

# Gutsy Program Statistics Report

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## Introduction

The Gutsy program was created with the purpose of gathering statistical data to determine how to select the best risk factor so that a player has the highest probability of winning. The statistical data gathered includes the probability of rolling every number on a 6-sided die, the average number of times a player rolls per turn to reach their risk factor, the average number of times the die is rolled by the winner to accumulate 101 points (the win value) in a game and the probability of each player winning a game.

## Gutsy Program Run No. 1

### Program Input

For the programs first run I used the following input data.

Players = 2

Games = 10

Player Name	Risk Factor
Tayla	10
Beau	15

### Game 1

#### Output

```
Game 1 - Table
  Player    Turn Points    Total Points
  TAYLA      10           59
  BEAU       19          105

      ***** Winner: BEAU *****

Game 1 - Statistics
  P(1) = 0.1250
  P(2) = 0.2143
  P(3) = 0.1071
  P(4) = 0.2321
  P(5) = 0.1250
  P(6) = 0.1964
  BEAU - A(15)    = 4
  TAYLA - A(10)   = 3
  A(101) = 33
```

## Game 2

### Output

```
Game 2 - Table
  Player      Turn Points      Total Points
  TAYLA        0                88
  BEAU         15               114

      ***** Winner: BEAU *****

Game 2 - Statistics
  P(1) = 0.1643
  P(2) = 0.2143
  P(3) = 0.1286
  P(4) = 0.2071
  P(5) = 0.1143
  P(6) = 0.1714
  BEAU - A(15)    = 3
  TAYLA - A(10)   = 2
  A(101) = 51
```

## Game 3

### Output

```
Game 3 - Table
  Player      Turn Points      Total Points
  TAYLA        0                81
  BEAU         15               112

      ***** Winner: BEAU *****

Game 3 - Statistics
  P(1) = 0.1689
  P(2) = 0.1781
  P(3) = 0.1279
  P(4) = 0.1872
  P(5) = 0.1735
  P(6) = 0.1644
  BEAU - A(15)    = 3
  TAYLA - A(10)   = 3
  A(101) = 44
```

## Game 4

### Output

```
Game 4 - Table
  Player      Turn Points      Total Points
  TAYLA       13                88
  BEAU        17                117

      ***** Winner: BEAU *****

Game 4 - Statistics
  P(1) = 0.1661
  P(2) = 0.1593
  P(3) = 0.1458
  P(4) = 0.1797
  P(5) = 0.1729
  P(6) = 0.1763
  BEAU - A(15)    = 3
  TAYLA - A(10)   = 2
  A(101) = 45
```

## Game 5

### Output

```
Game 5 - Table
  Player      Turn Points      Total Points
  TAYLA       11                104
  BEAU        0                 67

      ***** Winner: TAYLA *****

Game 5 - Statistics
  P(1) = 0.1657
  P(2) = 0.1573
  P(3) = 0.1517
  P(4) = 0.1713
  P(5) = 0.1713
  P(6) = 0.1826
  BEAU - A(15)    = 2
  TAYLA - A(10)   = 3
  A(101) = 34
```

## Game 6

### Output

```
Game 6 - Table
  Player      Turn Points      Total Points
  TAYLA       12              112
  BEAU        0              97

      ***** Winner: TAYLA *****

Game 6 - Statistics
  P(1) = 0.1690
  P(2) = 0.1505
  P(3) = 0.1528
  P(4) = 0.1667
  P(5) = 0.1713
  P(6) = 0.1898
  BEAU - A(15)    = 3
  TAYLA - A(10)   = 2
  A(101) = 36
```

## Game 7

### Output

```
Game 7 - Table
  Player      Turn Points      Total Points
  TAYLA       10             108
  BEAU        0              56

      ***** Winner: TAYLA *****

Game 7 - Statistics
  P(1) = 0.1846
  P(2) = 0.1563
  P(3) = 0.1563
  P(4) = 0.1638
  P(5) = 0.1620
  P(6) = 0.1770
  BEAU - A(15)    = 3
  TAYLA - A(10)   = 2
  A(101) = 47
```

