

Type Inference and Polymorphism for C

Jiří Klepl

September 2020

The C Language

- Valued for its simplicity and code transparency
- One of the most influential languages in systems development
- The language of kernel development
- No support for polymorphism
- Generic constructions must be simulated (macros, void*)

Generic Programming in C (example from BSD: queue.h)

```
SLIST_HEAD(slisthead, entry) head = SLIST_HEAD_INITIALIZER(head);
```

```
struct entry {  
    ...  
    SLIST_ENTRY(entry) entries; /* Singly-linked List. */  
    ...  
} *n1;
```

```
n1 = malloc(sizeof(struct entry));  
SLIST_INSERT_HEAD(&head, n1, entries); /* Insert at the head. */
```

Generic Programming in C (example from BSD: queue.h)

```
SLIST_HEAD(slisthead, entry) head = SLIST_HEAD_INITIALIZER(head);

struct entry {
    ...
    SLIST_ENTRY(entry) entries; /* Singly-linked List. */
    ...
} *n1;

n1 = malloc(sizeof(struct entry));
SLIST_INSERT_HEAD(&head, n1, entries); /* Insert at the head. */
```

We have to provide type-relevant information (this could be inferred).

Example from BSD: queue.h

```
SLIST_HEAD(int_slist, int_entry) head = SLIST_HEAD_INITIALIZER(head)
```

```
struct int_entry {  
    SLIST_ENTRY(int_entry) entries;  
    int value;  
} n1;
```

```
n1 = malloc(sizeof(struct int_entry));  
n1->value = 1;  
SLIST_INSERT_HEAD(&head, n1, entries);
```

Our approach

- Minimal language extension
- Hindley-Milner-style polymorphism and inference
- Type classes for overloading

Our approach

- Minimal language extension
- Hindley-Milner-style polymorphism and inference
- Type classes for overloading

```
a head = empty(); // the type is inferred
insert_head(&head, (int)1);
```

Polymorphic list implementation

```
<a : b ~ struct list : <a> > // type variables and derived types
struct list {
    b *next;
    a value;
};
```

```
<a : b ~ struct list : <a> >
void insert_head(b **head, a value) {
    b *node = new(); // required type for new() is inferred
    node->next = *head;
    node->value = value;
    *head = node;
}
```


Simple helper functions

```
<a, b : c ~ b : <a> >  
c *empty() {  
    return (c *)NULL;  
}
```

```
<a>  
a *new() {  
    return (a *)malloc(sizeof(a));  
}
```

- Proof-of-concept compiler to C
- Functionality partially overlaps with C++ templates
- Practical programs that work with CHM
- Identified future challenges:
 - implicit conversions (subtyping, constantness, ...)
 - type of `struct` accessors

Example output

Compiler output: normal C code, can be compiled with gcc

```
typedef struct TA7TC4list3int TA7TC4list3int;
struct TA7TC4list3int {  TA7TC4list3int * next; int value;  };

TA7TC4list3int * __new_TF018TP14TA7TC4list3int()
{  return (TA7TC4list3int *) malloc(sizeof(TA7TC4list3int));  }

void __insert_head_TF25TP18TP14TA7TC4list3intint7TC4Void(TA7TC4list3int * * head,
                                                         int value)
{  TA7TC4list3int * node = __new_TF018TP14TA7TC4list3int();
   node->next = *head;
   node->value = value;
   *head = node;  }

TA7TC4list3int * __nullptr_TF018TP14TA7TC4list3int()
{  return (TA7TC4list3int *) (void *) 0;  }

TP14TA7TC4list3int head = __nullptr_TF018TP14TA7TC4list3int();
__insert_head_TF25TP18TP14TA7TC4list3intint7TC4Void(&head, (int) 1);
```

How does the CHM compiler work?

Implementation overview

- Parsing (uses modified Language.C)
- Conversion to λ_C
- Type Inference (uses modified THIH)
- Monomorphization
 - Instantiation
 - Mangling ('TP', 'TF', structs, primitive types)
- Code output
- Compiling (uses gcc)

Representing C types using λ_c conversion

- Primitive types and structs (unions) modeled directly:
 - $[[t]]_{\lambda_c} = t$
- Pointers and functions:
 - $[[t *]]_{\lambda_c} = (*) [[t]]_{\lambda_c}$
 - $[[t(p_1, \dots p_n)]]_{\lambda_c} = ([[p_1]]_{\lambda_c}, \dots, [[p_n]]_{\lambda_c}) \rightarrow [[t]]_{\lambda_c}$

Representing C types using λ_c conversion

- Primitive types and structs (unions) modeled directly:
 - $[[t]]_{\lambda_c} = t$
- Pointers and functions:
 - $[[t *]]_{\lambda_c} = (*) [[t]]_{\lambda_c}$
 - $[[t(p_1, \dots p_n)]]_{\lambda_c} = ([[p_1]]_{\lambda_c}, \dots, [[p_n]]_{\lambda_c}) \rightarrow [[t]]_{\lambda_c}$

Representing type dependencies inside C constructs using λ_C conversion

- An example for C addition (functions and initializations more complex)
 - $[[a + b]]_{\lambda_C} = (+) [[a]]_{\lambda_C} [[b]]_{\lambda_C}$
 - $(+) : \forall \alpha. \text{Num}(\alpha) \Rightarrow \alpha \rightarrow \alpha \rightarrow \alpha$
- Challenges
 - No implicit casts (we can use explicit casts)
 - Const semantics with the C syntax do not fit type inference rules
 - C dot operator with a given field syntactically equivalent to a function
 - To preserve syntax we have to make limitations on field types

Extending the language (polymorphic functions and structures)

<a>

```
a copy(a value) { return value; }
```

<a>

```
struct container { a value; };
```

<a : b ~ container : <a> >

```
b wrap(a value) {  
    b wrapper;  
    wrapper.value = value;  
    return wrapper;  
}
```

User-defined type classes and instances

```
<a : Div<a> >
class SafeDiv<a> {
  a safe_div(a left,
             a right);
}

instance SafeDiv<float> {
  float safe_div(float left,
                 float right) {
    return left / right;
  }
}
```

```
instance SafeDiv<int> {
  int safe_div(int left,
               int right) {
    if (right != 0)
      return left / right;
    else return 0;
  }
}
```

Thank you for attention!