```
B. Getting Started
```

```
install.packages('tidyverse')
library('tidyverse')
## -- Attaching packages ----
## v ggplot2 3.3.3
                    v purrr 0.3.4
## v tibble 3.1.2
                   v dplyr 1.0.6
## v tidvr 1.1.3
                   v stringr 1.4.0
## v readr 1.4.0
                   v forcats 0.5.1
## -- Conflicts ------ tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag() masks stats::lag()
Read in data Often the first step is to connect to the data:
```

```
con <- DBI::dbConnect(RMySQL::MySQL(),
 host = "database.company.com",
 user = "user_name".
 password = rstudioapi::askForPassword("Database password")
A_DATA_TBL <- tbl(con, "table_name")
A_DATA <- readRDS('A_DATA.RDS')
A_DATA <- readxl::read_excel('A_DATA.xlsx')
A_DATA <- readr::read_csv('A_DATA.csv')
```

```
## -- Column specification
## cols(
## .default = col_double(),
    Gender = col_character(),
    Race = col_character(),
    USAF = col_character(),
##
    Birth_Country = col_character(),
    Grade_Level = col_character(),
    Grade_Range = col_character(),
    Marital_Status = col_character(),
    Pregnant = col_character(),
    Household_Icome = col_logical(),
    Family_Income = col_logical(),
     yr_range = col_character(),
     BMIHEAD = col_logical(),
    BMAUPREL = col_logical(),
    BMAUPLEL = col_logical(),
    BMALLKNE = col_logical(),
    BMDSTATS = col_logical(),
    BMDRECUF = col_logical(),
   BMDSUBF = col_logical(),
    BMDTHICF = col_logical(),
    BMDLEGF = col_logical()
    # ... with 46 more column:
## i Use 'spec()' for the full column specifications
```

Transform and Summarise Data Use dplyr and the tidyverse to get summary data

```
mutate(over_50 = if_else(Age > 50, 1, 0)) \%>\%
  group_by(DIABETES, over_50) %>%
          mean_age = mean(Age, na.rm = TRUE),
## # A tibble: 6 x 4
## # Groups: DIABETES, over 50 [6]
## DIABETES over 50 n mean age
             <dbl> <int> <dbl>
       <dbl>
                  0 68703
## 1
                            19.5
                  1 20037
## 2
                  0 1373
## 3
                            38.8
## 4
                 1 5434
                          67.3
                 0 4938
                            2.77
## 5
                 1 831
A_DATA %>%
```

filter(!is.na(Grade\_Level)) %>% group\_by(Gender, Race, Grade\_Level) %>%

```
## # A tibble: 188 x 4
## # Groups: Gender, Race [10]
     Gender Race Grade Level
      <chr> <chr> <chr> <chr>
                                         <int>
## 1 Female Black 10th grade
                                           278
## 2 Female Black 11th grade
                                           305
## 3 Female Black 12th grade, no diploma
                                           75
## 4 Female Black 1st grade
                                           284
## 5 Female Black 2nd grade
                                           315
## 6 Female Black 3rd grade
                                           276
## 7 Female Black 4th grade
                                           279
## 8 Female Black 5th grade
                                           318
## 9 Female Black 6th grade
                                           347
## 10 Female Black 7th grade
                                           293
## # ... with 178 more rows
A_DATA %>% saveRDS('A_DATA.RDS')
A_DATA %>% openxlsx::write.xlsx('A_DATA.xlsx')
A_DATA %>% readr::write_csv('A_DATA.csv')
```

Stats t-test ks-test

chi-square test anova

Models

glm Model Evaluation

Comments with \iffalse (and closing \fi) You shouldn't see anything in the output PDF here (although there is an equation in the Rmarkdown document)

