

Effect of Socio-Economic Factors on Student's Performance

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Introduction :

School has become a place to compete against the world to prove yourself and set yourself apart from the crowd to excel. This is done to measure everyone's grasping power with the same yardstick marks. This is in no way the right manner to judge a person's intelligence. Each individual is different, everyone comes from a varied set of backgrounds. There can never be a single yardstick that can measure each and everyone. This analysis is trying to prove that.

There are various effects that have been in place in the background and have different effects on the ability of the student to perform in exams.

Central Idea

Here we will try to peg everything against the G3 value to understand performance factors. All factors against the marks to understand direct effect on marks.

In between we will also try to understand if one type column has significant dependence on the other to understand the whole picture.

Dataset Description

The following is an extensive data set that has many social factors also included in the records. There are 3 types of marks. G1, G2 and G3 are three marks that correspond to the first period, second period and the final marks. There are other factors present in the data set that range from being related socially to being able to show economical situation of the student.

```
show(data_scheme)
```

##	i..Variable	Type	Description
## 1			
## 2	school	categorical	One of the two schools
## 3	sex	categorical	Male or Female
## 4	age	continuous	Age from 18 -22
## 5	address	categorical	Urban or Rural
## 6	famsize	categorical	LT3 - Less Than 3 ; GT3 - Greater than 3
## 7	Pstatus	categorical	Living 'T' (Together) or 'A' (Apart)
## 8	Medu	categorical	Level of Education (5 levels - From 0 to 4)
## 9	Fedu	categorical	Level of Education (5 levels - From 0 to 4)
## 10	Mjob	categorical	Types of Jobs
## 11	Fjob	categorical	Types of Jobs
## 12	traveltime	categorical	Level of Travel (4 levels - From 1 - 4)

```
## 13 studytime categorical      Level of Study Time (4 levels - From 1-4)
## 14 failure categorical        Past failures ( n if 1<=n<3 or 4
## 15 schoolsup categorical      Yes / No for support from school
## 16 famsup categorical        Yes / No for support from family
## 17 paid categorical          Yes / No for paid classes
## 18 nursery categorical       Yes / No for nursery attendance
## 19 internet categorical      Yes / No for availability
## 20 goout categorical         Level from 1-5
## 21 romantic categorical      Yes / No from involvement in romantic activities
## 22 freetime categorical      Level of Free time from 1-5
## 23 health categorical       Quality of health from 1-5
## 24 G1 continuous            Marks for first period
## 25 G2 continuous            Marks for second period
## 26 G3 continuous            Marks for third period
```

```
head(student.mat,3)
```

```
## school sex age address famsize Pstatus Medu Fedu Mjob Fjob traveltime
## 1 GP F 18 U GT3 A 4 4 at_home teacher 2
## 2 GP F 17 U GT3 T 1 1 at_home other 1
## 3 GP F 15 U LE3 T 1 1 at_home other 1
## studytime failures schoolsup famsup paid nursery internet romantic freetime
## 1 2 0 yes no no yes no no 3
## 2 2 0 no yes no no yes no 3
## 3 2 3 yes no yes yes yes no 3
## goout health absences G1 G2 G3
## 1 4 3 6 5 6 6
## 2 3 3 4 5 5 6
## 3 2 3 10 7 8 10
```

Analysis

Gender Distribution

```
ggplot(student.mat, aes(x=sex)) + geom_bar(stat = "count",width = 0.5,fill=primary)
```

```
paste("Total number of students in the sample", nrow(student.mat))
```

```
## [1] "Total number of students in the sample 395"
```

```
paste("Number of Male Students: ",nrow(student.mat[student.mat$sex == 'M',]))
```

```
## [1] "Number of Male Students: 187"
```

```
paste("Number of Female Students: ",nrow(student.mat[student.mat$sex == 'F',]))
```

```
## [1] "Number of Female Students: 208"
```

