

# Sequence labeling: POS Tagger

**Knowledge & Language Engineering Lab.**

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[ Relation Extraction ]

# SEQUENCE LABELING

# Introduction

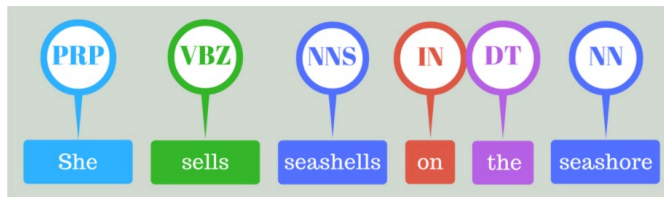
- Sequence labeling
  - A pattern recognition task that classifies a categorical label to each member of a sequence elements.
  - In NLP, which deals with sequential data, sequence labeling is one of the major task.

- Tasks or subtasks

## *Named entity recognition*

Automatically find names  
of people, places, products,  
and organizations in text  
across many languages.

## *Part of speech tagging*



## *Spacing problem*

아버지가방에들어가신다.  
↓  
아버지가 방에 들어가신다.

# Introduction

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- Sequential Data
  - Data stored in chronological order.
  - Generally, each element is related to each other.
  - E.g.)
    - Video: a sequence of frames
    - Text: a sequence of words
    - Voice: a sequence of signals.

# Methods

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- Sequence labeling methods
  - Vector space model
    - Neural network model
    - Structured SVM
  - Probabilistic model
    - Hidden Markov Model (HMM)
    - Conditional Random Field (CRF)

# Methods

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- Sequence labeling methods
  - Vector space model
    - Neural network model
    - Structured SVM
  - Probabilistic model
    - **Hidden Markov Model (HMM)**
    - Conditional Random Field (CRF)

# Hidden Markov Model

- $y_{1:N}^* = \operatorname{argmax}_{y_{1:N}} P(y_{1:N} | x_{1:N})$

*(Bayes rule)*

$$= \operatorname{argmax}_{y_{1:N}} P(x_{1:N} | y_{1:N}) P(y_{1:N})$$

$$= \operatorname{argmax}_{y_{1:N}} \prod_{k=1}^N P(x_k | x_{1:k-1}, y_{1:k}) \prod_{k=1}^N P(y_k | y_{1:k-1})$$

*(Markov assumption)*

$$\approx \operatorname{argmax}_{y_{1:N}} \prod_{k=1}^N P(x_k | y_k) \prod_{k=1}^N P(y_k | y_{k-1})$$



# Hidden Markov Model

- $$y_{1:N}^* = \operatorname{argmax}_{y_{1:N}} P(y_{1:N} | x_{1:N})$$

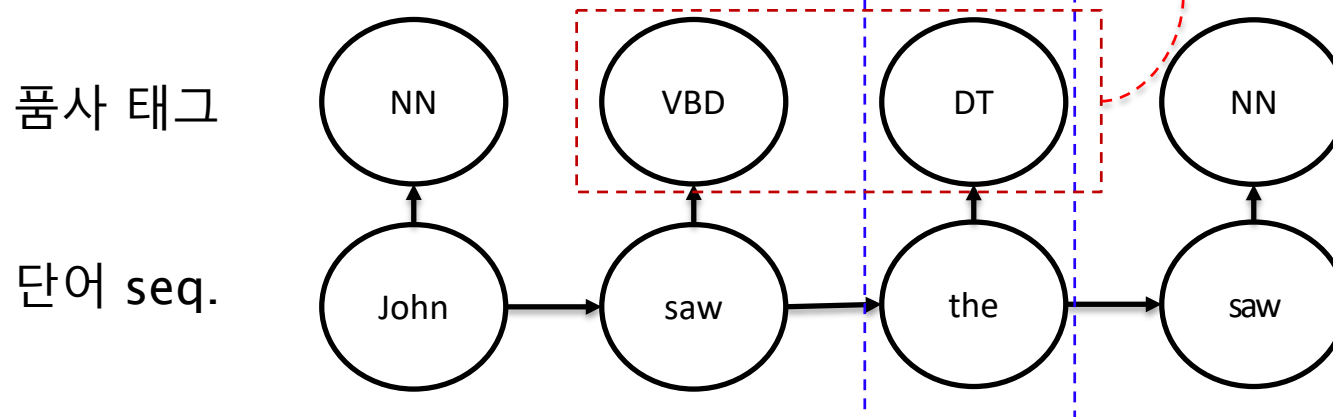
(Bayes rule)