A "Big" Test of Equations Source: Griffith Quantum Mechanics Time Dependent Perturbation theory CheatSheet (UCB 137B final) on www.overleaf.com

$$\begin{split} H &= H_0 + H' \\ E_n &= E_n^0 + E_n^1 \\ |\psi_n\rangle &= |\psi_n^0\rangle + |\psi_n^1\rangle \\ E_n^1 &= \langle \psi_n^0 | H' |\psi_n^0\rangle \\ |\psi_n^1\rangle &= \sum_{m \neq n} \frac{\langle \psi_m^0 | H' |\psi_n^0\rangle}{E_0^0 - E_m^0} |\psi_m^0\rangle \end{split}$$

Degenerate Case

Degenerate space:  $\{|i\rangle\} \to E$  $W_{ab} = \langle a|H'|b\rangle$  Non-Diagonal

Eigenvalue and Eivenvectors  $\rightarrow E_n^1$ ,  $|\hat{i}\rangle$ 

Variational Method

$$\begin{split} \langle H \rangle (\lambda) &= \frac{\langle \psi(x,\lambda) | H | \psi(x,\lambda) \rangle}{\langle \psi(x,\lambda) | \psi(x,\lambda) \rangle} \\ \langle H \rangle (\lambda) &\geq E_{\cdot g \cdot s} \\ \frac{d}{d\lambda} \langle H \rangle (\lambda_0) &= 0 \Rightarrow \langle H \rangle (\lambda_0) \approx E_{\cdot g \cdot s} \end{split}$$

WKB Method

$$\begin{split} \frac{d^2\psi(x)}{dx^2} &= -k^2(x)\psi(x) \\ k(x) &= \frac{1}{\hbar}\sqrt{2m(E - V(x))} \\ \phi(x) &= \int^x k(x)dx \\ \psi(x) &= \frac{1}{\sqrt{k(x)}}(C_1e^{i\phi(x)} + C_-e^{-i\phi(x)}) \\ &= \frac{1}{\sqrt{k(x)}}(C_1\sin\phi(x) + C_2\cos\phi(x)) \end{split}$$

Energy Level

$$\int_{\substack{R_{classical}\\ \text{one } \infty \text{ wall } n \to n-1/4\\ \text{No } \infty \text{ wall } n \to n-1/2}} k(x) dx = n\pi$$

Tunneling

$$T = e^{-2\gamma}$$
 
$$\gamma = \int_{R_{forbidden}} k(x) dx$$

TDPT

$$\begin{split} H &= H_0 + V(t) \\ & \text{Eigenstate of } H_0 \colon |n\rangle, E_n \\ & \text{transition: } |i\rangle \to |f\rangle \\ & V_{fi}(t) = \langle f|V(t)|i\rangle \\ & \omega_{fi} = (E_f - E_i)/\hbar \\ c_f(T) &= \frac{-i}{\hbar} \int_0^T V_{fi}(t) e^{-i\omega_f i} t dt \end{split}$$

Constant Perturbation

$$\begin{split} V(t) &= \begin{cases} V, & 0 \leq t \leq T \\ 0, & \text{otherwise} \end{cases} \\ V_{fi}(t) &= constant \\ P_{i \rightarrow f}(t) &= |c_f(t)|^2 = 4 \frac{|V_{fi}|^2}{\hbar^2} \frac{\sin^2(\omega_{fi})t/2}{\omega_{fi}^2} \\ & \omega_{fi} \rightarrow 0 \quad \text{(degenerate states):} \\ & |c_f(t)|^2 &= \frac{|V_{fi}|^2}{\hbar^2} t^2 \end{split}$$

Absorption

$$P_{i \rightarrow f}(t) = \frac{|V_{fi}|^2}{\hbar^2} \frac{\sin^2((\omega_{fi} - \omega)t/2)}{(\omega_{fi} - \omega)^2}$$

Simulated Emission

$$\begin{split} E_i &> E_f, \quad \omega_{fi} < 0 \\ P_{i \rightarrow f}(t) &= \frac{|V_{fi}|^2}{\hbar^2} \frac{\sin^2((\omega_{fi} + \omega)t/2)}{(\omega_{fi} + \omega)^2} \end{split}$$

