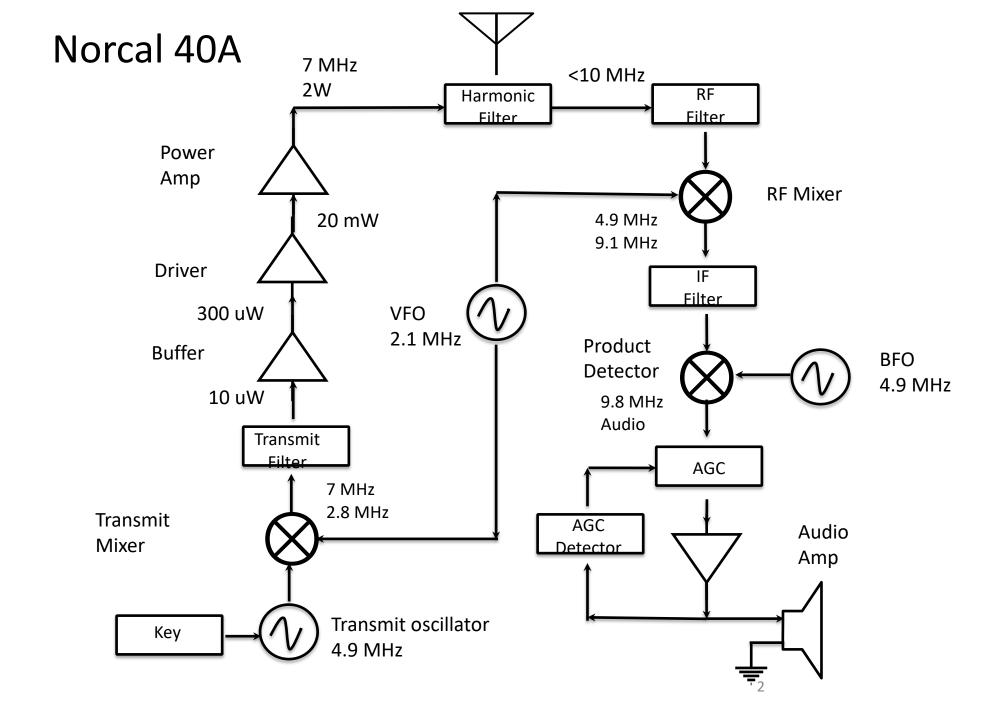
Electronics of Radio

Notes on David Rutledge's book

John Manferdelli



Basic concepts

- E, V
- Phasors
- Energy
- Impedance

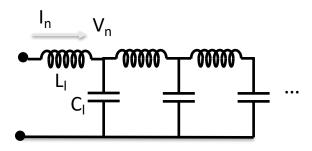
Basic concepts

- Thevenin and Norton
- Decibels

Basic concepts

- Resonance
- Modulation

Transmission Lines



Power

$$\tau = \frac{V}{V_{+}} = 1 + \rho = \frac{2Z}{Z + Z_{0}}, V = 2V_{+}$$

Lookback resistance is $R_s = Z_0$

$$P_{+} = \frac{{V_{+}}^2}{2Z_0} = \frac{{V_0}^2}{8Z_0}$$
, This is the total available power

•
$$V_{n+1} - V_n = -L_l \frac{\partial I_{n+1}}{\partial t}$$
, $L = \frac{L_l}{l}$

•
$$I_{n+1} - I_n = -C_l \frac{\partial V_n}{\partial t}$$
, $C = \frac{C_l}{l}$

•
$$\frac{\partial^2 V}{\partial z^2} = LC \frac{\partial^2 V}{\partial t^2}$$
 and $\frac{\partial^2 I}{\partial z^2} = LC \frac{\partial^2 I}{\partial t^2}$

- Solution is V(z-vt), $v=\frac{1}{\sqrt{LC}}$, for forward wave
- V' = vLI', $\frac{V}{I} = \sqrt{\frac{L}{C'}}$, $Z_0 = \sqrt{\frac{L}{C}}$
- Another solution is V(z+vt), $v=\frac{1}{\sqrt{LC}}$, for r everse wave

•
$$Z_0 = \frac{V_+}{I_+}, -Z_0 = \frac{V_-}{I_-}, V = V_+ + V_-$$

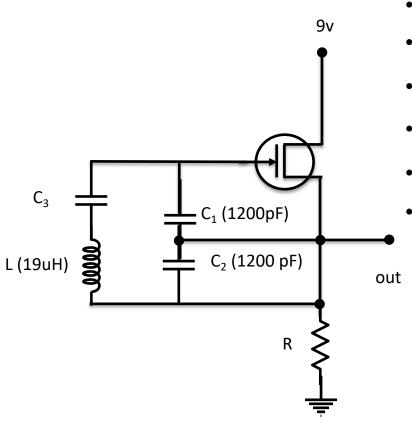
•
$$P_{+}(t) = \frac{V_{+}^{2}}{Z_{0}}, P_{-}(t) = -\frac{V_{-}^{2}}{Z_{0}}$$