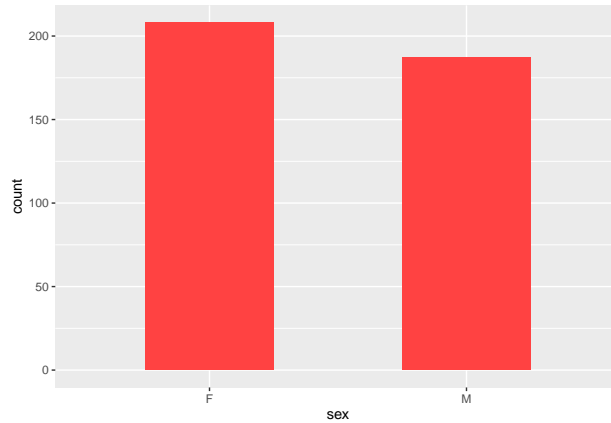


Figure 1: Population distribution between genders

This graph shows that there is no class bias in the dataset, the number of male is almost similar to the number of females.

Frequency Distribution of Male Population

```
ggplot(student.mat[student.mat$sex == "M",], aes(age)) + geom_histogram(fill=primary,binwidth = 1) +
geom_vline(xintercept=mean(student.mat[student.mat$sex == "M",]$age),size=2, color=secondary) +
geom_vline(color=third, size=2,xintercept=median(student.mat[student.mat$sex == "M",]$age))
```

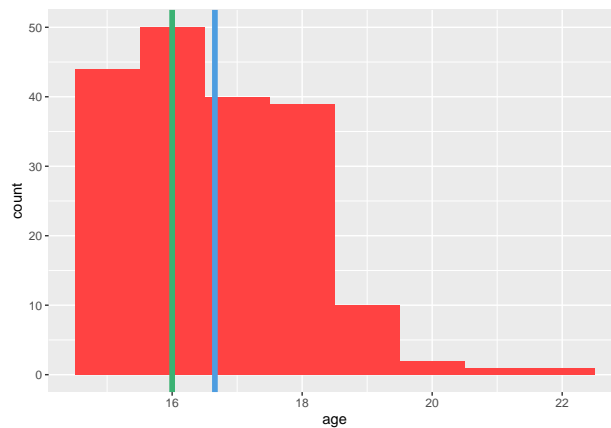


Figure 2: Male Population frequency distribution

This shows that the age of males is skewed to the left and has a tail towards the right. The Green line is the median of the distribution and the blue line is the mean of the distribution.

Frequency Distribution of Female Population

```
ggplot(student.mat[student.mat$sex == "F",], aes(age)) + geom_histogram(fill=primary,binwidth = 1) +
geom_vline(xintercept=mean(student.mat[student.mat$sex == "F",]$age),size=2, color=secondary) +
geom_vline(color=third, size=2,xintercept=median(student.mat[student.mat$sex == "F",]$age))
```

This shows that the distribution is slightly skewed to the right but not by a lot. Here also the green line shows the median and the blue line shows the mean of the distribution.

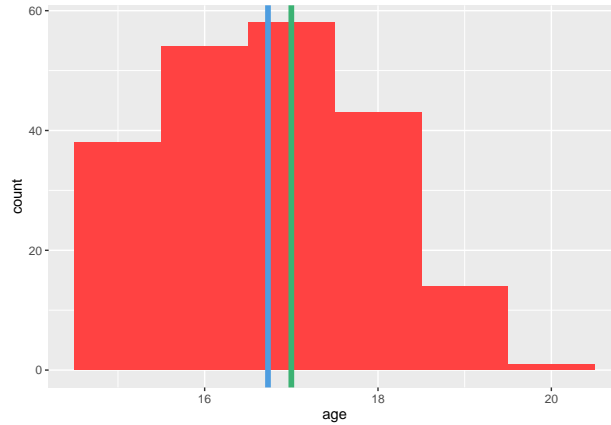


Figure 3: Female population frequency distribution

Dependence of Sex on the Living Arrangement

To get the dependence as they both are categorical in nature, we prefer using the Chi Square Test of Independence to test the significance of one on the other.

