

# Harmony Potentials for Joint Classification and Segmentation

Josep M. Gonfaus<sup>1,2,\*</sup> Xavier Boix<sup>1,\*</sup> Joost van de Weijer<sup>1,2</sup> Andrew D. Bagdanov<sup>1</sup> Joan Serrat<sup>1,2</sup> Jordi González<sup>1,2</sup>

<sup>1</sup>Centre de Visió per Computador

<sup>2</sup>Dept. of Computer Science, Universitat Autònoma de Barcelona, Spain.

\*Both authors contributed equally to this work

UAB

Universitat Autònoma de Barcelona

## Outline



### Local Information

- Superpixel-based labeling
- Small region information
- Ambiguity for small regions
- Ground truth expensive

### Global information

- Image-based labeling
- Full image information
- Sophisticated learning
- Ground truth cheaper

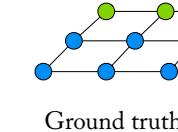
- How to efficiently fuse this information?

$$\sum_{i \in \mathcal{V}} \phi(x_i) + \sum_{(i,j) \in \mathcal{E}_L} \psi_L(x_i, x_j) + \sum_{(i,g) \in \mathcal{E}_G} \psi_G(x_i, x_g)$$

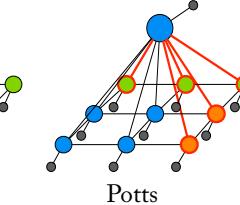
- Ability to learn semantic co-occurrence
- Allows foreground-background learning
- Enforce *harmony* in label configurations

## Consistency Potentials

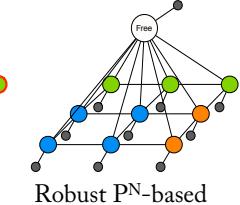
### Previous approaches



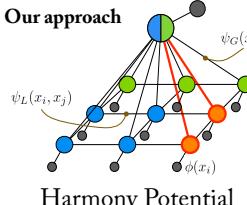
No global potential



Potts



Robust PN-based



Harmony Potential

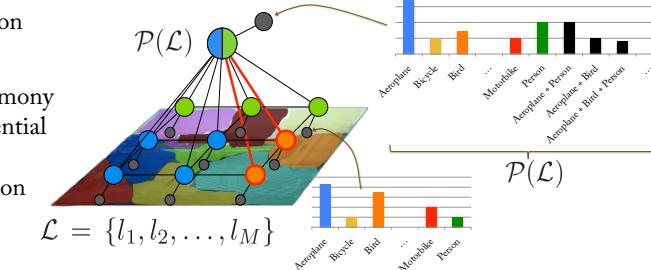
$$\psi_G(x_i, x_g) = \gamma_i^T \mathbf{T} [x_i \neq x_g]$$

$$\psi_G(x_i, x_g) = \begin{cases} 0 & \text{if } x_g = l_F \text{ or } x_g = x_i \\ \gamma_i^T & \text{otherwise, where } l = x_i \end{cases}$$

$$\psi_G(x_i, x_g) = \gamma_i^T \mathbf{T} [x_i \notin x_g]$$

## Harmony Potential

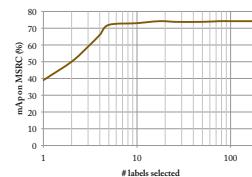
### Classification



### Segmentation

## Ranked Subsampling

- All possible label combinations is unfeasible.
- $2^{|\mathcal{L}|}$  combinations of labels.
- Rank the most plausible combination of labels, based on a branch and bound technique.

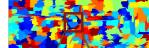


## Implementation Details

- Oversegmentation based on superpixels
  - $\approx 500$  segments [Vedaldi et al. ECCV'08]



- Local Features:
  - SIFT multiscale grid-based
  - Color Histograms



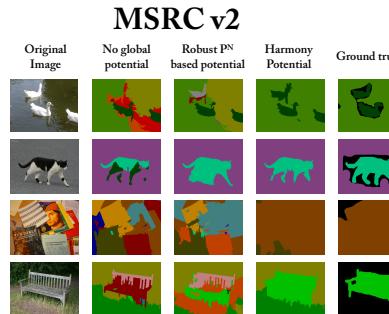
- Local unary potentials based on BoW
  - Local + Context

$$\{ \text{Histogram}, \text{Context} \}$$



- Global unary potentials
  - State of the art classification Method [Khan et al. ICCV'09]

## Experimental Results



Segmentation Methods	MSRCv2 (mAP)	Pascal VOC 2009
Shotton et al. (2008)	67%	-
Lim et al. (2009)	67%	-
Zhu et al. (2008)	74%	-
Fulkerson et al. (2009)	-	13.8%
Yang et al. (2010)	-	23.7%
Ladicky et al. (2009)	75%	24.8%
Li et al. (2010)	-	37.2%
Ours	75%	34.1%

## Pascal VOC 2009

