```
1a.
max dc
ST
       dg = 0
       dd - dg \le 2
       df - dd \le 18
       da - df <= 5
       db - da <= 8
       dc - db \le 4
       de - df <= 2
       dg - de <= 7
       dd - de <= 9
       dh - dg <= 3
       db - dh <= 9
       da - dh <= 4
       df - da <= 10
       dc - df \le 3
END
LP OPTIMUM FOUND AT STEP
                              5
    OBJECTIVE FUNCTION VALUE
    1)
         16.00000
VARIABLE
              VALUE
                         REDUCED COST
           16.000000
    DC
                         0.000000
    DG
           0.000000
                         0.000000
    DD
           0.000000
                         0.000000
    DF
          13.000000
                         0.000000
    DA
           4.000000
                         0.000000
    DB
           12.000000
                         0.000000
    DE
           0.000000
                         0.000000
    DH
           3.000000
                         0.000000
   ROW SLACK OR SURPLUS
                             DUAL PRICES
          0.000000
    2)
                        1.000000
    3)
          2.000000
                        0.000000
    4)
          5.000000
                        0.000000
    5)
          14.000000
                         0.000000
    6)
          0.000000
                        0.000000
    7)
          0.000000
                        1.000000
    8)
          15.000000
                         0.000000
    9)
          7.000000
                        0.000000
   10)
           9.000000
                         0.000000
   11)
           0.000000
                         1.000000
   12)
           0.000000
                         1.000000
   13)
           3.000000
                         0.000000
```

```
14) 1.000000 0.000000
```

15) 0.000000 0.000000

NO. ITERATIONS= 5

1b. changed each max to the corresponding vertex to get the optimal value. max da

ST

dg = 0

dd - dg <= 2

 $df - dd \le 18$

da - df <= 5

db - da <= 8

dc - db <= 4

de - df <= 2

dg - de <= 7

dd - de <= 9

 $dh - dg \le 3$

db - dh <= 9

da - dh <= 4

df - da <= 10

 $dc - df \le 3$

de - dd <= 25

dd - de <= 9

de - db <= 10

 $dd - dc \le 3$

 $db - df \le 7$

END

LP OPTIMUM FOUND AT STEP

OBJECTIVE FUNCTION VALUE

1) 7.000000

VARIABLE	VALUE	REDUCED COST
DA	7.000000	0.000000
DG	0.000000	0.000000
DD	0.000000	0.000000
DF	2.000000	0.000000
DB	0.000000	0.000000
DC	0.000000	0.000000
DE	0.000000	0.000000
DH	3.000000	0.000000

- 2) 0.000000 1.000000
- 3) 2.000000 0.000000

4)	16.000000	0.000000
5)	0.000000	0.000000
6)	15.000000	0.000000
7)	4.000000	0.000000
8)	4.000000	0.000000
9)	7.000000	0.000000
10)	9.000000	0.000000
11)	0.000000	1.000000
12)	12.000000	0.000000
13)	0.000000	1.000000
14)	15.000000	0.000000
15)	5.000000	0.000000
16)	25.000000	0.000000
17)	9.000000	0.000000
18)	10.000000	0.000000
19)	3.000000	0.000000
20)	9.000000	0.000000

steps for db

LP OPTIMUM FOUND AT STEP 2

OBJECTIVE FUNCTION VALUE

1) 12.00000

VARIABLE	VALUE	REDUCED COST
DB	12.000000	0.000000
DG	0.000000	0.000000
DD	0.000000	0.000000
DF	5.000000	0.000000
DA	7.000000	0.000000
DC	0.000000	0.000000
DE	0.000000	0.000000
DH	3.000000	0.000000

2)	0.000000	1.000000	
3)	2.000000	0.000000	
4)	13.000000	0.000000	
5)	3.000000	0.000000	
6)	3.000000	0.000000	
7)	16.000000	0.000000	
8)	7.000000	0.000000	
9)	7.000000	0.000000	
10)	9.000000	0.000000	