H_0 : There is no significant dependence between sex and living arrangement

H_1 : There is significant dependence between sex and living arrangement

```
chisq.test(student.mat$sex,student.mat$Pstatus)
```

```
##
## Pearson's Chi-squared test with Yates' continuity correction
##
## data: student.mat$sex and student.mat$Pstatus
## X-squared = 0.090428, df = 1, p-value = 0.7636
```

Here we see the P-value of the test comes out to be 0.76 which is greater than 0.05 which is the threshold value to reject the Null Hypothesis and shift to the alternate hypothesis.

Result : We seek to determine if there is a significant dependence of sex on the living arrangement'. 395 Students from both the schools combined were used as a sample. The sample population constituted 208 female and 187 male candidates. A Chi Square Test revealed the X^2 value of 0.09, degree of freedom to be 1 and the p-value to be 0.76. This means that we reject the null hypothesis and select the alternate hypothesis that says that there is a significant dependence between the 2 metrics.

Difference in Male & Female population with respect to marks

We will work this out using an Independent Sample T-Test as the sample space is the same but we have divided them into groups to find if gender influences marks.

Here we will use all the marks namely G1, G2 & G3 to understand if different period marks have different effect.

We will use the same hypothesis for all the three tests between the separated population.

H_0 : There is no difference between the marks of the corresponding periods for male and female

H_1 : There is difference between the marks of the corresponding periods for male and female

```
pulled_df <- as.data.frame(as.data.frame(student.mat)[,c("sex", "G1", "G2", "G3")])
gender.groupings <- group_by(pulled_df, sex)
get_summary_stats(gender.groupings)
```

```
## # A tibble: 6 x 14
##   sex   variable      n   min   max median    q1    q3   iqr   mad   mean    sd
##   <chr> <chr>      <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl>
## 1 F     G1         208     4    19     10     8    13     5  2.96 10.6   3.23
## 2 F     G2         208     0    18     10     8    13     5  2.96 10.4   3.64
## 3 F     G3         208     0    19     10     8    13     5  4.45  9.97  4.62
## 4 M     G1         187     3    19     11     9    14     5  4.45 11.2   3.39
## 5 M     G2         187     0    19     11     9    14     5  2.96 11.1   3.87
## 6 M     G3         187     0    20     11     9    14     5  4.45 10.9   4.50
## # ... with 2 more variables: se <dbl>, ci <dbl>
```

```
identify_outliers(gender.groupings, G1)
```

```
## [1] sex      G1      G2      G3      is.outlier is.extreme
## <0 rows> (or 0-length row.names)
```

```
identify_outliers(gender.groupings, G2)
```

```
## # A tibble: 13 x 6
##   sex    G1    G2    G3 is.outlier is.extreme
##   <chr> <int> <int> <int> <lgl>      <lgl>
## 1 F      12     0     0 TRUE      FALSE
## 2 F       8     0     0 TRUE      FALSE
## 3 F      11     0     0 TRUE      FALSE
## 4 F       4     0     0 TRUE      FALSE
## 5 F       7     0     0 TRUE      FALSE
## 6 F       6     0     0 TRUE      FALSE
## 7 F       7     0     0 TRUE      FALSE
## 8 M       9     0     0 TRUE      FALSE
## 9 M      10     0     0 TRUE      FALSE
## 10 M      5     0     0 TRUE      FALSE
## 11 M      5     0     0 TRUE      FALSE
## 12 M      7     0     0 TRUE      FALSE
## 13 M      6     0     0 TRUE      FALSE
```

```
identify_outliers(gender.groupings, G3)
```

```
## # A tibble: 38 x 6
##   sex    G1    G2    G3 is.outlier is.extreme
##   <chr> <int> <int> <int> <lgl>      <lgl>
## 1 F      12     0     0 TRUE      FALSE
## 2 F       8     0     0 TRUE      FALSE
## 3 F      11     0     0 TRUE      FALSE
## 4 F       4     0     0 TRUE      FALSE
## 5 F       6     7     0 TRUE      FALSE
## 6 F       6     7     0 TRUE      FALSE
## 7 F       8     7     0 TRUE      FALSE
```

```
## 8 F      6      5      0 TRUE      FALSE
## 9 F      7      0      0 TRUE      FALSE
## 10 F     10      9      0 TRUE      FALSE
## # ... with 28 more rows
```

```
t.test(male_students$G1, female_students$G1)
```

```
##
## Welch Two Sample t-test
##
## data: male_students$G1 and female_students$G1
## t = 1.8237, df = 383.79, p-value = 0.06898
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -0.04764732 1.26715575
## sample estimates:
## mean of x mean of y
## 11.22995 10.62019
```

```
t.test(male_students$G2, female_students$G2)
```

```
##
## Welch Two Sample t-test
##
## data: male_students$G2 and female_students$G2
## t = 1.8077, df = 382.38, p-value = 0.07144
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -0.060092 1.430978
## sample estimates:
## mean of x mean of y
## 11.07487 10.38942
```

```
t.test(male_students$G3, female_students$G3)
```

```
##
## Welch Two Sample t-test
##
## data: male_students$G3 and female_students$G3
## t = 2.0651, df = 390.57, p-value = 0.03958
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## 0.04545244 1.85073226
## sample estimates:
## mean of x mean of y
## 10.914439 9.966346
```

