

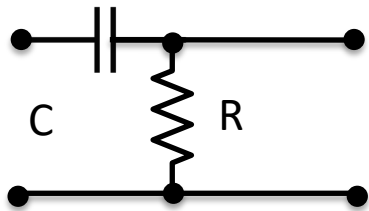
Power supply

For transformer

$$V_s = \frac{N_s}{N_p} V_p$$

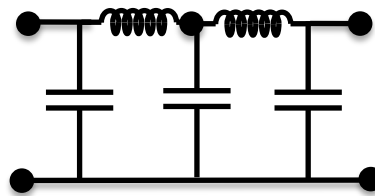
$$\frac{V_s}{I_s} = \left(\frac{N_s}{N_p}\right)^2 \frac{V_p}{I_p}, \text{ so}$$

$$Z_s = \left(\frac{N_s}{N_p}\right)^2 Z_p$$

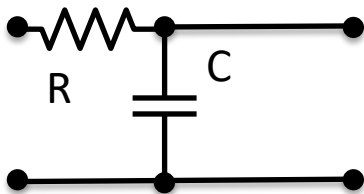


RC-high pass filter

$$H = \left(1 - \frac{j}{\omega RC}\right)^{-1}$$

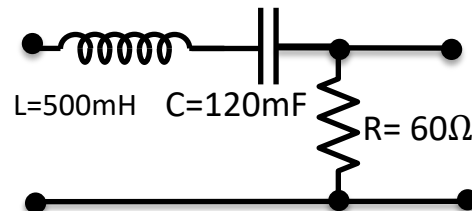


Line filter



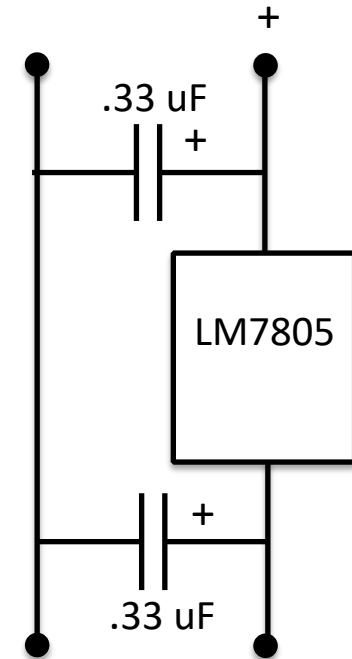
RC low pass filter

$$H = R(1 + j/(wRC))^{-1}$$

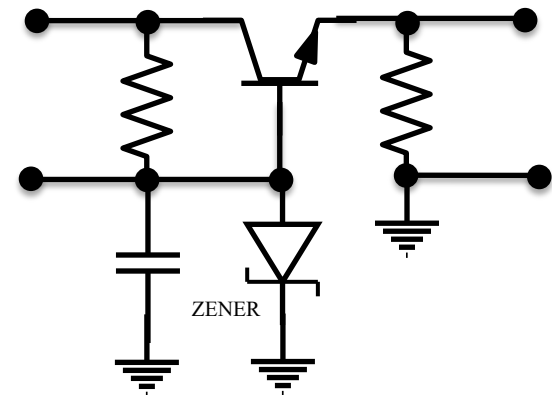


RC Band-pass filter

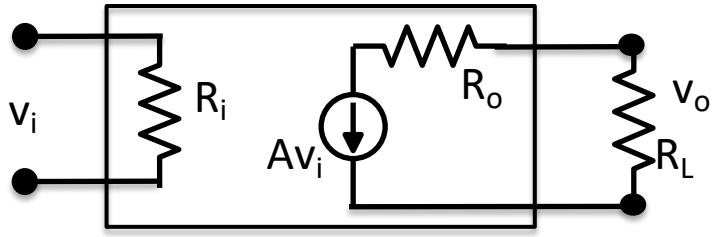
$$H = R(R + j(wL - 1/(wC)))^{-1}$$



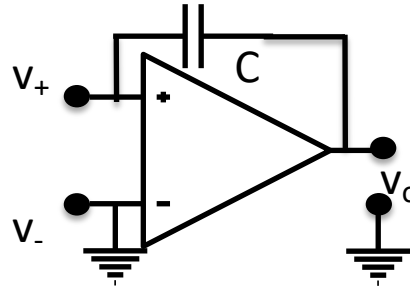
Voltage regulator



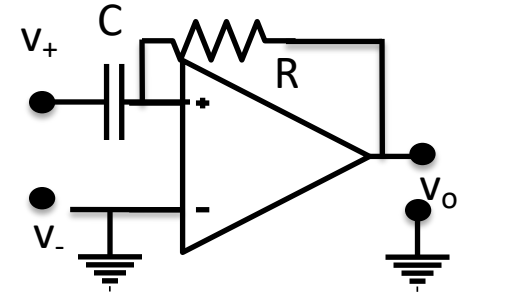
Voltage regulator



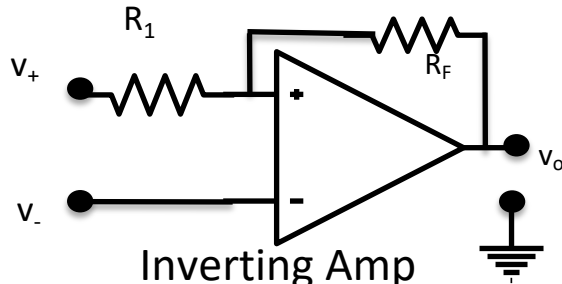
Ideal Amplifier



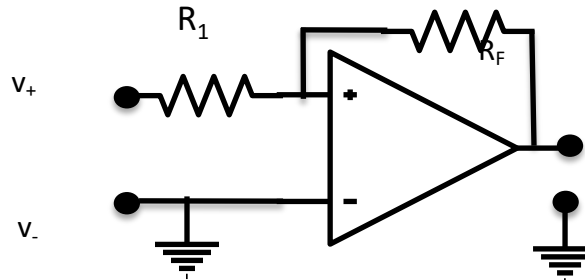
Integrator



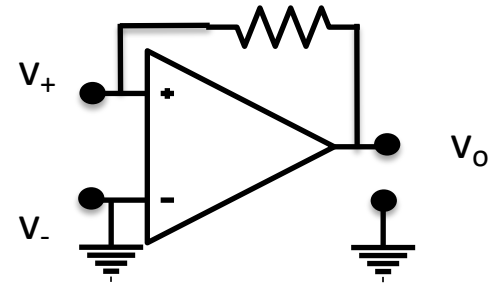
Differentiator



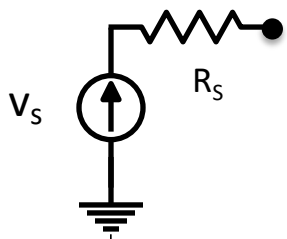
Inverting Amp



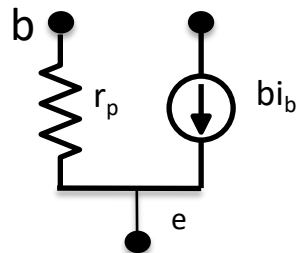
Non-inverting Amp



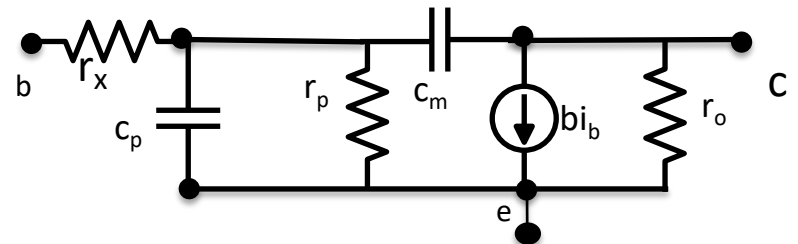
Follower as buffer



Bipolar source model

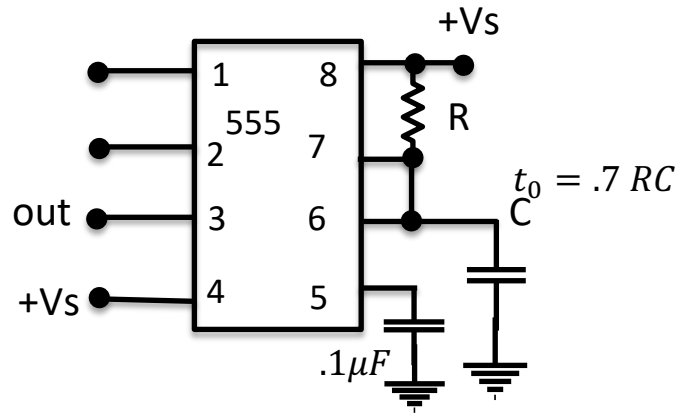


Simple bipolar model



High frequency bipolar model (npn)

555 one shot



**Pin 1:** -Vs

**Pin 8:** +Vs

**Pin 2 (Trigger):** Out HIGH if  $V < V_{CC}/3$ . Pin 2 controls pin 6. If pin 2 is LOW, and pin 6 LOW, output goes and stays HIGH. If pin 6 HIGH, and pin 2 goes LOW, output goes LOW while pin 2 LOW. Pin 2 has a very high impedance (about 10M) and will trigger with about 1uA.