11)	0.000000	1.000000
12)	0.000000	1.000000
13)	0.000000	0.000000
14)	12.000000	0.000000
15)	8.000000	0.000000
16)	25.000000	0.000000
17)	9.000000	0.000000
18)	22.000000	0.000000
19)	3.000000	0.000000
20)	0.000000	0.000000

steps dd

LP OPTIMUM FOUND AT STEP 3

OBJECTIVE FUNCTION VALUE

1) 2.000000

VARIABLE	VALUE	REDUCED COST
DD	2.000000	0.000000
DG	0.000000	0.000000
DF	0.000000	0.000000
DA	5.000000	0.000000
DB	7.000000	0.000000
DC	0.000000	0.000000
DE	0.000000	0.000000
DH	3.000000	0.000000

2)	0.000000	1.000000	
3)	0.000000	1.000000	
4)	20.000000	0.000000	
5)	0.000000	0.000000	
6)	6.000000	0.000000	
7)	11.000000	0.000000	
8)	2.000000	0.000000	
9)	7.000000	0.000000	
10)	7.000000	0.000000	
11)	0.000000	0.000000	
12)	5.000000	0.000000	
13)	2.000000	0.000000	
14)	15.000000	0.000000	
15)	3.000000	0.000000	
16)	27.000000	0.000000	
17)	7.000000	0.000000	

18)	17.000000	0.000000
19)	1.000000	0.000000
20)	0.000000	0.000000

steps for de

LP OPTIMUM FOUND AT STEP 8

OBJECTIVE FUNCTION VALUE

1) 19.00000

VARIABLE	VALUE	REDUCED COST
DE	19.000000	0.000000
DG	0.000000	0.000000
DD	2.000000	0.000000
DF	17.000000	0.000000
DA	7.000000	0.000000
DB	9.000000	0.000000
DC	0.000000	0.000000
DH	3.000000	0.000000

ROW SLACK OR SURPLUS DUAL PRICES

110 00	JE/ (CK OK JOK)	LOS DOMETT	•
2)	0.000000	1.000000	
3)	0.000000	0.000000	
4)	3.000000	0.000000	
5)	15.000000	0.000000	
6)	6.000000	0.000000	
7)	13.000000	0.000000	
8)	0.000000	1.000000	
9)	26.000000	0.000000	
10)	26.000000	0.000000	
11)	0.000000	1.000000	
12)	3.000000	0.000000	
13)	0.000000	1.000000	
14)	0.000000	1.000000	
15)	20.000000	0.000000	
16)	8.000000	0.000000	
17)	26.000000	0.000000	
18)	0.000000	0.000000	
19)	1.000000	0.000000	

NO. ITERATIONS= 8

15.000000

0.000000

20)

LP OPTIMUM FOUND AT STEP 5

OBJECTIVE FUNCTION VALUE

1) 17.00000

VARIABLE	VALUE	REDUCED COST
DF	17.000000	0.000000
DG	0.000000	0.000000
DD	2.000000	0.000000
DA	7.000000	0.000000
DB	0.000000	0.000000
DC	4.000000	0.000000
DE	10.000000	0.000000
DH	3.000000	0.000000

ROW SLACK OR SURPLUS DUAL PRICES

000000	1.000000
	000000

- 3) 0.000000 0.000000
- 4) 3.000000 0.000000
- 5) 15.000000 0.000000
- 6) 15.000000 0.000000
- 7) 0.000000 0.000000
- 8) 9.000000 0.000000
- 9) 17.000000 0.000000
- 10) 17.000000 0.000000
- 11) 0.000000 1.000000
- 12) 12.000000 0.000000
- 13) 0.000000 1.000000
- 14) 0.000000 1.000000
- 15) 16.000000 0.000000
- 16) 17.000000 0.000000
- 17) 17.000000 0.000000

0.000000

19) 5.000000 0.000000

0.000000

20) 24.000000 0.000000

NO. ITERATIONS= 5

steps for dh

18)

LP OPTIMUM FOUND AT STEP 2

OBJECTIVE FUNCTION VALUE

1) 3.000000

VARIABLE VALUE REDUCED COST

```
DH
       3.000000
                    0.000000
DG
      0.000000
                    0.000000
DD
      2.000000
                    0.000000
DF
      10.000000
                    0.000000
DA
                    0.000000
      0.000000
DB
      2.000000
                    0.000000
DC
      6.000000
                    0.000000
DE
      12.000000
                    0.000000
```