Fermi Golden Bule

$$E_i \to E_f$$
 (continuous states) 
$$P_{i \to f} = \frac{2\pi}{\hbar} |\langle f|V|i \rangle|^2 \rho(E_f) t$$

Selection Rule For spherical symmetric potential:

$$\langle n', l', m' | \vec{r} | n, l, m \rangle \neq 0$$
 when:  
 $\Delta l = \pm 1$  and:  
 $\Delta l = \pm 1$  or 0

Scattering

$$\begin{split} \psi(r,\theta) &= e^{ikz} + f(\theta) \frac{e^{ikr}}{r} \,, \text{ for large r} \\ k &= \frac{\sqrt{2mE}}{\hbar} \\ \frac{d\sigma}{d\Omega} &= |f(\theta)|^2 \\ \sigma &= \int d\omega \, \frac{d\sigma}{d\Omega} \end{split}$$

Born Approximation

$$f(\theta) = -\frac{m}{2\pi\hbar^2} \int V(\vec{r}) e^{i(\vec{k}' - \vec{k}) \cdot \vec{r}} d^3\vec{r}$$

Low Energy

$$f(\theta) = -\frac{m}{2\pi\hbar^2} \int V(\vec{r}) d^3\vec{r}$$

Spherical symmetric:

$$f(\theta) = -\frac{2m}{\hbar^2 \kappa} \int_0^\infty r V(r) \sin(\kappa r) dr$$
$$\kappa = 2k \sin(\theta/2)$$

Yukawa Potential

$$\begin{split} V(r) &= V_0 \frac{e^{-r/R}}{r} \\ f(\theta) &= -\frac{2mV_0R^2}{\hbar^2} \frac{1}{1 + 4k^2R^2\sin^2(\theta/2)} \\ \sigma &= (\frac{2mV_0R^2}{\hbar^2})^2 \frac{4\pi}{1 + 4k^2R^2} \end{split}$$

Rutherford Scattering Let  $V_0 = q_1 q_2 / 4\pi \epsilon_0$ ,  $R = \infty$ :

$$f(\theta) = -\frac{2mq_1q_2}{4\pi\epsilon_0\hbar^2\kappa^2}$$

Partial Waves

$$\begin{split} f(\theta) &= \frac{1}{k} \sum_{i=0}^{\infty} (2l+1) e^{i\delta l} \sin(\delta_l) P_l(\cos(\theta)) \\ \sigma &= \frac{4\pi}{k^2} \sum_{l=0}^{\infty} (2l+1) \sin^2(\delta_l) \end{split}$$

Optical Theorem

$$Im[f(0)] = \frac{k\sigma}{4\pi}$$

Hard Ball

$$\delta_l = \tan^{-1} \left( \frac{j_l(ka)}{\eta_l(ka)} \right)$$
$$ka << 1 \to \sigma = 4\pi a^2$$

Useful Models Density of States

$$E = \frac{\hbar^2 k^2 / 2m}{dN}$$

$$dN = \frac{L^3}{(2\pi)^3} d^3 k = \frac{L^3}{(2\pi)^3} d\Omega dk$$

$$dN = \frac{L^3}{(2\pi)^3} 4\pi \frac{m}{\hbar^2 k} dE$$

$$\rho(E) = \frac{dN}{L^3} = \frac{L^3}{2} \frac{mk}{\hbar^2 k}$$

infinite square well

$$\begin{split} H(x) &= \frac{p^2}{2m} + \begin{cases} 0, & 0 \leq x \leq a \\ \infty, & \text{otherwise} \end{cases} \\ E_n &= \frac{1}{2m} (\frac{n\pi\hbar}{a})^2 \\ \psi_n &= \sqrt{\frac{2}{a}} \sin(\frac{n\pi x}{a}) e^{-iE_n t/\hbar} \end{split}$$