**Pin 3 (Output):** (Pins 3 and 7 are "in phase.") Goes HIGH (about 2v less than rail) and LOW (about 0.5v less than 0v) and will deliver up to 200mA.

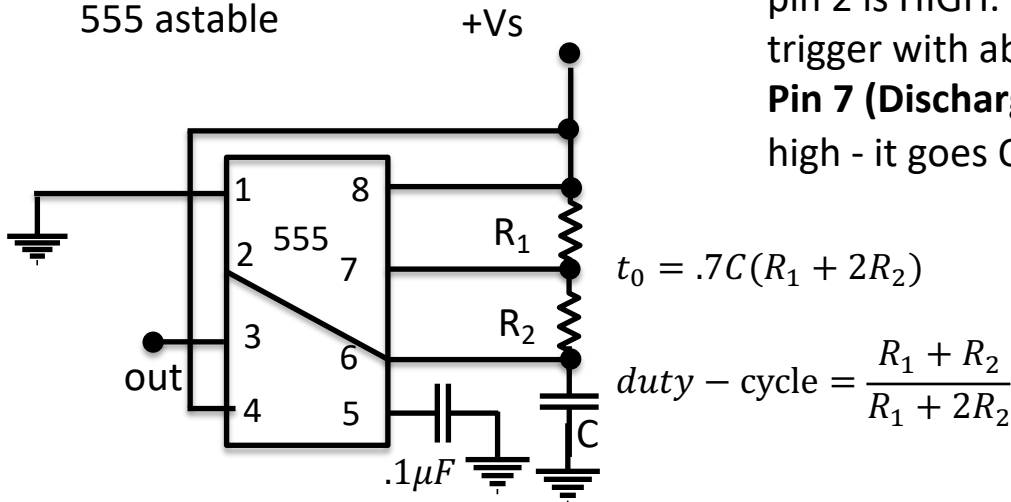
**Pin 4 (Reset):** Internally connected HIGH via 100k. Must go below 0.8v to reset the chip.

**Pin 5 (Control):** voltage applied to this pin will vary the timing of the RC network (quite considerably).

**Pin 6 (Threshold):** HIGH if  $> 2 V_{CC}/3$ , make output LOW only if pin 2 is HIGH. Pin 6 has very high impedance ( $\sim 10M$ ) and will trigger with about 0.2uA.

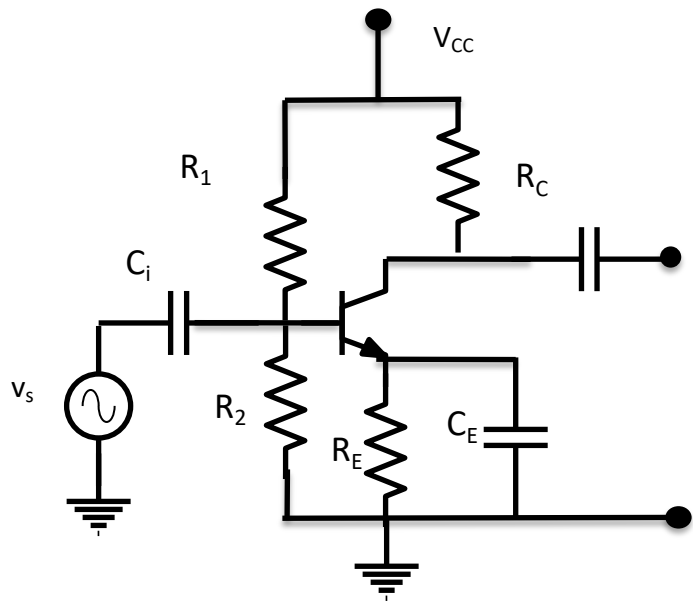
**Pin 7 (Discharge):** Pin 7 is equal to pin 3 but pin 7 does not go high - it goes OPEN. When LOW it sinks about 200mA.

555 astable

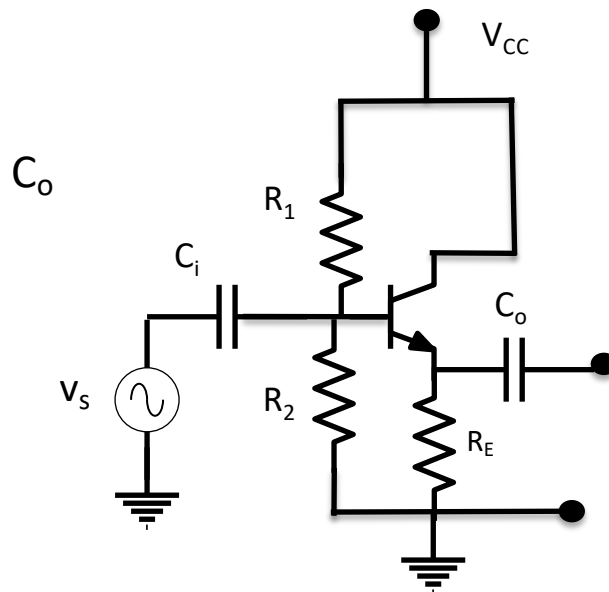


324 op amp

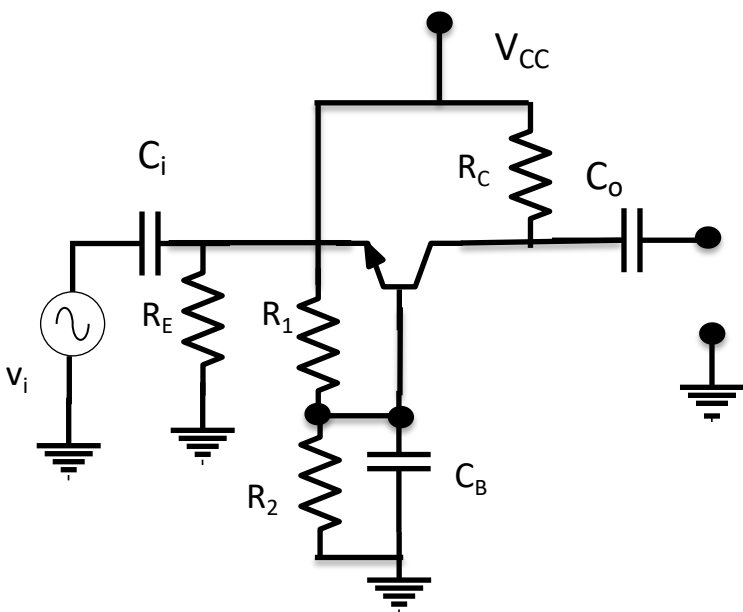
1 (o1)	(o4) 14
2 (i1-)	(i4-) 13
3 (i1+)	(i4+) 12
4 (V+)	(GND) 11
5 (i2+)	(i3-) 10
6 (i2-)	(i3+) 9
7 (o2)	(o3) 8



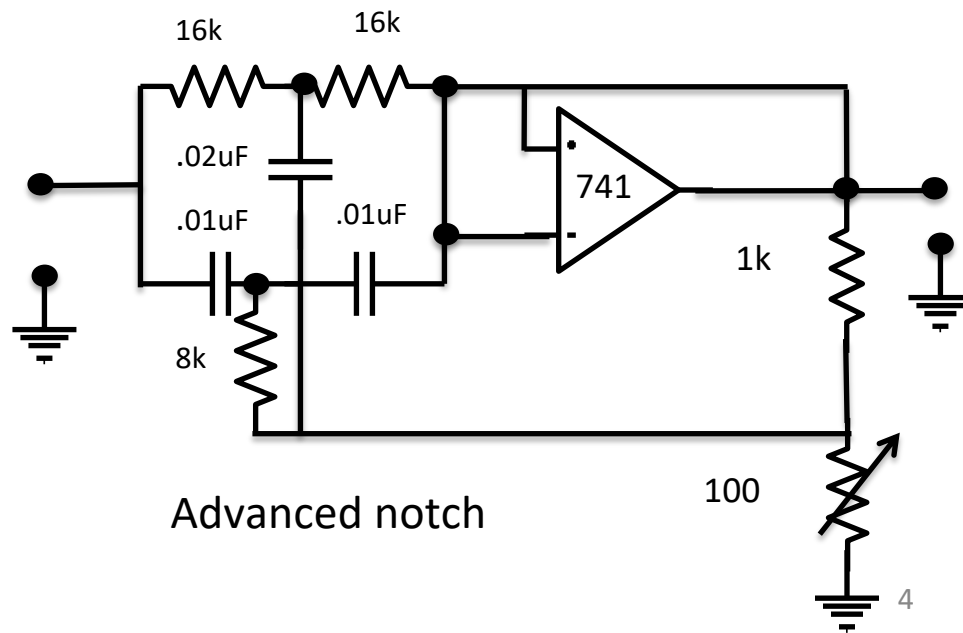
Common emitter amp



Common collector amp (Emitter Follower)