ROW SLACK OR SURPLUS DUAL PRICES

```
2)
      0.000000
                    1.000000
3)
      0.000000
                    0.000000
4)
      10.000000
                    0.000000
5)
      15.000000
                    0.000000
6)
      6.000000
                    0.000000
7)
      0.000000
                    0.000000
8)
      0.000000
                    0.000000
9)
      19.000000
                    0.000000
10)
      19.000000
                     0.000000
11)
       0.000000
                    1.000000
12)
      10.000000
                     0.000000
13)
       7.000000
                    0.000000
14)
       0.000000
                    0.000000
15)
       7.000000
                    0.000000
16)
      15.000000
                     0.000000
17)
      19.000000
                     0.000000
18)
       0.000000
                    0.000000
19)
       7.000000
                    0.000000
```

NO. ITERATIONS= 2

15.000000

20)

profit = selling price - labor - mat cost silk tie
 6.7 - .75 - 20(.12) = 6.7-3.25 profit = 3.45 poly
 3.55 - .75- .48-= profit 2.32 b1
 4.31-.75- .3-.45= profit =2.81 b2
 4.81-.75-.18-.63profit = 3.25

0.000000

the optimal number of each type of tie is: silk 7000, poly 13625, blend 1 13100, blend 2 8500.

max
$$3.45s + 2.32p + 2.81b + 3.25x$$

ST
 $s \ge 6000$
 $s \le 7000$

```
\begin{array}{c} p>=10000 \\ p<=14000 \\ b>=13000 \\ b<=16000 \\ x>=6000 \\ x<=8500 \\ s.125<=1000 \\ .08p+.05b+.03x<=2000 \\ .05b+.07x<=1250 \\ \end{array} END
```

OBJECTIVE FUNCTION VALUE

1) 120196.0

VARIAB	LE VALUE	REDUCED COST
S	7000.000000	0.000000
Р	13625.000000	0.000000
В	13100.000000	0.000000
Χ	8500.000000	0.000000
S.125	0.000000	0.000000

ROW SLACK OR SURPLUS DUAL PRICES

2)	1000.000000	0.000000	
3)	0.000000	3.450000	
4)	3625.000000	0.000000	
5)	375.000000	0.000000	
6)	100.000000	0.000000	
7)	2900.000000	0.000000	
8)	2500.000000	0.000000	
9)	0.000000	0.476000	
10)	1000.000000	0.000000	
11)	0.000000	29.000000	
12)	0.000000	27.200001	

NO. ITERATIONS= 0

3a. we get a min cost of 17100 the optimal shipping route are in the data below a-d are the plants e-g are warehouse and h-n are the retailers so if is says ae it is plant1->warehouse1.

```
min 10ae + 15af + 11be + 8bf + 13ce + 8cf + 9cg + 14df + 8dg + 5eh + 6ei + 7ej + 10ek + 12fj + 8fk + 10fl + 14fm + 14gk + 12gl + 12gm + 6gn ST ae + af + ag <= 150 be + bf + bg <= 450 ce + cf + cg <= 250
```

```
de + df + dg <= 150
eh >= 100
ei >= 150
ej + fj >= 100
ek + fk + gk >= 200
fl + gl >= 200
fm + gm >= 150
gn >= 100
ae >= 0
af >= 0
ag >= 0
be >= 0
bf >= 0
bg >= 0
ce >= 0
cf >= 0
cg >= 0
de >= 0
df >= 0
dg >= 0
eh >= 0
ei >= 0
ej >= 0
ek >= 0
fj \ge 0
fk >= 0
fl >= 0
fm >= 0
gk >= 0
gl >= 0
gm >= 0
gn>= 0
ae + be + ce - eh - ei - ej - ek >= 0
af + bf + cf + df - fj - fk - fl - fm >= 0
cg + dg - gk - gl - gm - gn >= 0
END
```

