

## AMC WARM-UP PAPER MIDDLE PRIMARY 7 SOLUTIONS

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**1.** 8-5=3 so  $\square=8$ ,

hence (C).

2. Since it takes 3 oranges per glass, we will need  $8 \times 3 = 24$  oranges,

hence (C).

**3.** If the students finished at 11:21 then they started at 11:06. Clock (D) is the clock showing 11:06,

hence (D).

**4.** Since  $10 \times 32 = 320$  and we have 323 students to take to the carnival, 10 buses will leave three students, so 11 buses are needed,

hence (C).

**5.** Brett is 12 years old. Daina is half Brett's age so is 6 years old. Omar is 13 years older than Daina so is 6 + 13 = 19 years old,

hence (D).

6. To get a total of 9, you can have a 6 and a 3; a 5 and a 4, a 4 and a 5 and a 3 and a 6. There is no number you can roll to add to 2 to get 9, so 2 is not possible,

hence (A).

7. Using one coin, we can make up 50 c, \$1 and \$2. Using two coins, we can make up \$1.50, \$2.50 and \$3. Using 3 coins will make up \$3.50.

This gives 3 + 3 + 1 = 7 amounts, all different,

hence (D).

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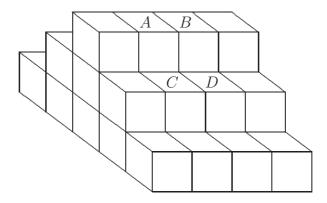
**8.** The rectangle has area 12 square centimetres, and so it can be  $12\,\mathrm{cm} \times 1\,\mathrm{cm}$  or  $6\,\mathrm{cm} \times 2\,\mathrm{cm}$  or  $3\,\mathrm{cm} \times 4\,\mathrm{cm}$ .

The perimeters of these rectangles are 26 cm, 16 cm and 14 cm.

The only one of these given is 26 cm,

hence (D).

9. Consider the 9 blocks to the left of A and C. These have all at least one face painted. Similarly, the 9 blocks to the right of B and D have at least one face painted. Also, the 2 blocks in front of C and D have 2 faces painted, as do the 2 blocks in a similar position at the other end.



This means that the only blocks which do not get painted are the 4 blocks under blocks A and B, the 2 blocks under C and D and the two blocks the other side of A and B in a similar position at the back to C and D.

The total number of blocks not painted is then 2 + 4 + 2 = 8.

10. Let's say she collected 1 shell on the first day. Then, over the five days the number of shells she would have collected is

$$1 + 4 + 7 + 10 + 13 = 35.$$

This is 15 short of the 50 she did collect, so working backwards from this, she must have collected an extra  $15 \div 5 = 3$  shells per day, so she must have collected 4, 7, 10, 13, 16 shells on the five days, and so 16 on the fifth day.