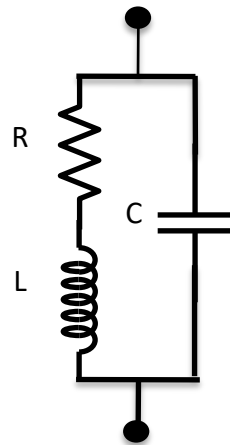
Common base amp



Advanced notch

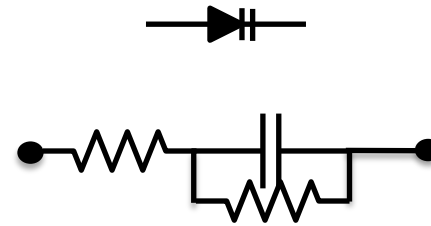


$$Z^2 = R^2 + (\omega L - 1/\omega C)^2$$



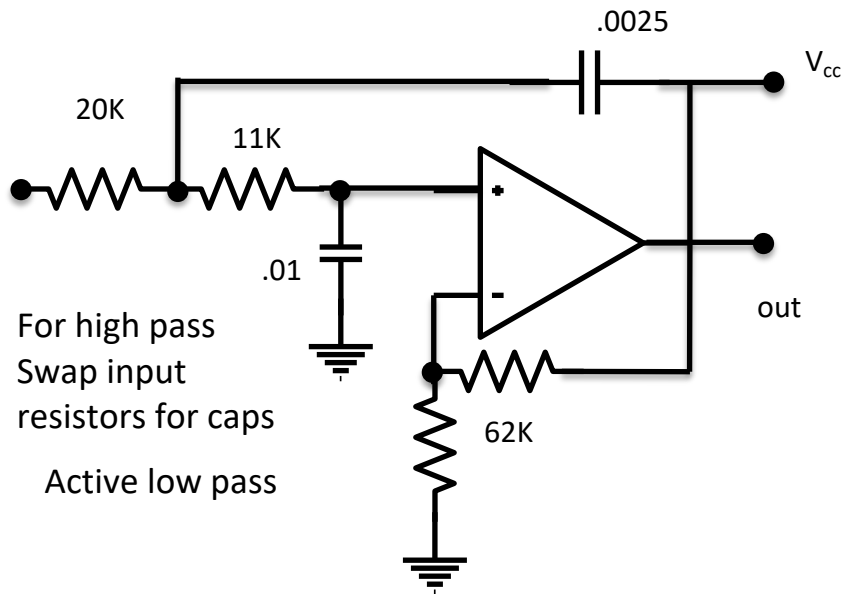
$$Z = (L/C - j(R/\omega C)) (R + j(\omega L - 1/\omega C))^{-1}$$

$$f_0 = (2\pi)^{-1} (LC)^{-1/2}$$



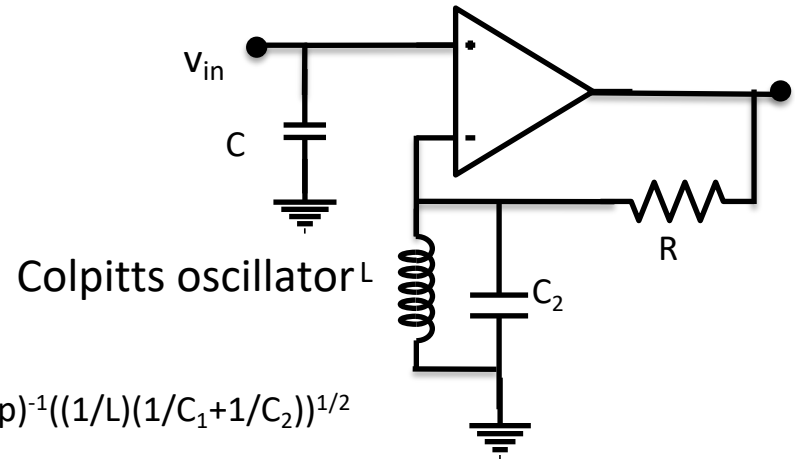
$$C_j = \frac{C_{j0}}{\sqrt{V_{on} - V_{revbias}}}$$

Varactor model



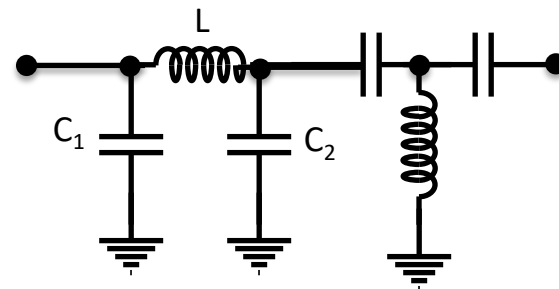
For high pass  
Swap input  
resistors for caps  
Active low pass

Flat side transistor (L to R): E, B, C



Colpitts oscillator

$$f = (2\pi)^{-1} ((1/L)(1/C_1 + 1/C_2))^{1/2}$$



$\pi$  and T impedance matching

SN74LS00

1 (A)	(V+) 14
2 (B)	(A) 13
3 (Y)	(B) 12
4 (Y)	(Y) 11
5 (B)	(Y) 10
6 (A)	(B) 9
7 (Gnd)	(A) 8

4 NAND

SN74LS02

1 (Y)	(V+) 14
2 (A)	(Q) 13
3 (B)	(!Q) 12
4 (Y)	(C) 11
5 (A)	(R) 10
6 (B)	(K) 9
7 (Gnd)	(J) 8

4 NOR

SN74LS06

1 (A)	(V+) 14
2 (!A)	(D) 13
3 (B)	(!!D) 12
4 (!B)	(E) 11
5 (C)	(E!) 10
6 (!C)	(F) 9
7 (Gnd)	(!F) 8

6 Inverter

SN74LS10

1 (A1)	(V+) 14
2 (A2)	(A3) 13
3 (C1)	(AO) 12
4 (C2)	(B3) 11
5 (C3)	(B2) 10
6 (CO)	(B1) 9
7 (Gnd)	(BO) 8

3 3-NOR

4013

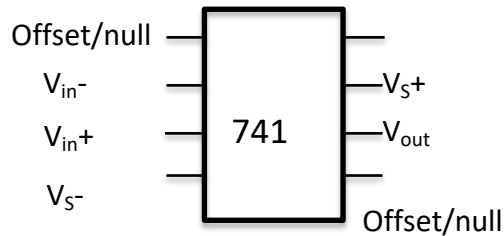
1 (Q)	(V+) 14
2 (!Q)	(Q) 13
3 (C)	(!Q) 12
4 (R)	(C) 11
5 (D)	(R) 11
6 (S)	(D) 10
7 (Gnd)	(S) 9

Dual D-FF

4017

1 (5)	(V+) 16
2 (1)	(R) 15
3 (0)	(CLK) 14
4 (2)	(CKE) 13
5 (6)	(CO) 12
6 (7)	(9) 11
7 (3)	(4) 10
8 (Gnd)	(8) 9

Counter

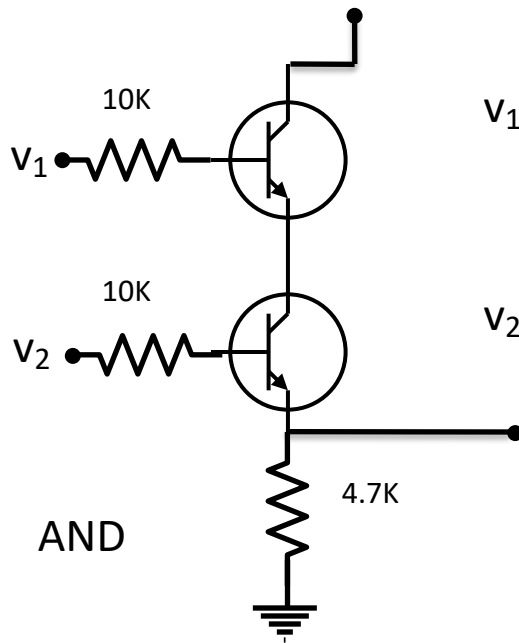


1 (o1)	(o4) 14
2 (i1-)	(i4-) 13
3 (i1+)	(i4+) 12
4 (V+)	(GND) 11
5 (i2+)	(i3-) 10
6 (i2-)	(i3+) 9
7 (o2)	(o3) 8

