Deep Learning is Robust to Massive Label Noise

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annotation can be expensive and, for tasks requiring expert knowledge, may simply be unattainable at scale.

ImageNet dataset [3] required more than a year of human labor on Amazon Mechanical Turk.



unsupervised learning [10], self-supervised learning [15, 22] and learning from noisy annotations [5, 14, 20]. Very large datasets (e.g., [6, 18])

The key takeaways from this paper...

Deep neural networks are able to learn from data that has been diluted by an arbitrary amount of noise.

A sufficiently large training set is more important than a lower level of noise.

Choosing good hyperparameters can allow conventional neural networks to operate in the regime of very high label noise.

Learning from noisy data

- learn directly from noisy labels and noise-robust algorithms e.g., [1, 5, 7, 12, 13, 19]
- label-cleansing methods e.g., [2]

Analyzing the robustness of neural networks

- network architectures with residual connections have a high redundancy [21]
- investigate the robustness of neural networks to adversarial examples. [17]

3. Learning with massive label noise

number of original training examples = n

adding noisy examples = α

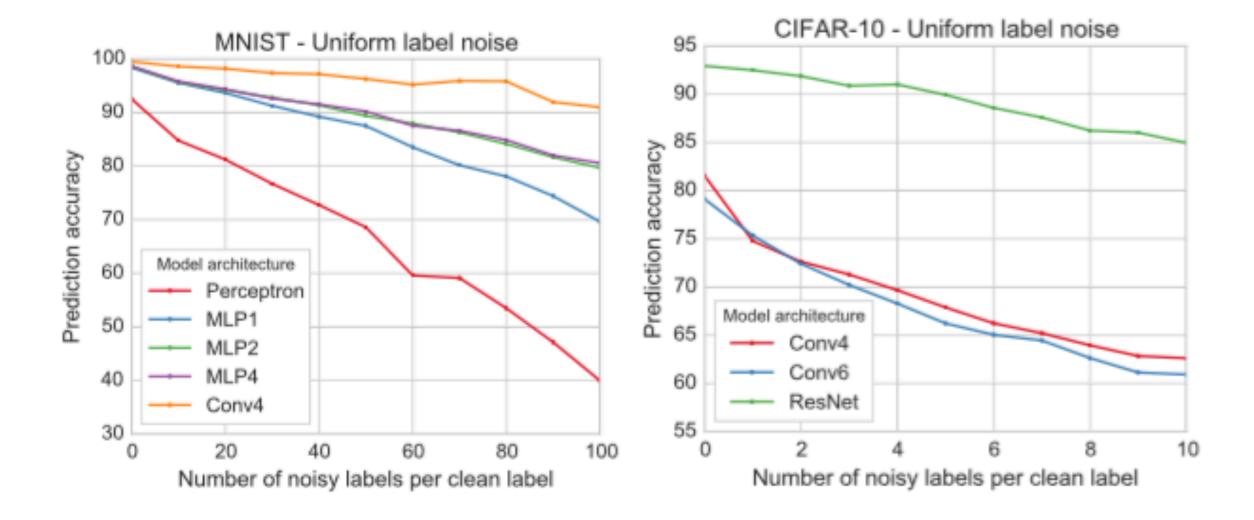
total number of noisy labels in the training set = α n

total number of training set = $n + \alpha n$

Experiment 1: Training with uniform label noise

Experiment 2: Training with structured label noise

Experiment 3: Source of noisy labels



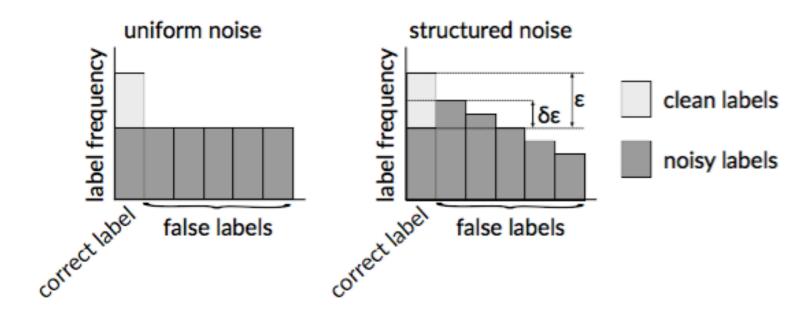


Figure 3: Illustration of uniform and structured noise models. In the case of structured noise, the order of false labels is important; we tested decreasing order of confusion, increasing order of confusion, and random order. The parameter δ parameterizes the degree of structure in the noise. It defines how much more likely the second most likely class is over chance.

