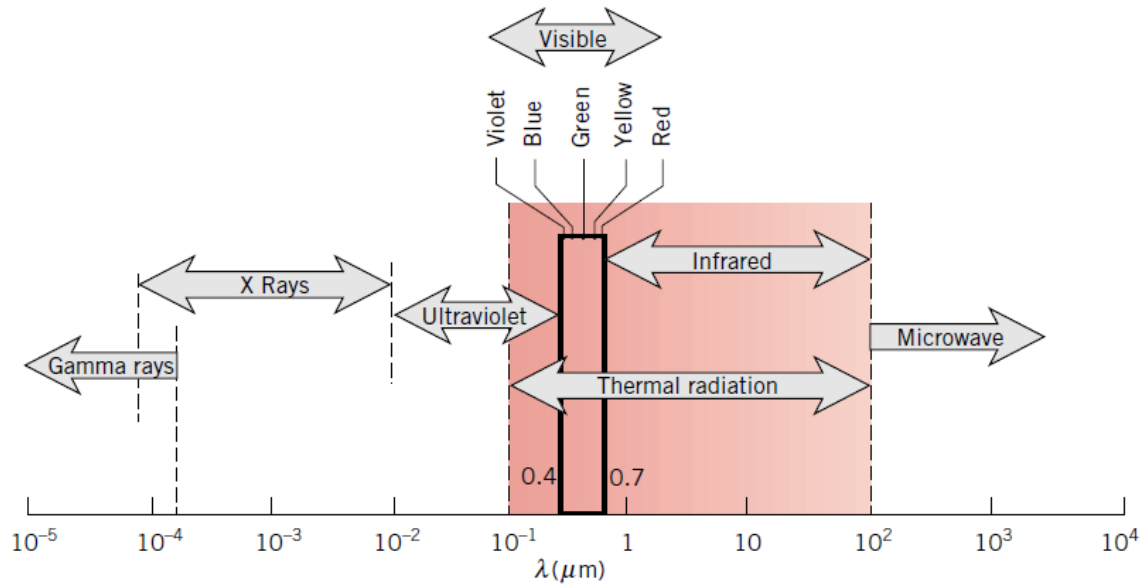
ELECTROMAGNETIC WAVES



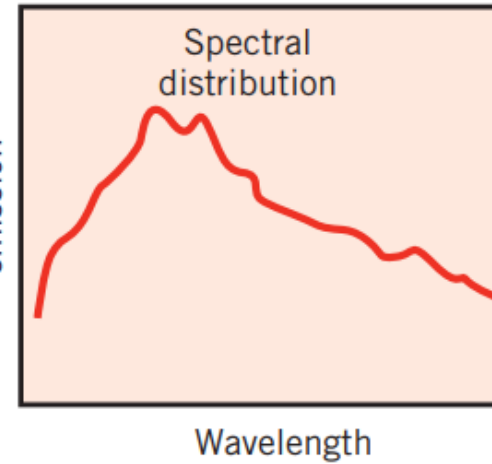
- Each photon of frequency ν is considered to have energy of

$$e = h\nu = \frac{hc}{\lambda}$$

ELECTROMAGNETIC WAVES

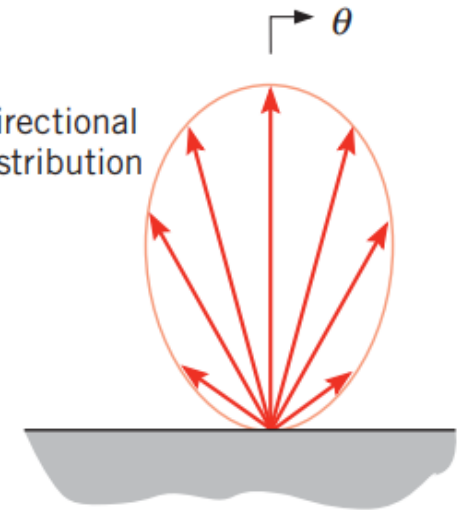


Monochromatic radiation
emission



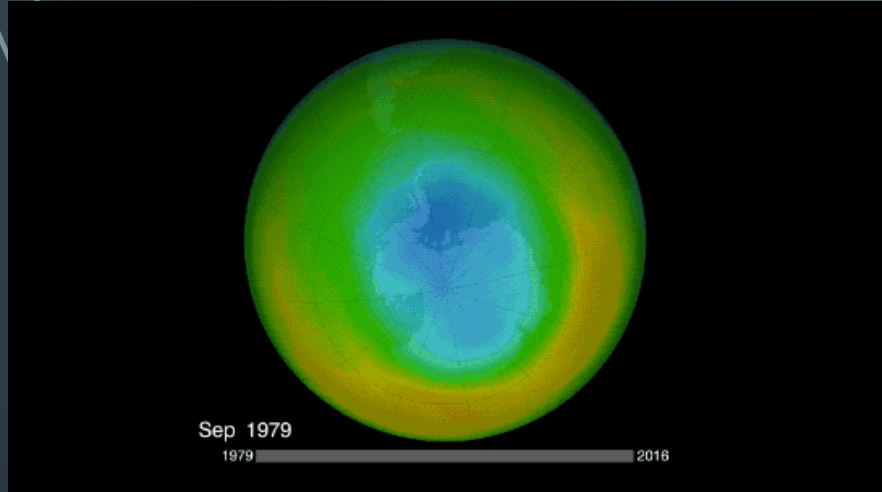
(a)

Directional
distribution



(b)

