



$$\begin{bmatrix} 90\% & 20\% \\ 10\% & 80\% \end{bmatrix} \begin{bmatrix} \frac{3}{4} \\ \frac{1}{4} \end{bmatrix} = \begin{bmatrix} 90\% \times \frac{3}{4} + 20\% \times \frac{1}{4} \\ 10\% \times \frac{3}{4} + 80\% \times \frac{1}{4} \end{bmatrix} = \begin{bmatrix} \frac{29}{40} \\ 11/40 \end{bmatrix}$$

Thought

- Keep multiplying transition matrix until:
 - The first city's value is equal or below p
 - The first city's value is equal or larger than the original value after the operation

```
int transition(double x[10])
    for(i = 0; i < n; i++){
        for(j = 0; j < n; j++){
            x1[i] += transition_matrix[i][j] * x[j];
    if(x1[0] >= x[0]) return 0;
    else if(x1[0] \leftarrow p) return 1;
    else return transition(x1);
```



Sample Input:

10 3 4 TOYOTA 10 100

GM 20 90

FORD 30 80

Volkswagen 40 70

Daimler 50 60

Honda 60 50

Nissan 70 40

PEUGEOT 80 30

FIAT 90 20

BMW 100 10

Sample Output:

BMW FIAT PEUGEOT

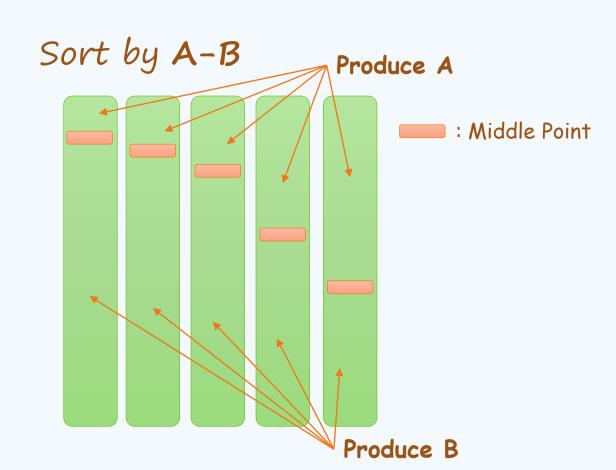
X + Y <= N

Maximum Value

Instinctively,

BMW 200 100 BENZ 100 100 Toyota 100 200

A > B , Producing only A



However, this time we have limited resource. Which means (X + Y) may smaller than N. (Produce only X type-A and Y type-B)

We sort the company Sort that best produce type-X's A car by the value of A Same with type-B by Sort

So far we split the whole list at middle, and get a total value of (X's+Y's). The maximum total value is the best combination.

Y's

value B

```
struct Fac {
    char s[24];
    int a, b;
} fac[N];
```

```
sort(fac, fac+n, cmp0);
int ans=-1, mid=-1;
for(int i=0; i < n; i ++) {
   int tmp = split(i);
   if(tmp > ans) ans=tmp, mid=i;
}

split(mid);
sort(lst_a, lst_a+x, cmp3);
```

```
int cmp0(Fac a, Fac b) {
    return a.a-a.b > b.a-b.b;
}
int cmp1(int a, int b) {
    return fac[a].a > fac[b].a;
}
int cmp2(int a, int b) {
    return fac[a].b > fac[b].b;
}
int cmp3(int a, int b) {
    return strcmp(fac[a].s, fac[b].s)<=0;
}</pre>
```

```
for(int i = 0; i < mid; i ++) list_a[lenth_a ++] = i;
for(int j = mid; j < n; j ++) list_b[lenth_b ++] = j;

sort(lst_a, lst_a+len_a, cmp1);
sort(lst_b, lst_b+len_b, cmp2);

for(int i = 0; i < x; i ++) tmp += fac[list_a[i]].a;
for(int i = 0; i < y; i ++) tmp += fac[list_b[i]].b;
return tmp;</pre>
```

<u>DO NOT</u> <u>DISAPPOINT</u> HIM!!