•
$$\rho = \frac{V_{-}}{V_{+}}, \ Z = \frac{V}{I} = \frac{V_{+} + V_{-}}{I_{+} + I_{-}} = \frac{V_{+}}{I_{+}} \frac{1 + \frac{V_{-}}{V_{+}}}{1 + \frac{I_{-}}{I_{+}}} = Z_{0} \frac{1 + \rho}{1 - \rho}$$

•
$$\rho = \frac{Z - Z_0}{Z + Z_0}$$

$$\bullet \quad \rho_i = \frac{i_-}{i_+} = -\rho$$

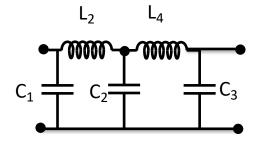
Norcal Clapp



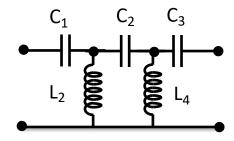
- $i_d = g_m v_{gs}$
- Resonance: $-\frac{1}{j\omega_0 c_2} = j\omega_0 L + \frac{1}{j\omega_0 c_3} + \frac{1}{j\omega_0 c_1}$
- $\omega_0 = \frac{1}{\sqrt{LC}}, C = C_1 ||C_2||C_3$
- At resonance, $v_{gs} = Ri_d \frac{c_1}{c_2}$, $L = \frac{c_1}{Rc_2}$
- Oscillation continues if $g_m > \frac{C_1}{RC_2}$
- $v_{gs} = 2v_s$

Filters

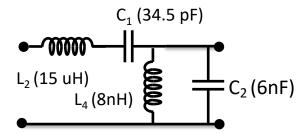
Low pass



High pass



7 MHz bandpass



Acoustics

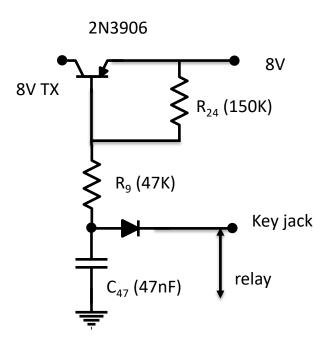
•
$$\frac{\partial^2 P}{\partial t^2} = \frac{\gamma P}{\rho} \frac{\partial^2 P}{\partial x^2}$$
, $v = \sqrt{\frac{\gamma P}{\rho}} = 332 \frac{m}{s}$

• $SWR = \frac{\lambda^2}{2\pi A}$, A is the area of the tube

Transistors

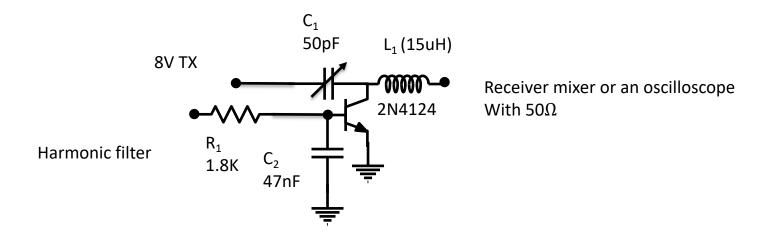
• When key is down, transistor conducts

Transmitter switch



• When key is down, transistor conducts

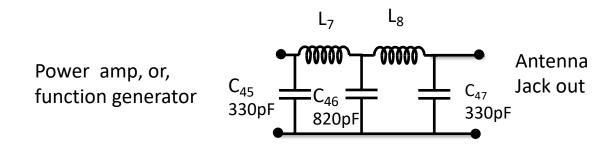
Receiver switch



If using function generator use a 1.8K resistor

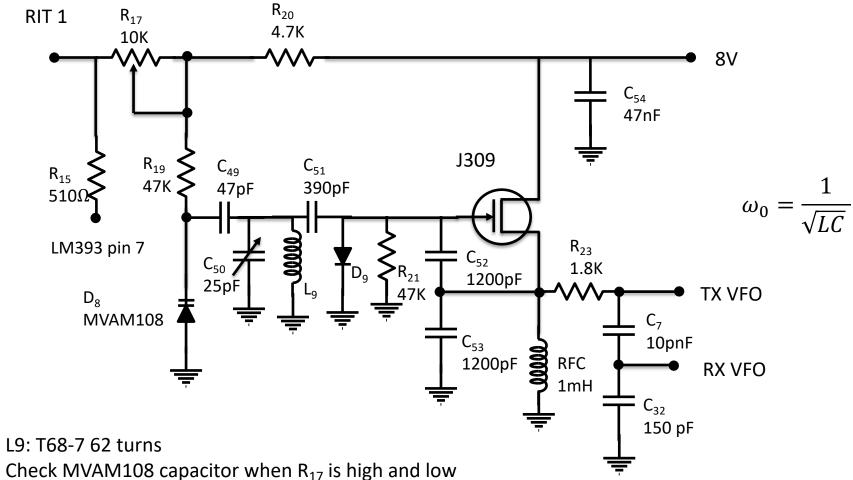
When transistor conducts the receiver filter shorts

