

Information Security

2018 Project 2

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Problem 1

- ✧ Alice communicates with Bob
- ✧ She chooses the El-Gamal public parameter as
 - ⌚ $(q, g) = (15383399235709406497, 3)$
- ✧ She uses a secret key x_A where $1 \leq x_A \leq q - 1$
- ✧ She issues her public key as a follow:
 - ⌚ $(q, g, h = g^{x_A})$ where $h = 12036625823877237123$
- ✧ Bob encrypts a message M under Alice's public key
 - ⌚ $CT = (g^r, M * h^r) = (2695597157275121, 151188505555671261)$

Problem 1

- ✧ Later, Alice communicates with Charlie
- ✧ She chooses another El-Gamal public parameter as
 - ⌚ $(q', g') = (223, 3)$
- ✧ She reuses x_A to compute a new secret key $x'_A \equiv x_A \pmod{q'}$
- ✧ She issues her new public key as a follow:
 - ⌚ $(q', g', h' = g'^{x'_A})$ where $h' = 118$
- ✧ Find M

Problem 2

- ~ Suppose Alice has a secret key x_A
- ~ She issues her public parameter as a follow:
 - ① $(q, g) = (15383399235709406497, 3)$
- ~ She establishes a session key with Bob (who has a secret key x_B) using DHE as follows:
 - ① Alice and Bob agrees on the above (q, g)
 - ① Alice sends g^{x_A} to Bob, where $g^{x_A} = 3255928389273017819$
 - ① Bob sends g^{x_B} to Alice, where $g^{x_B} = 11684492152538608742$
 - ① They set a session key as $g^{x_A x_B}$
 - ① Then, they communicate using El-Gamal-like encryption

Problem 2 Cont'd

⚡ You are given a list of six plaintext-ciphertext pairs as follows:

$$\textcircled{1} (PT, \langle CT \rangle) = (m, \langle g^r, m * g^{x_A x_B r} \rangle)$$

$$\textcircled{1} (617, \langle 5789380000885006824, 11291912043825867299 \rangle)$$

$$\textcircled{1} (971, \langle 6723788799415707768, 13684159171336976888 \rangle)$$

$$\textcircled{1} (593, \langle 1029065429573303880, 6997743734870796489 \rangle)$$

$$\textcircled{1} (727, \langle 8312893525486221525, 10093089531357232428 \rangle)$$

$$\textcircled{1} (941, \langle 9080799428929904607, 710389074863998323 \rangle)$$

$$\textcircled{1} (929, \langle 11441152005810554293, 3403071905801497309 \rangle)$$

⚡ Note that, for each ciphertext, r is chosen randomly

⚡ Note also that these ciphertexts are not decryptable since descriptions about how to recover r are missing

Problem 2 Cont'd

⌘ After the session ends, Bob encrypts M_2 under Alice's public key a follow:

$$\textcircled{u} CT = (g^r, M_2 * g^{x_A r}) = \\ (8312893525486221525, 7825868133432246571)$$

⌘ Find M_2

Problem 3

~ Bob encrypts another message M_3 under Alice's public key as a follow:

$$\begin{aligned} \textcircled{1} CT &= (g^r, M_3 * g^{x_A r}) \\ &= (4232920939787140673, 12594363607212086362) \end{aligned}$$

~ Find $M_2 * M_3$

~ M_2 is the answer to Problem 2

Submission Guideline

1. Source code (e.g., C or Java)

2. Report (e.g., .doc, .hwp, ...)

- 📎 Approach to the problems

- 📎 Comment to your source code

- Explain what functions, variables, etc., you use in your source code do

- 📎 Screen capture of the running program

- Explain what the captured images mean

- 📎 Answer

- List the values for each problem

3. Executable file

- 📎 Project_2_1.exe, Project_2_2.exe, Project_2_3.exe, etc.

Grading Criteria

~ 0 if at least one is not submitted

~ +8 for each problem

~ +6 for report

~ 30 as the maximum score

Submission

⚡ Due date

📅 21th of Dec. (Fri.) 23:59

⚡ Upload into Blackboard

⚡ **Late submission is not accepted**