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(Markov assumption)

$$\approx \operatorname{argmax}_{y_{1:N}} \prod_{k=1}^N P(x_k | y_k) \prod_{k=1}^N P(y_k | y_{k-1})$$



# Hidden Markov Model

- $\operatorname{argmax}_{y_{1:N}} \prod_{k=1}^N P(x_k|y_k) \prod_{k=1}^N P(y_k|y_{k-1})$
- $P(x_k|y_k)$ : emission probability
  - 각 state(y) 에서 관측 가능한 값(x)의 확률
  - E.g.) 명사(NN) 인 'saw' 가 등장할 확률
  - $P(x_k|y_k) = \frac{P(x_k, y_k)}{P(y_k)}$
- $P(y_k|y_{k-1})$ : transition probability
  - State(y) 간의 변화 확률
  - E.g.) 동사(VB) 이후에 명사(NN)가 등장할 확률
  - $P(y_k|y_{k-1}) = \frac{P(y_k, y_{k-1})}{P(y_{k-1})}$

# Hidden Markov Model

- $\log(P(NN \ VBD \ DT \ NN | \text{John saw the saw}))$   
 $= \log P(\text{John} | NN) + \log P(NN | \langle BOS \rangle)$   
 $+ \log P(\text{saw} | VBD) + \log P(VBD | NN)$   
 $+ \log P(\text{the} | DT) + \log P(DT | VBD)$   
 $+ \log P(\text{saw} | NN) + \log P(NN | DT)$   
 $+ \log P(\langle EOS \rangle | NN)$

# PRACTICE

# KLE tagset

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- 부가자료: KLE\_Tagset.pdf 파일 참고

# preprocessing

## ■ Preprocess each line with a list of tuples.

- $[(word_1, tag_1), (word_2, tag_2), \dots, (word_n, tag_n),$   
 $[(word_1, tag_1), (word_2, tag_2), \dots, (word_n, tag_n)$   
 $\vdots$   
 $[(word_1, tag_1), (word_2, tag_2), \dots, (word_n, tag_n)]]$

그/CT 도/fjb 강하/YBH ㄴ/fmotg 카리스마/CMC 를/fjco 필요/CMC 하/fph ㅂ니다/fmof ./g  
 애플/CMC 이/fjcs 80/CS %/g 로/fjcao 그/SG 뒤/CMC 를/fjco 쫓/YBD 앓/fmb 습니다/fmof ./g  
 이제/SBO 참가자들/CMC 이/fjcs 기념촬영/CMC 을/fjco 하/YBD 고/fmoc 있/YA 다/fmof ./g



$[(\text{그}, \text{CT}), (\text{도}, \text{fjb}), (\text{강하}, \text{YBH}), \dots, (\text{ㅂ니다}, \text{fmof}), (., \text{g})],$   
 $[(\text{애플}, \text{CMC}), (\text{이}, \text{fjcs}), (80, \text{CS}), \dots, (\text{습니다}, \text{fmof}), (., \text{g})],$   
 $[(\text{이제}, \text{SBO}), (\text{참가자들}, \text{CMC}), (\text{이}, \text{fjcs}), \dots, (\text{다}, \text{fmof}), (., \text{g})]]$

