Econ 758 Homework 1

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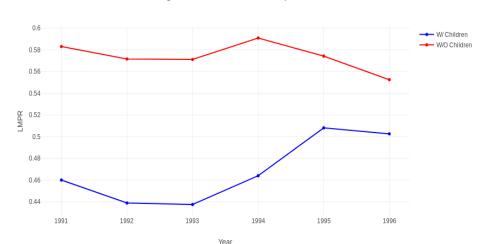
1 Question 1

- a Give a short description of the relevant aspects of the EITC expansion in 1993.(Hint: Have a look at Eissa and Hoynes, 2004.) Briefly discuss the theoretical predictions for the impact of the reform on the labor market participation of single women with children. You do not need to present a formal model
- b Would you expect the number of children to influence the size of the effect Why or why not? Explain.
- c Generate a table with descriptive statistics (Table 1, structured as in Table I in Eissa and Liebman, 1996), which contains the sample means of the variables nonwhite age ed work earn for two groups: single women with and without children. You do not need to display the standard deviations. Briefly discuss the differences.
- d Now calculate the sample means separately for single women with one child and women with two or m?ore children (add the information to Table 1). How do they differ from each other

2 Question 2

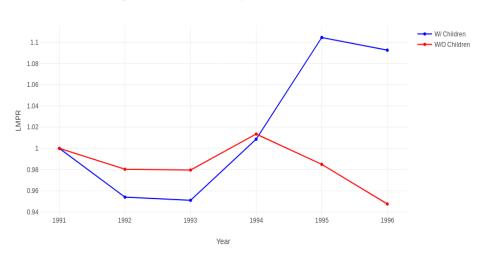
For the following analysis you need to generate two dummy variables to identify the treatment group (single women with children) [call it child] and the post-treatment period (1994-1996) [call it post1993].

a Create a figure (Figure 1) that illustrates the annual mean labor market participation rates by year (1991-1996) for single women with children (treatment group) and single women without children (control group). Label the axes and include a title and a legend into the graph.



Single Women Labor Market Participation Rates

b Now normalize the value of the labor force participation rate for each of the two groups to group-specific 1991 values. That is, the mean of the labor market participation rates in 1991 become equal to 1. Plot a graph (as the one before, including labeling, title, and legend) in Figure 2.



Single Women Labor Market Participation Rates, Indexed to 1991 rates

- c Based on Figures 1 and 2, discuss the validity of using single women without children as control group. When looking at figure one it is difficult to determine whether or not the idea of using single women without children as a control group is valid. The levels of labor market participation are significantly different and both trends seem similar. However, once we index the labor market participation rate to 1991 and look at changes in the level with respect to 1991 we see that both groups track closely until 1993 when there is a divergence. This implies that we can use single woment without children as a
- d Calculate the sample means of labor force participation rates (work) of women with and without children for the pre-(average over 1991-1993) and post-reform (average over 1994-1996) period. Organize your table (Table 2) as in Table II in Eissa and Liebman (1996).

TODO: Insert table from notebook.

control group.

- e Calculate the within-and between-group differences as well as the unconditional difference-in-differences estimate and add them to Table 2. Briefly comment on your results.
- f Repeat the comparison separately for women with one child and for women with at least two children for the years before and after the EITC expansion. Again compute the within-and between-group differences and the difference-in-differences estimates. Compare each of the two groups separately to single women without children (the control group). Display the results in Table 3 and discuss your findings. For which of the two groups do you find larger treatment effects? Is this consistent with the theoretical predictions?
- g Return to the comparison of women with and without children. Estimate the difference-in-differences effect from the EITC expansion by running OLS regressions. As dependent variable, use the dummy indicating labor market participation(work). First run a regression without controls ("unconditional diff-in-diff estimate"). Then add control variables (urate nonwhite age ed) to obtain the "conditional diff-in-diff estimate". Present your results (including standard errors) in Table 4 and interpret them. Compare the estimates and their statistical significance for the conditional and unconditional difference-in-differences estimates. Also comment on the estimated coefficients of child and post1993.