Result: We did this test to determine if gender influences any test scores. The tests were conducted for marks from all the periods that are namely G1, G2 and G3 respectively. The sample space was populated with a total of 395 students of which 208 are female and 187 are male candidates. We performed t-tests for finding if there is a difference in means of both the groups. In all the three tests pegged to the test period we found that there is a difference in the sample means for all the test periods. This test reveals that gender does influence marks irrespective of the test period in question.

Difference between the 2 schools

```
paste("Number of Students from GP school", nrow(gp_school))
```

```
## [1] "Number of Students from GP school 349"
```

```
paste("Number of Students from MS school", nrow(ms_school))
```

```
## [1] "Number of Students from MS school 46"
```

We will use the independent t-test across schools for all the evaluation periods and try to understand if school also makes a difference when it comes to marks.

H_0 : There is -no difference between the marks of the students from different schools of the corresponding periods

H_1 : There is difference between the marks of the students from different schools of the corresponding periods

```
get_summary_stats(school.grouping)
```

```
## # A tibble: 6 x 14
##   school variable      n   min   max median    q1    q3   iqr   mad   mean    sd
##   <chr>   <chr>   <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl> <dbl>
## 1 GP      G1       349     3    19    11     8    13     5    4.45 10.9   3.32
## 2 GP      G2       349     0    19    11     9    13     4    2.96 10.8   3.81
## 3 GP      G3       349     0    20    11     8    14     6    4.45 10.5   4.62
## 4 MS      G1        46     6    19   10.5     8    13     5    3.71 10.7   3.35
## 5 MS      G2        46     5    18    10     8   12.8   4.75  3.71 10.2   3.38
## 6 MS      G3        46     0    19    10     8   12.8   4.75  2.96  9.85  4.24
## # ... with 2 more variables: se <dbl>, ci <dbl>
```

```
identify_outliers(school.grouping, G1)
```

```
## [1] school      G1          G2          G3          is.outlier is.extreme
## <0 rows> (or 0-length row.names)
```

```
identify_outliers(school.grouping, G2)
```

```
## # A tibble: 13 x 6
##   school  G1  G2  G3 is.outlier is.extreme
##   <chr> <int> <int> <int> <lgl>      <lgl>
## 1 GP      12    0    0 TRUE      FALSE
## 2 GP       8    0    0 TRUE      FALSE
## 3 GP       9    0    0 TRUE      FALSE
## 4 GP      11    0    0 TRUE      FALSE
## 5 GP      10    0    0 TRUE      FALSE
## 6 GP       4    0    0 TRUE      FALSE
## 7 GP       5    0    0 TRUE      FALSE
## 8 GP       5    0    0 TRUE      FALSE
## 9 GP       7    0    0 TRUE      FALSE
```

```
## 10 GP      6      0      0 TRUE      FALSE
## 11 GP      7      0      0 TRUE      FALSE
## 12 GP      6      0      0 TRUE      FALSE
## 13 GP      7      0      0 TRUE      FALSE
```

