

## Solution to CS 3843 Midterm Exam Two Fall 2013

Name (Last)\_\_\_\_\_, (First)\_\_\_\_\_

You may use a calculator and one sheet of notes on this exam, but no other materials and no computer.

**Show all the major steps in your work to receive partial credits.**

### Problem 1 (27 points)

Assume the following values are stored at the indicated memory addresses and registers

Address	Value	Register	Value
0x200	0x3A	%eax	0x200
0x204	0x45	%ecx	0x08
0x208	0x3D	%edx	0x03
0x20C	0x11		
0x210	0x2F		
0x214	0x09		

a) (12 points - 1.5 points each) Fill the following table :

Operand	Value	Operand	Value
12(%eax)	0x11	4(%eax, %edx, 4)	0x2F
4(%eax, %ecx)	0x11	0x1F0(, %edx, 8)	0x3D
-3(%eax, %edx)	0x3A	0x200(%ecx, %edx, 4)	0x09
leal -0x10(%eax, %ecx, 8), %edx	0x230	leal 0xFC(%ecx), %edx	0x104

b) (15 points - 1.5 point each) Fill in the following table

Instruction	Destination	Value
xorl %edx, %ecx	%ecx	0x0B
subl %ecx, %edx	%edx	0xFB or 0xFFFFFFFFB
addl %edx, 4(%eax, %ecx, 2)	0x214	0x0C
imul \$4, (%eax, %edx, 4)	0x20C	0x44
incl 0x8(%eax)	0x208	0x3E

**Problem 2 (35 points)**

Fill in the following table. Assume that  $x$  and  $y$  are of a new type `short` integer which is 12 bits. Enter the value of  $(y-x)$  in decimal. This is the value that would be stored in  $z$  if `short z = y - x;`

The range of 12-bit signed number:  $-2048 \sim 2047$

The range of 12-bit unsigned number:  $0 \sim 2^{12}-1=4095$

**Sol:** 2's complement representation:

$$-7=N^*=2^{12} - N = 2^{12} - 7 = 4089$$

$$0x7fe = 2^{11} - 2 = 2046$$

$$-0x7fe = 2^{12} - 0x7fe = 4096 - 2046 = 2050$$

Consider the instruction: `cmpw %eax, %ecx`

(2 points each) Fill in the value of the flags if `%eax` contains  $x$  and `%ecx` contains  $y$ .

$x$	$y$	$z = y - x$	ZF	SF	OF	CF
15	7	7-15=-8(signed)	0	1	0	1
-7	15	15-(-7)=22 (signed) 15-4089=-4074 (unsigned)	0	0	0	1
-7	-7	(-7)-(-7)=0	1	0	0	0
7	0x7fe	2046-7=2039	0	0	0	0
7	-0x7fe	-2046-7=-2053(signed) 2050-7=2043(unsigned)	0	0	1	0
0x7fe	7	7-2046=-2039	0	1	0	1
0x7fe	-7	-7-2046=-2053(signed) 4089-2046=2043 (unsigned)	0	0	1	0

**Problem 3 (18 points)**

Please check whether the following instruction is TRUE or FALSE, and if FALSE, and what's wrong with each line?

1) `movl %edx, 0xFD(%eax)`                      TURE (X)    FALSE ( )

If FALSE, explain why?

2) `movl (%ecx), 0xC(%esp)`                      TURE ( )    FALSE (X)

If FALSE, explain why?

**Ans:** Cannot have both source and destination be memory address.

3) `movb $0xFF, (%ah)` TURE ( ) FALSE (X)

If FALSE, explain why?

**Ans:** Cannot use %ah as address register

4) `movw %ecx, (%edx)` TURE ( ) FALSE (X)

If FALSE, explain why?

**Ans:** Mismatch between instruction suffix and register ID.

5) `movb %cl, %dx` TURE ( ) FALSE (X)

If FALSE, explain why?

**Ans:** Destination operand incorrect size.

6) `movw %ax, $0xCD` TURE ( ) FALSE (X)

If FALSE, explain why?

**Ans:** Cannot have immediate as destination

#### Problem 4 (20 points)

A function *fun* has the following overall structure:

```
int fun(unsigned x) {  
    int val = 0;  
    int i;  
    while (x) {  
        val ^= x;  
        x >>= 1;  
    }  
    return val & 0x1;  
}
```

The GCC C compiler generates the following assembly code:

```
x at %ebp+8 // comments here
```

```

1      movl    8(%ebp), %edx           // %edx = x
2      movl    $0, %eax               // %eax = val = 0
3      testl   %edx, %edx             // test x = 0 or not
4      je      .L7                    // jump to .L7 if x = 0
5      .L10
6      xorl    %edx, %eax             // val ^= x
7      shrl    %edx                   shift right by 1 // x >> = 1
8      jne     .L10                   // if x != 0, jump to .L10
9      .L7:
10     andl    $1, %eax               // return val & 0x1

```

**Reverse engineer the operation of this code and then do the following:**

A. (8 points) Comment each assembly instruction.

**Sol:** See above.

B. (6 points) Use the assembly-code version to fill in the missing parts of the C code.

**Sol:** See above.

B. (6 points) Describe in English what this function computes.

**Sol:** This code computes the parity of argument  $x$ . That is, it returns 1 if there is an odd number of ones in  $x$  and 0 if there is an even number.