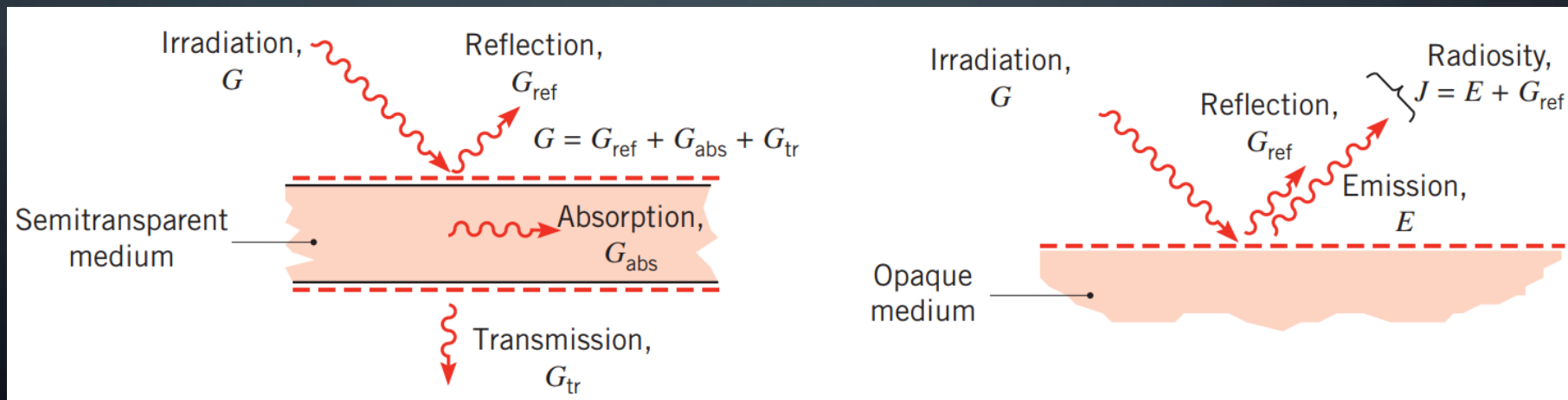
ELECTROMAGNETIC WAVES



RADIATIVE HEAT FLUX

TABLE 12.1 Radiative fluxes (over all wavelengths and in all directions)

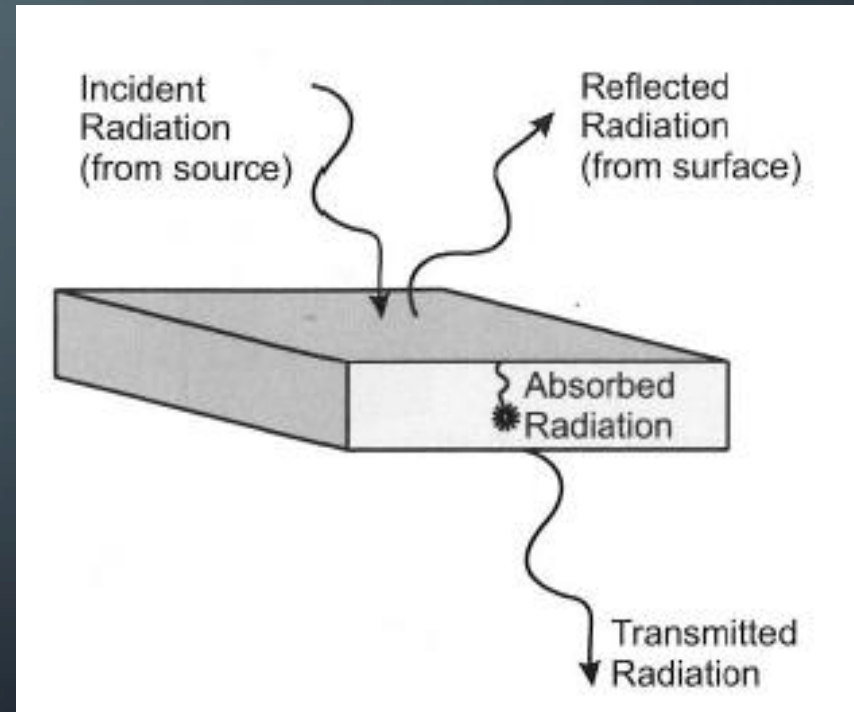
Flux (W/m ²)	Description	Comment
Emissive power, E	Rate at which radiation is emitted from a surface per unit area	$E = \varepsilon\sigma T_s^4$
Irradiation, G	Rate at which radiation is incident upon a surface per unit area	Irradiation can be reflected, absorbed, or transmitted
Radiosity, J	Rate at which radiation leaves a surface per unit area	For an opaque surface $J = E + \rho G$
Net radiative flux, $q''_{\text{rad}} = J - G$	Net rate of radiation leaving a surface per unit area	For an opaque surface $q''_{\text{rad}} = \varepsilon\sigma T_s^4 - \alpha G$



RADIATIVE HEAT FLUX

- Reflectivity – The fraction reflected (ρ)
- Absorptivity – The fraction absorbed (α)
- Transmissivity – The fraction transmitted (τ)