Dep. Variable	:	work	I	R-squared	:	0.013	
Model:		OLS	A	Adj. R-sq	uared:	0.012	
Method:	Ι	east Squar	res I	F-statistic	:	58.45	
Date:	We	ed, 20 Feb	2019 I	Prob (F-st	atistic):	1.54e-37	7
Time:		08:01:06	I	Log-Likeli	hood:	-9884.9)
No. Observati	ons:	13746	A	AIC:		1.978e + 0)4
Df Residuals:		13742	I	BIC:		1.981e + 0)4
Df Model:		3					
	coef	std err	t	$\mathbf{P}{>} \mathbf{t} $	[0.025]	0.975]	
$\overline{\mathrm{const}}$	0.5755	0.009	65.060	0.000	0.558	0.593	
parent	-0.1295	0.012	-11.091	0.000	-0.152	-0.107	
Post1993	-0.0021	0.013	-0.160	0.873	-0.027	0.023	
interact	0.0469	0.017	2.732	0.006	0.013	0.081	
Omnibu	ıs:	5.965	Durbir	n-Watson:	1.	.934	

Jarque-Bera (JB):

Prob(JB):

Cond. No.

2175.929

0.00

7.14

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

0.051

-0.051

1.054

Prob(Omnibus):

Skew:

Kurtosis:

Dep. Variable:		work]	R-square	d:	0.02	27
Model:		OLS	1	Adj. R-se	quared:	0.03	27
Method:	$_{\rm L}$	east Squar	es 1	F-statisti	c:	55.0	9
Date:	Wee	d, 20 Feb 2	2019 I	Prob (F-s	statistic):	3.84€	-78
Time:		08:04:28]	Log-Likel	ihood:	-978	1.8
No. Observation	ons:	13746	1	AIC:		1.958ϵ	+04
Df Residuals:		13738]	BIC:		1.964ϵ	+04
Df Model:		7					
	coef	std err	t	$\mathbf{P}{>} \mathbf{t} $	[0.025]	0.975]	
const	0.4959	0.036	13.960	0.000	0.426	0.565	•
parent	-0.1179	0.012	-9.891	0.000	-0.141	-0.095	
Post1993	-0.0234	0.014	-1 730	0.084	-0.050	0.003	

Kurtosis	:	1.112	Cond. I	No.		330.
Skew:		-0.046	Prob(JI	3):		0.00
Prob(On	nnibus):	0.088	Jarque-	Bera (J	B): 20	046.360
Omnibus	:	4.872	Durbin-	Watson	ı:	1.939
interact	0.0495	0.017	2.905	0.004	0.016	0.083
ed	0.0171	0.002	10.477	0.000	0.014	0.020
age	0.0020	0.000	4.466	0.000	0.001	0.003
$\mathbf{nonwhite}$	-0.0445	0.009	-4.945	0.000	-0.062	-0.027
urate	-0.0164	0.003	-4.962	0.000	-0.023	-0.010
Post1993	-0.0234	0.014	-1.730	0.084	-0.050	0.003
parent	-0.1179	0.012	-9.891	0.000	-0.141	-0.095
\mathbf{const}	0.4959	0.036	13.960	0.000	0.426	0.565

Warnings:

- [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
- h Estimate a conditional (i.e., including urate nonwhite age ed), "placebo" treatment model on the pretreatment period. For this purpose, take data from the years 1991-1993 only and leave the treatment and control groups unchanged. Assume for the analysis that the placebo reform would have taken place on January 1st, 1992 (generate a dummy variable postplacebo that is one for year 1992 and after and an interaction with child) and present your results (including standard errors) in Table 5. What do you find?

Dep. Variable:	work	R-squared:	0.031
Model:	OLS	Adj. R-squared:	0.030
Method:	Least Squares	F-statistic:	34.06
Date:	Wed, 20 Feb 2019	Prob (F-statistic):	4.84e-47
Time:	08:05:32	Log-Likelihood:	-5254.1
No. Observations:	7401	AIC:	1.052e + 04
Df Residuals:	7393	BIC:	1.058e + 04
Df Model:	7		