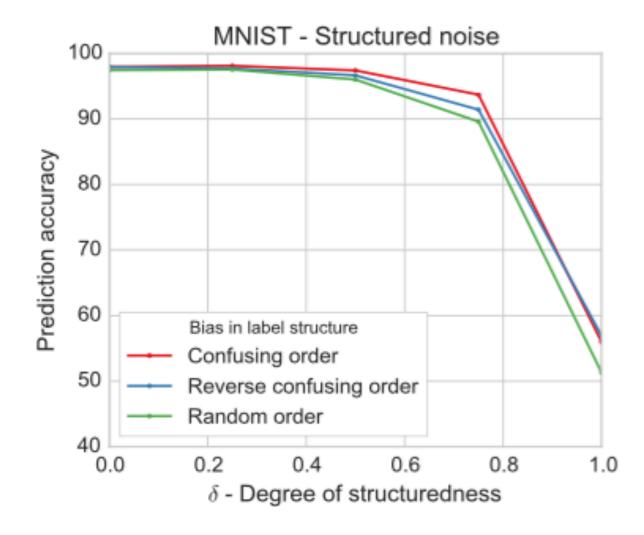


Figure 4: Performance on MNIST with fixed $\alpha=20$ noisy labels per clean label. Noise is drawn from three types of structured distribution: (1) "confusing order" (highest probability for the most confusing label), (2) "reverse confusing order", and (3) random order. We interpolate between uniform noise, $\delta=0$, and noise so highly skewed that the most common false label is as likely as the correct label, $\delta=1$. Except for $\delta\approx 1$, performance is similar to uniform noise.

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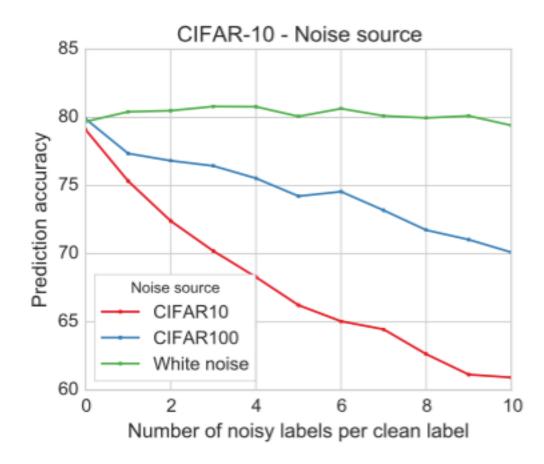


Figure 5: Performance on CIFAR-10 for varying amounts of noisy labels. Noisy training examples are drawn from (1) CIFAR-10 itself, but mislabeled uniformly at random, (2) CIFAR-100, with uniformly random labels, and (3) white noise. Noise from CIFAR-100 resulted in only half the drop in performance observed with noise from CIFAR-10 itself.