Definition

· When you meet the same value, you will not change their original location

Method

• You can use **qsort** and remember the enter of the order

```
int compare(const void* a, const void* b)
{
   const Data* qa = (const Data *)a;
   const Data* qb = (const Data *)b;
   if(qa->value - qb->value != 0) return qb->value - qa->value;
   else return qa->order - qb->order;
}
```



$$\begin{vmatrix} a & b & c & d \\ e & f & g & h \\ i & j & k & i \\ a & b & c & d \end{vmatrix} = a \begin{vmatrix} f & g & h \\ j & k & l \\ b & c & d \end{vmatrix} - b \begin{vmatrix} e & g & h \\ i & k & l \\ a & c & d \end{vmatrix} + c \begin{vmatrix} e & f & h \\ i & j & l \\ a & b & d \end{vmatrix} - a \begin{vmatrix} e & f & g \\ i & k & l \\ a & b & d \end{vmatrix} - a \begin{vmatrix} e & f & g \\ i & k & l \\ a & b & d \end{vmatrix}$$

$$|A| = egin{bmatrix} a & b & c \ d & e & f \ g & h & i \end{bmatrix} = a egin{bmatrix} e & f \ h & i \end{bmatrix} - b egin{bmatrix} d & f \ g & i \end{bmatrix} + c egin{bmatrix} d & e \ g & h \end{bmatrix}$$

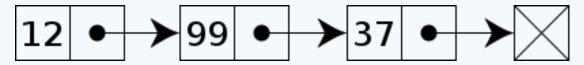
$$|A| = \begin{vmatrix} a & b \\ c & d \end{vmatrix} = ad - bc$$

Termination

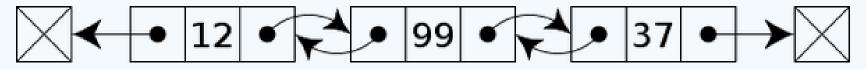
```
Long long int det(int N, int* matrix)
   if(N == 2)
       return matrix[0]*matrix[3] - matrix[1]*matrix[2];
   else{
       int i, j, k;
       long long int ans = 0;
       int tmp[N-1][N-1];
       for(i = 0; i < N; i++){
           for(j = 0; j < i; j++)
               for(k = 1; k < N; k++)
                   tmp[k-1][j] = matrix[k][j];
           for(j = i; j < N-1; j++)
               for(k = 1; k < N; k++)
                    tmp[k-1][j] = matrix[k][j+1];
           if(i%2 == 0) ans += matrix[i] * det(n-1,b);
           else ans -= matrix[i] * det(n-1,b);
       return ans;
```



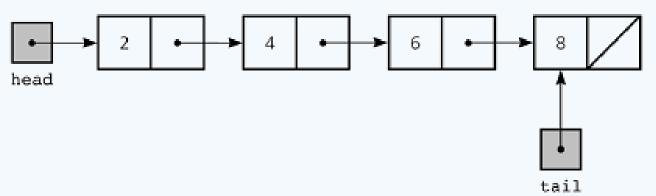
```
typedef struct Single {
    int data;
    struct Node *next;
} Node;
```



```
typedef struct Double {
   int data;
   struct Node *prev;
   struct Node *next;
} Node;
```



Node *head = NULL;



Node *tail = NULL;

```
#include <stdio.h>
#include <stdlib.h>
#include "function.h"
int main() {
    Node *head = NULL;
    int n, data, i;
    scanf("%d", &n);
    for( i=0; i<n; i++ ) {</pre>
        scanf("%d", &data);
        head = Create_List( head, data );
    head = Reverse_List( head );
    Print_List( head );
    Free_List( head );
    return 0;
```