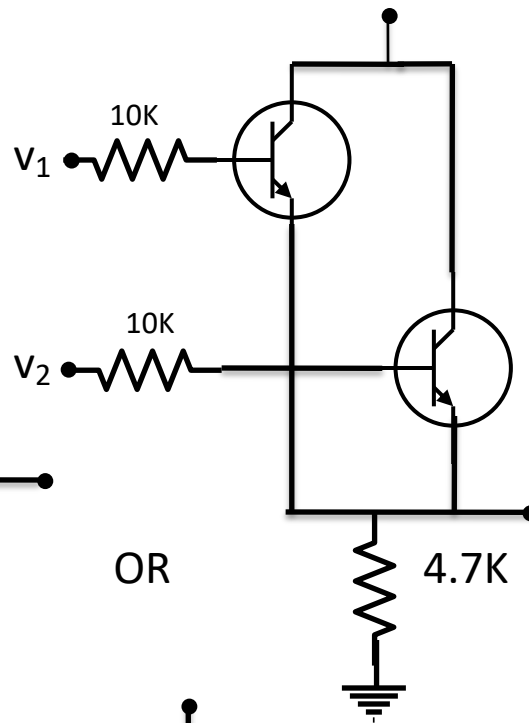
324 op amp

1 (GAIN)	(GAIN) 8
2 (IN-)	(BYP) 7
3 (IN+)	(V+) 6
4 (GND)	(OUT) 5

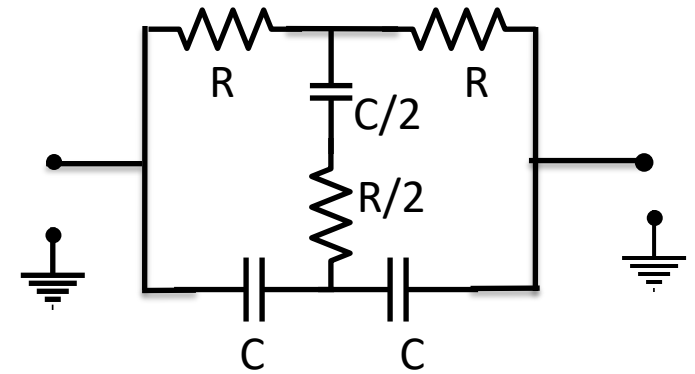
386 amp



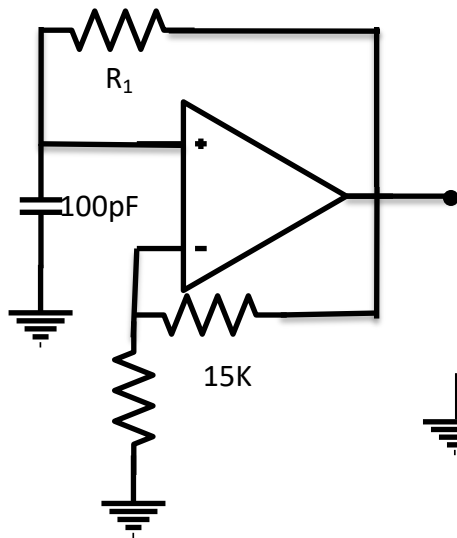
AND



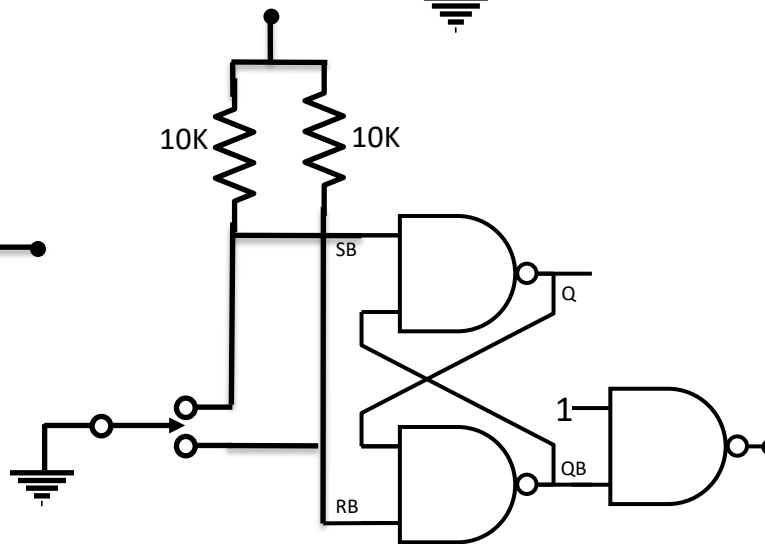
OR



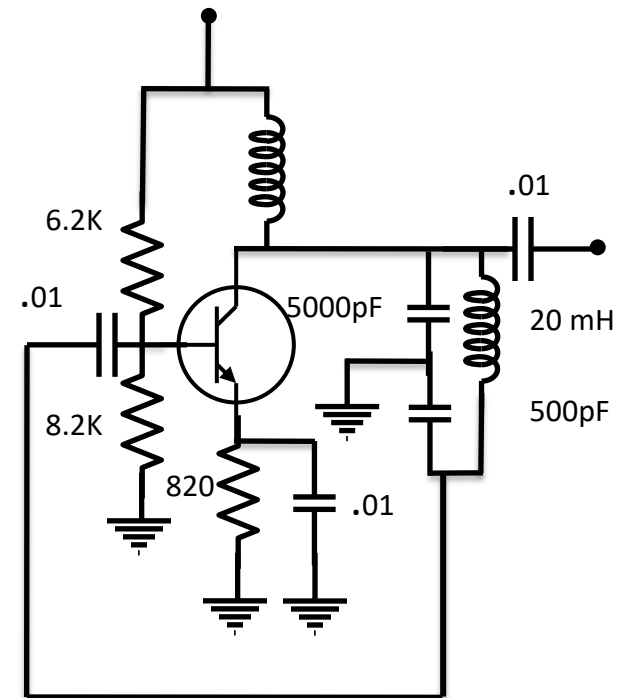
Notch Filter



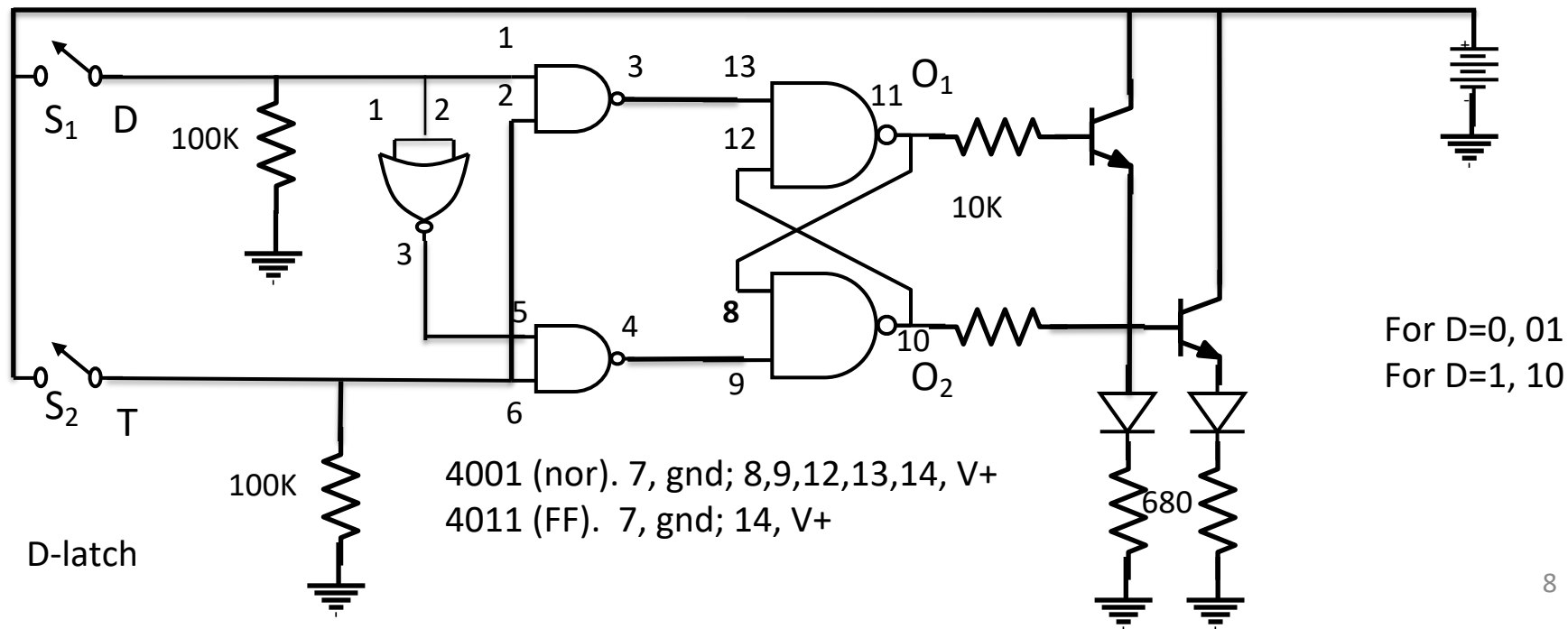
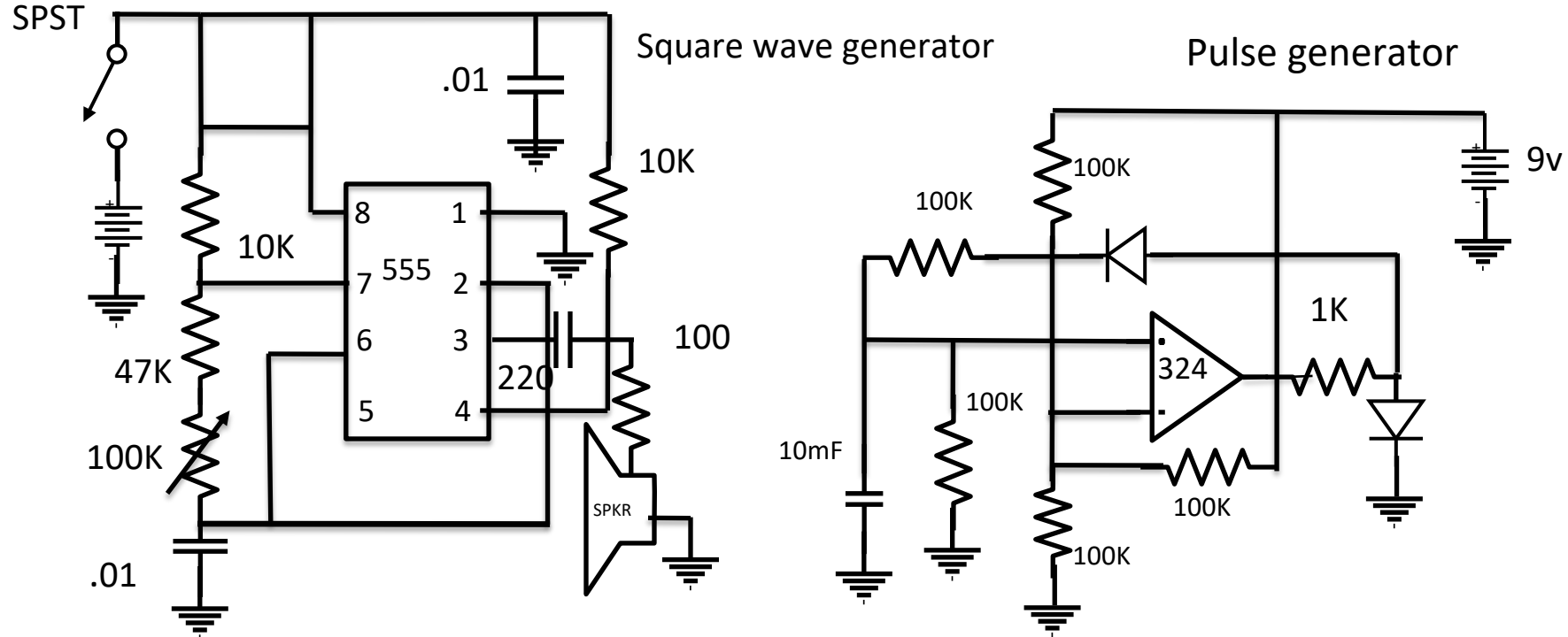
Square Wave generator