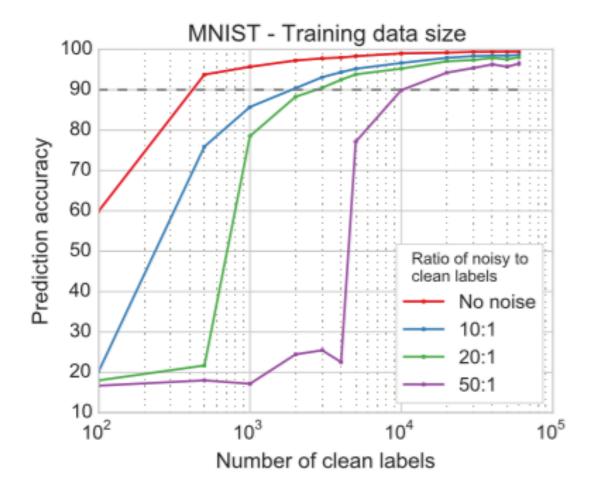
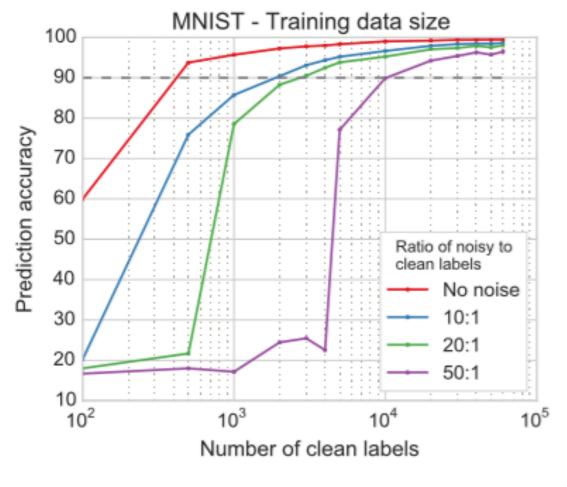


Figure 7: Performance on MNIST at various noise levels, as a function of the number of clean labels. There seems to be a critical amount of clean training data required to successfully train the networks. This threshold increases as the noise level rises. For example, at $\alpha = 10$, 2,000 clean labels are needed to attain 90% performance, while at $\alpha = 50$, 10,000 clean labels are needed.



independent of the noise level

critical amount of clean training data that is required to successfully train the networks

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5. Training on noisy datasets - Batch size and Learning rate

$$H(X) = -\langle \log \hat{y}_{f(\mathbf{x})} \rangle_{X},$$
 $\int \int \log \hat{\mathcal{J}} - \langle \mathcal{J} \rangle \log \langle \mathcal{J} \rangle$

$$H_{\alpha}(X) := -\frac{1}{1+\alpha} \langle \log \hat{y}_{f_0(\mathbf{x})} \rangle_X - \frac{\alpha}{m(1+\alpha)} \sum_{k=1}^m \langle \log \hat{y}_k \rangle_X$$
$$\propto - \langle \log \hat{y}_{f_0(\mathbf{x})} \rangle_X - \alpha \left\langle \log \prod_{k=1}^m \hat{y}_k^{1/m} \right\rangle_X$$

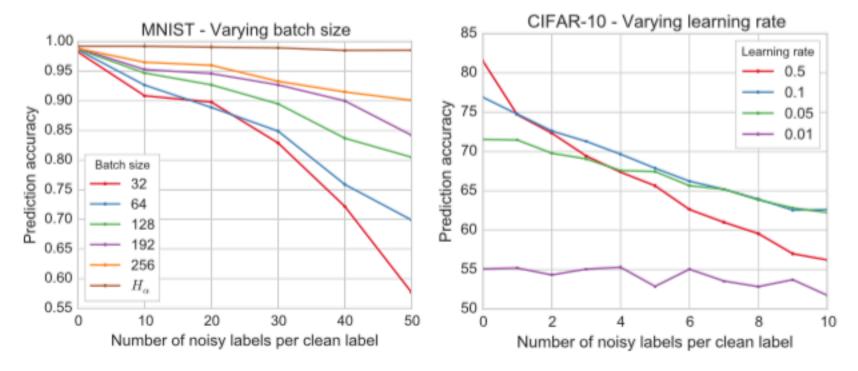


Figure 8: Performance on MNIST for varying Figure 9: Performance on CIFAR-10 for varying batch size gives better performance. We approxi-learning rates are generally optimal as the noise mate the limit of infinite batch size by training level increases. without noisy labels, but using the noisy loss function H_{α} .

batch size as a function of noise level. Higher learning rate as a function of noise level. Lower

better net: deeper (Conv) net

noisy ratio of skewed noisy label(second one): 0.6 below

noisy label source: not mixed

independent of the noisy level and critical amount of clean data

larger batch size, lower learning rate