Harmonic Oscillator

$$\begin{split} H(x) &= \frac{p^2}{2m} + \frac{1}{2}m\omega^2 x^2 \\ E_n &= (n+1/2)\hbar\omega \\ \psi_n(x) &= \frac{1}{\sqrt{2^n n!}} (\frac{m\omega}{\pi\hbar})^{1/4} e^{-\zeta^2/2} H_n(\zeta) \\ \zeta &= \sqrt{\frac{m\omega}{\hbar}} x \end{split}$$

Virial Theorem

$$\begin{split} 2\langle T\rangle &= \langle \vec{r} \cdot \nabla V\rangle \quad \text{(3D)} \\ 2\langle T\rangle &= \langle x\frac{dV}{dx}\rangle \quad \text{(1D)} \\ 2\langle T\rangle &= n\langle V\rangle \quad (V\propto r^n) \\ \langle T\rangle &= -E_n, \quad \langle V\rangle &= 2E_n \quad \text{(hydrogen)} \\ \langle T\rangle &= \langle V\rangle &= E_n/2 \quad \text{(harmonic oscillator)} \end{split}$$

Math

Legendre Polynomials Domain:  $(-1,1) \setminus \text{Even}$ , Odd, Even, Odd ...

$$\begin{split} P_0(x) &= 1 \\ P_1(x) &= x \\ P_2(x) &= \frac{1}{2}(3x^2 - 1) \\ P_3(x) &= \frac{1}{2}(5x^3 - 3x) \end{split}$$

Hankel Functions Solution to Radial Shrodinger Equation:

$$\begin{split} -\frac{\hbar^2}{2m}\frac{1}{r^2}\frac{\partial}{\partial r}(r^2R_{El}) + [V(r) + \frac{\hbar^2l(l+1)}{2mr^2}]R_{El} &= ER_{El}\\ V &= 0 \rightarrow R_{El} = j_l(kr)\\ V &\neq 0 \rightarrow R_{El} = j_l(kr + \delta_l)\\ r \rightarrow \infty \Rightarrow R_{El} &= \frac{\sin(kr - l\pi/2 + \delta_l(E))}{kr} \end{split}$$

When kr >> 1

$$\begin{split} j_l(kr) &\rightarrow \frac{\sin kr - l\pi/2}{kr} \\ \eta_l(kr) &\rightarrow \frac{-\cos kr - l\pi/2}{kr} \\ h_l(kr) &\rightarrow \frac{e^i(kr - l\pi/2)}{ikr} \\ h_l^*(kr) &\rightarrow \frac{e^{-i(kr - l\pi/2)}}{-ikr} \\ j_l(kr) &= \frac{1}{2}(h_l(kr) + h^*(kr)) \end{split}$$

Hermite Polynomials Domain:  $(-\infty,\infty)\setminus \text{Even, Odd, Even, Odd}$  . . .

$$H_0(x) = 1$$

$$H_1(x) = 2x$$

$$H_2(x) = 4x^2 - 2$$

$$H_3(x) = 8x^3 - 12x$$

Spherical Harmonics

$$\begin{split} |l,m\rangle &= Y_{l}^{m}(\theta,\phi) \\ Y_{0}^{0}(\theta,\phi) &= \frac{1}{2}\frac{1}{\sqrt{\pi}} \\ Y_{1}^{0}(\theta,\phi) &= \frac{1}{2}\sqrt{\frac{3}{\pi}}\cos\theta \\ Y_{1}^{-1}(\theta,\phi) &= \frac{1}{2}\sqrt{\frac{3}{2\pi}}\sin\theta e^{-i\phi} \\ Y_{1}^{-1}(\theta,\phi) &= -\frac{1}{2}\sqrt{\frac{3}{2\pi}}\sin\theta e^{i\phi} \end{split}$$

Green's Function For a Linear Operator  $\hat{D}_{\sigma}$ 

Homogeneous solution: 
$$\hat{D}_x \psi_0(x) = 0$$
  
Hard Problem:  $\hat{D}_x \psi(x) = f(x)$   
Simple Problem:  $\hat{D}_x G(x, x') = \delta(x - x')$   
 $\psi(x) = \psi_0(x) + \int_{\text{f Domain}} G(x, x') f(x') dx'$ 