	\mathbf{coef}	std err	t	$\mathbf{P}> \mathbf{t} $	[0.025]	0.975]
const	0.5403	0.048	11.281	0.000	0.446	0.634
parent	-0.1092	0.020	-5.490	0.000	-0.148	-0.070
Post1992	-0.0002	0.018	-0.009	0.993	-0.036	0.036
\mathbf{urate}	-0.0210	0.004	-4.750	0.000	-0.030	-0.012
$\mathbf{nonwhite}$	-0.0394	0.012	-3.265	0.001	-0.063	-0.016
age	0.0019	0.001	3.237	0.001	0.001	0.003
$\operatorname{\mathbf{ed}}$	0.0157	0.002	7.103	0.000	0.011	0.020
interact	-0.0127	0.024	-0.525	0.599	-0.060	0.035
Omnibus	S:	0.010	Durbin-	Watson	: 1	1.968
Prob(On	nnibus):	0.995	Jarque-Bera (JB): 108		83.431	
Skew:		0.003	Prob(JB): 5.44e-236		4e-236	
Kurtosis	•	1.126	Cond. N	lo.		328.

Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

3 Code

```
1 import pandas as pd
2 import numpy as np
4 #import data visualization library
5 import plotly plotly as py
6 import plotly.graph_objs as go
7 from plotly.offline import download_plotlyjs, init_notebook_mode, plot, iplot
9 #suppress warnings
10 import warnings
warnings.simplefilter("ignore")
13 #regression
14
  import statsmodels.api as sm
16 #Read in the data
  df=pd.read_stata('ps1.dta')
18
19 #Initial data munging
20
df['employed']=np.where(df['work']==1,1,0)
22 df['unemployed']=np.where(df['work']==0,1,0)
23 df['parent']=np.where(df['children']!=0,1,0)
25 #pivot by year and parent and then reset the index
df1=df.groupby(['year', 'parent']).sum()
df1=df1.reset\_index()
29 #calculate the lfpr for both parents and no parents
df1['urate']=(df1['employed'])/(df1['employed']+df1['unemployed'])
31 parent=df1 [df1['parent']==1]
```

```
nparent=df1 [df1 ['parent']==0]
34 #Generate figure 1
35 # Add data
36 year = parent['year']
parentLMPR= parent['urate']
nparentLMPR = nparent['urate']
39
_{41} # Create and style traces
42 trace0 = go. Scatter(
      x = year,
43
      y = parentLMPR,
44
45
      name = 'W/ Children',
      line = dict(
46
          color = ('blue'),
47
           width = \hat{2})
48
49 )
trace1 = go. Scatter (
      x = year,
51
52
      y = nparentLMPR,
      name = 'W/O Children',
54
       line = dict(
           color = ('red'),
55
56
           width = 2,
57
58
59
60 data = [trace0, trace1]
61
62 # Edit the layout
63 layout = dict(title = 'Single Women Labor Market Participation Rates',
                 xaxis = dict(title = 'Year'),
                 yaxis = dict(title = 'LMPR'),
65
66
67
fig = dict (data=data, layout=layout)
69 py.iplot(fig, filename='raw-plot')
70
71 #Reindexing to 1991
pBaseLevel=parent.iloc[0,3]
nBaseLevel=nparent.iloc[0,3]
74 parent['index']=parent['urate']/pBaseLevel
nparent['index']=nparent['urate']/nBaseLevel
77 #Generate figure 2
78 # Add data
year = parent['year']
80 piLMPR= parent['index']
81 niLMPR = nparent['index']
82
84 # Create and style traces
ss trace0 = go.Scatter(
86
      x = year,
      y = piLMPR,
87
      name = 'W/ Children',
88
      line = dict(
89
           color = ('blue'),
90
           width = 2
91
92
93 trace1 = go. Scatter (
      x = year,
94
      y = niLMPR,
95
      name = 'W/O Children',
96
      line = dict(
97
           color = ('red'),
98
           width = 2,
```

```
100
103
   data = [trace0, trace1]
104
105 # Edit the layout
   layout = dict(title = 'Single Women Labor Market
             Participation Rates, Indexed to 1991 rates',
                  xaxis = dict(title = 'Year'),
                  yaxis = dict(title = 'LMPR'),
