

Name : Mohammad Jawad Khan  
 Roll - No :- P19-0053  
 Section :- BCS-5A  
 Assignment :- Theory of Automata

### # Descriptive Definition:-

- 1) Descriptive definition of the language for string starting with aa and ending with ba.

defined over  $\Sigma = \{0, 1\}$  can be defined as

$$L = \{aaba, aaaba, aabba, aaabba, aabab, aaaab, aabbb, aababa, aaaaab, aabbbb, \dots\}$$

### # Recursive definition

aa ba in L  
 if X in L then  
 aa X ba also in L

- 2) Descriptive definition of the language for string of all consecutive even length of a's

defined over  $\Sigma = \{a, b\}$  can be defined as

$$L = \{aa, aab, aabaa, aaaa, aabbb, aaaaab, aabbaa, aabbbba, aaaaaba, aaaaabb, \dots\}$$



### # Recursive definition

Define  $a^n b$ ,  $n = 2, 4, 6, \dots$  —  
of starting define over  $\Sigma = \{a, b\}$   
ab is in  $\{a^n b\}$   
if  $x$  is in  $\{a^n b\}$   
aa x aa is in  $\{a^n b\}$

- 3) Descriptive definition of the language for ending with b and having zero or multiple sets of aa and bb defined over  $\Sigma = \{a, b\}$  can be defined as

$$L = \{ b, aab, bbb, aabbb, aaaaab, bbbbbb, aaaaaab, aabbbbb, bbbbbbb, \dots \}$$

### # Recursive definition

$a^n b$  in  $L$   $n = 2, 4, 6, \dots$  —  
if  $x$  is in  $\{a^n b\}$  then  
 $axb$  is in  $\{a^n b\}$

- 4) Descriptive definition of the language of string having single 1 or many 0's.

defined as  $\Sigma = \{0, 1\}$  can be defined as

$$= \{ 1, 00, 101, 10, 010, 001, 100, 0010, 0100, 1000, 000, 0001, \dots \}$$

### # Recursive definition :-

0 in  $L$   
if  $x$  is in  $L$   
0 x is also in  $L$



r) Descriptive definition of the language for string having odd number of b between a & b defined over  $\Sigma = \{a, b\}$  can be defined as

$$L = \{ abab, abbba, aabbbba, aabbbba, aabbaaa, abbbbaa, \dots \}$$

# Recursive definition

$a b^n$  in  $\{a, b\}$   $n = 1, 3, 5, 7, 9, \dots$   
if  $x$  is in  $\{a, b\}$  then

$$axa \text{ in } \{a, b\}.$$

6) Descriptive definition of the language for the string that do not contain b as b string defined over  $\Sigma = \{a, b\}$  can be defined as

$$L = \{ a, aa, aaa, \cancel{ba}aa, aaaaa, aaaaaa, \dots \}$$

# Recursive definition

$a$  in  $L$   
if  $x$  is in  $L$  then

$bx$  also in  $L$ .



7) Descriptive definition of the language for the strings having <sup>multiple no. of 0's</sup> ~~0's~~ ~~0's~~ The string defined over  $\Sigma = \{0, 1\}$  can be defined as

$$L = \{ 101, 010, 0101, 1011, 0100, 10101, 11011, 01001, 00101, 01000, \dots \}$$

# Recursive definition :-

0, 1  $\in L$   
 if  $x \in L$  Then  
 $(0x1)$  is also  $\in L$

8) Descriptive definition of the language for the string have ab in the string defined over  $\Sigma = \{a, b\}$  can be defined as

$$L = \{ bab, aba, abab, abaa, baab, babb, bbaab, aaaaab, abaab, abbab, \dots \}$$

# Recursive definition

ab  $\in L$   
 if  $x \in L$  Then  $axb$   
 is also  $\in L$ .



⑨ Descriptive definition of the language for the string starting with 0 and ending with 1 defined over  $\Sigma = \{0, 1\}$

can be defined as

$$L = \{01, 011, 001, 0001, 0111, 0011, 0101, 00011, 00111, 01111, 01001, 01101, \dots\}$$

# Recursive definition :-

0 1 in L

if  $(x)$  is in L then

$0(x)1$  also in L

⑩ Descriptive definition of the language of string having starting & ending is different defined over  $\Sigma = \{a, x, y\}$

can be defined as

$$L = \{xy, yx, xxxy, yxxx, yyxy, yyxx, yxxx, yxyx, yxxx, yxxx, \dots\}$$

# Recursive definition

$xy$  in L

if  $(z)$  is in L then

$x(z)y$  is also in L