## Game 8

### Output

```
Game 8 - Table
  Player      Turn Points    Total Points
  TAYLA       10             41
  BEAU        18             102

      ***** Winner: BEAU *****

Game 8 - Statistics
  P(1) = 0.1793
  P(2) = 0.1586
  P(3) = 0.1672
  P(4) = 0.1603
  P(5) = 0.1621
  P(6) = 0.1724
  BEAU - A(15)    = 4
  TAYLA - A(10)   = 3
  A(101) = 29
```

## Game 9

### Output

```
Game 9 - Table
  Player      Turn Points    Total Points
  TAYLA       0              43
  BEAU       16             102

      ***** Winner: BEAU *****

Game 9 - Statistics
  P(1) = 0.1731
  P(2) = 0.1538
  P(3) = 0.1731
  P(4) = 0.1619
  P(5) = 0.1651
  P(6) = 0.1731
  BEAU - A(15)    = 4
  TAYLA - A(10)   = 3
  A(101) = 26
```

## Game 10 & Final Statistics

```
Game 10 - Table
  Player      Turn Points      Total Points
  TAYLA       12              104
  BEAU        0               33

***** Winner: TAYLA *****

Game 10 - Statistics
  P(1) = 0.1746
  P(2) = 0.1524
  P(3) = 0.1760
  P(4) = 0.1538
  P(5) = 0.1716
  P(6) = 0.1716
  BEAU - A(15)    = 2
  TAYLA - A(10)   = 3
  A(101) = 29

Final - Statistics
  P(1) = 0.1729
  P(2) = 0.1594
  P(3) = 0.1591
  P(4) = 0.1673
  P(5) = 0.1653
  P(6) = 0.1760
  BEAU - A(15)    = 3
  P(WIN)          = 0.6000
  TAYLA - A(10)   = 2
  P(WIN)          = 0.4000
  A(101) = 37
```

### Observations

Beau picking the number 15 had the highest probability of winning at 60%, 20% percent higher than Tayla. Players were less likely to roll a 2 or a 4 and a higher chance of rolling either a 1, 3, 5 or a 6.

## Gutsy Program Run No. 2

### Program Input

For the programs second run I used the following input data.

Players = 2

Games = 100

Player Name	Risk Factor
Tayla	10
Beau	15

## Final Statistics

### Output

```
Final - Statistics
P(1) = 0.1701
P(2) = 0.1570
P(3) = 0.1706
P(4) = 0.1704
P(5) = 0.1648
P(6) = 0.1671
BEAU - A(15)    = 3
P(WIN)          = 0.5800
TAYLA - A(10)   = 2
P(WIN)          = 0.4200
A(101) = 36
```

### Observations

Beau picking the number 15 had the highest probability of winning at 58%, 16% percent higher than Tayla. Players were less likely to roll a 2, 4 or 5 and a higher chance of rolling either a 1, 3 or a 4.

## Gutsy Program Run No. 3

### Program Input

For the programs third run I used the following input data.

Players = 2

Games = 1000

Player Name	Risk Factor
Tayla	10
Beau	15

## Final Statistics

### Output

```
Final - Statistics
P(1) = 0.1677
P(2) = 0.1691
P(3) = 0.1670
P(4) = 0.1643
P(5) = 0.1676
P(6) = 0.1643
BEAU - A(15)    = 3
P(WIN)          = 0.6120
TAYLA - A(10)   = 2
P(WIN)          = 0.3880
A(101) = 37
```



## Observations

Beau picking the number 15 had the highest probability of winning at 61%, 22% percent higher than Tayla. The probability of rolling numbers between 1 and 6 were almost identical.

## Gutsy Program Run No. 4

### Program Input

For the programs fourth run I used the following input data.

Players = 4

Games = 10

Player Name	Risk Factor
Tayla	10
Sofia	15
Jordan	20
Beau	25

### Game 1

#### Output

```
Game 1 - Table
  Player      Turn Points      Total Points
  TAYLA       14              57
  SOFIA        0              66
  JORDAN       21             114
  BEAU         0              80

      ***** Winner: JORDAN *****

Game 1 - Statistics
  P(1) = 0.1120
  P(2) = 0.1920
  P(3) = 0.1760
  P(4) = 0.1600
  P(5) = 0.1680
  P(6) = 0.1920
  BEAU - A(25)   = 5
  JORDAN - A(20) = 5
  SOFIA - A(15)  = 4
  TAYLA - A(10)  = 3
  A(101) = 37
```