fig = dict(data=data, layout=layout)
   py.iplot(fig, filename='index-plot')
113
114
115 #Calculating diff-in-diff
parent=df [df ['parent']==1]
nparent=df[df['parent']!=1]
_{119} #calculate the average of the treatment group pre -1994
tc1=parent[parent['year']<1994]
tc1_empl=tc1['work'].sum()
tc1\_mean=tc1\_empl/len(tc1)
#calculate the average of the treatment group post-1994
tc2=parent[parent['year']>1993]
tc2_empl=tc2['work'].sum()
tc2\_mean=tc2\_empl/len(tc2)
128
#calculate the average of the control group pre-1994
130 cg1=nparent [ nparent [ 'year '] < 1994]
131 cg1_empl=cg1 [ 'work '].sum()</pre>
cg1_mean=cg1_empl/len(cg1)
133
#calculate the average of the control group post-1994
cg2=nparent[nparent['year']>1993]
cg2_empl=cg2['work'].sum()
cg2_mean=cg2_empl/len(cg2)
138
139 #calculate diffs
dif1=tc2\_mean-tc1\_mean
dif2=cg2_mean-cg1_mean
dif_dif=dif1-dif2
143
   #print (tc1_mean, tc2_mean, cg1_mean, cg2_mean)
144
145
   l1=["Treatment Group", len(parent), tc1-mean, tc2-mean, dif1, '']
146
   l2=["Control Group", len(nparent), cg1_mean, cg2_mean, dif2, dif_dif]
148
   table = [11, 12]
149
   table2=pd.DataFrame(table, columns=headers)
_{156} #table2
#diff-in-diff w/ one child and two children
   one_child=df[df['children']==1]
160
two_child=df[df['children']>1]
_{163} #calculate the average of the treatment group with one child pre-1994
tg1c1=one_child[one_child['year']<1994]
165 tg1c1_empl=tg1c1['work'].sum()
tg1c1_mean=tg1c1_empl/len(tg1c1)
```

```
4calculate the average of the treatment group with one child post-1994
tg2c1=one_child[one_child['year']>1993]
170 tg2c1_empl=tg2c1['work'].sum()
tg2c1\_mean=tg2c1\_empl/len(tg2c1)
172
173 #calculate the average of the treatment group with two children pre-1994
tg1c2=two_child[two_child['year']<1994]
tg1c2_empl=tg1c2['work'].sum()
tg1c2_mean=tg1c2_empl/len(tg1c2)
177
178 #calculate the average of the treatment group with two child post-1994
tg2c2=two_child[two_child['year']>1993]
180 tg2c2_empl=tg2c2['work'].sum()
tg2c2\_mean=tg2c2\_empl/len(tg2c2)
182
183 #calculate diffs
dif3=tg1c2\_mean-tg1c1\_mean
dif4=tg2c2_mean-tg1c2_mean
dif_dif3=dif3-dif2
   dif_dif4=dif4-dif2
187
   13=["One Child", len(one_child), tg1c1_mean, tg2c1_mean, dif3, '']
189
   14=["Control Group", len(nparent), cg1_mean, cg2_mean, dif2, dif_dif3]
   15 = ["Two Child", len(two\_child), tg1c2\_mean, tg2c2\_mean, dif4, '']
   16=["Control Group", len(nparent), cg1_mean, cg2_mean, dif2, dif_dif4]
192
   table=[11, 12, 13, 14, 15, 16]
194
195
   196
197
   table2=pd.DataFrame(table, columns=headers)
199
200
201 #table2
202
203 #1st regression
df['Post1993']=np.where(df['year']<1994.0.1)
205 df['interact']=df['Post1993']*df['parent']
206 X=df[['parent', 'Post1993', 'interact']]
207 y=df['work']
208 mod=sm.OLS(y, sm.add_constant(X))
209 res=mod. fit ()
print (res.summary())
211
212 #second regression
Z=df[['parent', 'Post1993','urate',
'nonwhite', 'age', 'ed', 'interact']]
215 y=df['work']
mod=sm.OLS(y, sm.add\_constant(X))
217 res=mod. fit ()
218
   print (res.summary())
219
220 #placebo regression
221
   df2=df[df['year']<1994]
df2 ['Post1992']=np.where(df2['year']<1992,0,1)
224 df2 ['interact']=df2 ['Post1992']*df2 ['parent']
225 X=df2 [['parent', 'Post1992','urate',
226 'nonwhite', 'age', 'ed', 'interact']]
227 y=df2 ['work']
mod=sm.OLS(y, sm.add\_constant(X))
229 res=mod. fit ()
print (res.summary())
```