$$\rho + \alpha + \tau = 1$$

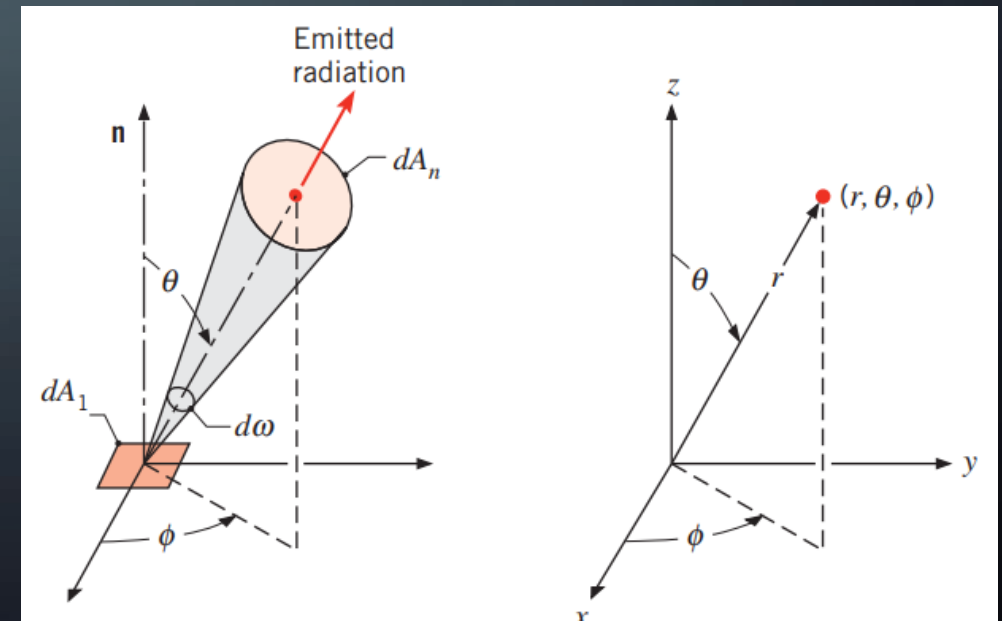
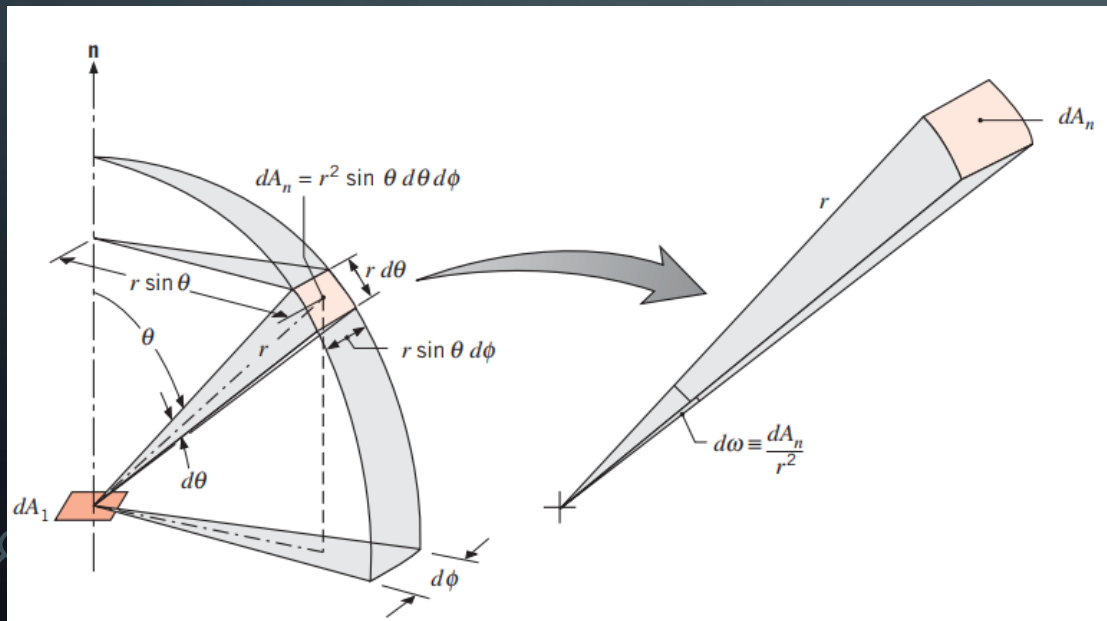
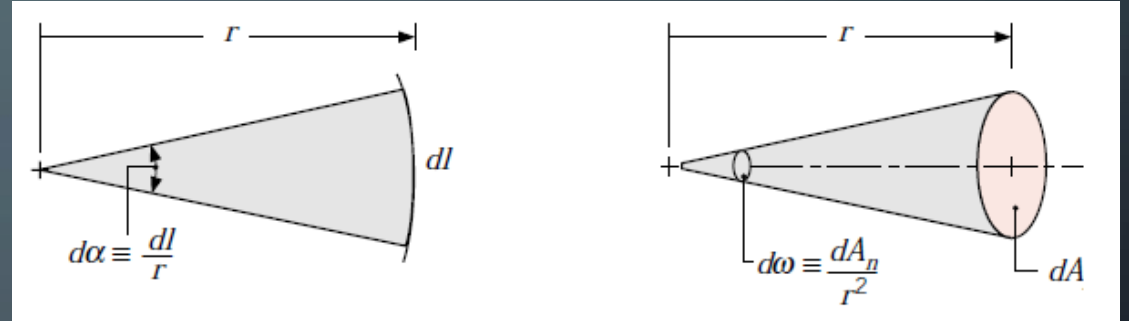


RADIATION INTENSITY

- Solid angle

$$d\omega = \frac{dA_n}{r^2}$$

$$dA_n = r^2 \sin\theta d\theta d\phi$$



RADIATION INTENSITY

- Emission

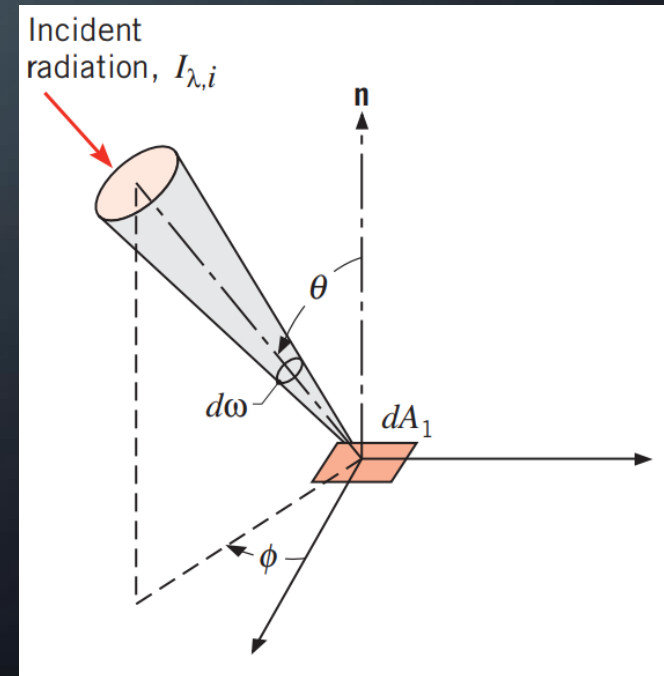
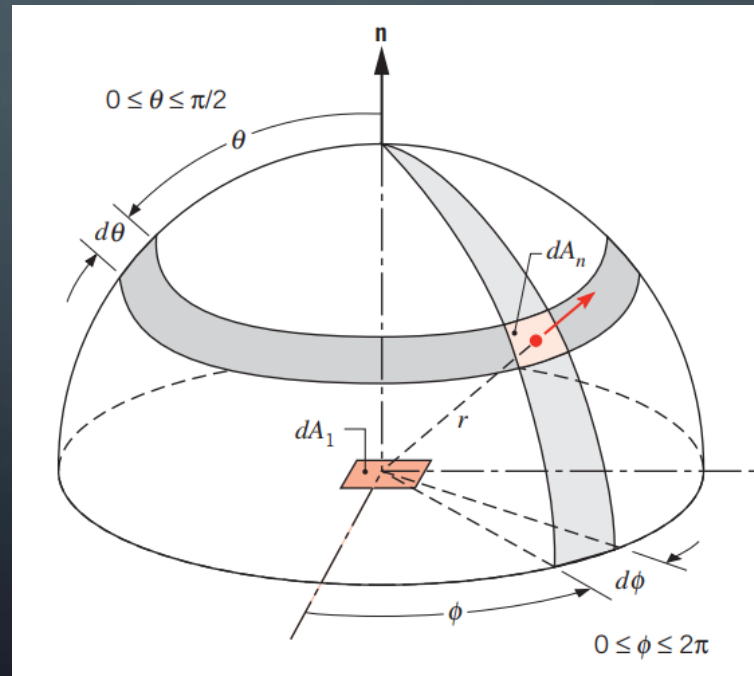
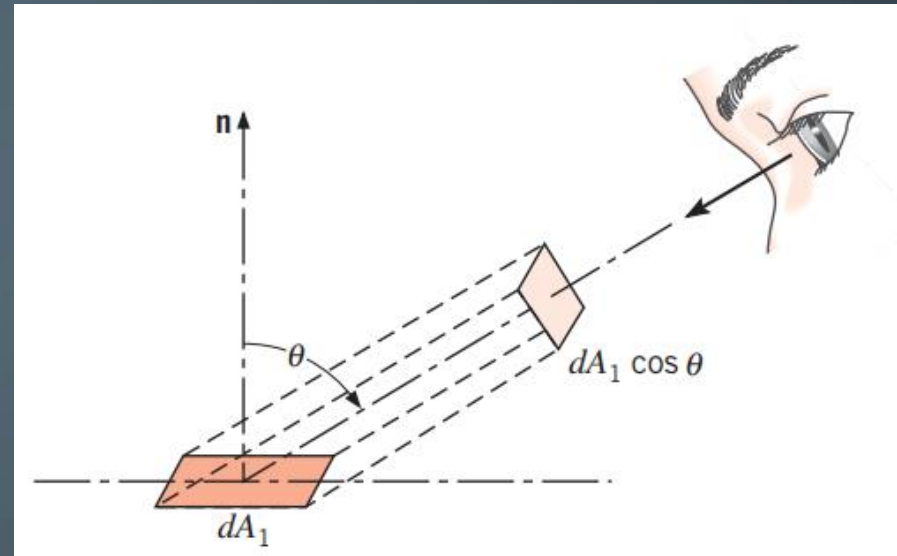
$$E = \pi I_e$$

