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SOLUTIONS MANUAL

DIGITAL DESIGN

WITH AN INTRODUCTION TO THE VERILOG HDL Fifth Edition

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CHAPTER 1

- 1.1 Base-10: 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 Octal: 20 21 22 23 24 25 26 27 30 31 32 33 34 35 36 37 40 Hex: 10 11 12 13 14 15 16 17 18 19 1A 1B 1C 1D 1E 1F 20 Base-12 14 15 16 17 18 19 1A 1B 20 21 22 23 24 25 26 27 28
- **1.2** (a) 32,768 (b) 67,108,864 (c) 6,871,947,674
- **1.3** $(4310)_5 = 4 * 5^3 + 3 * 5^2 + 1 * 5^1 = 580_{10}$

$$(198)_{12} = 1 * 12^2 + 9 * 12^1 + 8 * 12^0 = 260_{10}$$

$$(435)_8 = 4 * 8^2 + 3 * 8^1 + 5 * 8^0 = 285_{10}$$

$$(345)_6 = 3 * 6^2 + 4 * 6^1 + 5 * 6^0 = 137_{10}$$

- 1.5 Let b = base

(a)
$$14/2 = (b+4)/2 = 5$$
, so $b = 6$

(b)
$$54/4 = (5*b+4)/4 = b+3$$
, so $5*b=52-4$, and $b=8$

(c)
$$(2 *b + 4) + (b + 7) = 4b$$
, so $b = 11$

1.6
$$(x-3)(x-6) = x^2 - (6+3)x + 6*3 = x^2 - 11x + 22$$

Therefore:
$$6 + 3 = b + 1m$$
, so $b = 8$
Also, $6*3 = (18)_{10} = (22)_8$

- 1.7 $64CD_{16} = 0110_0100_1100_1101_2 = 110_010_011_001_101 = (62315)_8$
- **1.8** (a) Results of repeated division by 2 (quotients are followed by remainders):

$$431_{10} = 215(1); \quad 107(1); \quad 53(1); \quad 26(1); \quad 13(0); \quad 6(1) \quad \quad 3(0) \quad \quad 1(1)$$

Answer: $1111_{1}010_{2} = FA_{16}$

(b) Results of repeated division by 16:

- **1.9** (a) $10110.0101_2 = 16 + 4 + 2 + .25 + .0625 = 22.3125$
 - **(b)** $16.5_{16} = 16 + 6 + 5*(.0615) = 22.3125$

(c)
$$26.24_8 = 2 * 8 + 6 + 2/8 + 4/64 = 22.3125$$

(d) DADA.B₁₆ =
$$14*16^3 + 10*16^2 + 14*16 + 10 + 11/16 = 60,138.6875$$

(e)
$$1010.1101_2 = 8 + 2 + .5 + .25 + .0625 = 10.8125$$

1.10 (a)
$$1.10010_2 = 0001.1001_2 = 1.9_{16} = 1 + 9/16 = 1.563_{10}$$

(b)
$$110.010_2 = 0110.0100_2 = 6.4_{16} = 6 + 4/16 = 6.25_{10}$$

Reason: 110.010_2 is the same as 1.10010_2 shifted to the left by two places.

$$\begin{array}{c|c} \textbf{1.11} & & \frac{1011.11}{111011.0000} \\ & \frac{101}{01001} \\ & \frac{101}{1001} \\ & \frac{101}{1000} \\ & \frac{101}{1000} \\ & \frac{101}{0110} \end{array}$$

The quotient is carried to two decimal places, giving 1011.11 Checking: $111011_2/101_2=59_{10}/5_{10}\cong1011.11_2=58.75_{10}$

1.12 (a) 10000 and 110111

$$\begin{array}{c|cccc}
1011 & & & & & & & \\
 & +101 & & & & & & \\
\hline
10000 = 16_{10} & & & & & & \\
 & & & & & & \\
\hline
1011 & & & & & \\
 & & & & & & \\
\hline
1011 & & & & \\
\hline
11011 = 55_{10}
\end{array}$$

(b) 62_h and 958_h

1.13 (a) Convert 27.315 to binary:

	Integer		Remainder	Coefficient
	Quotient			
27/2 =	13	+	1/2	$a_0 = 1$
13/2	6	+	1/2	$a_1 = 1$
6/2	3	+	0	$a_2 = 0$
3/2	1	+	1/2	$a_3 = 1$
1/2	0	+	1/2	$a_4 = 1$

```
27_{10} = 11011_2
                             Integer
                                                Fraction Coefficient
               .315 \times 2 =
                                 0
                                               .630
                                                          a_{-1} = 0
               .630 \times 2 =
                                 1
                                                .26
                                                           a_{-2} = 1
                                                           a_{-3} = 0
                                                .52
               .26 x 2
                         =
                                 0
               .52 x 2
                                                .04
                                                           a_{-4} = 1
               .315_{10} \approx .0101_2 = .25 + .0625 = .3125
              27.315 \cong 11011.0101_2
           (b) 2/3 \approx .6666666667
                                                                             Coefficient
                                     Integer
                                                       Fraction
               .6666 6666 67 x 2
                                                      .3333 3333 34
                                                                                 a_{-1} = 1
                                                                                 a_{-2} = 0
               .3333<del>3</del>3333<del>4</del> x 2
                                    = 0
                                                   + .666666668
               .666666668 x 2
                                    = 1
                                                       .3333333336
                                                                                 a_{-3} = 1
                                                                                a_{-4} = 0
               .3333333336 x 2
                                    = 0
                                                       .6666666672
               .6666666672 x 2
                                    = 1
                                                      .3333333344
                                                                                 a_{-5} = 1
                                                                                a_{-6} = 0
               .333333344 x 2
                                    = 0
                                                       .666666688
               .666666688 x 2
                                    = 1
                                                       .3333333376
                                                                                 a_{-7} = 1
               .3333333376 x 2
                                                      .6666666752
                                                                                 a_{-8} = 0
               .6666666667_{10} \cong .10101010_2 = .5 + .125 + .0313 + ..0078 = .6641_{10}
               .101010102 = .1010 \ 1010_2 = .AA_{16} = 10/16 + 10/256 = .6641_{10} (Same as (b)).
                                                                                        1101_1010
1.14
           (a)
                         0001_0000
                                                           0000\_0000
                                                                         (c)
                                                                             1s comp: 0010 0101
               1s comp: 1110 1111
                                                1s comp: 1111 1111
                                                                             2s comp: 0010_0110
               2s comp: 1111_0000
                                                2s comp: 0000_0000
                         1010 1010
                                                           1000 0101
                                                                                        1111 1111
               1s comp: 0101 0101
                                                1s comp: 0111 1010
                                                                             1s comp: 0000 0000
                                                2s comp: 0111_1011
                                                                             2s comp: 0000_0001
               2s comp: 0101_0110
1.15
                         25,478,036
                                                           63,325,600
               9s comp: 74,521,963
                                                9s comp: 36,674,399
               10s comp: 74,521,964
                                                10s comp: 36,674,400
                         25,000,000
                                                             00000000
           (c)
               9s comp: 74,999,999
                                                            9999999
                                                9s comp:
               10s comp: 75,000,000
                                                10s comp: 100000000
1.16
                             C3DF
                                                C3DF: 1100_0011_1101_1111
                                               1s comp: 0011_1100_0010_0000
2s comp: 0011_1100_0010_0001 = 3C21
               15s comp:
                             3C20
               16s comp:
                             3C21
           (a) 2,579 \rightarrow 02,579 \rightarrow 97,420 \text{ (9s comp)} \rightarrow 97,421 \text{ (10s comp)}
1.17
               4637 - 2,579 = 2,579 + 97,421 = 2058_{10}
           (b) 1800 \rightarrow 01800 \rightarrow 98199 \text{ (9s comp)} \rightarrow 98200 \text{ (10 comp)}
               125 - 1800 = 00125 + 98200 = 98325 (negative)
               Magnitude: 1675
              Result: 125 - 1800 = 1675
```

```
Magnitude: 2318
              Result: 2043 - 6152 = -2318
           (d) 745 \rightarrow 00745 \rightarrow 99254 \text{ (9s comp)} \rightarrow 99255 \text{ (10s comp)}
               1631 - 745 = 01631 + 99255 = 0886 (Positive)
               Result: 1631 - 745 = 886
1.18
           Note: Consider sign extension with 2s complement arithmetic.
                         0 10010
                                                               0 100110
               1s comp: 1_01101
                                                   1s comp: 1_011001 with sign extension
               2s comp: 1_01110
                                                   2s comp: 1_011010
                         0 10011
                                                               0^{-}100010
               Diff:
                         0 00001 (Positive)
                                                               1 111100 sign bit indicates that the result is negative
              Check: 19-18 = +1
                                                               0 000011 1s complement
                                                               0_000100 2s complement
                                                                 000100 magnitude
                                                               Result: -4
                                                               Check: 34 - 38 = -4
                                                               0 010101
                         0 110101
               1s comp: 1_001010
                                                   1s comp: 1 101010 with sign extension
              2s comp: 1_001011
                                                   2s comp: 1_101011
                         0 001001
                                                               0 101000
              Diff:
                         1_010100 (negative)
                                                               0_010011 sign bit indicates that the result is positive
                                                               Result: 19<sub>10</sub>
                         0_101011 (1s comp)
                         0_101100 (2s complement)
                                                               Check: 40 - 21 = 19_{10}
                            101100 (magnitude)
                                 -44<sub>10</sub> (result)
1.19
           +9286 \rightarrow 009286; +801 \rightarrow 000801; -9286 \rightarrow 990714; -801 \rightarrow 999199
           (a) (+9286) + (_801) = 009286 + 000801 = 010087
           (b) (+9286) + (-801) = 009286 + 999199 = 008485
           (c) (-9286) + (+801) = 990714 + 000801 = 991515
           (d) (-9286) + (-801) = 990714 + 999199 = 989913
           +49 \rightarrow 0_{110001} (Needs leading zero extension to indicate + value);
1.20
           +29 \rightarrow 0 011101 (Leading 0 indicates + value)
           -49 \rightarrow 1_{001110} + 0_{000001} \rightarrow 1_{001111}
           -29 → 1_100011 (sign extension indicates negative value)
           (a) (+29) + (-49) = 0_011101 + 1_001111 = 1_101100 (1 indicates negative value.)
               Magnitude = 0 \ 010011 + 0 \ 000001 = 0 \ 010100 = 20; Result (+29) + (-49) = -20
           (b) (-29) + (+49) = 1_{100011} + 0_{110001} = 0_{010100} (0 indicates positive value)
               (-29) + (+49) = +\overline{20}
```

