

Hierarchy from Top Triple to Base-3 Triples

Level	Name(s)	Internal triples	3-base coordinates
Top Triple	Gravity – Information – Cognition	–	–
Plane 1: Gravity		Space – Time – Thought	
	Space	–	Topology, Geometry, Scale
	Time	–	Proper-Duration (τ), Causal-Order (χ), Natural-Phase (φ)
	Thought	–	Utility, Processor, Memory
Plane 2: Information		Cyber – Logic – Entropy	
	Cyber	–	Connections, Transport, Data
	Logic	–	Syntax, Semantics, Proof
	Entropy	–	Configurational, Informational, Intentional
Plane 3: Cognition		Context – Power – Meaning	
	Context	–	Domain, Group, State
	Power	–	Change, Energy, Matter
	Meaning	–	Form, Narrative, Emotion

Summary: 1 top-level triple \rightarrow 3 planes \rightarrow 9 mid-level triples \rightarrow **33** base-level coordinates.

Differential Systems for Base-3 Triples

1. Gravity Plane

Triple	Variables	Recommended Form	Example Equations
Space	T, G, Z	Continuum PDE	$\begin{aligned}\partial_t T &= D_T \nabla^2 T + \kappa_T \nabla \cdot (C \nabla T) - \lambda_T E_c \\ \partial_t G &= D_G \nabla^2 G + \kappa_G (T - G) - \lambda_G E_i \\ \partial_t Z &= D_Z \nabla^2 Z + \kappa_Z G - \lambda_Z E_{in}\end{aligned}$
Time	τ, χ, φ	Mixed PDE/ODE	$\begin{aligned}\partial_t \chi &= D_\chi \nabla^2 \chi + a_\chi \nabla \cdot (\Omega \nabla T) \\ \dot{\tau} &= a_\tau \Omega - b_\tau E_c \\ \dot{\varphi} &= a_\varphi \Omega - b_\varphi E_i\end{aligned}$

Thought	u, pr, m	ODE + integral	$\dot{u} = \alpha_u pr - \beta_u m$ $\dot{pr} = \alpha_{pr} u(1 - pr/P_{\max}) - \beta_{pr} pr$ $\dot{m} = \alpha_m u - \beta_m m + \int_0^t u(s)e^{-\gamma(t-s)} ds$
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2. Information Plane

Triple	Variables	Best Form	Example Equations
Cyber	c, tr, d	Graph-PDE / Network Flow	$\dot{c} = -\lambda_c Lc + s_c$ $\dot{tr} = -\lambda_{tr} Ltr + \alpha_{tr} c - \beta_{tr} tr$ $\dot{d} = -\lambda_d Ld + \alpha_d tr - \beta_d d$
Logic	σ, μ, π	ODE/Discrete Update	$\dot{\sigma} = \alpha_\sigma c - \beta_\sigma \sigma - \rho_\sigma B$ $\dot{\mu} = \alpha_\mu \sigma - \beta_\mu \mu$ $\dot{\pi} = \alpha_\pi \mu - \beta_\pi \pi$
Entropy	E_c, E_i, E_{in}	Hybrid	$\partial_t E_c = D_{Ec} \nabla^2 E_c + \gamma_c \nabla \cdot (c \nabla T) - \epsilon_c E_c$ $\partial_t E_i = D_{Ei} \nabla^2 E_i + \gamma_i \nabla \cdot (tr \nabla d) - \epsilon_i E_i$ $\dot{E}_{in} = \gamma_{in} \nabla \eta - \epsilon_{in} E_{in}$

3. Cognition Plane

Triple	Variables	Best Form	Example Equations
Context	D, Gr, St	Compartment ODEs	$\dot{D} = \alpha_D T - \beta_D D$ $\dot{Gr} = \alpha_{Gr} G - \beta_{Gr} Gr$ $\dot{St} = \alpha_{St} Z - \beta_{St} St$
Power	Δ, E, M	Balance ODE/DAE	$\dot{\Delta} = \alpha_\Delta D - \beta_\Delta \Delta$ $\dot{E} = \alpha_E Gr - \beta_E E$ $\dot{M} = \alpha_M St - \beta_M M$
Meaning	φ, η, ψ	Delay/Integral ODE	$\dot{\varphi} = \alpha_\varphi \Delta - \beta_\varphi \varphi$ $\dot{\eta} = \alpha_\eta \varphi(t - \tau_d) - \beta_\eta \eta$ $\dot{\psi} = \alpha_\psi \int_0^t \eta(s)e^{-\gamma(t-s)} ds - \beta_\psi \psi$

Summary Table

Equation Type	Assigned Triples	Rationale
Continuum PDE	Space, χ, E_c, E_i	Vary over space.
Graph-PDE	Cyber	Sparse networks.
ODE/Stock-Flow	Logic, Thought, Context, Power	Lumped states.
Delay/Integral ODE	Memory, Meaning	Memory/history dominate.
DAE	Power (Energy, Matter)	Conservation constraints.