



# Artificial & Computational Intelligence

**DSE** \*\***ZG557** 

**Uninformed Search** 

**BITS** Pilani

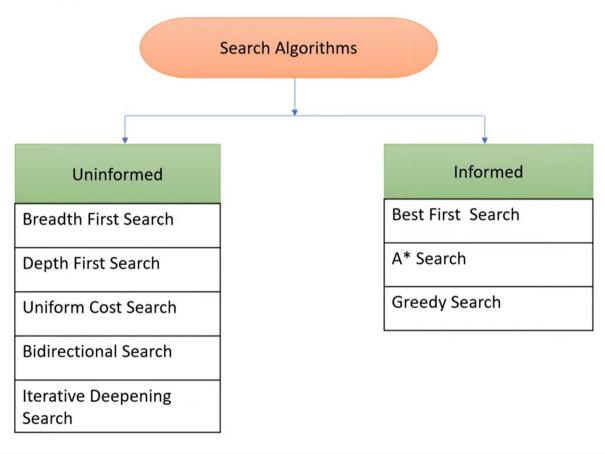
Pilani Campus



### **Uninformed Search**



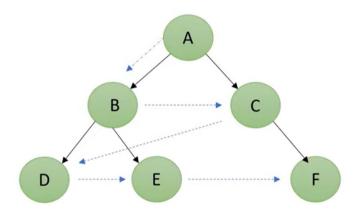
## Types of Search Algorithms





### **Uninformed Search**

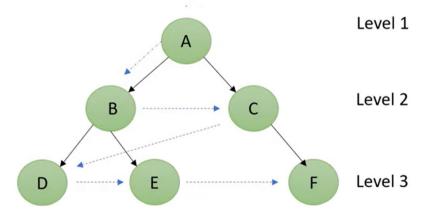
- Uninformed search algorithms have no additional information on the goal node other than the one provided in the problem definition.
- Uninformed search is also called blind search





### **Breadth First Search**

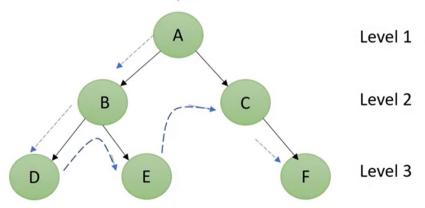
- In breadth-first search, the tree or the graph is traversed breadthwise
- It starts from the root node, explores the neighboring nodes first and moves towards the next level neighbors.
- It is implemented using the queue data structure that works on the concept of first in first out (FIFO).





### Depth First Search

- Depth first search (DFS) algorithm starts with the initial node and then goes to deeper and deeper until we find the goal node or the node which has no children.
- The algorithm, then backtracks from the dead end towards the most recent node that is yet to be completely unexplored.
- DFS uses a stack data structure for its implementation.





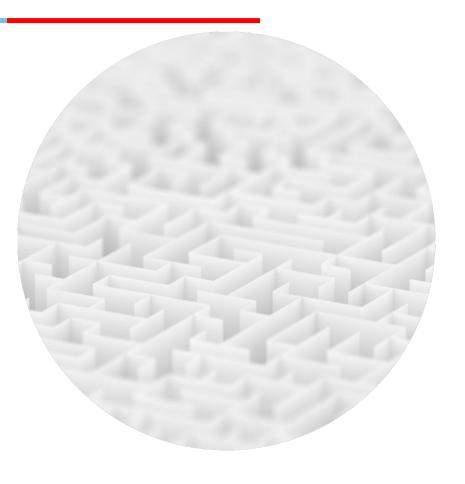
#### **Problem Formulation**

A binary maze is an n\*m matrix where,

maze[i][j] = 1 represent traversable blocks maze[i][j] = 0 represent obstacles.

Given the binary maze with obstacles and traversable blocks as represented in the next slide, find the optimal path between a source cell and destination cell.

Permissible moves are north, south, east and west (up, down, right, left)





# **Problem Formulation**

Input: Binary matrix, source indices, destination indices

#### **Input**

src = [0, 0]dest = [2, 2]

Logic / Search Technique: DFS/BFS

Output: List of tuples representing path from source from destination





-1	0	0	1
0	-1	1	0
UP	LEFT	RIGHT	DOWN

	1 W	
ω—	<del></del>	$\rightarrow$ $\in$
	2	

	0	1	2	3	4
0	1	1	1	1	1
1	1	0	1	0	1
2	1	1	1	0	1
3	0	0	0	0	1
4	1	1	1	0	1



-1		0	0		1
0		-1	1		0
UP		LEFT	RIGHT	Г	DOWN
	0	1	2	3	4
0 —	21	1	1	1	1
1	1	→ ō*	1	0	1
2	1	<b>→</b> 1 -	1	0	1
3	ο×	0 ×	0	0	1
4	1	1	1	0	1

 $0 \longrightarrow \text{path}$   $0 \longrightarrow \text{Block}$ 



-1	0	0	1
0	-1	1	0
UP	LEFT	RIGHT	DOWN

	0	1	2	3	4
0	1	1	1	1	1
1	1	0	1	0	1
2	1	1	1	0	1
3	0	0	0	0	1
4	1	1	1	0	1