(c) $4,361 \rightarrow 04361 \rightarrow 95638$ (9s comp) $\rightarrow 95639$ (10s comp) 2043 - 4361 = 02043 + 95639 = 97682 (Negative)

```
(c) Must increase word size by 1 (sign extension) to accommodate overflow of values:
              (-29) + (-49) = 11_100011 + 11_001111 = 10_110010 (1 indicates negative result)
              Magnitude: 01_{-}00\overline{1}110 = 78_{10}
              Result: (-29) + (-49) = -78_{10}
1.21
          +9742 \rightarrow 009742 \rightarrow 990257 \text{ (9's comp)} \rightarrow 990258 \text{ (10s) comp}
          +641 \rightarrow 000641 \rightarrow 999358 \text{ (9's comp)} \rightarrow 999359 \text{ (10s) comp}
          (a) (+9742) + (+641) \rightarrow 010383
          (b) (+9742) + (-641) \rightarrow 009742 + 999359 = 009102
              Result: (+9742) + (-641) = 9102
          (c) -9742) + (+641) = 990258 + 000641 = 990899 (negative)
              Magnitude: 009101
              Result: (-9742) + (641) = -9101
          (d) (-9742) + (-641) = 990258 + 999359 = 989617 (Negative)
              Magnitude: 10383
              Result: (-9742) + (-641) = -10383
1.22
          6,514
          BCD:
                     0110 0101 0001 0100
          ASCII:
                     0\_01\overline{1}\_011\overline{0}\_0\_0\overline{1}1\_0101\_1\_011\_0001\_1\_011\_0100
          ASCII:
                     0011_0110_0011_0101_1011_0001_1011_0100
1.23
                     0111 1001 0001 (791)
                                    1000 (+658)
                     <u>0110</u> <u>0101</u>
                     1101 1110
                                    1001
                     0110 0110
               0001 0011
                            0100
               0001 0001
               0001 0100 0100 1001 (1,449)
1.24
          (a)
                                             (b)
                                                6 4 2 1 Decimal
           6 3 1 1 Decimal
           0 0 0 0
                       0
                                                0 0 0 0
           0 0 0 1
                                                0 0 0 1
                      -1
                                                           - 1
          0 0 1 0 2
                                                0 0 1 0 2
           0 1 0 0 3
                                                0 0 1 1 3
           0 1 1 0 4 (or 0101)
                                                0\ 1\ 0\ 0\ 4
           0 1 1 1
                                                0 1 0 1
           1 0 0 0
                                                1 0 0 0 6 (or 0110)
           1 0 1 0 7 (or 1001)
                                                1 0 0 1
           1 0 1 1 8
                                                1 0 1 0 8
           1 1 0 0 9
                                                1011 9
                                           0110\_0010\_0100\_1000
1.25
                  (a) 6,248<sub>10</sub>
                                BCD:
                                Excess-3: 1001_0101_0111_1011
                  (b)
                  (c)
                                2421:
                                           0110\_0010\_0100\_1110
                                           1000_0010_0110_1011
                                6311:
                  (d)
```

1.26 6,248 9s Comp: 3,751

2421 code:

0011_0111_0101_0001 1001_1101_1011_0001 (2421 code alternative #1) 1s comp c:

 $\begin{array}{lll} 0110_0010_0100_1110 & (2421\ code\ alternative\ \#2) \\ 1001_1101_1011_0001 & Match \end{array}$ 6,2482421

1s comp c

```
    1.27 For a deck with 52 cards, we need 6 bits (2<sup>5</sup> = 32 < 52 < 64 = 2<sup>6</sup>). Let the msb's select the suit (e.g., diamonds, hearts, clubs, spades are encoded respectively as 00, 01, 10, and 11. The remaining four bits select the "number" of the card. Example: 0001 (ace) through 1011 (9), plus 101 through 1100 (jack, queen, king). This a jack of spades might be coded as 11_1010. (Note: only 52 out of 64 patterns are used.)
    1.28 G (dot) (space) B o o l e 11000111_11101111_01101000_01101110_00100000_11000100_11101111_11100101
```

```
73 F4 E5 76 E5 4A EF 62 73
      0_111_0011 s
73:
F4:
      1 111 0100 t
      1_110_0101 e
E5:
      0_111_0110 v
76:
     1_110_0101 e
0_100_1010 j
E5:
4A:
EF:
     1 110 1111 o
      0_110_0010 b
62:
```

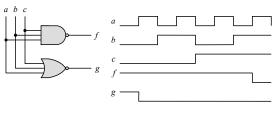
0_111_0011 s

- 1.31 62 + 32 = 94 printing characters
- 1.32 bit 6 from the right
- **1.33** (a) 897 (b) 564 (c) 871 (d) 2,199
- **1.34** ASCII for decimal digits with even parity:

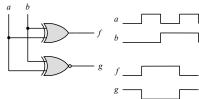
```
(0): 00110000 (1): 10110001 (2): 10110010 (3): 00110011 (4): 10110100 (5): 00110101 (6): 00110110 (7): 10110111 (8): 10111000 (9): 00111001
```

1.35 (a)

1.291.30



1.36



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CHAPTER 2

2.1 (a)

