

# Assgn4: Notes

November 3, 2012

## Notes on GORDIAN

### 1 Set up C

$$C_{\mu,\mu} = \sum_{\nu \in N(\mu)} \frac{2}{p_\nu} (p_\nu - 1)$$

$$C_{\mu,\lambda} = \sum_{\nu \in N(\mu) \cap N(\lambda)} -\frac{2}{p_\nu}$$

where,  $\mu$  is a **movable block**.  $N(\mu)$  is the set of all nets to which  $\mu$  is connected.

$p_\nu$  is the number of terminals of net  $\nu$ .

### 2 Set up d\_x, d\_y

$$dx_\mu = \sum_{\nu \in N(\mu)} \left[ (p_\nu - 1) \frac{2}{p_\nu} XPO(\mu, \nu) - \sum_{\lambda \in MBCB} \frac{2}{p_\nu} XPO(\lambda, \nu) - \sum_{\lambda \in FBCB} \frac{2}{p_\nu} XP(\lambda, \nu) \right]$$

where,  $\mu$  is a **movable block**,  $\lambda$  could be a movable/fixed block or a terminal\_NI.  $N(\mu)$  is the set of all nets to which  $\mu$  is connected.

$p_\nu$  is the number of terminals of net  $\nu$ .

$XPO(\mu, \nu)$  is the X Pin Offset of the pin connecting block  $\mu$  to the net  $\nu$ .  $XP(\lambda, \nu)$  is the X Pin Position of the pin connecting  $\lambda$ , a fixed block or terminal\_NI, to the net  $\nu$ .

MBCB is acronym for “Movable Blocks Connected to Block  $\mu$  through net  $\nu$ ”

FBCB is acronym for “Fixed Blocks Connected to Block  $\mu$  through net  $\nu$ ”

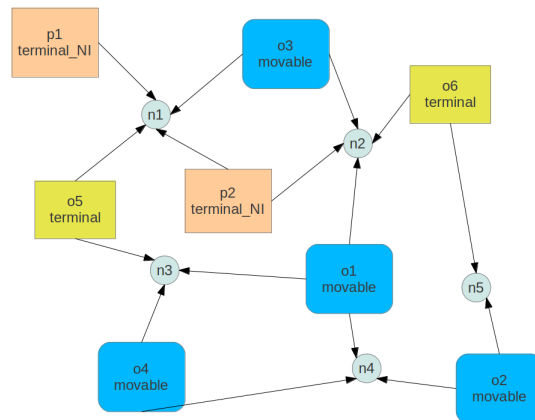


Figure 1: Toy example