Some Integrals

$$\Gamma(n+1) = n! \\ \Gamma(z+1) = z\Gamma(z) \\ \int_0^\infty x^n e^{-ax} dx = \frac{n!}{a^{n+1}} \\ \int_0^\infty e^{-ax^b} dx = a^{-1/b} \Gamma(1/b+1) \\ \int_0^\infty e^{-ax} \sin bx dx = \frac{b}{a^2 + b^2} \\ \int_0^\infty e^{-ax} \cos bx dx = \frac{a}{a^2 + b^2} \\ \int_{-\infty}^\infty e^{-ax^2 + bx} dx = \sqrt{\frac{\pi}{a}} e^{\frac{b^2}{4a}} \\ \int_0^\infty e^{-ax^2} x^n dx = I_n(a) \\ I_0 = \frac{1}{2} \sqrt{\frac{\pi}{a}}, I_1 = \frac{1}{2a}, I_2 = \frac{1}{4a} \sqrt{\frac{\pi}{a}}, I_3 = \frac{1}{2a^2}$$

## A "Big" Test of Words Source: clipr::write\_clip(stringi::stri\_rand\_lipsum(10))

Lorem ipsum dolor sit amet, consequat lacinia in turpis tellus finibus. Luctus enim, urna fringilla pharetra eros. Conubia vestibulum vel mollis sem non donec per, eget sed Mollis vulputate, vestibulum semper dolor senectus et. In leo, interdum sagittis litora, Sed amet, nec et sodales placerat risus quam vitae, maximus maecenas, ut. Risus enim adipiscing sodales eu nec nulla tempor eu. Turpis sed erat eget pellentesque. Blandit ut quisque a conubia ipsum non sociosqu neque. Dui quam commodo. Dolor ante lacus ligula tellus nunc egestas, ultricies. Laoreet condimentum sit. Vitae erat hac donec sem fames sed sed, consequat neque tempor sed. Suspendisse, nibh amet ac congue taciti elementum lectus, lacus egestas felis sem. Dictum, vulputate nulla semper, taciti amet conubia et ligula augue, nec. In tellus semper sed vestibulum. Nisi scelerisque cum tellus in sed quisque egestas ultrices neque maecenas, purus in. Feugiat dui vestibulum in quis leo nullam quis. Leo aliquet curae velit nascetur accumsan, aliquam. Eleifend, ut non id imperdiet senectus ut tempor neque. Sed ut dui suscipit. Facilisis nullam cubilia, dui, risus eu velit ullamcorper imperdiet. In ex tempus sed eu massa, tempus vel. Sit non ligula vel, auctor lectus justo suspendisse malesuada dolor. Sed quis, at, porttitor habitant, nunc sed risus posuere. Ligula sed adipiscing fusce pretium mi, fames eu. Amet at tincidunt phasellus tincidunt nascetur tincidunt amet, vitae orci placerat enim. Vel dapibus ultrices aliquam. Sed facilisis sed posuere varius sodales blandit duis. Enim malesuada, phasellus bibendum blandit nisl ex. Lobortis quis varius sed venenatis eleifend eu, sollicitudin non tellus. Cubilia nullam mattis ut nam scelerisque ante sem cras. Donec, ligula diam non