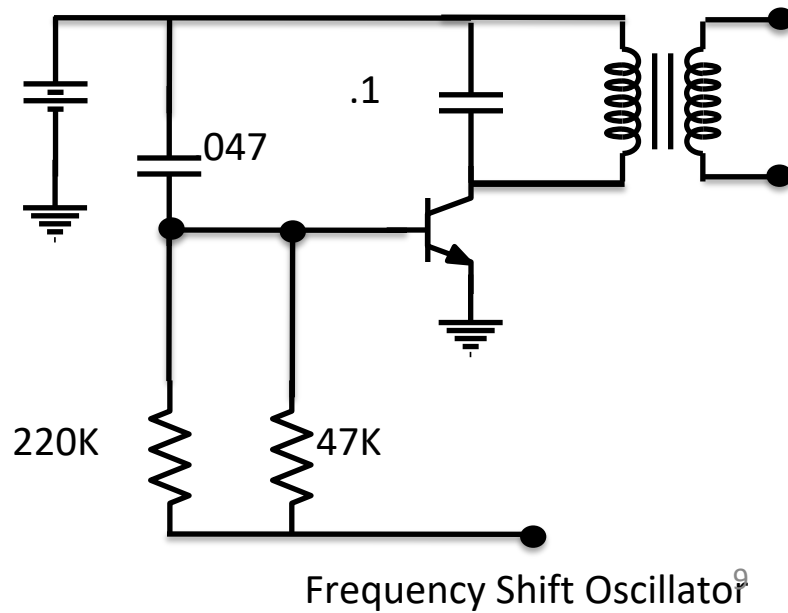
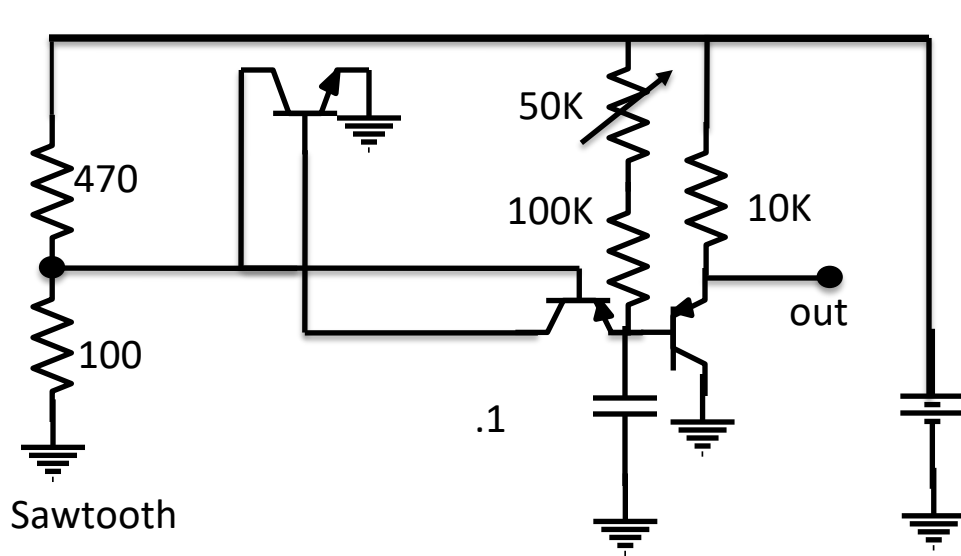
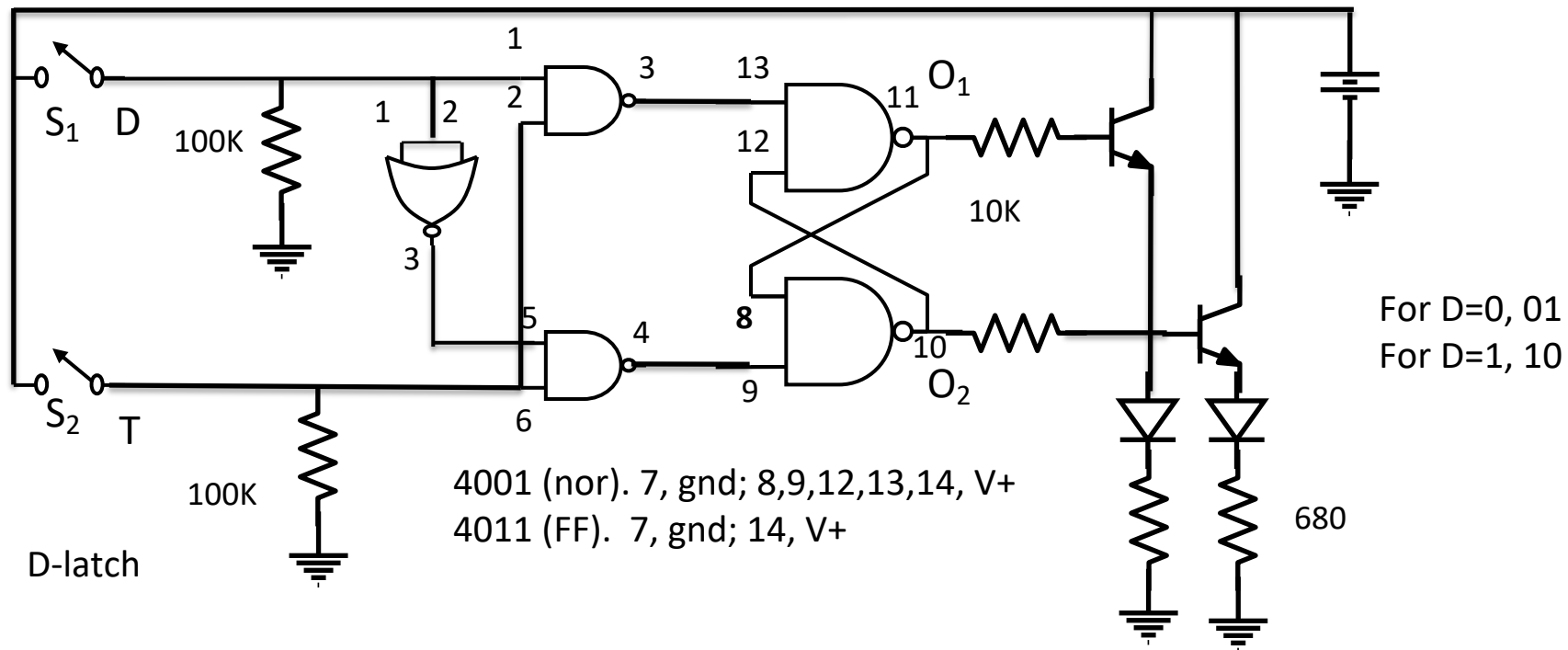
Debounce