LP OPTIMUM FOUND AT STEP 13

OBJECTIVE FUNCTION VALUE

1) 17100.00

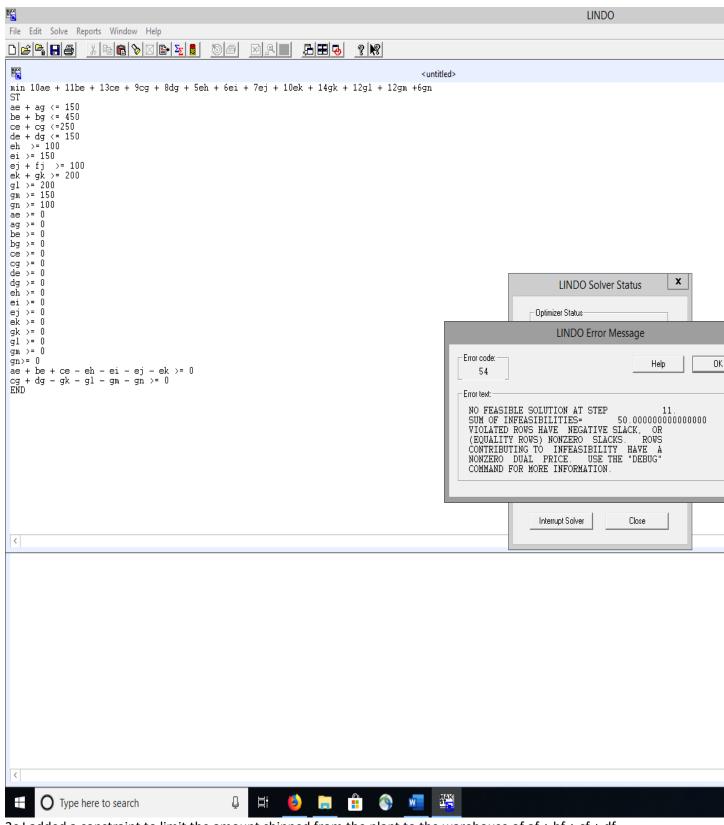
VARIABL	.E VALUE	REDUCED COST
ΑE	150.000000	0.000000
AF	0.000000	8.000000
BE	200.000000	0.000000
BF	250.000000	0.000000

CE	0.000000	2.000000
CF	150.000000	0.000000
CG	100.000000	0.000000
DF	0.000000	7.000000
DG	150.000000	0.000000
EH	100.000000	0.000000
EI	150.000000	0.000000
EJ	100.000000	0.000000
EK	0.000000	5.000000
FJ	0.000000	2.000000
FK	200.000000	0.000000
FL	200.000000	0.000000
FM	0.000000	1.000000
GK	0.000000	7.000000
GL	0.000000	3.000000
GM	150.000000	0.000000
GN	100.000000	0.000000
AG	0.000000	1.000000
BG	0.000000	0.000000
DE	0.000000	1.000000

- 2) 0.000000 1.000000
- 3) 0.000000 0.000000
- 4) 0.000000 0.000000
- 5) 0.000000 1.000000
- 6) 0.000000 -16.000000 0.000000 -17.000000
- 7) 8) 0.000000 -18.000000
- 9) 0.000000
- -16.000000 10) 0.000000 -18.000000
- 0.000000 -21.000000 11)
- 12) 0.000000 -15.000000
- 13) 150.000000 0.000000
- 14) 0.000000 0.000000
- 15) 0.000000 0.000000
- 0.000000 16) 200.000000
- 17) 250.000000 0.000000
- 18) 0.000000 0.000000
- 19) 0.000000 0.000000
- 20) 150.000000 0.000000
- 21) 100.000000 0.000000
- 22) 0.000000 0.000000
- 23) 0.000000 0.000000
- 24) 0.000000 150.000000
- 25) 100.000000 0.000000
- 26) 150.000000 0.000000

27)	100.000000	0.000000
28)	0.000000	0.000000
29)	0.000000	0.000000
30)	200.000000	0.000000
31)	200.000000	0.000000
32)	0.000000	0.000000
33)	0.000000	0.000000
34)	0.000000	0.000000
35)	150.000000	0.000000
36)	100.000000	0.000000
37)	0.000000	-11.000000
38)	0.000000	-8.000000
39)	0.000000	-9.000000