finibus mauris duis platea placerat, natoque, ac nullam. Fames nunc ac id risus vitae eget himenaeos. Nibh lectus in rutrum mi, quis ultrices magnis, elit at, morbi ligula. Faucibus dolor nunc, posuere in tortor eget enim potenti maximus malesuada. Consequat ullamcorper amet neque blandit sed magna. Ac enim nam leo non blandit scelerisque ut erat facilisis. Metus vestibulum bibendum in non. Ac, leo viverra orci risus sapien vitae. Luctus vitae cum, dictum ligula sapien. Vitae sem massa faucibus netus morbi habitasse mi vehicula. Sollicitudin aliquam non egestas litora cursus non diam. Lacus vehicula magna sit non lobortis non auctor sollicitudin feugiat rhoncus nostra vitae mollis magna. Magna commodo ut lacus aenean. Libero, porta ante. Justo quam consectetur risus varius. Blandit gravida eros tempus lectus nibh tortor faucibus conubia cursus conubia, egestas mi. Viverra torquent eu ut nostra elit magnis nisi quis. Ligula maecenas montes nibh habitant dignissim velit ut ut egestas pulvinar in ac. Aenean lorem luctus sociis primis fusce odio himenaeos. Dictum ligula curae pellentesque tempor nisl. Commodo gravida commodo. Dui, in sagittis cubilia, viverra mi fusce, dis. Praesent pellentesque sed sodales sit est turpis magna eu velit curabitur volutpat conubia hac finibus. Nec, dolor volutpat venenatis condimentum fusce. Suspendisse, convallis eleifend sed tortor. Dignissim pretium, quis Erat sed sed sem eu sit, nunc quis phasellus tristique, donec. Suscipit adipiscing himenaeos amet et sem erat euismod. Vel mauris velit donec enim. Phasellus enim interdum nulla, mi vel sed sed aenean nam aliquam inceptos. Nulla habitant ut condimentum quisque dolor. Finibus orci ornare ac iaculis ipsum ex. Vestibulum diam dictum amet non. Tempus habitant tincidunt condimentum non. Pulvinar sociosqu consectetur malesuada malesuada eleifend urna litora vestibulum nisl penatibus. Ac a porta donec urna massa ut varius placerat montes vitae. Per dolor eget vitae suspendisse libero vitae. Adipiscing maecenas aliquam odio felis. Litora auctor dolor Et et vel, et id orci. Non nec amet facilisis gravida vitae quis condimentum torquent? Sed mi ipsum tellus proin sed, eget, ultricies dolor, sed. Et eu scelerisque id commodo nulla nec dictumst nec. Molestie maximus interdum imperdiet lacus et. Finibus lorem mi lectus, non, nulla aliquam est sed? Ridiculus libero, posuere dolor blandit