## Game 2

### Output

```
Game 2 - Table
  Player      Turn Points      Total Points
TAYLA        11                84
SOFIA        17               101
JORDAN        0                21
BEAU         0                25

***** Winner: SOFIA *****

Game 2 - Statistics
P(1) = 0.1358
P(2) = 0.1975
P(3) = 0.1811
P(4) = 0.1564
P(5) = 0.1523
P(6) = 0.1770
BEAU - A(25)   = 3
JORDAN - A(20) = 4
SOFIA - A(15)  = 4
TAYLA - A(10)  = 3
A(101) = 36
```

## Game 3

### Output

```
Game 3 - Table
  Player      Turn Points      Total Points
TAYLA        0                50
SOFIA        0                17
JORDAN       22               105
BEAU         0                26

***** Winner: JORDAN *****

Game 3 - Statistics
P(1) = 0.1433
P(2) = 0.1815
P(3) = 0.1720
P(4) = 0.1433
P(5) = 0.1783
P(6) = 0.1815
BEAU - A(25)   = 3
JORDAN - A(20) = 5
SOFIA - A(15)  = 3
TAYLA - A(10)  = 2
A(101) = 28
```

## Game 4

### Output

```
Game 4 - Table
  Player      Turn Points      Total Points
TAYLA        14                89
SOFIA        19                73
JORDAN       21               110
BEAU         0                 52

***** Winner: JORDAN *****

Game 4 - Statistics
P(1) = 0.1454
P(2) = 0.1812
P(3) = 0.1588
P(4) = 0.1633
P(5) = 0.1723
P(6) = 0.1790
BEAU - A(25)   = 4
JORDAN - A(20) = 4
SOFIA - A(15)  = 3
TAYLA - A(10)  = 3
A(101) = 38
```

## Game 5

### Output

```
Game 5 - Table
  Player      Turn Points      Total Points
TAYLA        10                46
SOFIA        15                35
JORDAN        0                 0
BEAU         29               110

***** Winner: BEAU *****

Game 5 - Statistics
P(1) = 0.1392
P(2) = 0.1843
P(3) = 0.1569
P(4) = 0.1588
P(5) = 0.1745
P(6) = 0.1863
BEAU - A(25)   = 7
JORDAN - A(20) = 4
SOFIA - A(15)  = 3
TAYLA - A(10)  = 3
A(101) = 26
```

## Game 6

### Output

```
Game 6 - Table
  Player      Turn Points      Total Points
TAYLA        13                60
SOFIA         0                32
JORDAN       23                23
BEAU         30                113

***** Winner: BEAU *****

Game 6 - Statistics
P(1) = 0.1355
P(2) = 0.1835
P(3) = 0.1612
P(4) = 0.1612
P(5) = 0.1732
P(6) = 0.1852
BEAU - A(25)   = 6
JORDAN - A(20) = 3
SOFIA - A(15)  = 2
TAYLA - A(10)  = 3
A(101) = 31
```

## Game 7

### Output

```
Game 7 - Table
  Player      Turn Points      Total Points
TAYLA         0                58
SOFIA         0                15
JORDAN       25                69
BEAU         29                112

***** Winner: BEAU *****

Game 7 - Statistics
P(1) = 0.1388
P(2) = 0.1787
P(3) = 0.1610
P(4) = 0.1669
P(5) = 0.1669
P(6) = 0.1876
BEAU - A(25)   = 6
JORDAN - A(20) = 3
SOFIA - A(15)  = 2
TAYLA - A(10)  = 2
A(101) = 40
```

## Game 8

### Output

```
Game 8 - Table
  Player    Turn Points    Total Points
TAYLA       12             56
SOFIA        0            100
JORDAN       23            106
BEAU         0             52

***** Winner: JORDAN *****

Game 8 - Statistics
P(1) = 0.1451
P(2) = 0.1829
P(3) = 0.1585
P(4) = 0.1720
P(5) = 0.1610
P(6) = 0.1805
BEAU - A(25)   = 4
JORDAN - A(20) = 4
SOFIA - A(15)  = 4
TAYLA - A(10)  = 2
A(101) = 44
```