- Irradiation

$$E = \pi I_i$$

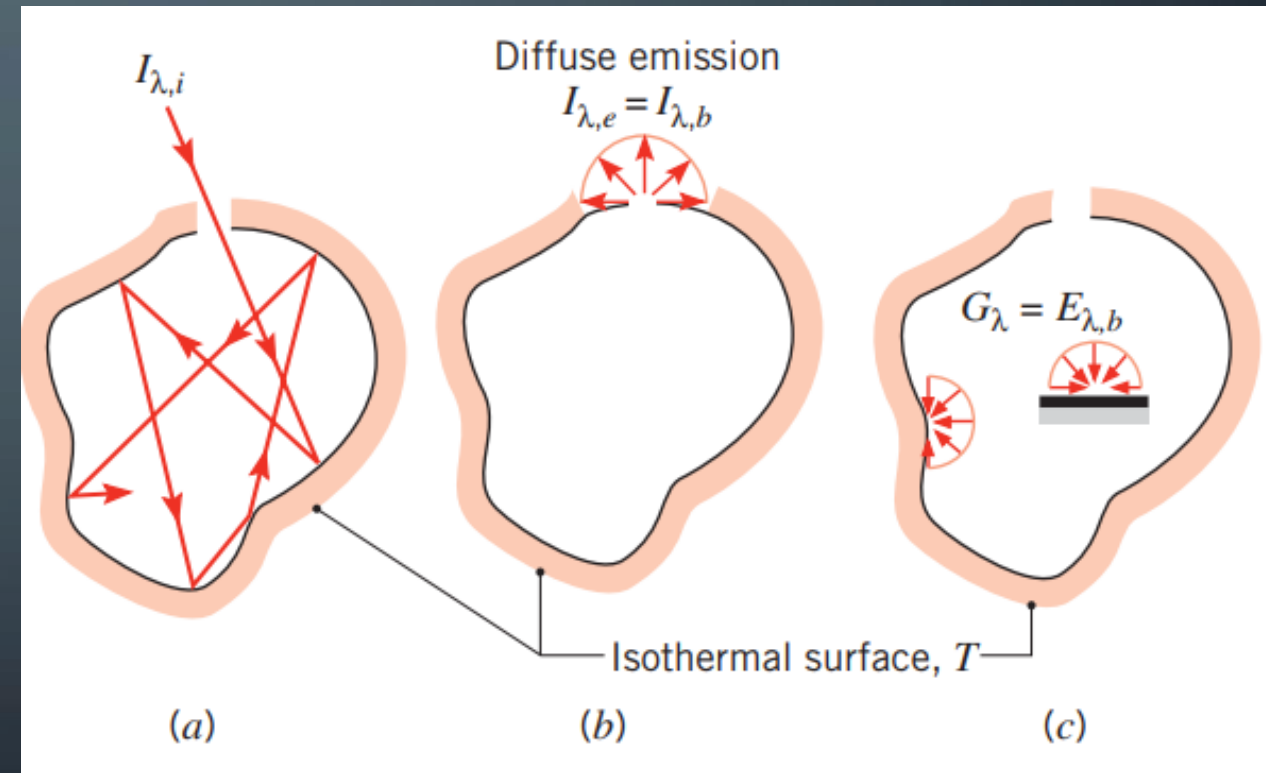
- Radiosity

$$J = \pi I_{e+r}$$



BLACK BODY RADIATION

- A blackbody absorbs all incident radiation, regardless of wavelength and direction.
- For a prescribed temperature and wavelength, no surface can emit more energy than a blackbody.
- Although the radiation emitted by a blackbody is a function of wavelength and temperature, it is independent of direction. That is, the blackbody is a diffuse emitter.