Create List

```
Node* Create List(Node *head, int data){
    Node *p = (Node*)malloc(sizeof(Node));
    p->data = data;
    p->next = NULL;
    if(head == NULL) head=p;
    else{
        Node *tmp = head;
        while(tmp->next != NULL){
            tmp = tmp->next;
        tmp->next = p;
    return head;
```

```
Node *Create_List(Node* head, int data)
    Node *p = (Node*)malloc(sizeof(Node));
    p->data = data;
    p->next = NULL;
    if(head == NULL){
        p->pre = NULL;
        head = p;
    else{
        Node *tmp = head;
        while(tmp->next != NULL){
            tmp = tmp->next;
        tmp->next = p;
        (tmp->next)->pre = tmp;
    return head;
```

```
#include <stdio.h>
#include <stdlib.h>
#include "function.h"
int main() {
    Node *head = NULL;
    int n, data, i;
    scanf("%d", &n);
    for( i=0; i<n; i++ ) {</pre>
        scanf("%d", &data);
        head = Create_List( head, data );
    head = Reverse_List( head );
    Print_List( head );
    Free_List( head );
    return 0;
```

Reverse List

```
Node* Reverse List(Node *head){
    Node *prev = NULL;
    Node *tmp;
    Node *curr = head;
    while(curr){
        tmp = curr->next;
        curr->next = prev;
        prev = curr;
        curr = tmp;
    return prev;
```

```
Node* Reverse_List(Node* head)
{
    Node *tmp = head;
    while(tmp->next!=NULL){
        tmp = tmp->next;
    }
    return tmp;
}
```

```
#include <stdio.h>
#include <stdlib.h>
#include "function.h"
int main() {
    Node *head = NULL;
    int n, data, i;
    scanf("%d", &n);
    for( i=0; i<n; i++ ) {</pre>
        scanf("%d", &data);
        head = Create_List( head, data );
    head = Reverse_List( head );
    Print_List( head );
    Free_List( head );
    return 0;
```

Print List

```
void Print_List(Node *head){
    while(head->next!=NULL){
        printf("%d->",head->data);
        head = head->next;
    }
    printf("%d\n",head->data);
}
```

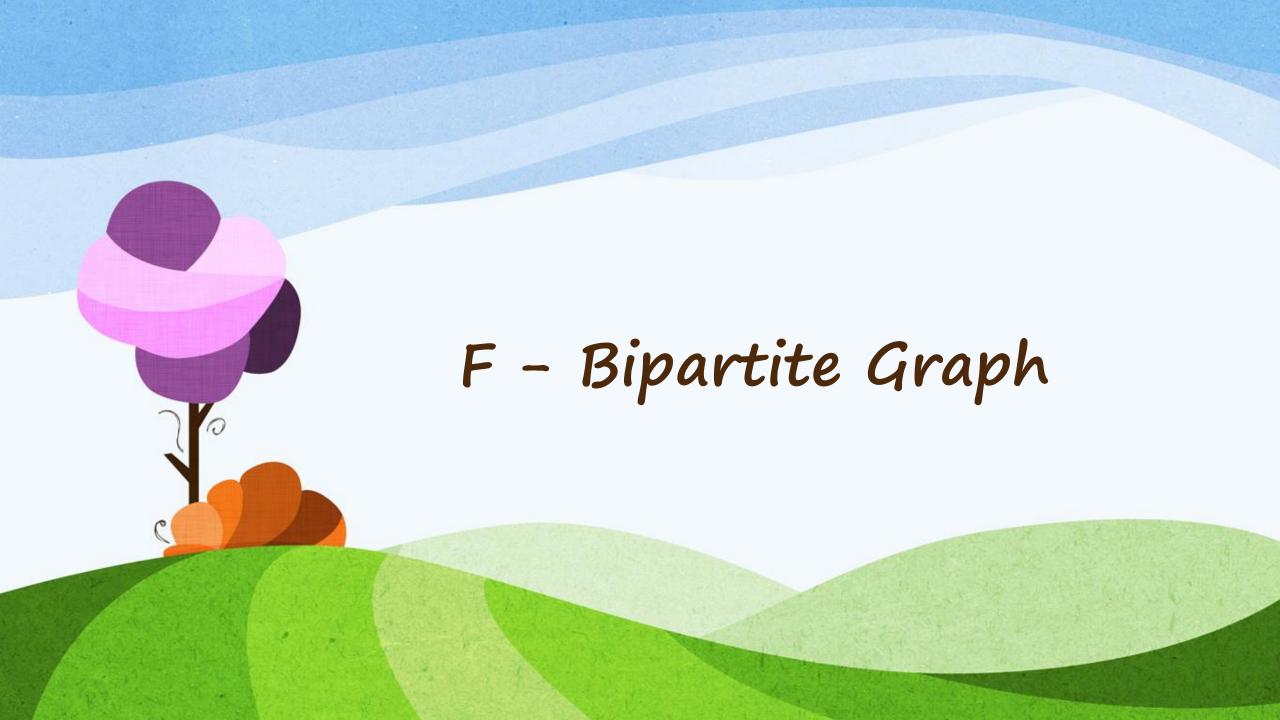
```
void Print_List(Node* tail)
{
    while(tail->pre!=NULL)
    {
        printf("%d->",tail->data);
        tail = tail->pre;
    }
    printf("%d\n", tail->data);
}
```

```
#include <stdio.h>
#include <stdlib.h>
#include "function.h"
int main() {
    Node *head = NULL;
    int n, data, i;
    scanf("%d", &n);
    for( i=0; i<n; i++ ) {</pre>
        scanf("%d", &data);
        head = Create_List( head, data );
    head = Reverse_List( head );
    Print_List( head );
    Free_List( head );
    return 0;
```