Norcal Harmonic Filter



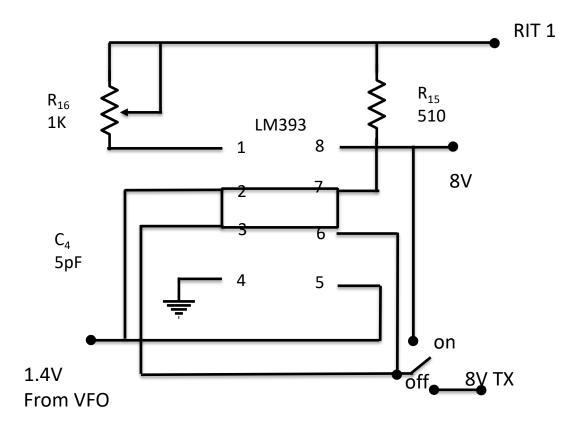
- L₇, L₈ use T37-2 core, 18 turns, 1.3uH
- Compare loss at 7MHz and 14MHz

Norcal VCO



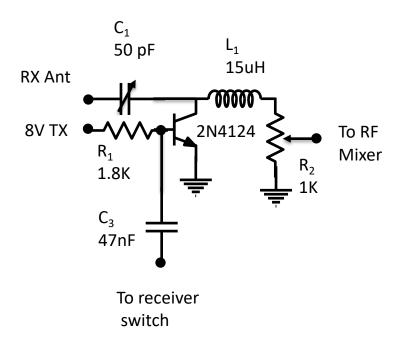
- Start resistor (R₂₁) pulls gat to ground at start
- When gain limiting diode (D9) conducts, it pulls gate negative
- Oscillator keeps growing as long as g_m>1/R

Norcal Receiver Incremental Tuning (RIT)

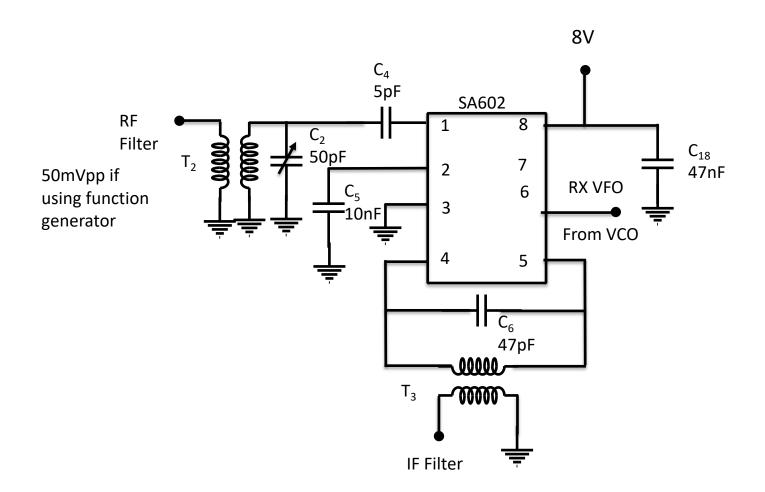


- LM393 is a comparator
- For function generator connect through 1.5K

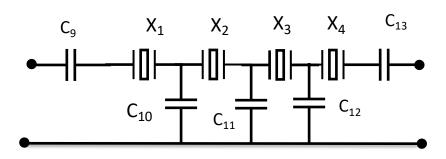
Norcal RF Filter



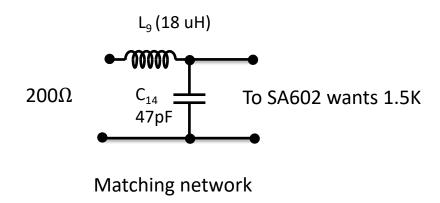
Norcal RF Mixer

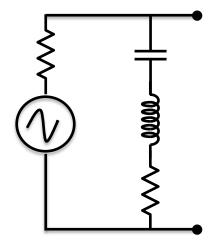


Norcal IF Cohn Filter



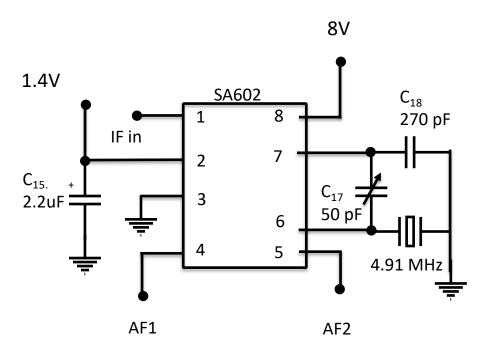
- X₁ through X₄ are 4.91 MHz
- C₁₀, C₁₁, C₁₂ are 270 pF
- Set function generator to 50mV_{pp} from function generator
- Calculate R and X for filter