3b closing warehouse 2 would make it unfeasible to ship all the refrigerators. the supply from plant 3 and 4 are 400 these will all have to go to warehouse 3, since warehouse 3 can only ship to retailers 5-7 and there demand is 450. Based on the closing of warehouse 2 we can not meet the demand for those retailers and it is unfeasible



3c I added a constraint to limit the amount shipped from the plant to the warehouse of af + bf + cf + df \leq 100, so this feasible but our optimal solution increased to 18300

OBJECTIVE FUNCTION VALUE

1) 18300.00

VARIABL	E VALUE	REDUCED COST
ΑE	150.000000	0.000000
AF	0.000000	8.000000
BE	350.000000	0.000000
BF	100.000000	0.000000
CE	0.000000	4.000000
CF	0.000000	2.000000
CG	250.000000	0.000000
DF	0.000000	9.000000
DG	150.000000	0.00000
EH	100.000000	0.000000
EI	150.000000	0.000000
EJ	100.000000	0.000000
EK	150.000000	0.000000
FJ	0.000000	7.000000
FK	50.000000	0.000000
FL	50.000000	0.000000
FM	0.000000	4.000000
GK	0.000000	4.000000
GL	150.000000	0.000000
GM	150.000000	0.000000
GN	100.000000	0.000000
AG	0.000000	1.000000
BG	0.000000	0.000000
DE	0.000000	3.000000

ROW SLACK OR SURPLUS DUAL PRICES

2) 0.000000 1.000000 3) 0.000000 0.000000 4) 0.000000 2.000000 5) 0.000000 3.000000 6) 0.000000 -16.000000 7) 0.000000 -17.000000 8) 0.000000 -18.000000 9) 0.000000 -21.000000 10) 0.000000 -23.000000 11) 0.000000 -23.000000 12) 0.000000 -17.000000 13) 150.000000 0.000000 14) 0.000000 0.000000 15) 0.000000 0.000000 0.000000 16) 350.000000

17)	100.000000	0.000000
18)	0.000000	0.000000
19)	0.000000	0.000000
20)	0.000000	0.000000
21)	250.000000	0.000000
22)	0.000000	0.000000
23)	0.000000	0.000000
24)	150.000000	0.000000
25)	100.000000	0.000000
26)	150.000000	0.000000
27)	100.000000	0.000000
28)	150.000000	0.000000
29)	0.000000	0.000000
30)	50.000000	0.000000
31)	50.000000	0.000000
32)	0.000000	0.000000
33)	0.000000	0.000000
34)	150.000000	0.000000
35)	150.000000	0.000000
36)	100.000000	0.000000
37)	0.000000	-11.000000
38)	0.000000	-13.000000
39)	0.000000	5.000000
40)	0.000000	-11.000000

RANGES IN WHICH THE BASIS IS UNCHANGED:

OBJ COEFFICIENT RANGES

VARIABL	E CURRI	ENT ALLOV	VABLE ALLO	OWABLE
	COEF	INCREASE	DECREASE	
ΑE	10.000000	1.000000	INFINITY	
AF	15.000000	INFINITY	8.000000	
BE	11.000000	INFINITY	1.000000	
BF	8.000000	2.000000	INFINITY	
CE	13.000000	INFINITY	4.000000	
CF	8.000000	INFINITY	2.000000	
CG	9.000000	2.000000	INFINITY	
DF	14.000000	INFINITY	9.000000	
DG	8.000000	3.000000	INFINITY	
EH	5.000000	INFINITY	16.000000	
EI	6.000000	INFINITY	17.000000	
EJ	7.000000	7.000000	18.000000	
EK	10.000000	INFINITY	2.000000	
FJ	12.000000	INFINITY	7.000000	
FK	8.000000	2.000000	INFINITY	

FL	10.000000	4.000000	2.000000
FM	14.000000	INFINITY	4.000000
GK	14.000000	INFINITY	4.000000
GL	12.000000	2.000000	4.000000
GM	12.000000	4.000000	23.000000
GN	6.000000	INFINITY	17.000000
AG	0.000000	INFINITY	1.000000
BG	0.000000	INFINITY	0.000000
DE	0.000000	INFINITY	3.000000