## Game 9

### Output

```
Game 9 - Table
  Player    Turn Points    Total Points
TAYLA       11             67
SOFIA        0            85
JORDAN       21            102
BEAU         0             56

***** Winner: JORDAN *****

Game 9 - Statistics
P(1) = 0.1432
P(2) = 0.1832
P(3) = 0.1579
P(4) = 0.1737
P(5) = 0.1674
P(6) = 0.1747
BEAU - A(25)   = 5
JORDAN - A(20) = 4
SOFIA - A(15)  = 4
TAYLA - A(10)  = 2
A(101) = 37
```

## Game 10 & Final Statistics

### Output

Game 10 - Table		
Player	Turn Points	Total Points
TAYLA	10	37
SOFIA	15	64
JORDAN	20	107
BEAU	0	27
***** Winner: JORDAN *****		
Game 10 - Statistics		
P(1) = 0.1425		
P(2) = 0.1795		
P(3) = 0.1624		
P(4) = 0.1747		
P(5) = 0.1700		
P(6) = 0.1709		
BEAU - A(25)	=	5
JORDAN - A(20)	=	5
SOFIA - A(15)	=	3
TAYLA - A(10)	=	2
A(101)	=	34
Final - Statistics		
P(1) = 0.1409		
P(2) = 0.1826		
P(3) = 0.1617		
P(4) = 0.1667		
P(5) = 0.1685		
P(6) = 0.1797		
BEAU - A(25)	=	5
P(WIN)	=	0.3000
JORDAN - A(20)	=	4
P(WIN)	=	0.6000
SOFIA - A(15)	=	3
P(WIN)	=	0.1000
TAYLA - A(10)	=	2
P(WIN)	=	0.0000
A(101)	=	35

### Observations

Jordan, picking the number 20, had the highest probability of winning at 60%, 30% higher than anyone else. Tayla didn't win any games. Players were more likely to roll either a 2 or a 6 and less likely to roll a 1, 3, 4 or a 5.

## Gutsy Program Run No. 5

### Program Input

For the programs fifth run I used the following input data.

Players = 4

Games = 100

Player Name	Risk Factor
Tayla	10
Sofia	15
Jordan	20
Beau	25

### Final Statistics

#### Output

```
Final - Statistics
P(1) = 0.1630
P(2) = 0.1628
P(3) = 0.1709
P(4) = 0.1679
P(5) = 0.1731
P(6) = 0.1624
BEAU - A(25)    = 4
P(WIN)          = 0.3400
JORDAN - A(20)  = 4
P(WIN)          = 0.3000
SOFIA - A(15)   = 3
P(WIN)          = 0.2700
TAYLA - A(10)   = 2
P(WIN)          = 0.0900
A(101) = 38
```

### Observations

Jordan picking the number 20 had the highest probability of winning at 60%, 30% higher than anyone else. Tayla didn't win any games. Players were more likely to roll either a 2 or a 6 and less likely to roll a 1, 3, 4 or a 5.

## Gutsy Program Run No. 5

### Program Input

For the programs sixth run I used the following input data.

Players = 4

Games = 1000

Player Name	Risk Factor
Tayla	10
Sofia	15
Jordan	20
Beau	25

### Final Statistics

Output

```
Final - Statistics
P(1) = 0.1662
P(2) = 0.1672
P(3) = 0.1687
P(4) = 0.1668
P(5) = 0.1666
P(6) = 0.1644
BEAU - A(25)    = 4
P(WIN)          = 0.3250
JORDAN - A(20)  = 4
P(WIN)          = 0.2910
SOFIA - A(15)   = 3
P(WIN)          = 0.2680
TAYLA - A(10)   = 2
P(WIN)          = 0.1160
A(101) = 38
```

### Observations

Beau, picking the number 25, had the highest probability of winning at 32.5%, 3.4% higher than Jordan at 29.1%. Tayla, picking the number 10, was the least likely to win a game. The probability of rolling numbers between 1 and 6 were almost identical.

### Conclusion

By analysing the statistics from all the times the program ran, it was easy to determine that picking the higher number gives the player the highest probability of winning. The probability of rolling different numbers also became more even when playing a higher number of games. This proves that the players chances of rolling any one number is almost identical and that the die is not loaded.