х у z	x+y+z	(x+y+z)'	x'	<i>y'</i>	z'	x'y'z'	x	y z	(xyz)	(xyz)'	x'	<i>y</i> ′	z'	x'+y'+z'
000	0	1	1	1	1	1	0	0 0	0	1	1	1	1	1
001	1	0	1	1	0	0	0	0 1	0	1	1	1	0	1
010	1	0	1	0	1	0	0	10	0	1	1	0	1	1
0 1 1	1	0	1	0	0	0	0	11	0	1	1	0	0	1
100	1	0	0	1	1	0	1	0 0	0	1	0	1	1	1
101	1	0	0	1	0	0	1	0 1	0	1	0	1	0	1
110	1	0	0	0	1	0	1	10	0	1	0	0	1	1
111	1	0	0	0	0	0	1	1 1	1	0	0	0	0	0

(b) (c)

xyz	x + yz	(x+y)	(x+z)	(x+y)(x+z)
000	0	0	0	0
001	0	0	1	0
010	0	1	0	0
0 1 1	1	1	1	1
100	1	1	1	1
101	1	1	1	1
110	1	1	1	1
111	1	1	1	1

xyz	x(y+z)	xy	XZ	xy + xz
0 0 0	0	0	0	0
001	0	0	0	0
010	0	0	0	0
0 1 1	0	0	0	0
100	0	0	0	0
101	1	0	1	1
1 1 0	1	1	0	1
111	1	1	1	1

(c) (d)

xyz	x	y+z	x+(y+z)	(x+y)	(x+y)+
000	0	0	0	0	0
001	0	1	1	0	1
010	0	1	1	1	1
0 1 1	0	1	1	1	1
100	1	0	1	1	1
101	1	1	1	1	1
110	1	1	1	1	1
1 1 1	1	1	1	1	1

xyz	yz	x(yz)	xy	(xy)z
000	0	0	0	0
001	0	0	0	0
010	0	0	0	0
0 1 1	1	0	0	0
100	0	0	0	0
101	0	0	0	0
110	0	0	1	0
111	1	1	1	1

2.2 (a)
$$xy + xy' = x(y + y') = x$$

(b)
$$(x + y)(x + y') = x + yy' = x(x + y') + y(x + y') = xx + xy' + xy + yy' = x$$

(c)
$$xyz + x'y + xyz' = xy(z + z') + x'y = xy + x'y = y$$

(d)
$$(A + B)'(A' + B')' = (A'B')(A B) = (A'B')(BA) = A'(B'B)A = 0$$

(e)
$$(a + b + c')(a'b' + c) = aa'b' + ac + ba'b' + bc + c'a'b' + c'c = ac + bc + a'b'c'$$

(f)
$$a'bc + abc' + abc + a'bc' = a'b(c + c') + ab(c + c') = a'b + ab = (a' + a)b = b$$

2.3 (a)
$$ABC + A'B + ABC' = AB + A'B = B$$

(b)
$$x'yz + xz = (x'y + x)z = z(x + x')(x + y) = z(x + y)$$

(c)
$$(x + y)'(x' + y') = x'y'(x' + y') = x'y'$$

(d)
$$xy + x(wz + wz') = x(y + wz + wz') = x(w + y)$$

(e)
$$(BC' + A'D)(AB' + CD') = BC'AB' + BC'CD' + A'DAB' + A'DCD' = 0$$

(f)
$$(a'+c')(a+b'+c') = a'a+a'b'+a'c'+c'a+c'b'+c'c' = a'b'+a'c'+ac'+b'c' = c'+b'(a'+c') = c'+b'c'+a'b'=c'+a'b'$$

2.4 (a)
$$A'C' + ABC + AC' = C' + ABC = (C + C')(C' + AB) = AB + C'$$

(b)
$$(x'y'+z)'+z+xy+wz=(x'y')'z'+z+xy+wz=[(x+y)z'+z]+xy+wz=$$

= $(z+z')(z+x+y)+xy+wz=z+wz+x+xy+y=z(1+w)+x(1+y)+y=x+y+z$

(c)
$$A'B(D' + C'D) + B(A + A'CD) = B(A'D' + A'C'D + A + A'CD)$$

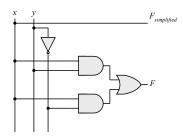
= $B(A'D' + A + A'D(C + C') = B(A + A'(D' + D)) = B(A + A') = B$

(d)
$$(A' + C)(A' + C')(A + B + C'D) = (A' + CC')(A + B + C'D) = A'(A + B + C'D)$$

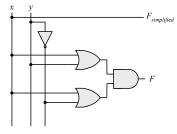
= $AA' + A'B + A'C'D = A'(B + C'D)$

(e)
$$ABC'D + A'BD + ABCD = AB(C + C')D + A'BD = ABD + A'BD = BD$$

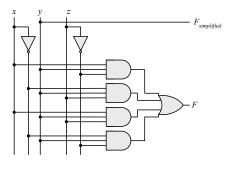
2.5 (a)



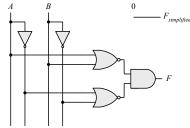
(b)



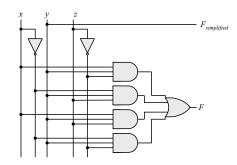
(c)