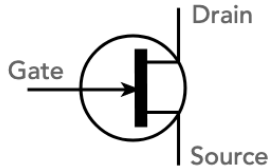
Oscillator  $f = (2\pi)^{-1}(LC)^{1/2}$



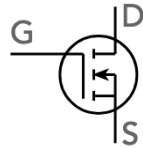




# FETs



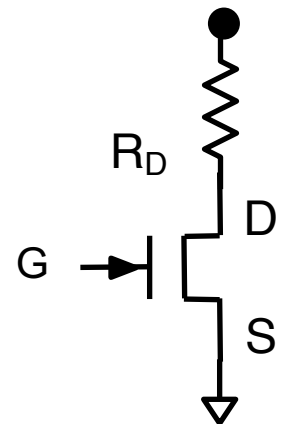
N channel JFET



N channel enhancement insulated MOSFET

From electronics notes

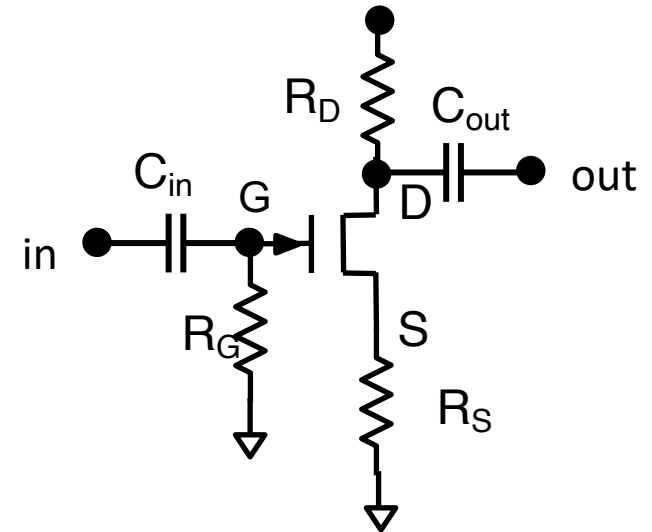
- Small signal model
- $i_D = i_{DSS}(1 - \frac{V_{GS}}{V_p})^2, 0 \leq V_{GS} \leq V_p$
- Ohmic ( $V_{DS} < 1.8$ ),  $R_{GS} = \frac{k}{g_m} V_{GS}$ .
- Saturation ( $V_{DS} > 2$ ),  $i_d = g_m V_{GS}$
- For 2N-7000,  $I_{DSS} = 60$ ,  $g_m = 320$
- JFETs generally don't operate in enhancement mode ( $V_{GS} < 0$ )



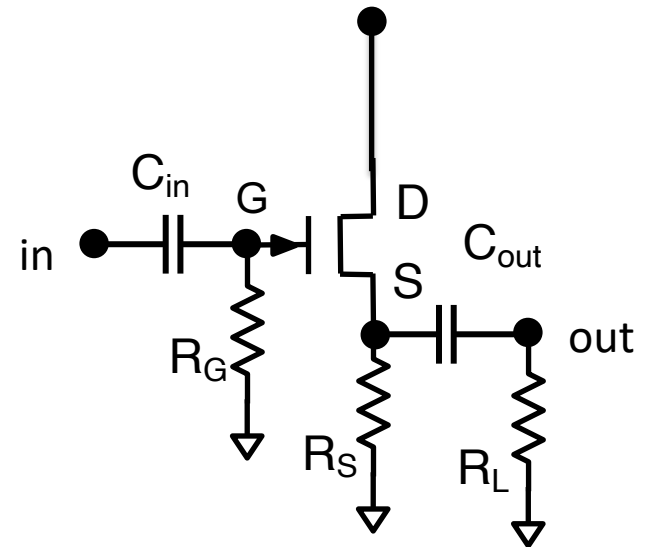
# FETAmps

- Common Source

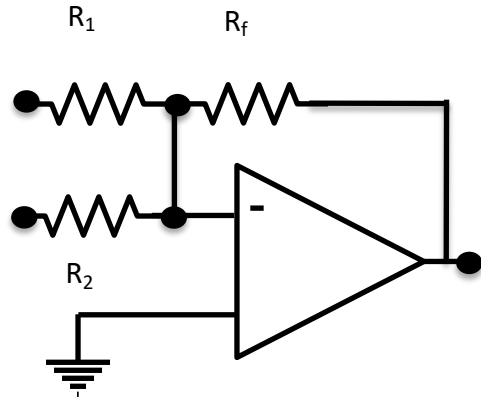
1.  $V_{DD} = 12v, i_{DSS} = 35mA, V_p = -3v$
2.  $A_V = 10, i_{DQ} = 10mA$
3.  $R_S = -\frac{V_P}{i_{DQ}} \left(1 - \sqrt{\frac{i_{DQ}}{i_{DSS}}}\right) = 139$  (say  $150\Omega$ )
4.  $A_V = -\frac{R_D}{R_S}, R_D = 1,500\Omega$