Free List

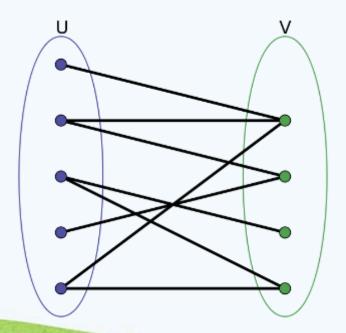
```
void Free_List(Node* head)
{
    while (head != NULL)
    {
        Node* tmp = head;
        head = head->next;
        free(tmp);
    }
}
```

```
void Free_List(Node* tail)
{
    while (tail != NULL)
    {
        Node* tmp = tail;
        tail = tail->prev;
        free(tmp);
    }
}
```



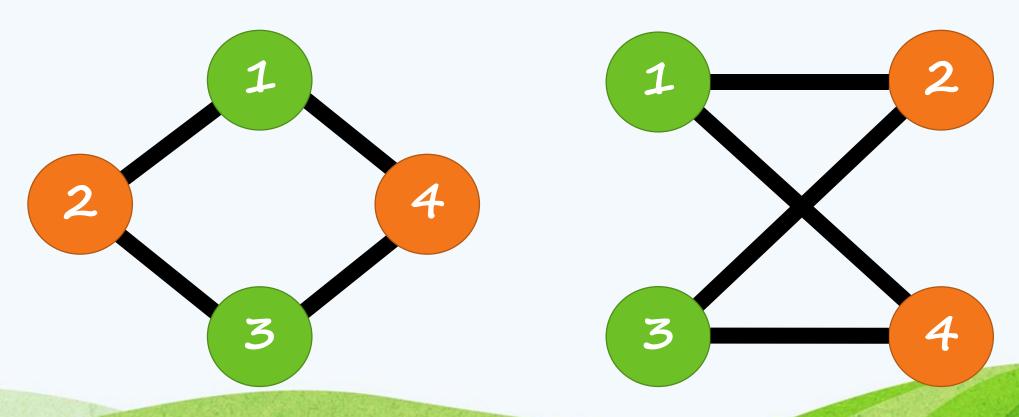
Definition

- · All vertices can be divide into two disjoint and independent sets U and V
- such that every **edge** connects a vertex in U to one V