RIGHTHAND SIDE RANGES					
ROW	/ CURRENT	ALLOWAB	LE ALLOWABLE		
	RHS IN	CREASE DE	CREASE		
2	150.000000	350.000000	0.000000		
3	450.000000	INFINITY	0.000000		
4	250.000000	50.000000	0.000000		
5	150.000000	50.000000	0.000000		
6	100.000000	0.000000	100.000000		
7	150.000000	0.000000	150.000000		
8	100.000000	0.000000	100.000000		
9	200.000000	0.000000	150.000000		
10	200.000000	0.000000	50.000000		
11	150.000000	0.000000	50.000000		
12	100.000000	0.000000	50.000000		
13	0.000000	150.000000	INFINITY		
14	0.000000	0.000000	INFINITY		
15	0.000000	0.000000	INFINITY		
16	0.000000	350.000000	INFINITY		
17	0.000000	100.000000	INFINITY		
18	0.000000	0.000000	INFINITY		
19	0.000000	0.000000	INFINITY		
20	0.000000	0.000000	INFINITY		
21	0.000000	250.000000	INFINITY		
22	0.000000	0.000000	INFINITY		
23	0.000000	0.000000	INFINITY		
24	0.000000	150.000000	INFINITY		
25	0.000000	100.000000	INFINITY		
26	0.000000	150.000000	INFINITY		
27	0.000000	100.000000	INFINITY		
28	0.000000	150.000000	INFINITY		
29	0.000000	0.000000	INFINITY		
30	0.000000	50.000000	INFINITY		
31	0.000000	50.000000	INFINITY		
32	0.000000	0.000000	INFINITY		
33	0.000000	0.000000	INFINITY		
34	0.000000	150.000000	INFINITY		
35	0.000000	150.000000	INFINITY		
36	0.000000	100.000000	INFINITY		

```
37
         0.000000
                     0.000000
                                350.000000
   38
         0.000000
                     0.000000
                                150.000000
   39
        100.000000
                     150.000000
                                   50.000000
   40
         0.000000
                     0.000000
                                 50.000000
4a Minimum coins are 10 and the coins are 8 25s and 2 1s
min a + b + c + d
ST
 a + 5b + 10c + 25d = 202
END
GIN a
GIN b
GIN c
GIN d
LP OPTIMUM FOUND AT STEP 1
OBJECTIVE VALUE = 8.07999992
FIX ALL VARS.( 2) WITH RC > 0.000000E+00
       A TO >= 1 AT 1, BND= -9.040 TWIN=-0.1000E+31
SET
       D TO <= 8 AT 2, BND= -10.00 TWIN=-0.1000E+31
SET
NEW INTEGER SOLUTION OF 10.0000000 AT BRANCH
                                                   2 PIVOT
BOUND ON OPTIMUM: 9.000000
DELETE
          D AT LEVEL 2
DELETE
          A AT LEVEL 1
RELEASE FIXED VARIABLES
FIX ALL VARS.( 2) WITH RC > 0.000000E+00
SET
       CTO >= 2 AT 1, BND = -9.280 TWIN = -0.1000E + 31 12
DELETE
        C AT LEVEL 1
RELEASE FIXED VARIABLES
FIX ALL VARS.( 1) WITH RC > 0.000000E+00
       A TO <= 0 AT 1, BND= -9.000 TWIN= -9.840
SET
                                                     19
       B TO >= 2 \text{ AT} 2, BND= -9.680 TWIN=-0.1000E+31 21
SET
DELETE
          B AT LEVEL 2
DELETE
          A AT LEVEL 1
RELEASE FIXED VARIABLES
ENUMERATION COMPLETE. BRANCHES= 5 PIVOTS=
                                                26
LAST INTEGER SOLUTION IS THE BEST FOUND
RE-INSTALLING BEST SOLUTION...
   OBJECTIVE FUNCTION VALUE
```

10.00000 1)