# Train function

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- Count the number of (word, tag)
  - Nested dictionary type
    - `pos2words_freq = defaultdict(lambda: defaultdict(int))`
    - `Pos2words[pos][word]_freq`:
      - stores the number (frequency) of (word, tag)
- Count the number of bigram tags ( $tag_{i-1}, tag_i$ )
  - Dictionary type
    - Define `trans_freq = defaultdict(int)` for bigrams counts
      - `Trans[( $tag_{i-1}, tag_i$ )]` stores the number of bigrams

# Train function

- Example

- pos2words\_freq

{CMC: {아버지: 10, 올림픽: 15, ..},  
CMP: {구글: 20, 애플: 15, ..}  
YBD: {마시: 10, 듣: 20, ...}}

- trans\_freq

{(<BOS>, CMC): 50, (g, <EOS>): 100, (CMC, fjb): 20,  
(CMP, fjb): 31, (fjco, fd): 55, ... }



# Train function

- Frequency → **probability**

- pos2words\_prob

{CMC: {아버지: 0.1, 올림픽: 0.2, ..},  
CMP: {구글: 0.05, 애플: 0.03, ..}  
YBD: {마시: 0.1, 듣: 0.2, ...}}

sum = 1.0



- trans\_prob

{(<BOS>, CMC): 0.03, (g, <EOS>): 0.05, (CMC, fjb): 0.1,  
(CMP, fjb): 0.31, (fjco, fd): 0.48, ... }

# Train function

## ■ Frequency → probability

### ■ pos2words\_prob

{CMC: {아버지: 0.1, 올림픽: 0.2, ..},  
 CMP: {구글: 0.05, 애플: 0.03 ..}  
 YBD: {마시: 0.1, 듣: 0.2, ...}}

sum = 1.0

$$P(x_k = \text{애플} | y_k = \text{CMP}) = 0.03$$

### ■ trans\_prob

{(<BOS>, CMC): 0.03, (g, <EOS>): 0.05, (CMC, fjb): 0.1,  
 (CMP, fjb): 0.31, (fjco, fd): 0.48, ... }

# Train function

## ■ Frequency → probability

### ■ pos2words\_prob

{CMC: {아버지: 0.1, 올림픽: 0.2, ..},  
 CMP: {구글: 0.05, 애플: 0.03 ..}  
 YBD: {마시: 0.1, 듣: 0.2, ...}}

sum = 1.0

$$P(x_k = \text{애플} | y_k = \text{CMP}) = 0.03$$

### ■ trans\_prob

{(<BOS>, CMC): 0.03, (g, <EOS>): 0.05, (CMC, fjb): 0.1,  
 (CMP, fjb): 0.31, (fjco, fd): 0.48, ... }

$$P(y_{k-1} = \text{fjco} | y_k = \text{fd}) = 0.48$$

# Train function

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- Emission probability

- $$P(x_k|y_k) = \frac{P(x_k, y_k)}{P(y_k)} = \frac{\# \text{ of } (word_k, tag_k)}{\# \text{ of } tag_k}$$

- Transition probability

- $$P(y_k|y_{k-1}) = \frac{P(y_k, y_{k-1})}{P(y_{k-1})} = \frac{\# \text{ of } (tag_{k-1}, tag_k)}{\# \text{ of } tag_{k-1}}$$

# Inference

- For given input sentences
  - "감기/CMC 는/fjb 줄이/YBD 다/fmof ./g"
  - "감기/fmotg 는/fjb 줄/CMC 이다/fjj ./g"

- Calculate the log probability

$$\begin{aligned} & \log(\prod_{k=1}^N P(x_k|y_k) \prod_{k=1}^N P(y_k|y_{k-1})) \\ &= \sum \log P(x_k|y_k) + \log P(y_k|y_{k-1}) \end{aligned}$$

- Results

```
감기/CMC 는/fjb 줄이/YBD 다/fmof ./g: -5.489636
감기/fmotg 는/fjb 줄/CMC 이다/fjj ./g: -14.037157
```

**END**