```
identify_outliers(school.grouping, G3)
```

```
## # A tibble: 4 x 6
##   school    G1    G2    G3 is.outlier is.extreme
##   <chr> <int> <int> <int> <lgl>      <lgl>
## 1 MS      7      6      0 TRUE      FALSE
## 2 MS      6      5      0 TRUE      FALSE
## 3 MS      7      5      0 TRUE      FALSE
## 4 MS      6      5      0 TRUE      FALSE
```

```
t.test(ms_school$G1, gp_school$G1)
```

```
##
## Welch Two Sample t-test
##
## data: ms_school$G1 and gp_school$G1
## t = -0.50699, df = 57.297, p-value = 0.6141
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -1.3160832  0.7842532
## sample estimates:
## mean of x mean of y
## 10.67391 10.93983
```

```
t.test(ms_school$G2, gp_school$G2)
```

```
##
## Welch Two Sample t-test
##
## data: ms_school$G2 and gp_school$G2
## t = -1.0902, df = 61.128, p-value = 0.2799
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -1.6624404  0.4892748
## sample estimates:
## mean of x mean of y
## 10.19565 10.78223
```

```
t.test(ms_school$G3, gp_school$G3)
```

```
##
## Welch Two Sample t-test
##
## data: ms_school$G3 and gp_school$G3
## t = -0.95555, df = 60.054, p-value = 0.3431
## alternative hypothesis: true difference in means is not equal to 0
```



```
## 95 percent confidence interval:
## -1.9863568 0.7020663
## sample estimates:
## mean of x mean of y
## 9.847826 10.489971
```

Result: We conducted the test to understand if the type of school has an influence on the marks that for all the periods. The sample space has 349 students from the GP school and 46 from the MS school. We ran T-Tests of independence and we found that the means are not equal. Which means that we reject the null hypothesis of equal means and understand that school has significant influence on the marks a student gets.

Multiple Regression for Correlation

Between G1, G2 and G3

```
ggplot(student.mat, aes(x=G1, y=G3)) + geom_point(color=primary) +
  geom_smooth(method='lm', color=third)
```

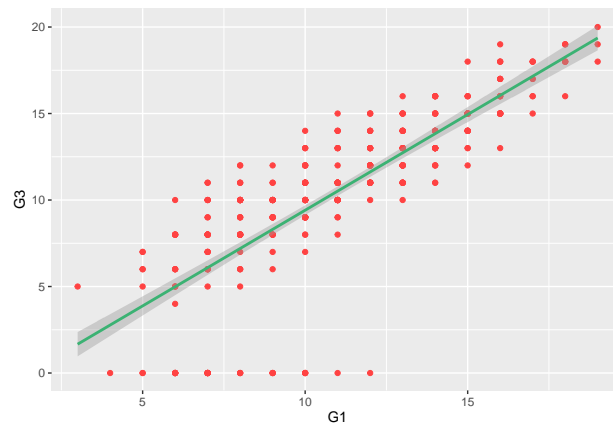


Figure 4: G1 marks vs G3 Marks with Regression Line

```
ggplot(student.mat, aes(x=G2, y=G3)) + geom_point(color=primary) +
  geom_smooth(method='lm', color=third)
```

```
lm(G3 ~ G1+G2, data = student.mat)
```

```
##
## Call:
## lm(formula = G3 ~ G1 + G2, data = student.mat)
##
## Coefficients:
## (Intercept)      G1      G2
##    -1.8300    0.1533    0.9869
```

Result: We conducted test to see if there is a correlation between the G1, G2 v/s G3 marks. This would help us understand if there is a dependence on the final marks by the past marks. We did a multiple regression between G1, G2 and G3 to get the regression formula that will help us get the approximate relation between the said variables. $\hat{y} = -1.83 + (0.1533)G1 + (0.9869)G2$ came out to be the final multiple regression relationship.