BLACK BODY RADIATION

- Planck distribution

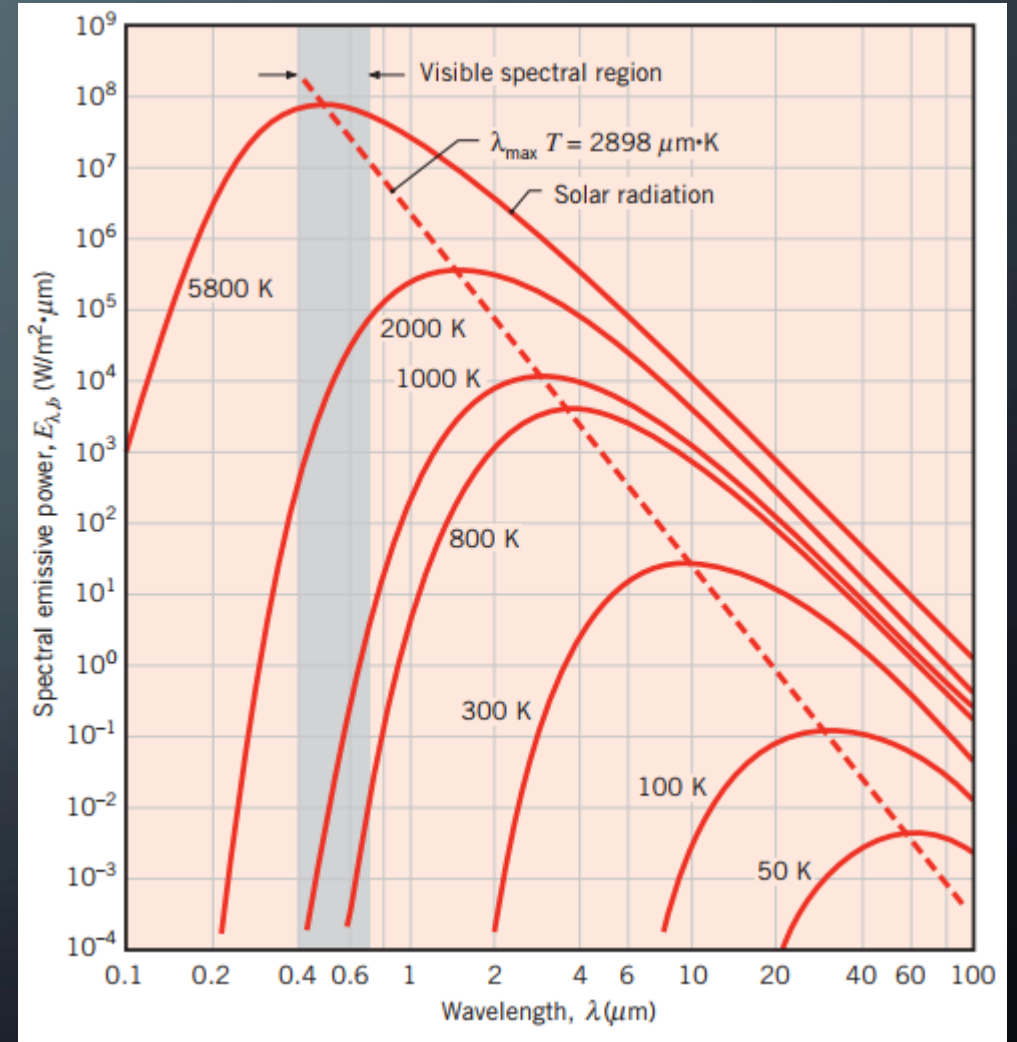
$$E_{\lambda,b}(\lambda, T) = \pi I_{\lambda,b}(\lambda, T) = \frac{C_1}{\lambda^5 \left[\exp\left(\frac{C_2}{\lambda T}\right) - 1 \right]}$$

$$C_1 = 2\pi h c_0^2 = 3.742 \times 10^8 \text{ W} \cdot \frac{\mu\text{m}^4}{\text{m}^2}$$

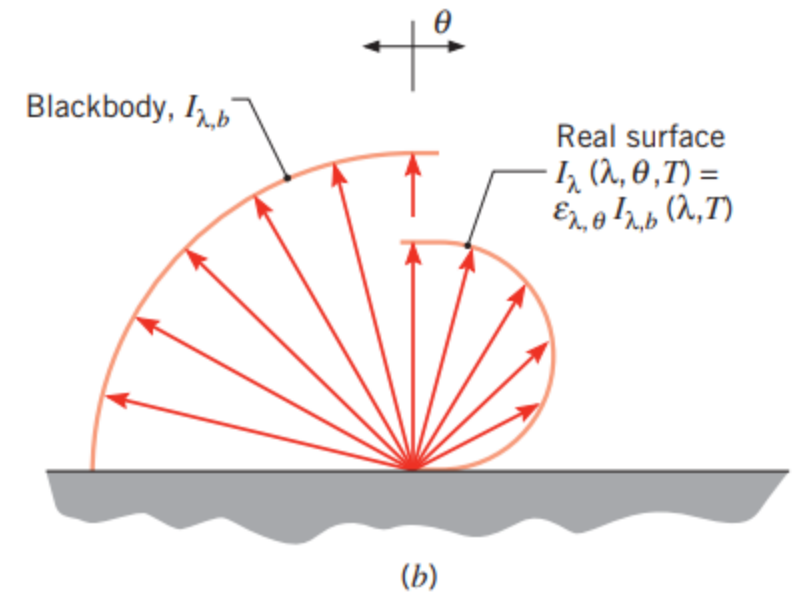
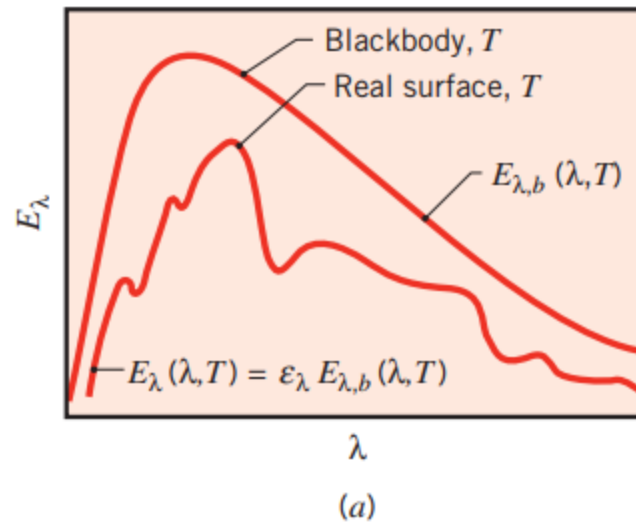
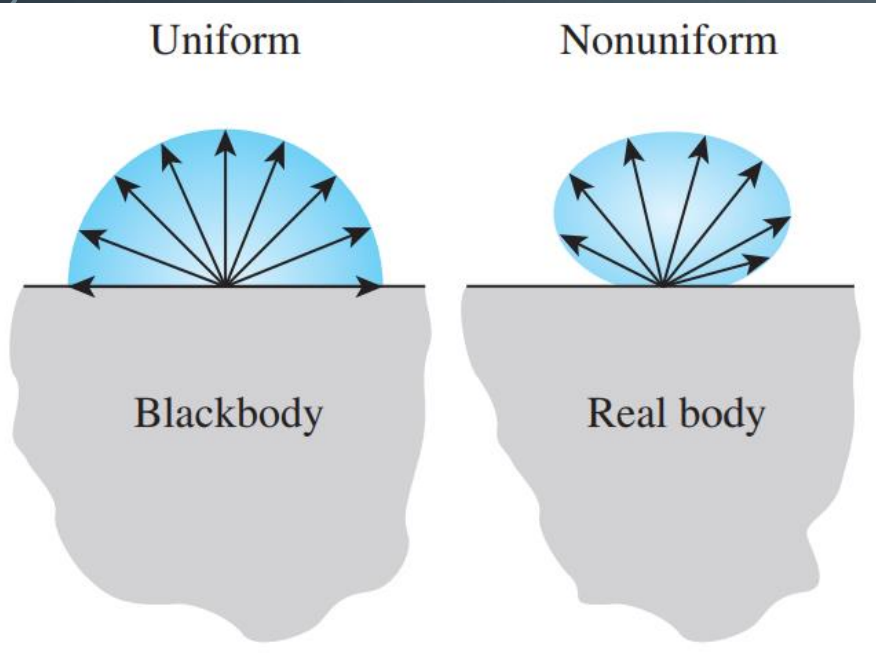
$$C_2 = \frac{h c_0}{k_B} = 1.439 \times 10^4 \mu\text{m} \cdot \text{K}$$