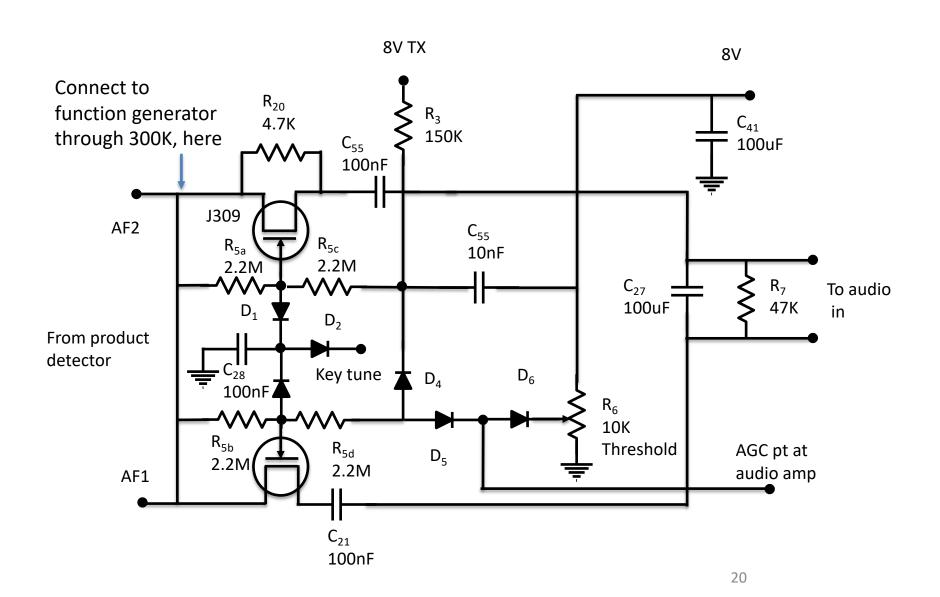
Equivalent circuit for crystal and generator

Norcal Product Detector

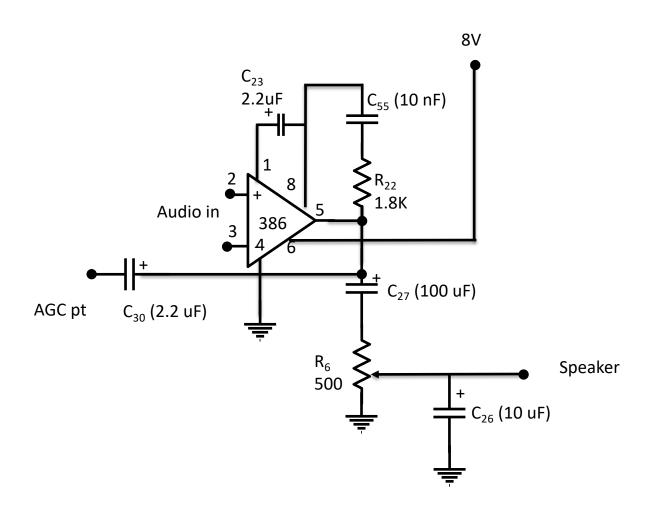


• 620 Hz output through AF1 and AF2

Norcal AGC



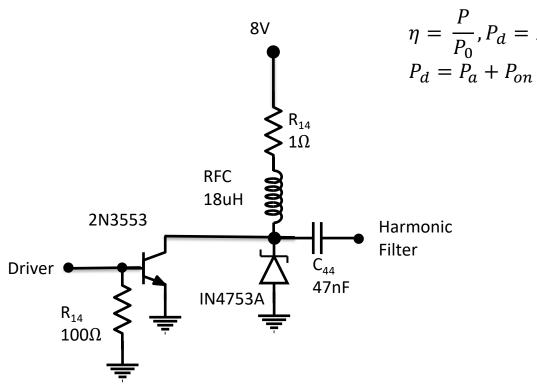
Norcal Audio Amp



Norcal Power Amp

Norcal-40 Power amp is class C

• $R_t = \frac{T - T_0}{P_d}$

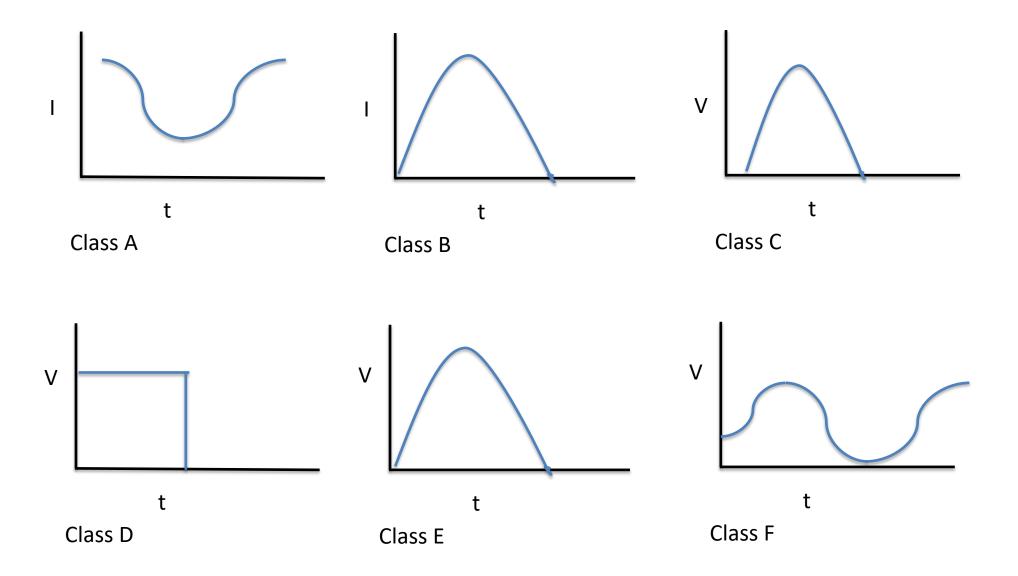


- Class Efficiency Characteristics 35% Full bias 60% Low bias 75% Saturating 75% Switch in pass-band Voltage switch 90% Harmonic resonators 80%
- $\eta = \frac{1}{P_0}, P_d = P_0 P_i$