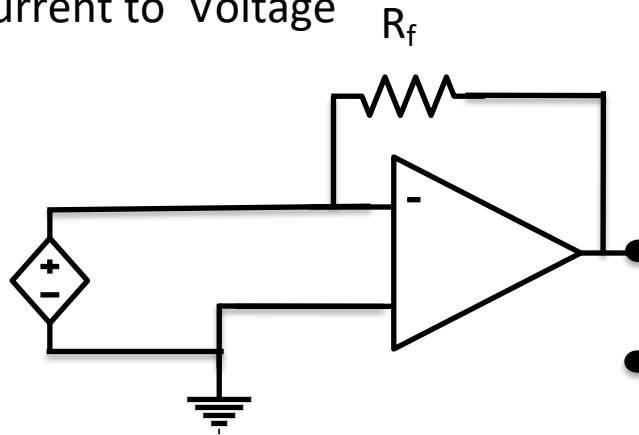
- Common Drain



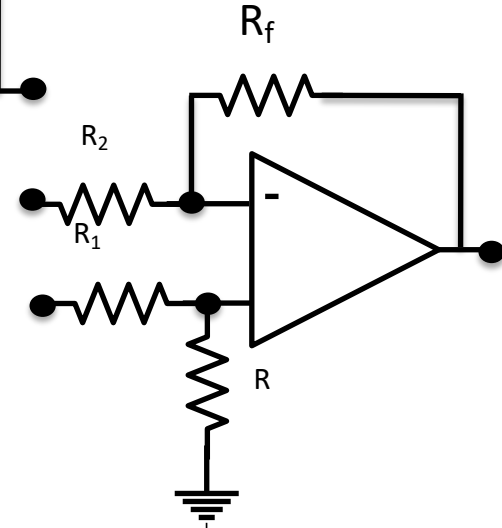
Summing amp



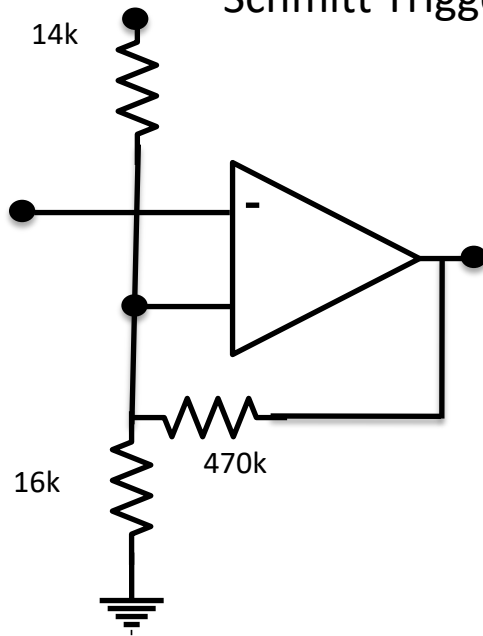
Current to Voltage



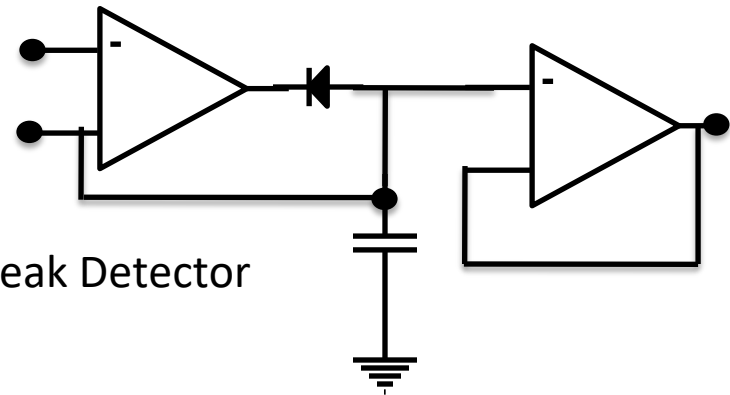
Difference Amp

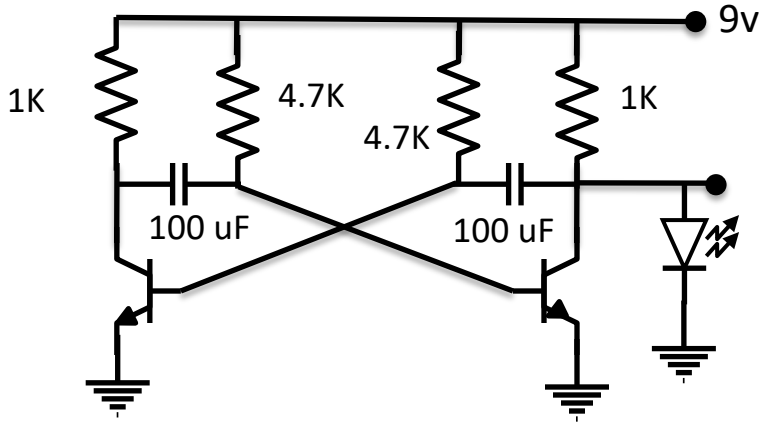


Schmitt Trigger

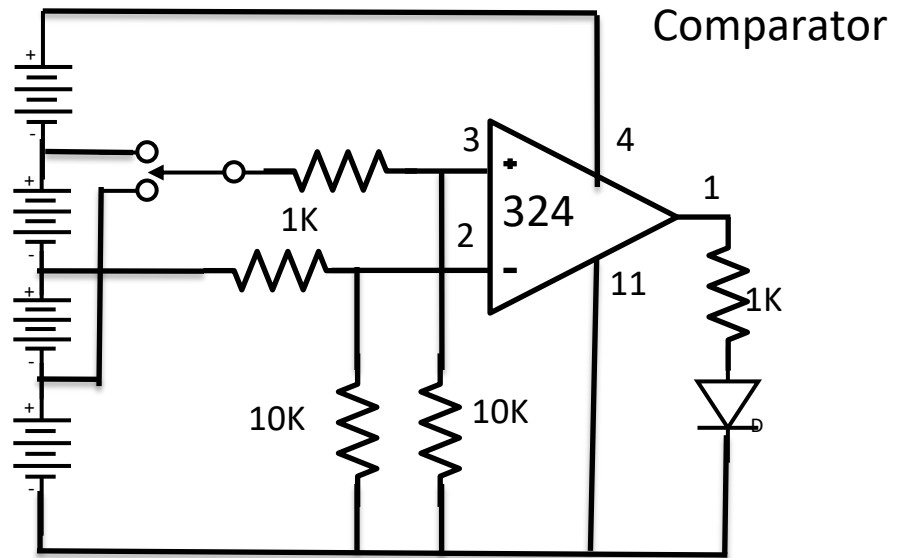


Peak Detector



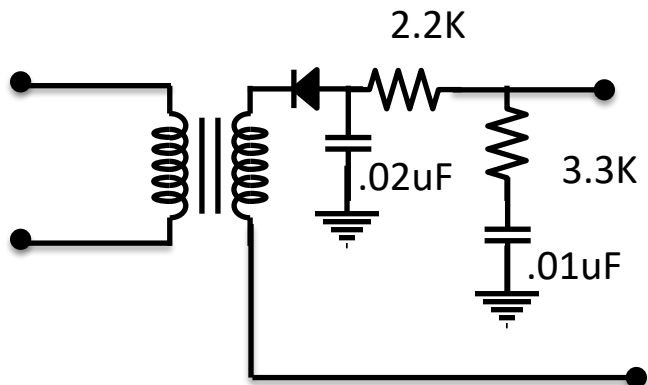
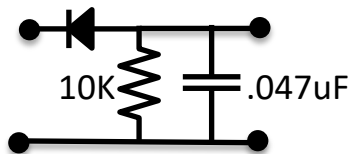