VARIABLE VALUE **REDUCED COST** Α 2.000000 1.000000

```
В
         0.000000
                     1.000000
    C
         0.000000
                     1.000000
    D
         8.000000
                     1.000000
   ROW SLACK OR SURPLUS DUAL PRICES
         0.000000
   2)
                     0.000000
NO. ITERATIONS=
                 26
BRANCHES= 5 DETERM.= 1.000E 0
4b minimum coins used 14 coins 27's, 312's, 927's
min a + b + c + d + e
 a + 3b + 7c + 12d + 27e = 293
END
GIN a
GIN b
GIN c
GIN d
GIN e
LP OPTIMUM FOUND AT STEP
OBJECTIVE VALUE = 10.8518515
FIX ALL VARS.( 2) WITH RC > 0.000000E+00
       A TO <= 0 AT 1, BND= -12.33 TWIN= -12.83
SET
SET
       ETO <= 9 AT 2, BND= -13.17
                                    TWIN=-0.1000E+31
                                                      10
SET
       DTO >= 5 AT 3, BND= -13.63
                                    TWIN=-0.1000E+31
                                                      12
SET
       ETO <= 8 AT 4, BND= -13.63
                                    TWIN=-0.1000E+31
                                                      12
SET
       D TO >= 7 AT 5, BND= -14.74 TWIN=-0.1000E+31
                                                      16
       E TO <= 7 AT 6, BND= -15.67
                                    TWIN=-0.1000E+31
                                                      18
SET
SET
       DTO >= 9 AT 7, BND= -15.85
                                    TWIN=-0.1000E+31
                                                      20
SET
       E TO <= 6 AT 8, BND= -16.92
                                    TWIN=-0.1000E+31
                                                      22
SET
       DTO >= 11 AT 9, BND= -16.96 TWIN=-0.1000E+31 24
SET
       E TO <= 5 AT 10, BND= -18.17
                                    TWIN=-0.1000E+31
                                                       26
SET
       DTO >= 14 AT 11, BND= -18.63 TWIN=-0.1000E+31 28
SET
       E TO <= 4 AT 12, BND= -19.42
                                    TWIN=-0.1000E+31
                                                       30
       DTO >= 16 AT 13, BND= -19.74 TWIN=-0.1000E+31 32
SET
SET
       E TO <= 3 AT 14, BND= -20.67 TWIN=-0.1000E+31
                                                       34
       DTO >= 18 AT 15, BND= -20.85 TWIN=-0.1000E+31 36
SET
SET
       E TO <= 2 AT 16, BND= -21.92 TWIN=-0.1000E+31
                                                       38
       DTO >= 20 AT 17, BND= -21.96 TWIN=-0.1000E+31 40
SET
       ETO <= 1 AT 18, BND= -23.17 TWIN=-0.1000E+31
SET
                                                       42
SET
       D TO >= 23 AT 19, BND= -23.63
                                    TWIN=-0.1000E+31
SET
       ETO <= 0 AT 20, BND= -24.42 TWIN=-0.1000E+31
                                                       45
DELETE
          D AT LEVEL 21
DELETE
          E AT LEVEL 20
```