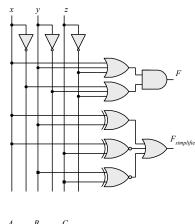
(d)



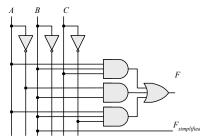
(e)



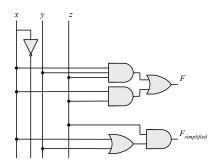
(f)



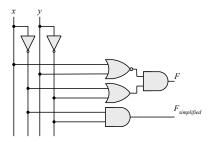




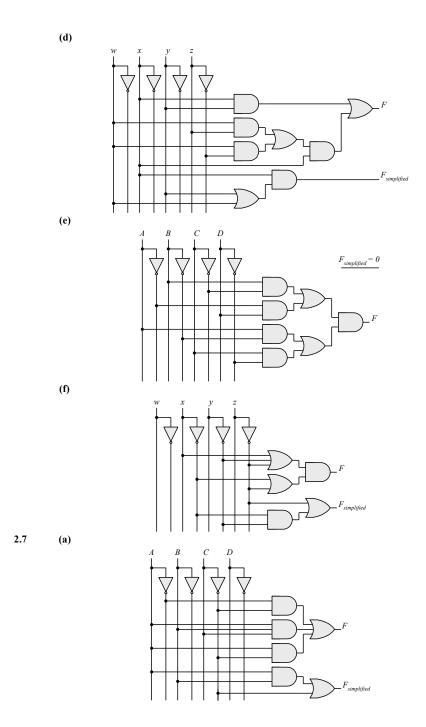
(b)



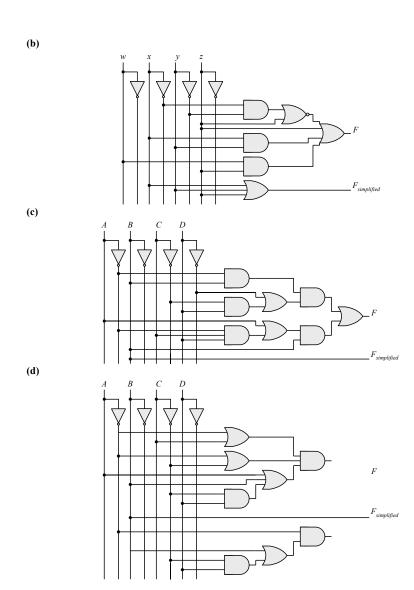
(c)



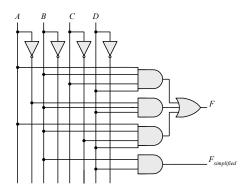
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(e)



2.8
$$F' = (wx + yz)' = (wx)'(yz)' = (w' + x')(y' + z')$$

$$FF' = wx(w' + x')(y' + z') + yz(w' + x')(y' + z') = 0$$

 $F + F' = wx + yz + (wx + yz)' = A + A' = 1$ with $A = wx + yz$

2.9 (a)
$$F' = (xy' + x'y)' = (xy')'(x'y)' = (x' + y)(x + y') = xy + x'y'$$

(b)
$$F' = [(a+c)(a+b')(a'+b+c')]' = (a+c)' + (a+b')' + (a'+b+c')' = a'c' + a'b + ab'c$$

(c)
$$F' = [z + z'(v'w + xy)]' = z'[z'(v'w + xy)]' = z'[z'v'w + xyz']'$$

= $z'[(z'v'w)'(xyz')'] = z'[(z + v + w') + (x' + y' + z)]$
= $z'z + z'v + z'w' + z'x' + z'y' + z'z = z'(v + w' + x' + y')$

2.10 (a)
$$F_1 + F_2 = \sum m_{1i} + \sum m_{2i} = \sum (m_{1i} + m_{2i})$$

(b)
$$F1 F2 = \sum m_i \sum m_j$$
 where $m_i m_j = 0$ if $i \neq j$ and $m_i m_j = 1$ if $i = j$

2.11 (a)
$$F(x, y, z) = \Sigma(1, 4, 5, 6, 7)$$

(b)
$$F(a, b, c) = \Sigma(0, 2, 3, 7)$$

F = xy	+ xy' + y'z	F = bc + a'c'				
хуz	F	a b c	F			
000	0	000	1			
0 0 1	1	0 0 1	0			
010	0	010	1			
0 1 1	0	0 1 1	1			
100	1	100	0			
101	1	101	0			
110	1	110	0			
1 1 1	1	111	1			

2.12
$$A = 1011_0001$$

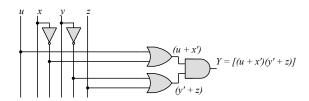
 $B = 1010_1100$

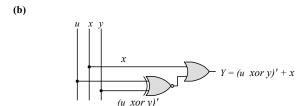
- A AND B = 1010_0000 A OR B = 1011_I101 A XOR B = 0001_I101 NOT A = 0100_I110 NOT B = 0101_0011 (a) (b) (c)
- (d) (e)

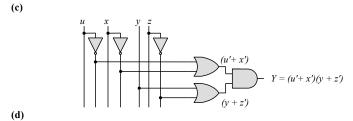
2.13 (a)

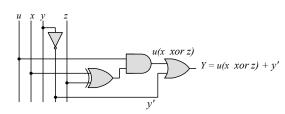
(e)