Supply power 3,200 mW Active loss P_a, 260 mW Power transistor **Active loss** P_{on}, 430 mW

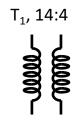
- Antenna 2500 mW
- T_0 is ambient temperature, T is heat sink temperature

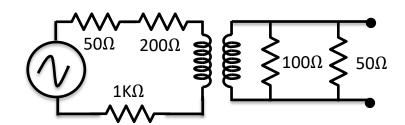
Amplifier classes



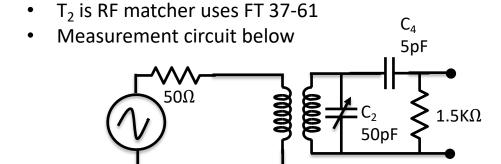
Norcal matching transformers

- T₁ is driver matcher uses FT 37-43
- Measurement circuit below

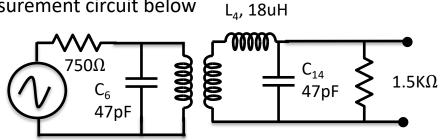




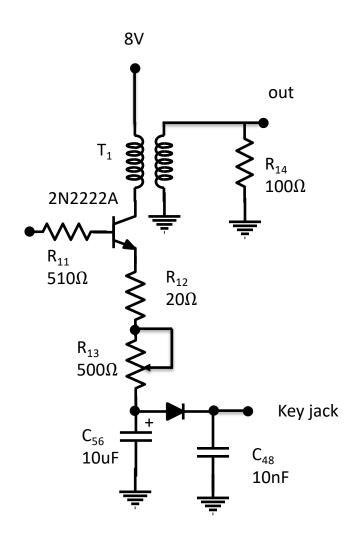
T₂, 1:20



- T₃, 23:6
- T₃ is IF matcher uses FT 37-61
- Measurement circuit below

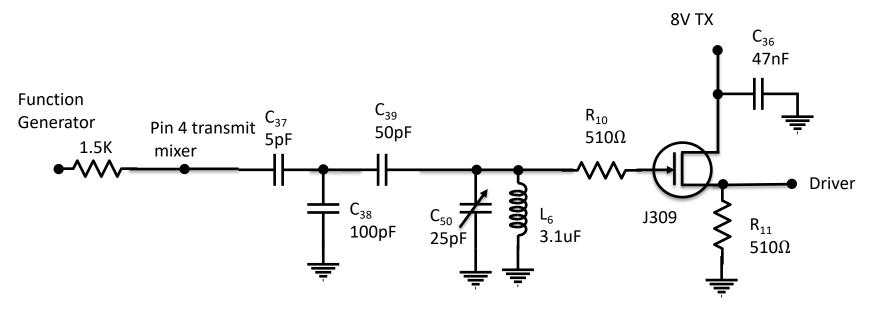


Norcal Driver



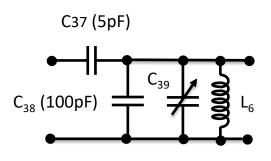
• Use 50Ω scope probe

Norcal Buffer



$$G_V = \frac{V}{V_i}$$

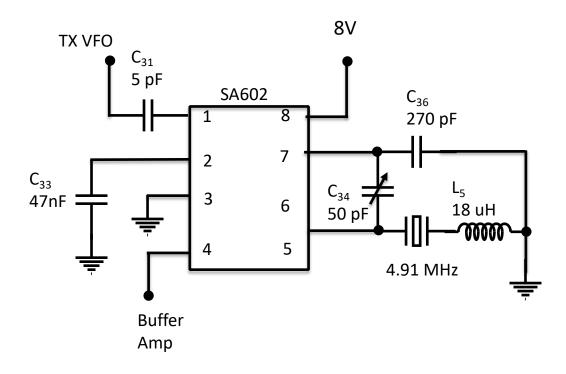
Norcal transmit bandpass filter



•
$$C_{39} = 50pF$$
,

- L_6 is 36 turns #28 on T37-2 which has $A_l = 4 \frac{nH}{turn^2}$
- $L_6 = A_l \cdot 36^2 = 3.1 \mu H$
- $Z_2 = -\frac{j}{(C_{38} + C_{39})\omega_o}$, $Z_3 = jL_6\omega_o$, $Z_1 = \frac{j}{C_{37}\omega_o}$
- $Z_{2,3-eq} = \frac{jL_6\omega_0}{L_6(C_{38}+C_{39})\omega_0^2-1}$
 - Resonance is when $Z_{2,3-eq} \rightarrow \infty$, $\omega_o^2 = \frac{1}{(C_{38}+C_{30})L_6} \approx \frac{10^{18}}{465}$, when almost all the voltage drop is across $Z_{2,3-eq}$ $\omega_o = \frac{10^9}{\sqrt{465}} \approx 50.8 \times 10^6$, $f_0 = \frac{\omega_o}{2\pi} \approx 7.1 \ MHz$
 - Q of filter is: $Q_s = \frac{X_s}{R_s}$. R_s comes from the other components and must be measured
 - Note that $Z_{2,3-eq}$ is small for the other modulation product