elementum eros neque. Fusce odio vivamus placerat non, class ut eu. Et eget molestie maximus neque in montes ut dui tincidunt id. Id mauris sed quisque mauris non non in condimentum mattis. In pellentesque conubia netus volutpat vulputate at pellentesque proin, nec. Nunc praesent mauris, quis mi fringilla dictum scelerisque diam dui in. Parturient cursus quis quam habitasse diam sed, leo vitae hac, ac sollicitudin, purus. Erat dolor aenean quam lectus scelerisque laoreet. Eros proin sapien ultricies, maximus. orci libero id, vestibulum nulla. Vulputate sed facilisis eget sagittis. Accumsan dolor, mauris nulla posuere tincidunt turpis risus laoreet, interdum. Nisl pretium vestibulum eu placerat. Accumsan odio nec sapien molestie id. Fusce id nunc varius erat suspendisse porta nulla eget arcu urna. Nec himenaeos nullam per. Sed nascetur porttitor neque lectus senectus mi lorem. In, nostra sed vel laoreet velit tempor suscipit ac ornare. Ac, sed, in eu lorem vivamus iaculis scelerisque, ut neque! Dui, ut sed nec consequat ullamcorper ipsum. In vel commodo aliquam mus, sem sed sit eu. Id duis iaculis. Suspendisse sed sed, ut maecenas. Natoque netus litora sed mauris lobortis quam sagittis, elementum. Pellentesque suscipit erat magna proin id, nam mi cras volutpat aptent tempus. Enim lacus phasellus sed, donec ridiculus vel et. Odio in, in dictum amet cursus himenaeos semper et ante. Consectetur nunc sed et ante nibh sed. quam egestas, vulputate ac. Faucibus pretium eu lorem dolor sed curae a interdum. Ultrices iaculis quisque at vulputate quis eu ante platea suscipit eget. Mauris non vitae dolor, iaculis nec metus donec, sed nibh, sed a. Torquent et tellus ac ante et non condimentum justo, varius. Eu ac bibendum fermentum at tincidunt netus at amet sit. Nisi pretium nostra. Purus molestie vivamus risus commodo sed sit. Tortor, suspendisse tristique eu tempor eros? Cum nibh, magna in erat sed semper vel tincidunt amet. Semper, porta, aenean orci ut, ullamcorper tincidunt. Etiam mauris suspendisse gravida arcu dui vitae. Platea, sodales velit, habitant tincidunt nulla eu praesent. Eros sociosqu maecenas quis dolor egestas consequat ligula consectetur netus amet. Arcu, laoreet finibus facilisi primis vulputate erat in nec. Leo aenean cubilia parturient amet ornare sed sed. Proin, volutpat, nisi ut metus ut in. Facilisis faucibus nunc, justo lorem dictumst penatibus. Conubia eu posuere vivamus et class, primis ac nec, hendrerit. Mollis sed primis. Vitae mus conubia pellentesque. Nunc in accumsan dignissim. Tristique himenaeos lorem adipiscing fermentum ornare. Mus dapibus commodo. Convallis massa inceptos ornare. Fames cum ante finibus netus aliquam egestas. Sollicitudin vel sodales et ut cras. Vitae iaculis facilisis euismod ligula leo et sit rutrum porttitor sodales in dui, sed tellus. Sed in est egestas eget auctor nec turpis. Condimentum maecenas, dolor fusce dictumst. Tempor, justo, sed magnis interdum interdum id potenti mus penatibus. Vitae magna rutrum netus. Platea non diam fames metus nisl convallis suspendisse. Ac quisque quis id cubilia, porta, et nam quam fermentum elit. Et malesuada taciti sagittis lacus lacus erat magnis. Nulla eros nec litora vestibulum nam et rutrum mollis maximus accumsan. Nibh ut ridiculus. Donec praesent, est sed semper consequat leo egestas interdum, vel penatibus. Arcu nec leo orci aenean sapien. Mi, nisi massa donec vulputate gravida. Dui conubia ipsum. Aliquam feugiat vestibulum nostra pellentesque donec. Dapibus efficitur integer in, condimentum justo quam sociis, eu. Aenean sollicitudin nulla sed ante pellentesque est class. Sit, nec egestas urna quis aptent pretium nibh feugiat imperdiet eu sodales. Pellentesque varius et consequat à aliquet, ut duis maximus nec. Ac ac pharetra himenaeos felis, ut morbi amet diam non. Class, venenatis venenatis mollis sed. Ipsum ut elementum sem luctus aliquet augue! Aenean at, ligula tempus urna litora. Volutpat consequat eu auctor eu. Aliquam accumsan tincidunt amet ac in felis dignissim, aliquam, tincidunt conque. Viverra et amet nulla pellentesque et. Ipsum sed aliquam non. Lacinia, cras tortor vel ante ante ac curae laoreet, ipsum