```
#$ Jevon Jamel James explained
\#$ Log(g(e^3))=sin(t)*cos(m)*tan(e^2)w))
#$ Log(g(e^3))=sin(t)\tilde{A}\cdot cos(m)\tilde{A}\cdot tan(e^2)w)
#$ Log(g(e^3))=sin(t)*cos(m)\tilde{A}\cdot tan(e^2)w))
\#$ Log(g(e^3))=sin(t)*cos(m)-tan(e^2)w))
\#$ Log(g(e^3))=sin(t)*cos(m)+tan(e^2)w))
\#$ Log(g(e<sup>3</sup>))=sin(t)-cos(m)-tan(e<sup>2</sup>)w))
\#$ Log(g(e<sup>3</sup>))=sin(t)-cos(m)+tan(e<sup>2</sup>)w))
\#$ Log(g(e<sup>3</sup>))=sin(t)-cos(m)*tan(e<sup>2</sup>)w))
\#$ Log(g(e^3))=sin(t)-cos(m)\tilde{A}•tan(e^2)w))
#$ Log(g(e^3))=sin(t)\tilde{A}\cdot cos(m)*tan(e^2)w)
#$ Log(g(e^3))=sin(t)\tilde{A}\cdot cos(m)-tan(e^2)w)
#$ Log(g(e^3))=sin(t)\tilde{A}\cdot cos(m)+tan(e^2)w)
\#$ Log(g(e^3))=sin(t)+cos(m)+tan(e^2)w))
\#$ Log(g(e^3))=sin(t)+cos(m)-tan(e^2)w))
\#$ Log(g(e^3))=sin(t)+cos(m)*tan(e^2)w))
\#$ Log(g(e^3))=sin(t)+cos(m)\tilde{A}·tan(e^2)w))
#$ Einstein gravitational wave theory
#$ Jevon explains in his own words
#$ ""gravity does have waves when a force at stop accelerate''' "into motion gravity acts
#$ against a force going against it the,
#$ ""human-ecosystem: force against gravity; atoms particulate into matter''' so pavement
asphalt meets rubber.
#$ print(all(line1-all)
```

. . .