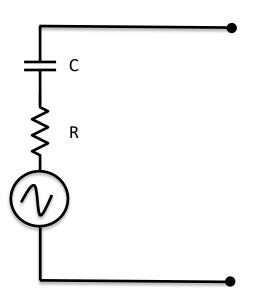
Norcal transmit mixer and oscillator



Antennas and propagation

- From Maxwell, for a plane wave (E in x direction, H in y direction), wave is of form $\exp(j\omega t j\beta z)$
- $\nabla \times E = -j\mu_0 \omega H$
- $\nabla \times B = j\epsilon_0 \omega E$
- $\beta \hat{z} \times E = \mu_0 \omega H$, $\beta E_x \hat{y} = \mu_0 \omega H$
- Substituting and taking the restricted cross products, we get: $\beta E_x = \omega \mu_0 \frac{\omega \epsilon_0}{\beta}$, so $\beta = \omega \sqrt{\mu_0 \epsilon_0}$
- Power density: $S = Re\left(\frac{E_x \overline{H_y}}{2}\right) = \frac{(|E_x|)^2}{2\eta_0}$
- $\bullet \quad \eta_0 = \frac{E_x}{H_y} = \sqrt{\frac{\mu_0}{\epsilon_0}} = 377\Omega$
- Impedance: $P_t = \frac{R|I|^2}{2}$, R is real part of Z, $R = R_r + R_l$, $\eta = \frac{R_r}{R}$
- Power density for isotropic antenna: $S_i = \frac{P_t}{4\pi r^2}$
- Define $G(\theta, \phi) = \frac{S(\theta, \phi)}{S_r}$. $S(\theta, \phi)$ is just the Poynting vector
- For isotropic reference, $G = \frac{4\pi r^2 S}{P_t}$

Receiving antenna Thevenin



Antennas and propagation

- Receiving antenna:
- $V_0 = hE$, h is effective antenna length ($h = \frac{l}{2}$ for short antenna)
- For dipole: $V_0 = \frac{l}{2} E \sin(\theta)$
- $A(\theta, \phi) = \frac{P_r}{S(\theta, \phi)}$. This is the definition of the effective area, A.
- By reciprocity, $A(\theta, \phi) = \frac{\lambda^2}{4\pi} G(\theta, \phi)$
- $P_r = \frac{|V_0|^2}{8R_a} = \frac{|hE|^2}{8R_a}$, so
- $P_r = \frac{h^2 S \eta_0}{4R}$ $A = \frac{h^2 \eta_0}{4R}$

Antennas and propagation

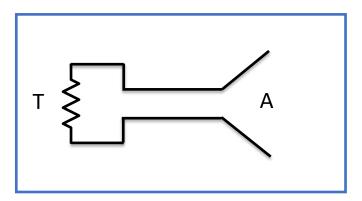
- Antenna theorem: $\oint A \ d\Omega = \lambda^2$
- For cavity on right, T is constant at thermodynamic equilibrium and the same power is transmitted and emitted, the Johnson noise is kT. The energy received is

$$E=rac{4\pi kT}{c\lambda^2}$$
. Set $B=rac{kT}{\lambda^2}$. $kT=\oint BA\ d\Omega=\oint Arac{kT}{\lambda^2}\ d\Omega$, which gives the antenna theorem

- For transmitting/receiving antenna pairs: $G_1A_2=\frac{|V|^2\pi r^2}{|I|^2R_1R_2}=G_2A_1$. So $\frac{G_1}{A_1}=\frac{G_2}{A_2}=\frac{4\pi}{\lambda^2}$
- Friis formulas

•
$$S = \frac{P_t G}{4\pi r^2}$$
, $P_r = SA = \frac{P_t GA}{4\pi r^2}$

Insulated cavity



Reciprocity and dipole

Dipole Thevenin equivalent circuit

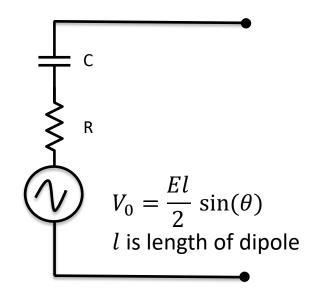
• For dipole (Length:
$$l = \frac{\lambda}{2}$$
)

•
$$\lambda^2 = \int A \ d\Omega = \int \frac{h^2 \eta_0}{4R_r} \ d\Omega$$
, so

•
$$R_r = \frac{l^2 \eta_0}{16\lambda^2} \int \sin^2(\theta) d\Omega = \eta_0 \frac{\pi}{6} \left(\frac{l}{\lambda}\right)^2$$

