Vertical scalar profiles		
Mean		
rS	scalar (RA)	\overline{s}
$egin{array}{l} { m rQ} \\ { m rS_y} \end{array}$	y-derivative of scalar (RA)	$\overline{\partial_y s}$
fS	scalar (FA)	$\langle s angle$
$ m fS_{-y}$ $ m fQ$	y-derivative of scalar (FA)	$\langle \partial_y s angle$
	Fluctuations	
Rsu	covariance R_{su} (of scalar s and velocity u)	<u>s'u'</u>
Rsv Rsw	covariance R_{sv} (of scalar s and velocity v) covariance R_{sw} (of scalar s and velocity w)	$\frac{\overline{s'v'}}{\overline{s'w'}}$
rS2	scalar variance R_{ss} (RA)	$\overline{s's'}$
rS3 rS4		$\frac{\overline{s's's'}}{\overline{s's's's'}}$
fS2	scalar variance (FA)	$\langle s's' angle$
fS3 fS4		$\langle s's's' angle \ \langle s's's's' angle$
	${\bf Derivative Fluctuations}$	
S_x2		$\overline{(\partial_x s')^2}$
S_y2 S_z2		$rac{\overline{(\partial_y s')^2}}{(\partial_z s')^2}$
S_x3		$\overline{(\partial_x s')^3}$
S ₋ y3 S ₋ z3		$\frac{\overline{(\partial_y s')^3}}{\overline{(\partial_y s')^3}}$
S_x4		$rac{\overline{(\partial_z s')^3}}{(\partial_x s')^4}$
S_y4		$(\partial_y s')^4$
S_z4	RssBudget	$\overline{(\partial_z s')^4}$
Rss_t	Time-rate of change of R_{ss}	$\overline{\partial_t R_{ss}}$
Css	advection in y-direction	$-\langle v \rangle \ \partial_y \overline{s's'}$
Pss Ess	gradient production molecular dissipation	$-2\overline{s'v'}\widetilde{\partial}_y\langle s \rangle$
Tssy1	turbulent transport due to triple correlation	$\overline{s's'v'}$
Tssy2 Tssy_y	transport turbulent transport	$-2\kappa_d \overline{s'\partial_y s'} \\ \partial_y (\text{Tssy1} + \text{Tssy2})$
Dss	diffusion variable-density term	9(0)
Qss source RsuBudget		
Rsu_t	Time-rate of change of R_{su}	$\overline{\partial_t R_{su}}$
Csu	advection in y-direction	$-\langle v \rangle \partial_u \overline{s'u'}$
Psu Esu	shear and gradient production molecular dissipation	$-\overline{s'v'}\partial_y \langle u \rangle - \overline{u'v'}\partial_y \langle s \rangle$
PIsu	pressure redistribution	$p'\partial_x s'$
Tsuy1 Tsuy2	turbulent transport due to triple correlation transport	$\overline{s'u'v'}$
$Tsuy_y$	turbulent transport	$\partial_y(\mathrm{Tsuy1} + \mathrm{Tsuy2})$
Dsu Gsu	diffusion variable-density term pressure-flux	0
Bsu Fsu	buoyant production Coriolis production	$0 \ f_y \overline{s'w'}$
Qsu	source	Jyo w
RsvBudget		
Rsv_t Csv	Time-rate of change of R_{sv} advection in y-direction	$\overline{\partial_t R_{sv}} = -\langle v \rangle \ \partial_v \overline{s'v'}$
Psv	shear and gradient production	$\begin{array}{c} -\langle v \rangle \ \partial_y \overline{s'v'} \\ -\overline{s'v'} \partial_y \langle v \rangle \ -\overline{v'v'} \partial_y \langle s \rangle \end{array}$
Esv PIsv	molecular dissipation pressure redistribution	$\overline{p'\partial_y s'}$
Tsvy1	turbulent transport due to triple correlation	$\frac{r-g}{s'v'v'}$
Tsvy2 Tsvy3	transport transport	$\overline{p's'}$
$Tsvy_y$	turbulent transport	$\partial_y(\operatorname{Tsvy1} + \operatorname{Tsvy2} + \operatorname{Tsvy3})$
Dsv Gsv	diffusion variable-density term pressure-flux	$s'\partial_y p'$
Bsv	buoyant production	$\frac{g^2}{\rho b's'}$
Fsv Qsv	Coriolis production source	U
RswBudget		
Rsw_t Csw	Time-rate of change of R_{sw} advection in y-direction	$\overline{\partial_t R_{sw}}$
Psw	shear and gradient production	$-rac{\langle v angle}{\sigma_y}rac{\partial_y\overline{s'w'}}{\sigma_y\langle w angle}-\overline{v'w'}\partial_y\langle s angle$
Esw PIsw	molecular dissipation pressure redistribution	$\overline{p'\partial_z s'}$
Tswy1	turbulent transport due to triple correlation	$\frac{p'O_z s'}{s'v'w'}$
Tswy2 Tswy_y	transport turbulent transport	$\partial_u(\text{Tswy1} + \text{Tswy2})$
Dsw	diffusion variable-density term	
Gsw Bsw	pressure-flux buoyant production	0
Fsw	Coriolis production	$-f_y \overline{s'u'}$
Qsw	Source CrossScalars	
Cs1	OI OIDDOURED	
Css1		
Sbcs Scalar boundary values applied on solids		
Sbcs eps_0	Scalar boundary values applied on solids Fluid fraction (grid-based approach)	
eps_1	Solid fraction (grid-based approach)	
eps_f eps_s	Fluid fraction (volume-based approach) Solid fraction (volume-based approach)	