- Wien's displacement law

$$\lambda_{\max} T = 2898 \mu\text{m} \cdot \text{K}$$



BLACK BODY RADIATION



STEFAN BOLTZMANN LAW

- Black Body Irradiation

$$E_b = \sigma T^4$$

$$I_b = E_b / \pi$$

- Ambient Effects

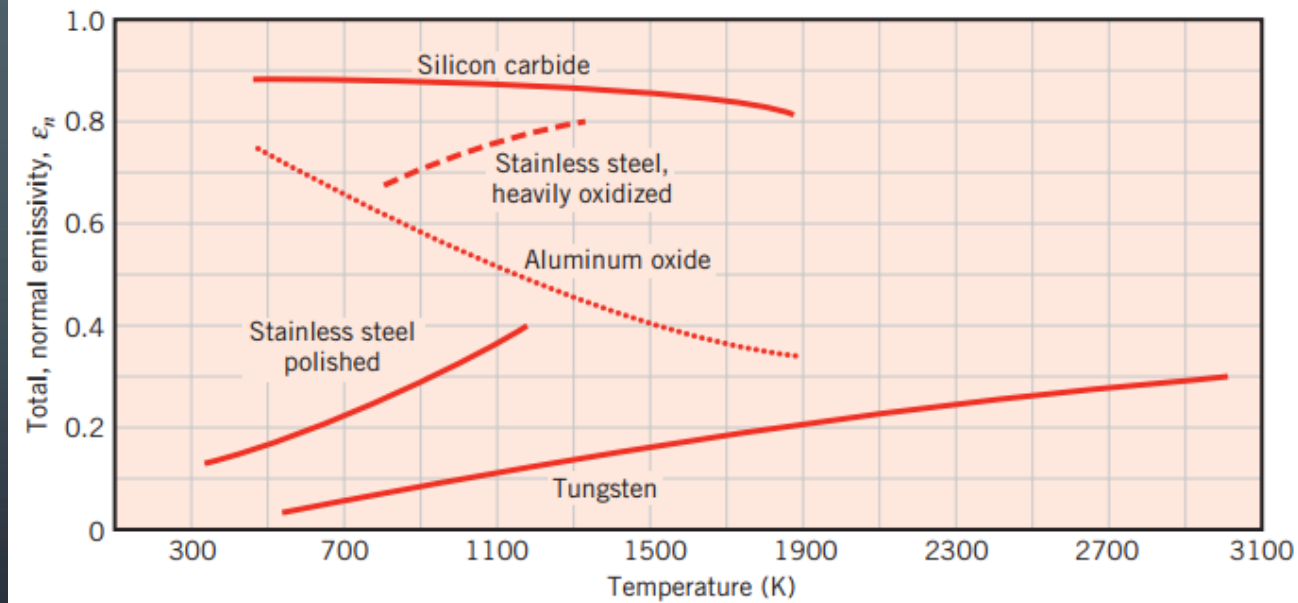
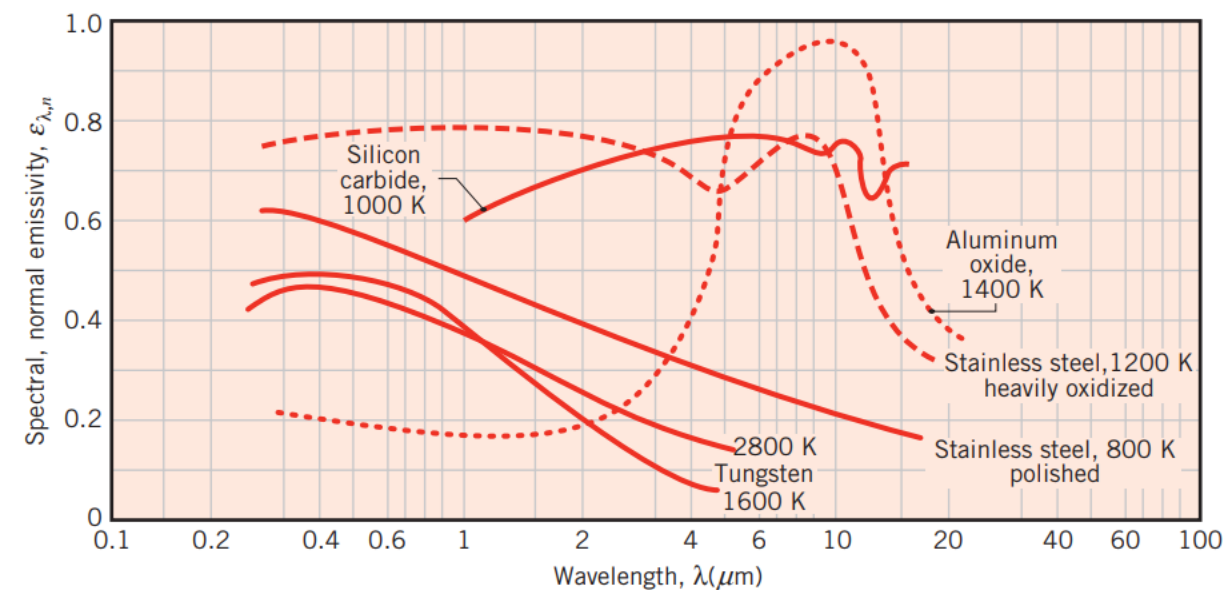
$$E_T = E_{HS} + E_{amb}$$

