

Exercise 2: Reporting, Data Wrangling and Graphing

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- Quick R
- Rstudio cheatsheet
- Rstudio for beginners

Part 1: Analyze NYC flight delays.

Install the “nycflights13” package. The data comes from the US Bureau of Transportation Statistics. Using the data, complete the following tasks:

1. Find all flights that had an arrival delay of >4 hours, return the first 5 row. (Note: `arr_delay` is in mins)
2. Find all flight names that flew from JFK to IAH, i.e. return only unique values of “flight” variable after filtering. Hint: `unique()` would help.
3. Find how many flights were operated by UA.
4. Find how many unique flights were operated by UA.
5. Sort flights that have the most delayed flights. Show the first 5 row.
6. Generate a scatter plot with x-axis `dist` and y-axis `delay`, where each dot is a unique flights and destination, `dist` is the average distance of each destination `dest`, and `delay` is the average delay time `arr_delay`, with the size of dot equals to the count of delay records.

```
library(tidyverse)
```

```
## -- Attaching packages ----- tidyverse 1.3.1 --
```

```
## v ggplot2 3.3.5      v purrr  0.3.4
## v tibble  3.1.6      v dplyr  1.0.7
## v tidyr   1.1.4      v stringr 1.4.0
## v readr   2.1.1      v forcats 0.5.1
```

```
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()    masks stats::lag()
```

```
library(nycflights13)
head(flights)
```

```
## # A tibble: 6 x 19
##   year month   day dep_time sched_dep_time dep_delay arr_time sched_arr_time
```

```
##   <int> <int> <int>      <int>          <int>      <dbl>      <int>          <int>
## 1  2013     1     1      517            515         2        830            819
## 2  2013     1     1      533            529         4        850            830
## 3  2013     1     1      542            540         2        923            850
## 4  2013     1     1      544            545        -1       1004           1022
## 5  2013     1     1      554            600        -6        812            837
## 6  2013     1     1      554            558        -4        740            728
## # ... with 11 more variables: arr_delay <dbl>, carrier <chr>, flight <int>,
## #   tailnum <chr>, origin <chr>, dest <chr>, air_time <dbl>, distance <dbl>,
## #   hour <dbl>, minute <dbl>, time_hour <dtm>
```

Solution

1. Find all flights that had an arrival delay of >4 hours, i.e. return the first 5 row. (Note: `arr_delay` is in mins)

```
flights %>% filter(arr_delay > 240) %>% head(5)
```

```
## # A tibble: 5 x 19
##   year month   day dep_time sched_dep_time dep_delay arr_time sched_arr_time
##   <int> <int> <int>   <int>          <int>      <dbl>      <int>          <int>
## 1  2013     1     1     848            1835        853       1001            1950
## 2  2013     1     1    1815            1325        290       2120            1542
## 3  2013     1     1    1842            1422        260       1958            1535
## 4  2013     1     1    2115            1700        255       2330            1920
## 5  2013     1     1    2205            1720        285         46            2040
## # ... with 11 more variables: arr_delay <dbl>, carrier <chr>, flight <int>,
## #   tailnum <chr>, origin <chr>, dest <chr>, air_time <dbl>, distance <dbl>,
## #   hour <dbl>, minute <dbl>, time_hour <dtm>
```

2. Find all flight names that flew from JFK to IAH, i.e. return only unique values of “flight” variable after filtering. Hint: `unique()` would help.

```
df <- flights %>% filter(origin == "JFK" & dest == "IAH")
unique(df$flight)
```

```
## [1] 211 1901 523
```

3. Find how many flights were operated by UA.

```
nrow(filter(flights, carrier %in% c("UA")))
```

```
## [1] 58665
```

4. Find how many unique flights were operated by UA.

```
df <- filter(flights, carrier %in% c("UA"))
length(unique(df$flight))
```

```
## [1] 1285
```

5. Sort flights that have the most delayed flights. Show the first 5 row.

```
flights %>% arrange(desc(dep_delay)) %>% head(5)
```