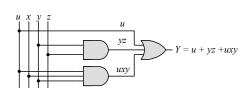
(f)



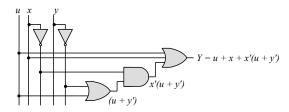




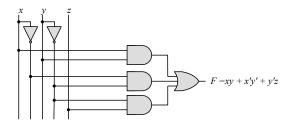




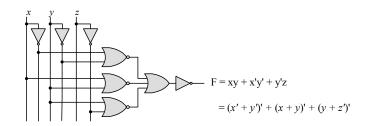
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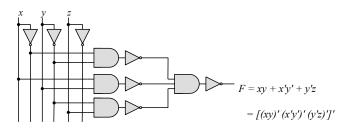
2.14 (a)



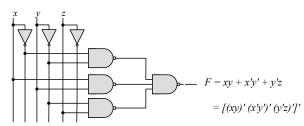
(b)



(c)

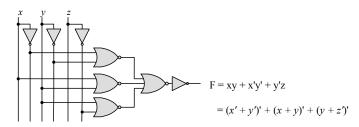


(d)



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(e)



2.15 (a)
$$T_1 = A'B'C' + A'B'C' + A'BC' = A'B'(C' + C) + A'C'(B' + B) = A'B' + A'C' = A'(B' + C')$$

(b)
$$T_2 = T_1' = A'BC + AB'C' + AB'C + ABC' + ABC$$

= $BC(A' + A) + AB'(C' + C) + AB(C' + C)$
= $BC + AB' + AB = BC + A(B' + B) = A + BC$

$$\begin{array}{c} \sum(3,5,6,7) = \Pi(0,1,2,4) \\ T_1 = A'B'C' + A'B'C' + A'BC' \\ A'B' & A'C' \\ \end{array}$$

$$\begin{array}{c} T_2 = A'BC + AB'C' + AB'C' + ABC' + ABC' \\ AC' & AC \\ \end{array}$$

$$\begin{array}{c} T_2 = A'B' + AB'C' + AB'C' + ABC' +$$

$$T_2 = AC' + BC + AC = A + BC$$

2.16 (a)
$$F(A, B, C) = A'B'C' + A'B'C + A'BC' + A'B'C' + AB'C' + AB'C' + ABC' + ABC'$$

 $= A'(B'C' + B'C + BC' + BC) + A((B'C' + B'C + BC' + BC)$
 $= (A' + A)(B'C' + B'C + BC' + BC) = B'C' + B'C + BC' + BC$
 $= B'(C' + C) + B(C' + C) = B' + B = 1$

(b) $F(x_1, x_2, x_3, ..., x_n) = \sum m_i$ has $2^n/2$ minterms with x_1 and $2^n/2$ minterms with x'_1 , which can be factored and removed as in (a). The remaining 2^{n-1} product terms will have $2^{n-1}/2$ minterms with x'_2 which and be factored to remove x_2 and x'_2 . continue this process until the last term is left and $x_n + x'_n = 1$. Alternatively, by induction, F can be written as $F = x_n G + x'_n G$ with G = 1. So $F = (x_n + x'_n)G = 1$.

```
2.17 (a) F = (b + cd)(c + bd) bc + bd + cd + bcd = \Sigma(3, 5, 6, 7, 11, 14, 15) F' = \Sigma(0, 1, 2, 4, 8, 9, 10, 12, 13) F = \Pi(0, 1, 2, 4, 8, 9, 10, 12, 13)
```

```
abcd F

0000 0

0001 0

0001 1

0100 0

011 1

0100 0

011 1

1000 0

1011 0

1001 0

1011 1

1100 0

1011 1

1110 0

1111 1

1111 1

1111 1
```

(b)
$$(cd + b'c + bd')(b + d) = bcd + bd' + cd + b'cd = cd + bd'$$

= Σ (3, 4, 7, 11, 12,14, 15)
= Π (0, 1, 2, 5, 6, 8, 9, 10, 13)

a b c d	F
0000	0
0001	0
0010	0
0011	1
0100	1
0101	0
0110	0
0111	1
1000	0
1001	0
1010	0
1011	1
1100	1
1101	0
1110	ı
1111	l i
-	1 -

(c)
$$(c' + d)(b + c') = bc' + c' + bd + c'd = (c' + bd)$$

= $\Sigma(0, 1, 4, 5, 7, 8, 12, 13, 15)$
 $F = \Pi(2, 3, 6, 9, 10, 11, 14)$

(d)
$$bd' + acd' + ab'c + a'c' = \Sigma (0, 1, 4, 5, 10, 11, 14)$$

 $F' = \Sigma (2, 3, 6, 7, 8, 9, 12, 13, 15)$
 $F = \Pi (02, 3, 6, 7, 8, 12, 13, 15)$

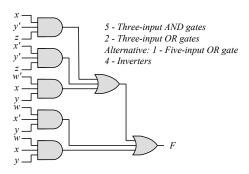
a b c d	F
0000	1
$0\ 0\ 0\ 1$	1
0010	0
0011	0
0100	1
0101	1
0110	0
0111	0
1000	0
1001	0
1010	1
1011	1
1100	1
1101	0
1110	1
1111	0