$$E_{amb} = \sigma T_{amb}^4$$

- Real Irradiation

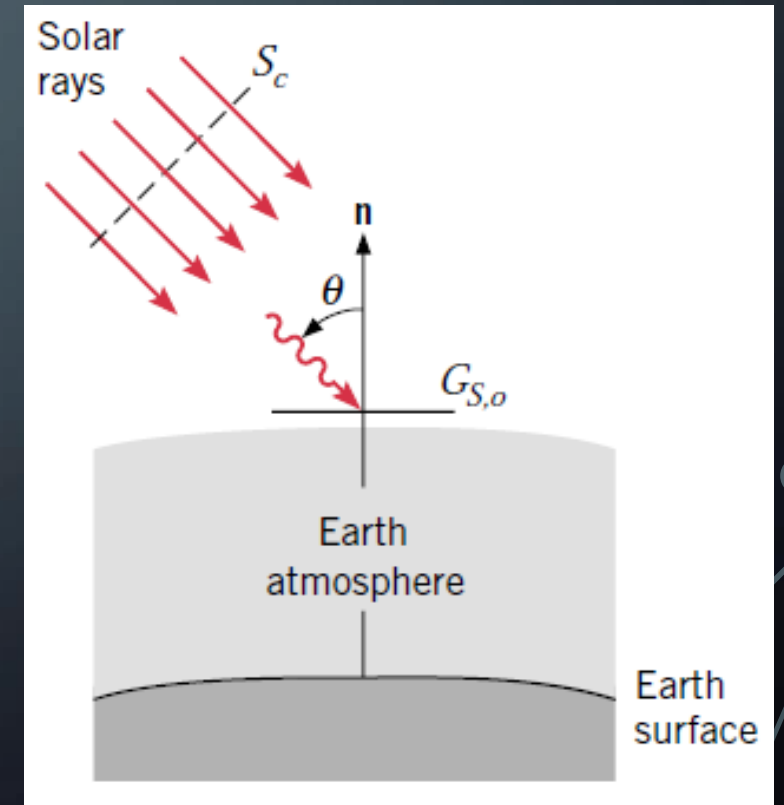
$$E = \varepsilon(\lambda, T) \sigma T^4$$

EMISSION

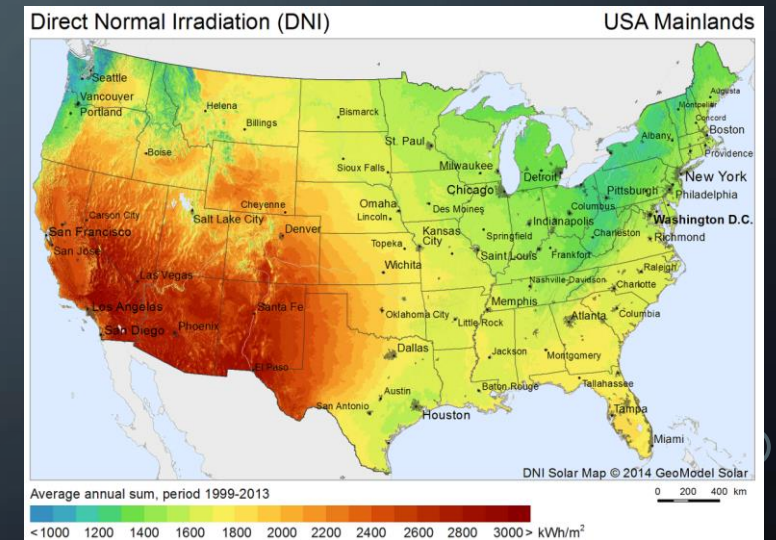
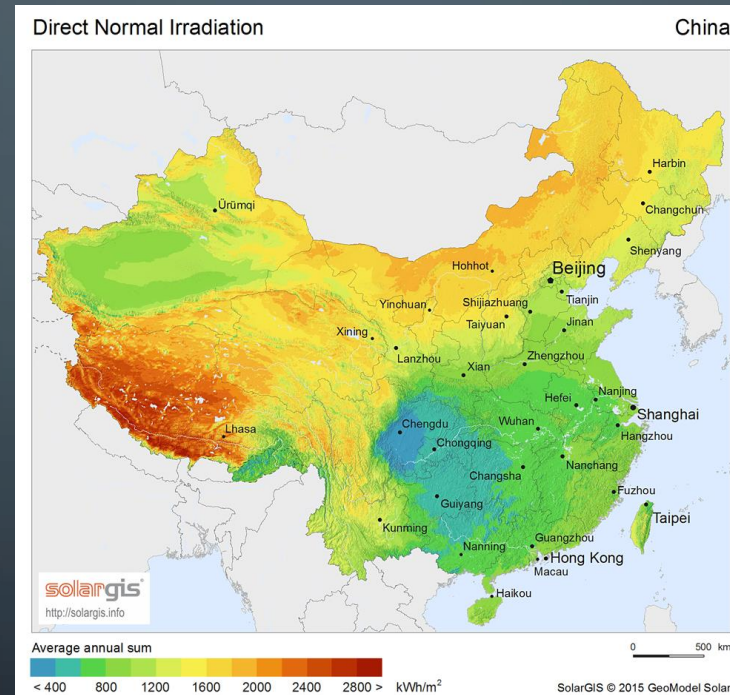
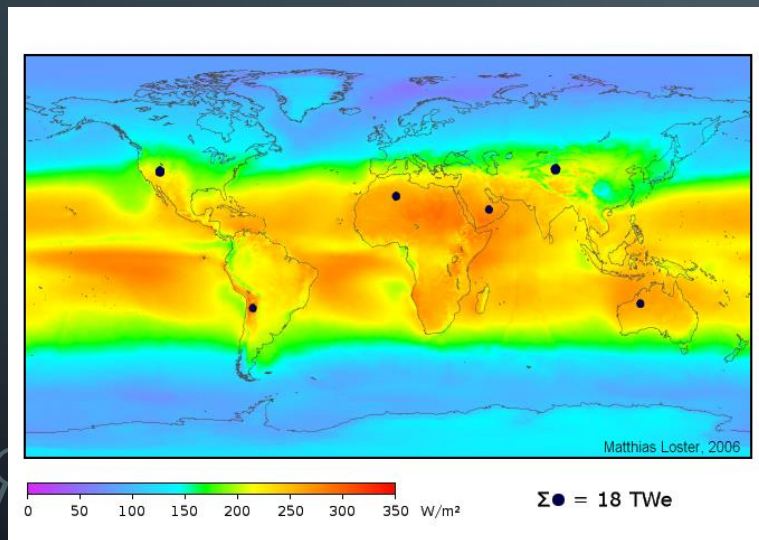