•
$$R_r=\frac{l^2\eta_0}{16\lambda^2}\int sin^2(\theta)d\Omega=\eta_0\frac{\pi}{6}(\frac{l}{\lambda})^2$$

• $A=\frac{3\lambda^2}{8\pi}sin^2(\theta)$ and $G=1.5sin^2(\theta)$. Note we used $h=\frac{l}{2}\sin(\theta)$



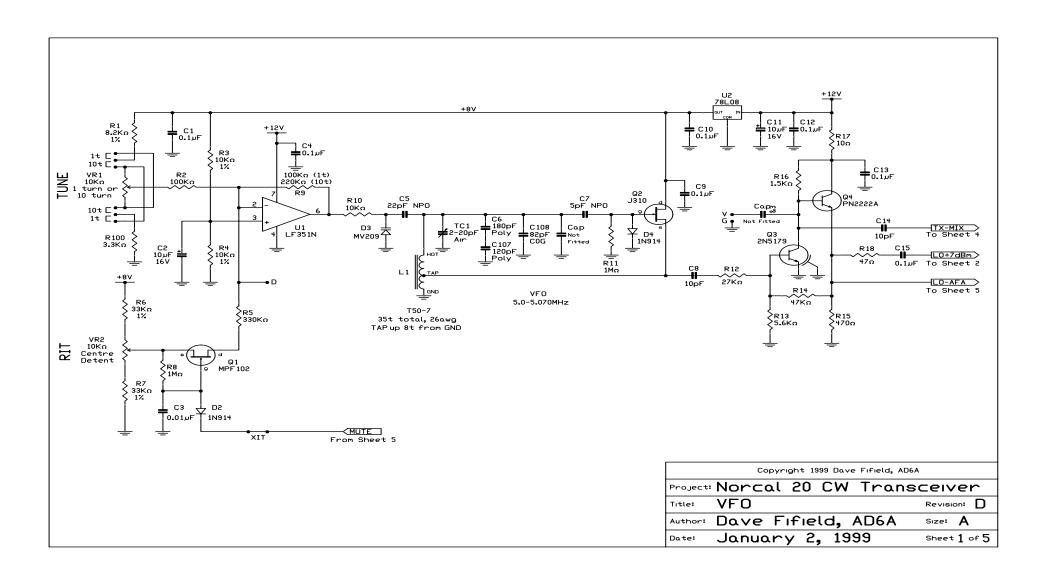
• For Norcal, G = 1, $A = 150m^2$, for $r = 2000 \, m$, $P_r = 6pW$