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2.18 (a)

wx y z	F	F = xy'z + x'y'z + w'xy + wx'y + wxy
00 0 0	0	$F = \Sigma(1, 5, 6, 7, 9, 1011, 13, 14, 15)$
00 0 1	1	
00 1 0	0	
00 1 1	0	
01 0 0	0	
01 0 1	1	
01 1 0	1	
01 1 1	1	
10 0 0	0	
10 0 1	1	
10 1 0	1	
10 1 0	i	
11 0 0	0	
	1	
11 0 1	1	
11 1 0	l I	
11 1 1	1 1	

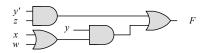
(b)



(c)
$$F = xy'z + x'y'z + w'xy + wx'y + wxy = y'z + xy + wy = y'z + y(w + x)$$

(d)
$$F = y'z + yw + yx$$
 = $\Sigma(1, 5, 9, 13, 10, 11, 13, 15, 6, 7, 14, 15)$
= $\Sigma(1, 5, 6, 7, 9, 10, 11, 13, 14, 15)$

(e)



1 – Inverter, 2 – Two-input AND gates, 2 – Two-input OR gates

2.19
$$F = B'D + A'D + BD$$

ABCD	ABCD	ABCD
-B'-D	A'D	-B-D
0001 = 1	0001 = 1	0101 = 5
0011 = 3	0011 = 3	0111 = 7
1001 = 9	0101 = 5	1101 = 13
1011 = 11	0111 = 7	1111 = 15

$$F = \Sigma(1, 3, 5, 7, 9, 11, 13, 15) = \Pi(0, 2, 4, 6, 8, 10, 12, 14)$$

2.20 (a)
$$F(A, B, C, D) = \Sigma(2, 4, 7, 10, 12, 14)$$

 $F'(A, B, C, D) = \Sigma(0, 1, 3, 5, 6, 8, 9, 11, 13, 15)$

(b)
$$F(x, y, z) = \Pi(3, 5, 7)$$

 $F' = \Sigma(3, 5, 7)$

2.21 (a)
$$F(x, y, z) = \Sigma(1, 3, 5) = \Pi(0, 2, 4, 6, 7)$$

(b)
$$F(A, B, C, D) = \Pi(3, 5, 8, 11) = \Sigma(0, 1, 2, 4, 6, 7, 9, 10, 12, 13, 14, 15)$$

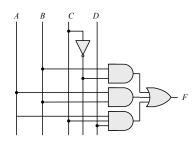
2.22 (a)
$$(u + xw)(x + u'v) = ux + uu'v + xxw + xwu'v = ux + xw + xwu'v$$

= $ux + xw = x(u + w)$
= $ux + xw$ (SOP form)
= $x(u + w)$ (POS form)

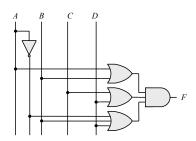
(b)
$$x' + x(x + y')(y + z') = x' + x(xy + xz' + y'y + y'z')$$

= $x' + xy + xz' + xy'z' = x' + xy + xz'$ (SOP form)
= $(x' + y + z')$ (POS form)

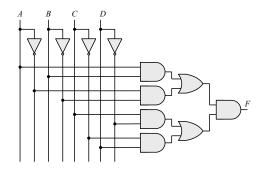
2.23 (a) B'C + AB + ACD



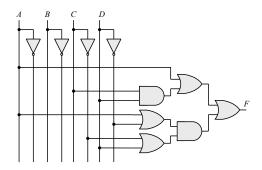
(b)
$$(A + B)(C + D)(A' + B + D)$$



(c)
$$(AB + A'B')(CD' + C'D)$$



(d)
$$A + CD + (A + D')(C' + D)$$



2.24
$$x \oplus y = x'y + xy'$$
 and $(x \oplus y)' = (x + y')(x' + y)$
Dual of $x'y + xy' = (x' + y)(x + y') = (x \oplus y)'$

2.25 (a)
$$x \mid y = xy' \neq y \mid x = x'y$$
 Not commutative $(x \mid y) \mid z = xy'z' \neq x \mid (y \mid z) = x(yz')' = xy' + xz$ Not associative

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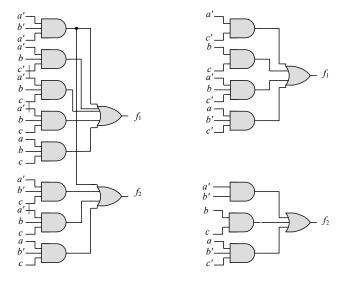
(b)
$$(x \oplus y) = xy' + x'y = y \oplus x = yx' + y'x$$
 Commutative $(x \oplus y) \oplus z = \sum (1, 2, 4, 7) = x \oplus (y \oplus z)$ Associative

2.26

Gate		NAN (Positive		NOR (Negative logic)		
ху	z	ху	z	ху	z	
LL	Н	0 0	1	11	0	
LΗ	Н	0.1	1	10	0	
$_{ m HL}$	Н	10	1	0.1	0	
НН	L	1 1	0	0 0	1	
			R	NAND		
Gat	e	(Positive	logic)	(Negative logic)		
ху	z	ху	z	ху	z	
LL	Н	0 0	1	11	0	
LΗ	L	0 1	0	10	1	
$_{ m HL}$	L	10	0	0.1	1	
ΗН	L	1 1	0	0 0	1	