SOLAR HEAT FLUX

- The sun is located $1.5 \times 10^{11} \text{ m}$ from the earth and emits as a blackbody at 5800 K.
- Solar Flux at the outer edge of the Earth's atmosphere is 1368 W/m^2 , 950 W/m^2 at Earth's surface.
- Photovoltaics
 - Conversion into Electrical Energy
- Concentrated Solar Power
 - Conversion into Heat



SOLAR FLUX



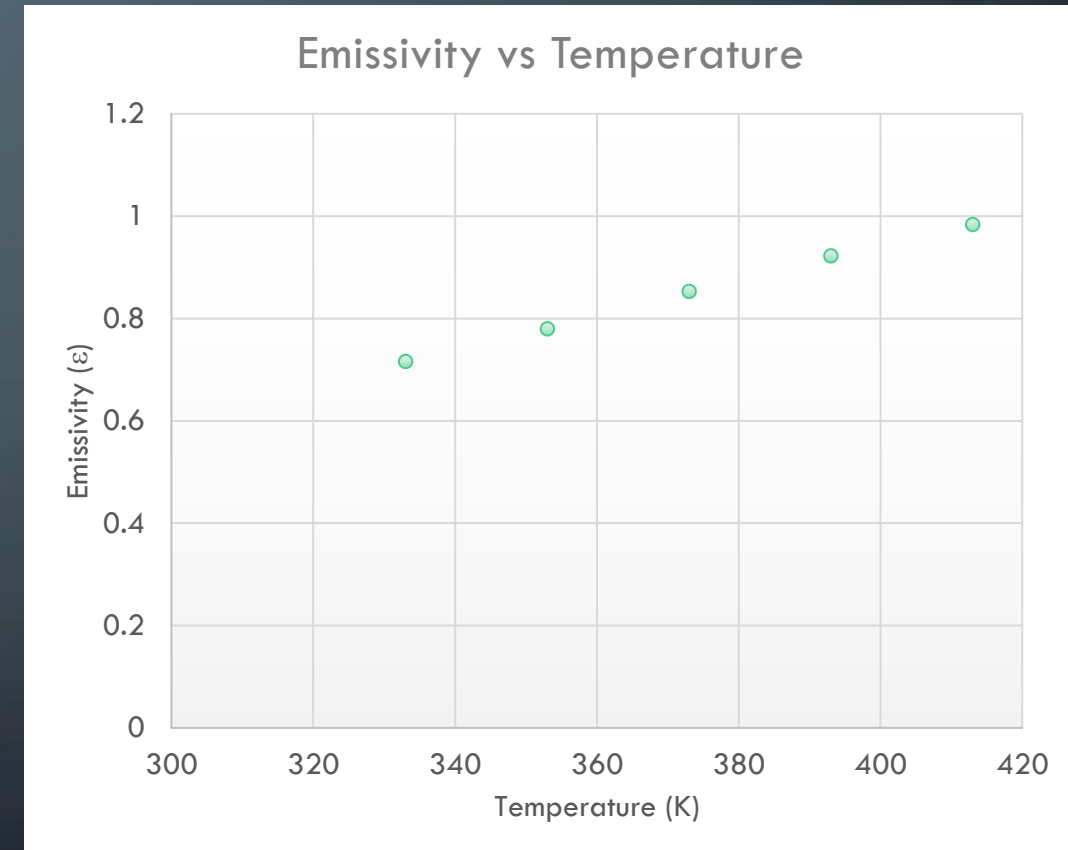
LAB 10

- Radiative temperature measurement from a conductively heated source
 - Please briefly describe what you observed in relation to “heat conduction” during this experimental step.
 - Explain the temperature difference between different samples under different heat up times.
- Radiative temperature measurement from a conductively heated source
 - Why is there a temperature difference between the samples with and without black tape?
 - How do emissivity values differ for each of the materials tested?
- Radiative emission at different temperatures
 - Log-log plot used to verify the Stefan-Boltzmann Law
 - A non-log scale plot of the same data
 - A plot of the emissivity as a function of the temperature
 - A table showing the equations used to calculate uncertainty in emissivity and listing uncertainty in emissivity for each temperature point.

LAB 10

- Diameter of Sensor: 5 cm
- Distance to Heat Source: 350 mm
- Blackbody Heat Source Emission: $E_b = \sigma T^4$
- Theoretical Irradiance at Sensor: $\frac{E_b A_{\text{sensor}}}{r^2}$

Heat Source E_b (W/m ²)	Theoretical (W/m ²)	Emissivity
697.2041972	11.17516	0.715873
880.4037434	14.11158	0.779502
1097.535019	17.59188	0.852666
1352.549787	21.67939	0.922535
1649.617539	26.44095	0.983323



LAB 10

Room T	Heat Source T (°C)	Heat Source T (K)	Heat Source T ⁴ (K ⁴)	Measured I (W/m ²)
21	60	333	12296370321	8
21	80	353	15527402881	11
21	100	373	19356878641	15
21	120	393	23854493601	20
21	140	413	29093783761	26

Log Heat Source (K)	Log Adjusted I (W/m ²)
2.522444234	0.903089987
2.547774705	1.041392685
2.571708832	1.176091259
2.59439255	1.301029996
2.615950052	1.414973348