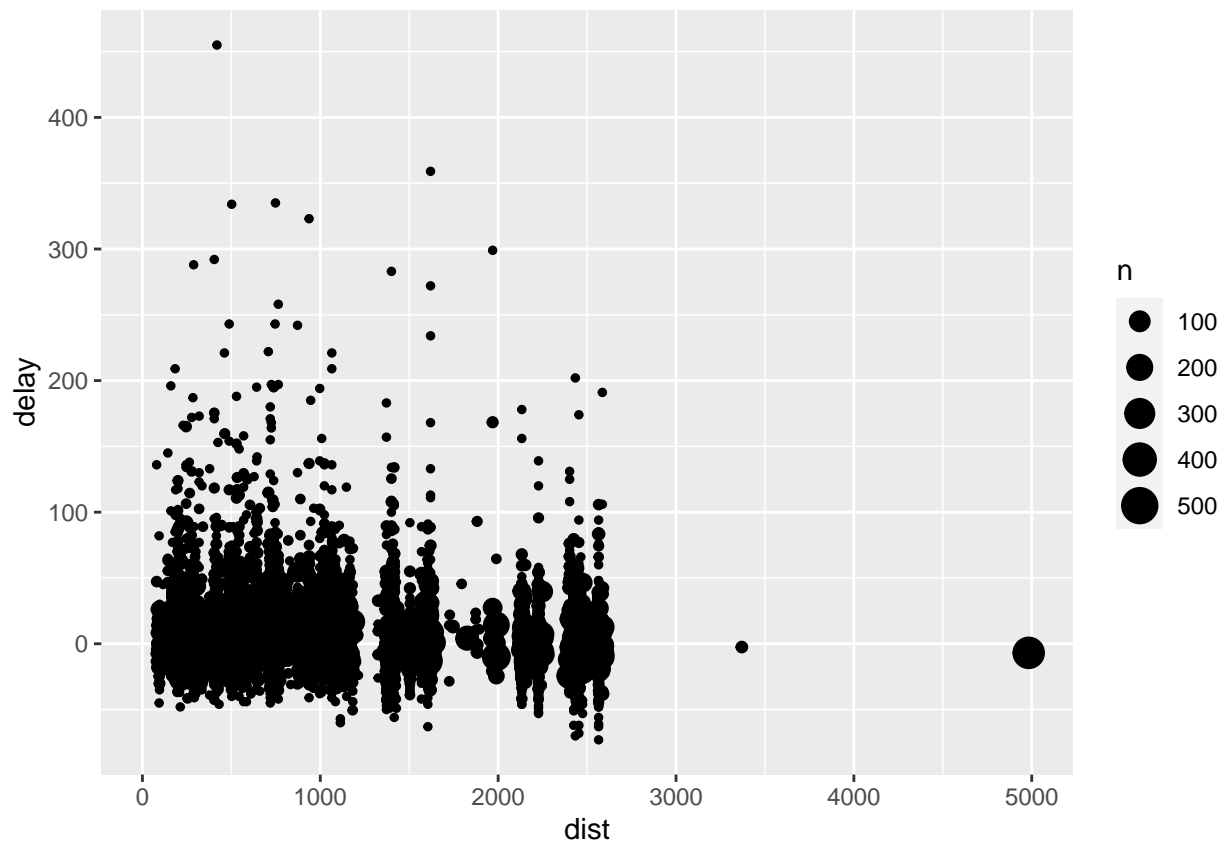
```
## # A tibble: 5 x 19
##   year month   day dep_time sched_dep_time dep_delay arr_time sched_arr_time
##   <int> <int> <int>   <int>         <int>      <dbl>    <int>         <int>
## 1  2013     1     9     641             900      1301     1242         1530
## 2  2013     6    15    1432            1935      1137     1607         2120
## 3  2013     1    10    1121            1635      1126     1239         1810
## 4  2013     9    20    1139            1845      1014     1457         2210
## 5  2013     7    22     845            1600      1005     1044         1815
## # ... with 11 more variables: arr_delay <dbl>, carrier <chr>, flight <int>,
## #   tailnum <chr>, origin <chr>, dest <chr>, air_time <dbl>, distance <dbl>,
## #   hour <dbl>, minute <dbl>, time_hour <dtm>
```

6. Generate a scatter plot with x-axis `dist` and y-axis `delay`, where each dot is a unique flights and destination, `dist` is the average distance of each destination `dest`, and `delay` is the average delay time `arr_delay`, with the size of dot equals to the count of delay records.

```
flights %>%
  group_by(flight, dest) %>%
  summarise(delay = mean(arr_delay), dist = mean(distance), n = n()) %>%
  ggplot() +
  geom_point(aes(x = dist, y = delay, size = n))
```

```
## 'summarise()' has grouped output by 'flight'. You can override using the
## '.groups' argument.
```

```
## Warning: Removed 2824 rows containing missing values (geom_point).
```



Part 2: LaTeX.

1. Finish the Markdown tutorial: <https://www.markdowntutorial.com/>
2. (Tossing for a head, C&B Example 1.5.4) Suppose we do an experiment that consists of tossing a coin until a head appears. Let p = probability of a head on any given toss, and define a random variable X = number of tosses required to get a head. **Use Rmarkdown to type the the solution.**

- (i) What is $P(X = x)$?
- (ii) For any positive integer x , calculate $P(X \leq x)$.
- (iii) Calculate the cdf $F_X(x)$.
- (iv) What is $\lim_{x \rightarrow \infty} F_X(x)$?

Solution:

(i)

$$P(X = x) = (1 - p)^{x-1}p$$

(ii)

$$P(X \leq x) = \sum_{i=1}^x P(X = i) = \sum_{i=1}^x (1 - p)^{i-1}p$$

(iii)

$$\begin{aligned} F_X(x) &= P(X \leq x) \\ &= \frac{1 - (1 - p)^x}{1 - (1 - p)}p \\ &= 1 - (1 - p)^x, \quad x = 1, 2, \dots \end{aligned}$$

(iv)

$$\lim_{x \rightarrow \infty} F_X(x) = \lim_{x \rightarrow \infty} 1 - (1 - p)^x = 1$$