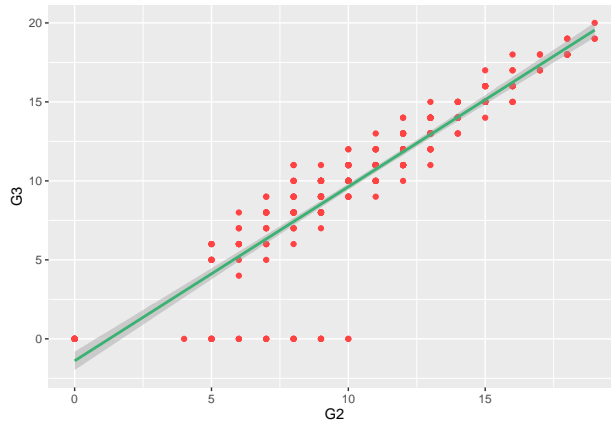


Figure 5: G1 marks vs G3 Marks with Regression Line

ANOVA between Family Support, School Support and G3 marks.

H_0 : There is no dependence of Marks on the Family and School Support

H_1 : There is dependence of Marks on the Family and School Support

```
identify_outliers(student.mat, G3)
```

```
## [1] school    sex      age      address  famsize  Pstatus
## [7] Medu      Fedu      Mjob     Fjob     traveltime studytime
## [13] failures  schoolsup famsup    paid     nursery  internet
## [19] romantic  freetime  goout    health   absences  G1
## [25] G2        G3        is.outlier is.extreme
## <0 rows> (or 0-length row.names)
```

```
shapiro_test(student.mat, G3)
```

```
## # A tibble: 1 x 3
##   variable statistic      p
##   <chr>      <dbl>  <dbl>
## 1 G3          0.929 8.84e-13
```

```
levene_test(student.mat, G3 ~ famsup*schoolsup)
```

```
## # A tibble: 1 x 4
##   df1 df2 statistic      p
##   <int> <int>   <dbl>  <dbl>
## 1     3   391     3.32 0.0200
```

```
anova_test(student.mat, G3 ~ famsup*schoolsup)
```

```
## ANOVA Table (type II tests)
```

```
##
##           Effect DFn DFd      F      p p<.05      ges
## 1           famsup   1 391 0.371 0.543      0.000948
## 2          schoolsup   1 391 2.472 0.117      0.006000
## 3 famsup:schoolsup   1 391 0.739 0.391      0.002000
```

```

model <- lm(G3 ~ famsup+schoolsup,data = student.mat)
anova_school_grouping <- group_by(student.mat, schoolsup)
anova_test(anova_school_grouping, G3 ~ famsup, error = model)

```

```

## # A tibble: 2 x 8
##   schoolsup Effect    DFn   DFd     F      p 'p<.05'      ges
## * <chr>      <chr> <dbl> <dbl> <dbl> <dbl> <chr>      <dbl>
## 1 no        famsup     1    392 0.089 0.765 ""      0.000228
## 2 yes        famsup     1    392 1.02  0.313 ""      0.003

```

Result: We did the test in order to check if there is any influence of family and school's support on the marks of the student. We performed an Two-Way ANOVA in order to test the hypotheses. The p-values for all the relations came back positive that shows that school support and family support individually also have an influence on the student's marks. Combined family and school support yields a p-value of 0.391 which satisfies $p > 0.05$ and hence we reject the null hypothesis and understand that family and school support together have a significant influence on the final period marks.

Conclusion