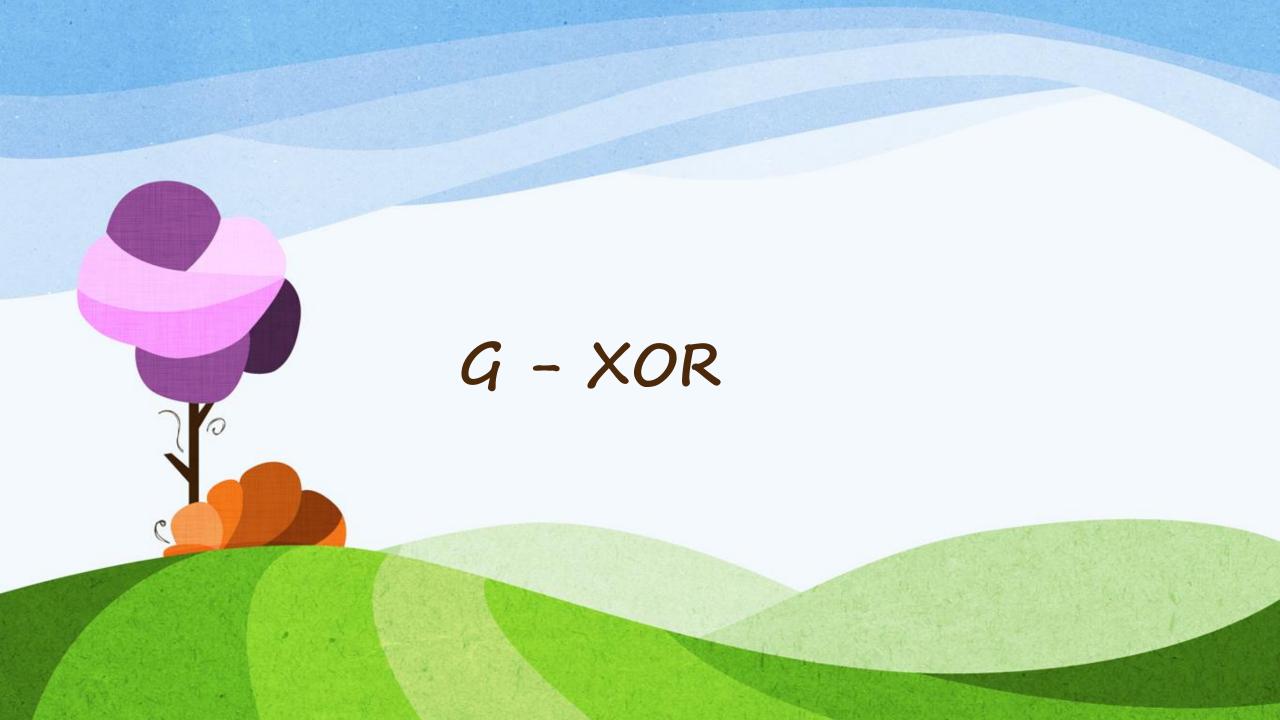


Method - Coloring

· Any two adjacent vertices need to have different color



```
while(m--){
    scanf("%d %d" ,&vertice_1 , &vertice_2);
    a[vertice_1][vertice_2] = 1;
    a[vertice_2][vertice_1] = 1;
if(color[vertice] == -1) color[vertice] = mark;
else if(color[vertice]!=mark)return 0;
else return 1;
for(i = 1 ; i \le n ; i++){
    if(a[vertice][i] == 1){
       ans &= coloring(i, ~mark);
```



· XOR

• Exclusive or

Example

- 0101 xor 0011 = 0110 (Decimal 6)
- $0010 \times 1010 = 1000 \text{ (Decimal 8)}$

Α	В	Ф
F	F	F
F	Т	Т
Т	F	Т
Т	Т	F

True table

- SUM = $(a1^k) + (a2^k) + ... + (an^k)$
 - SUM is minimum

- · Sample Input: 123456
 - $001^k + 010^k + 011^k + 100^k + 101^k + 110^k = SUM$
 - Sample Output: 21

- · Another example: 0 1 1 1 1
 - O^1 + 1^1 + 1^1 + 1^1 + 1^1
 - Sample Output: 1

```
for (i = 0; i < Maxdigits; i ++) {</pre>
    zeros, ones = 0;
    for(j = 0; j < n; j ++) {
        if ( bit[j][i] == 0 ) zeros ++;
        else ones ++;
    if(zeros > ones) ans += ones*base2;
    else ans += zeros*base2;
    base2 *= 2;
```



Thanks~