2.27
$$f_1 = a'b'c' + a'bc' + a'bc + ab'c' + abc = a'c' + bc + a'bc' + ab'c'$$

$$f_2 = a'b'c' + a'b'c + a'bc + ab'c' + abc = a'b' + bc + ab'c'$$



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2.28 (a)
$$y = a(bcd)'e = a(b' + c' + d')e$$

$$y = a(b' + c' + d')e = ab'e + ac'e + ad'e$$

= Σ (17, 19, 21, 23, 25, 27, 29)

a bcde	У	a bcde	У
0 0000	0	1 0000	0
0 0001	0	1 0001	1
0 0010	0	1 0010	0
0 0011	0	1 0011	1
0 0100	0	1 0100	0
0 0101	0	1 0101	1
0 0110	0	1 0110	0
0 0111	0	1 0111	1
	0		0
0 1000	0	1 1000	0
0 1001	0	1 1001	1
0 1010	0	1 1010	0
0 1011	0	1 1011	1
0 1100	0	1 1100	0
0 1101	0	1 1101	1
0 1110	0	1 1110	0
0 1111	0	1 1111	0
			1

(b)
$$y_1 = a \oplus (c + d + e) = a'(c + d + e) + a(c'd'e') = a'c + a'd + a'e + ac'd'e'$$

$$y_2 = b'(c + d + e)f = b'cf + b'df + b'ef$$

$$y_1 = a (c + d + e) = a'(c + d + e) + a(c'd'e') = a'c + a'd + a'e + ac'd'e'$$

$$y_2 = b'(c + d + e)f = b'cf + b'df + b'ef$$

a'- c $001000 = 8$ $001001 = 9$ $001010 = 10$ $001011 = 11$	a' d $000100 = 8$ $000101 = 9$ $000110 = 10$ $000111 = 11$	a' e - 000010 = 2 000011 = 3 000110 = 6 000111 = 7	a-c'd'e'- $100000 = 32$ $100001 = 33$ $110000 = 34$ $110001 = 35$		
001100 = 12 001101 = 13 001110 = 14 001111 = 15	001100 = 12 001101 = 13 001110 = 14 001111 = 15	001010 = 10 001011 = 11 001110 = 14 001111 = 15	-b' cf	-b' -d-f	-b'ef
011000 = 24 011001 = 25 011010 = 26 011011 = 27	010100 = 20 010101 = 21 010110 = 22 010111 = 23	010010 = 18 010011 = 19 010110 = 22 010111 = 23	001001 = 9 $001011 = 11$ $001101 = 13$ $001111 = 15$	001001 = 9 $001011 = 11$ $001101 = 13$ $001111 = 15$	000011 = 3 $000111 = 7$ $001011 = 11$ $001111 = 15$
011100 = 28 011101 = 29 011110 = 30 011111 = 31	011100 = 28 011101 = 29 011110 = 30 011111 = 31	011010 = 26 011001 = 27 011110 = 30 011111 = 31	101001 = 41 $101011 = 43$ $101101 = 45$ $101111 = 47$	101001 = 41 $101011 = 43$ $101101 = 45$ $101111 = 47$	100011 = 35 $100111 = 39$ $101011 = 51$ $101111 = 55$

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 $y_1 = \Sigma \ (2,\, 3,\, 6,\, 7,\, 8,\, 9,\, 10\,, 11,\, 12,\, 13,\, 14,\, 15,\, 18,\, 19,\, 22,\, 23,\, 24,\, 25,\, 26,\, 27,\, 28,\, 29,\, 30,\, 31,\, 32,\, 33,\, 34,\, 35$)

 $y_2 = \Sigma (3, 7, 9, 13, 15, 35, 39, 41, 43, 45, 47, 51, 55)$

-							
ab cdef	$y_1 y_2$	ab cdef	$y_1 y_2$	ab cdef	$y_1 y_2$	ab cdef	$y_1 y_2$
00 0000	0 0	01 0000	0 0	10 0000	1 0	11 0000	0 0
00 0001	0 0	01 0001	0 0	10 0001	1 0	11 0001	0 0
00 0010	1 0	01 0010	1 0	10 0010	1 0	11 0010	0 0
00 0011	1 1	01 0011	1 0	10 0011	1 1	11 0011	0 1
00 0100	0 0	01 0100	0 0	10 0100	0 0	11 0100	0 0
00 0101	0 0	01 0101	0 0	10 0101	0 0	11 0101	0 0
00 0110	1 0	01 0110	1 0	10 0110	0 0	11 0110	0 0
00 0111	1 1	01 0111	1 0	10 0111	0 1	11 0111	0 1
00 0111		01 0111		100111	" '	11 0111	• •
00 1000	1 0	01 1000	1 0	10 1000	0 0	11 1000	0 0
00 1001	1 1	01 1001	1 0	10 1001	0 1	11 1001	0 0
00 1001	1 0	01 1010	1 0	10 1010	0 0	11 1010	0 0
00 1010	1 0	01 1010	1 0	10 1010	0 1	11 1010	0 0
00 1011	1 0	01 1011	1 0	10 1011	0 0	11 11011	0 0
00 1100	1 1	01 1100	1 0		0 1	11 1100	
	1			10 1101			
00 1110	1 0	01 1110	1 0	10 1110	0 0	11 1110	0 0
00 1111	1 1	01 1111	1 0	10 1111	0 1	11 1111	0 0