sodales. Ligula metus ac lacinia sagittis in fusce fames montes in habitasse, quam. Nunc, id! Cubilia varius eget, gravida quis phasellus pretium ex dictumst. Sit, mauris, in lacinia cubilia vehicula non maximus. Velit sed, aliquam fringilla nibh duis dolor ac parturient lorem finibus. Non amet magna pretium, montes tortor, tincidunt, ante interdum vitae vitae. Velit vitae dignissim nulla eu nunc ullamcorper. Penatibus convallis nam eu eu augue. Pellentesque rutrum justo finibus enim pulvinar libero pharetra convallis curabitur. Non velit pellentesque amet est. Felis curae natoque, conubia curabitur dictum eros, nisl nibh, sed nisi efficitur dapibus. Eu et auctor nostra et. Fermentum libero dolor nibh vitae metus in elit hac vulputate! Tempus id tempor netus vestibulum lectus et, donec! Habitasse arcu pulvinar viverra eleifend gravida dui sit volutpat in inceptos. Quis nibh elit purus ac ultrices. Lacinia, cursus parturient ut purus et, et ullamcorper quis viverra et nulla in. Ac semper risus. Est vel dapibus vitae aliquet felis ullamcorper ut augue cubilia blandit ipsum. Vitae porttitor eros dignissim neque habitant habitasse laoreet erat. Etiam diam elit vitae vel dui. Vitae gravida felis ante platea eget vestibulum tristique. in suscipit ac. Lacus convallis neque fermentum primis taciti duis non, vitae euismod, est velit porttitor libero ridiculus. Iaculis quis nam viverra ac aliquet urna montes. Sed congue accumsan, est lacus proin sed pellentesque facilisis ac. Amet ipsum penatibus ex dolor tincidunt massa. Dictum nec vestibulum et vel ultricies potenti ligula himenaeos ac eu pellentesque. Nascetur mi ut tortor orci? Nascetur at cubilia finibus luctus, in maximus dolor porta. Proin porttitor tincidunt in suscipit et. class ac eu, sed fames. Quisque habitant, venenatis nec pulvinar ante ad lobortis fames a dictumst maecenas dictumst nisl sed. Conubia conubia platea lectus sem ut vitae proin nisl. Orci curae, per dolor lacus mollis. Posuere lacinia ultrices at tempor, aliquam tellus quam, sed enim. Aliquet a sem semper duis etiam suspendisse, eget enim et dolor cras. In porta turpis sit imperdiet eros sed vitae est. Sed vehicula mauris vivamus. Consectetur lectus urna mi penatibus. Ut consectetur erat ac justo habitasse praesent primis. Erat at tempor nam augue nulla ut ridiculus rhoncus, dapibus. Urna eros quam ut, nulla finibus mauris interdum mauris justo. Vestibulum hac adipiscing nunc sagittis ligula, varius enim a. Amet, feugiat nulla mauris netus aptent diam. Ut malesuada nulla condimentum nam dignissim. Nec magna volutpat, magna in, Fringilla lacinia, quis nunc sit enim, massa nec tristique a scelerisque ac pellentesque sed. Penatibus tristique, quis laoreet laoreet sollicitudin interdum himenaeos donec est commodo. Per maximus tempor tristique commodo at, curae a ultricies urna. Vel fringilla donec non velit maximus diam id ac. Aliquam risus integer, massa, non. Magna commodo turpis nunc tristique mollis tristique. Malesuada purus quis ut taciti vulputate sed et auctor. Mauris ex id primis feugiat nec. In sed mattis tempus risus, amet nulla penatibus augue magna lacus laoreet. Fermentum phasellus rutrum, mollis pharetra nullam vel nascetur leo himenaeos dolor pulvinar Mollis nostra nullam phasellus, a suscipit nibb ultricies. Cubilia lorem nulla orci turpis amet inceptos ad rutrum proin vitae. Ipsum auctor metus mauris non a id, habitasse, porttitor tincidunt. Nullam nam nunc ullamcorper morbi nam facilisis fusce, non habitant cubilia nec euismod. Lectus quis accumsan neque habitasse sed leo. Lectus sed per venenatis sed accumsan viverra malesuada, diam. Ut dui, porta, blandit ut vestibulum. Volutpat venenatis vitae, suscipit tempor amet venenatis. Sed mi dui tristique non ligula, ac ridiculus sit parturient. Ut. nibh, et taciti, at sed bibendum orci

potenti, et. Egestas, condimentum laoreet donec, pharetra nec. Ut quis faucibus sed. Rutrum quis lorem in ut. Sollicitudin, inceptos posuere parturient class magnis neque id sed etiam. Pulvinar finibus ullamcorper, scelerisque imperdiet conubia et vitae. Aliquet tortor mi sed commodo senectus ante nunc ut mattis ornare cursus tempus.