ST

```
DELETE
         D AT LEVEL 19
DELETE
         E AT LEVEL 18
         D AT LEVEL 17
DELETE
DELETE
         E AT LEVEL 16
DELETE
         D AT LEVEL 15
DELETE
         E AT LEVEL 14
DELETE
         D AT LEVEL 13
         E AT LEVEL 12
DELETE
DELETE
         D AT LEVEL 11
DELETE
         E AT LEVEL 10
DELETE
         D AT LEVEL 9
DELETE
         E AT LEVEL 8
DELETE
         D AT LEVEL 7
         E AT LEVEL 6
DELETE
DELETE
         D AT LEVEL 5
DELETE
         E AT LEVEL 4
DELETE
         D AT LEVEL 3
DELETE
         E AT LEVEL 2
FLIP
       A TO >=
                 1 AT 1 WITH BND= -12.833333
      D TO <= 1 AT 2, BND= -22.00 TWIN= -12.93
SET
                                                   48
NEW INTEGER SOLUTION OF 22.0000000 AT BRANCH 21 PIVOT
                                                           48
BOUND ON OPTIMUM: 12.00000
FLIP
       D TO >=
                 2 AT 2 WITH BND= -12.925926
SET
      ETO <= 9 AT 3, BND= -14.08 TWIN=-0.1000E+31
                                                    50
SET
      DTO <= 4 AT 4, BND= -15.00 TWIN= -14.59
                                                   53
NEW INTEGER SOLUTION OF 15.0000000 AT BRANCH 23 PIVOT
                                                           53
BOUND ON OPTIMUM: 12.00000
DELETE
         D AT LEVEL 4
DELETE
         E AT LEVEL 3
DELETE
         D AT LEVEL 2
DELETE
         A AT LEVEL 1
RELEASE FIXED VARIABLES
FIX ALL VARS.( 2) WITH RC > 0.000000E+00
SET
      D TO <= 1 AT 1, BND= -12.57 TWIN= -12.70
                                                   63
SET
      CTO >= 2AT 2, BND = -12.75 TWIN = -0.1000E + 31 65
SET
      D TO >= 1 AT 3, BND= -12.89 TWIN= -13.29
                                                   67
                                                     67
SET
      ETO <= 9 AT 4, BND= -12.89 TWIN=-0.1000E+31
SET
      ETO >= 9 AT 5, BND= -15.43 TWIN=-0.1000E+31
DELETE
         C AT LEVEL 6
DELETE
         E AT LEVEL 5
DELETE
         E AT LEVEL 4
                 0 AT 3 WITH BND= -13.285714
FLIP
       D TO <=
SET
      CTO >= 4 AT 4, BND= -13.81 TWIN=-0.1000E+31
                                                      71
SET
      CTO <= 4 AT 5, BND= -13.81 TWIN=-0.1000E+31
                                                     71
DELETE
         E AT LEVEL 6
DELETE
         C AT LEVEL 5
```

```
C AT LEVEL 4
DELETE
DELETE D AT LEVEL 3
DELETE
         C AT LEVEL 2
FLIP
      DTO >= 2 AT 1 WITH BND= -12.703704
      ETO <= 9 AT 2, BND= -13.58 TWIN=-0.1000E+31 73
SET
SET
      ETO >= 9 AT 3, BND= -13.58 TWIN=-0.1000E+31 73
SET
      DTO <= 3 AT 4, BND= -14.00 TWIN=-0.1000E+31 74
NEW INTEGER SOLUTION OF 14.0000000 AT BRANCH 31 PIVOT
                                                      74
BOUND ON OPTIMUM: 12.33333
DELETE
         D AT LEVEL 4
DELETE
         E AT LEVEL 3
DELETE
         E AT LEVEL 2
DELETE
         D AT LEVEL 1
RELEASE FIXED VARIABLES
FIX ALL VARS.( 2) WITH RC > 0.000000E+00
      D TO >= 2 AT 1, BND= -12.85 TWIN= -14.67
SET
SET
      DTO <= 2 AT 2, BND= -12.85 TWIN=-0.1000E+31 83
      ETO <= 9 AT 3, BND= -19.67 TWIN=-0.1000E+31 85
SET
DELETE
         E AT LEVEL 3
DELETE
         D AT LEVEL 2
DELETE
         D AT LEVEL 1
RELEASE FIXED VARIABLES
      CTO <= 0 AT 1, BND= -13.58 TWIN= -13.08
                                                97
DELETE
         C AT LEVEL 1
ENUMERATION COMPLETE. BRANCHES= 34 PIVOTS= 97
```

LAST INTEGER SOLUTION IS THE BEST FOUND RE-INSTALLING BEST SOLUTION...

OBJECTIVE FUNCTION VALUE

1) 14.00000

VARIABLE	VALUE	REDUCED COST
Α	0.000000	1.000000
В	0.000000	1.000000
С	2.000000	1.000000
D	3.000000	1.000000
Ε	9.000000	1.000000

ROW SLACK OR SURPLUS DUAL PRICES

2) 0.000000 0.000000

NO. ITERATIONS= 97 BRANCHES= 34 DETERM.= 1.000E 0