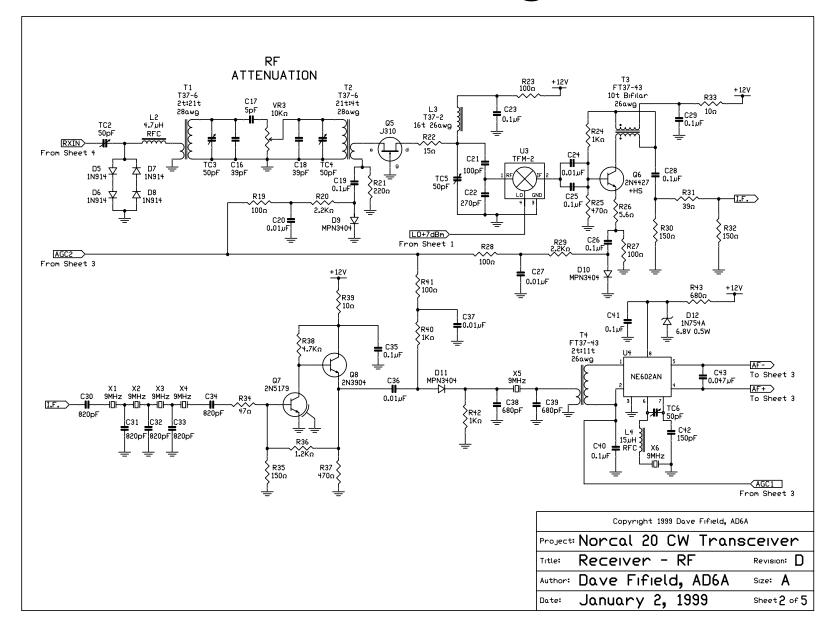
Noise

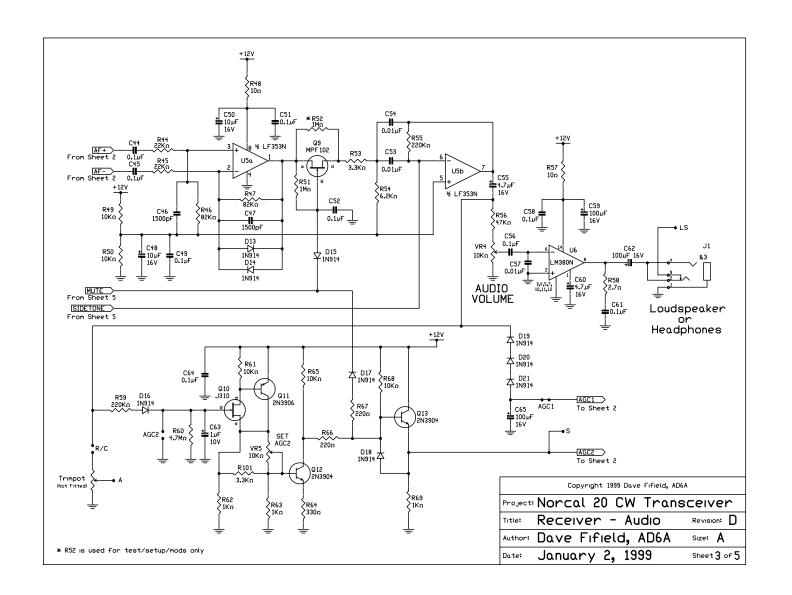
•
$$V_{n(rms)} = \sqrt{\frac{1}{\tau} \int_0^{\tau} V(t)^2} dt$$

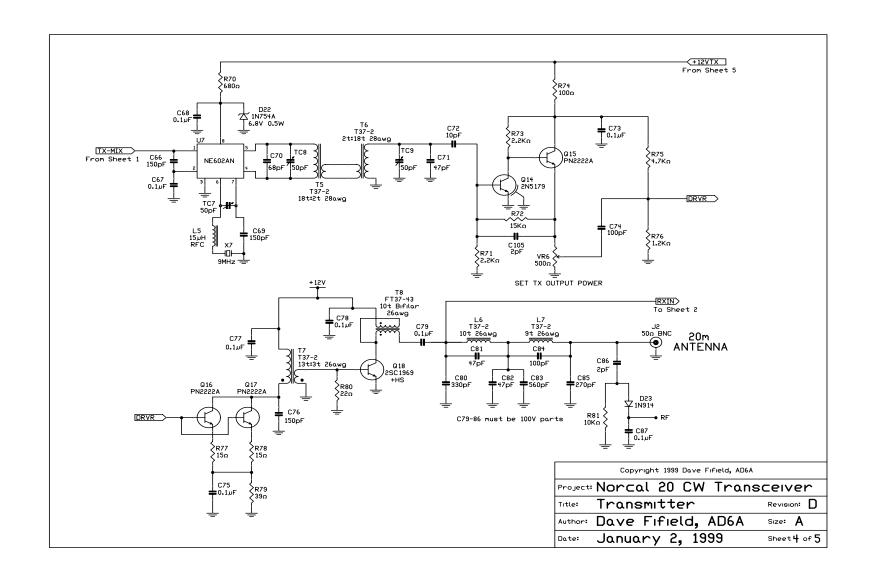
• $P_n = \frac{V_{n(rms)}^2}{\frac{R}{D}}$, R is load resistance

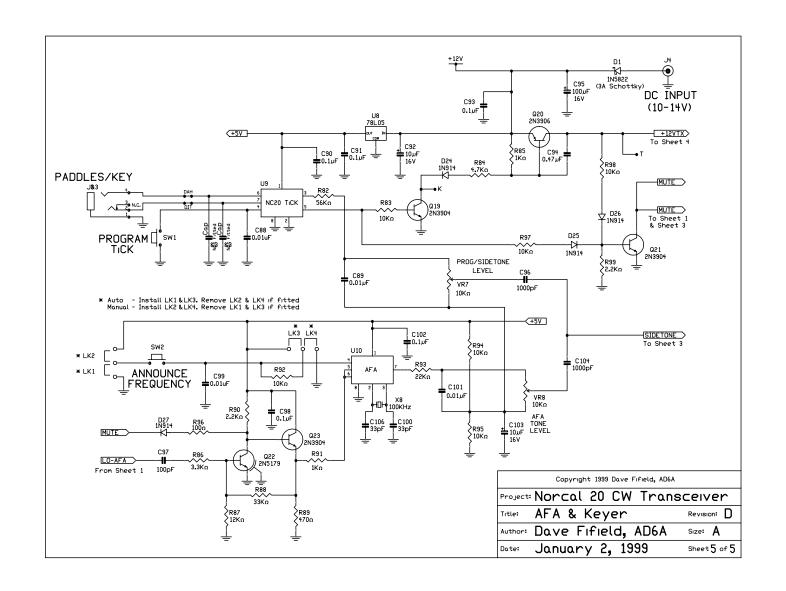
- $SNR = \frac{P}{P_n}$
- $MDS = \frac{P_n}{C}$
- Nyquist
- $V_C = \frac{1}{j\omega C} \frac{V_n}{R + j\omega L + \frac{1}{i\omega C}}$
- $\overline{|V_c|^2} = \frac{\overline{|V_n|^2}}{|1-\omega^2 LC + j\omega RC|^2}$
- Expected energy at resonance is $kT = \frac{c}{2} \int_0^\infty |V_c|^2 df$
- $\bullet \quad \int_0^\infty \frac{1}{|1-\omega^2 LC + i\omega RC|^2} df = \frac{1}{4RC}$
- So, $|V_c|^2 = 8kTR$











Block Diagram

Block Diagram