Astable Multivibrator

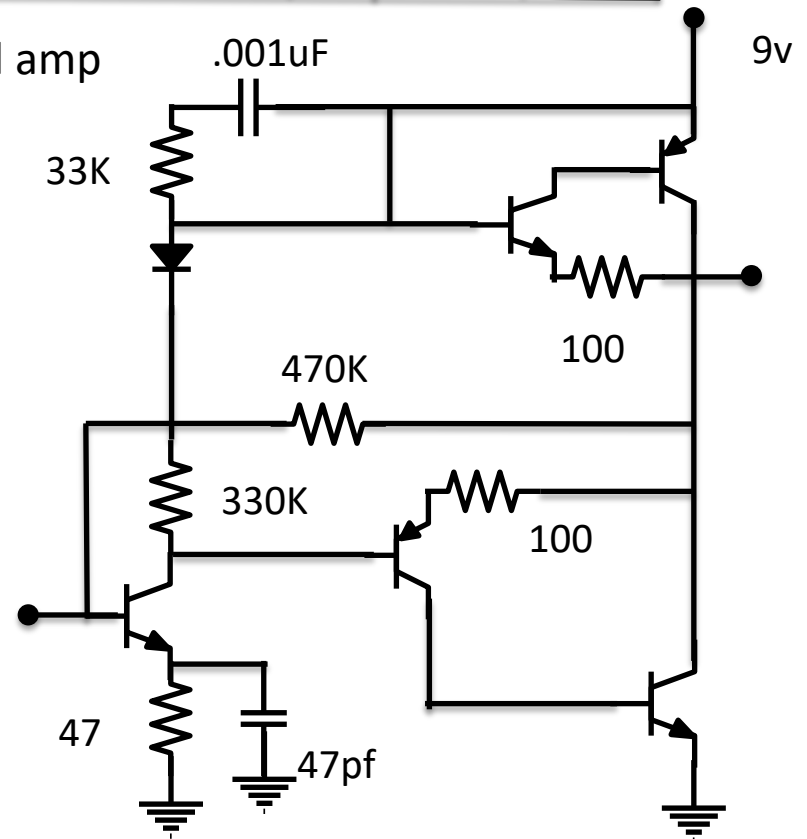


Comparator

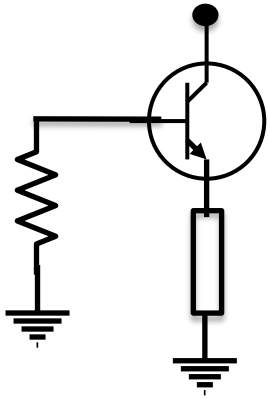
AM Detectors



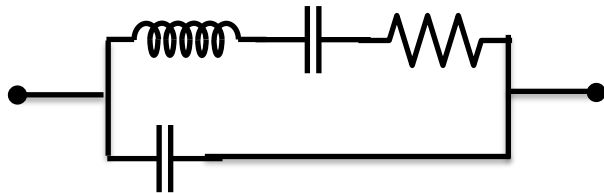
Push-pull amp



Current source

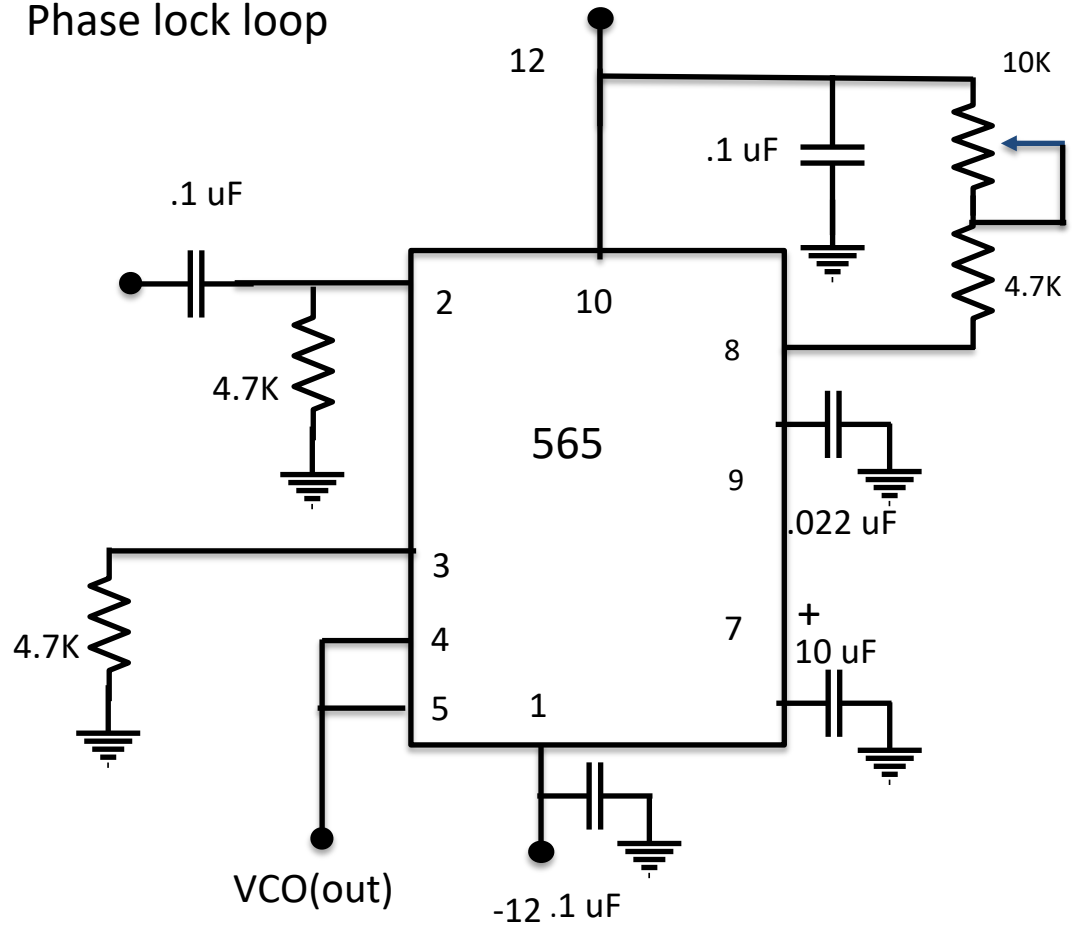


Load

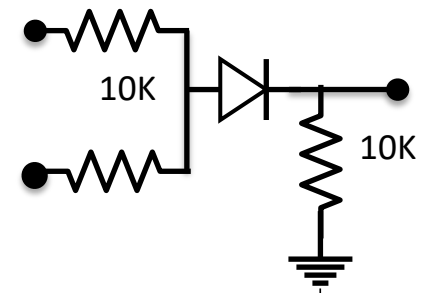


Crystal equivalent

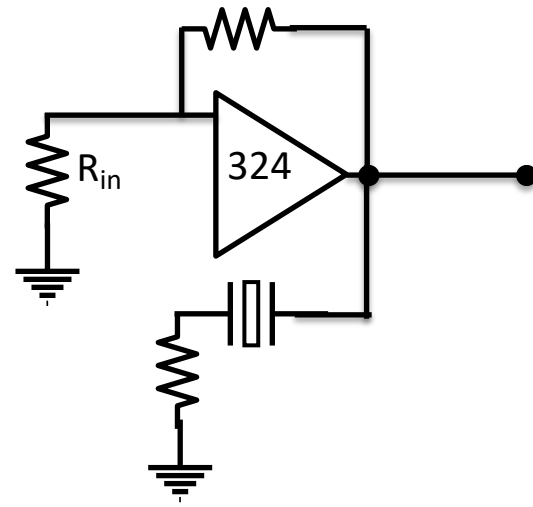
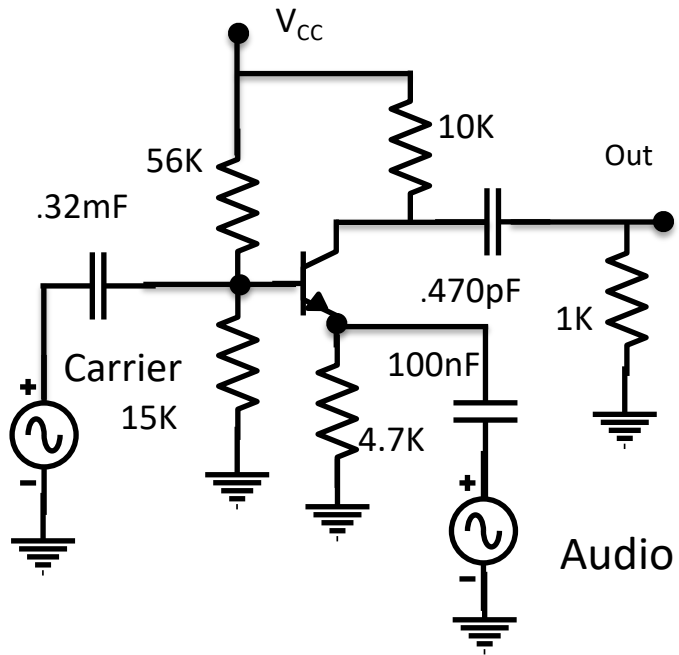
Phase lock loop



Mixer

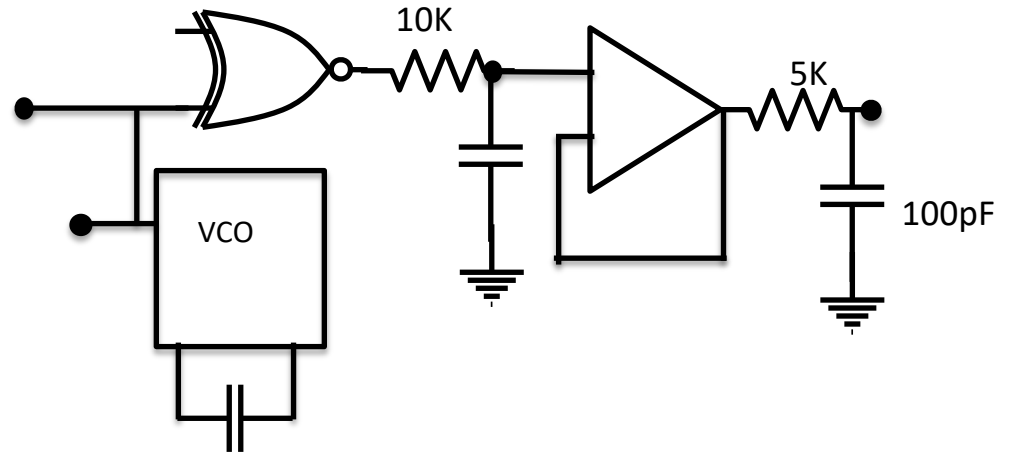
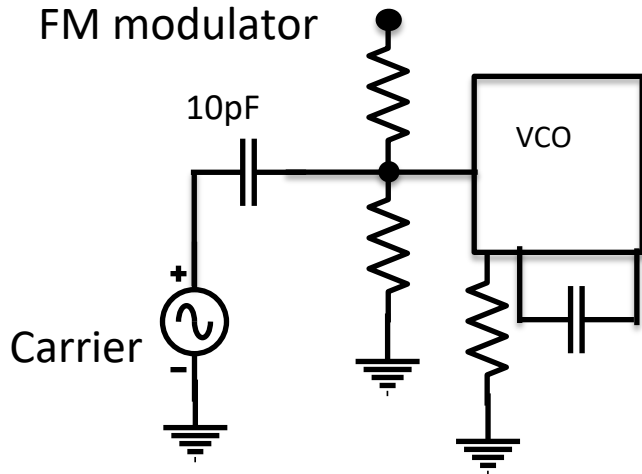


### AM modulator



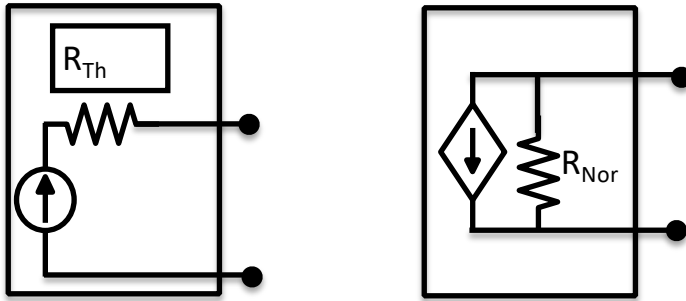
### Crystal oscillator

### FM modulator



### FM demodulator

## Thevenin, Norton and two port models

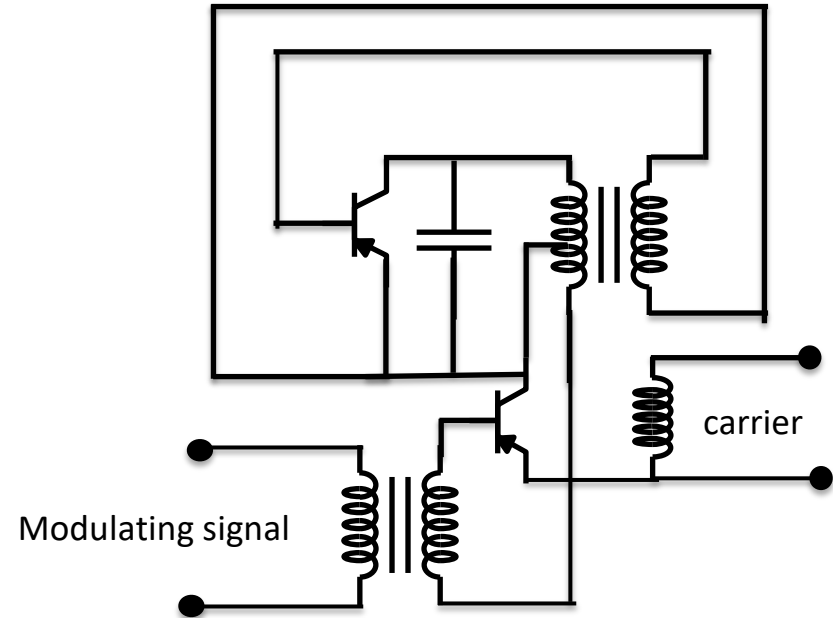


- Two port model

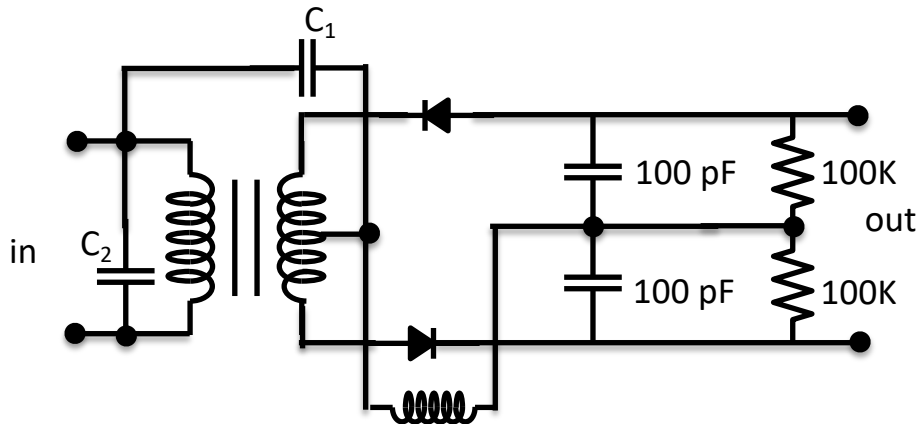
$$\begin{pmatrix} i_1 \\ i_2 \end{pmatrix} = \begin{bmatrix} y_{11} & y_{12} \\ y_{21} & y_{22} \end{bmatrix} \begin{pmatrix} V_1 \\ V_2 \end{pmatrix}$$

$$\begin{pmatrix} v_1 \\ i_2 \end{pmatrix} = \begin{bmatrix} h_{11} & h_{12} \\ h_{21} & h \end{bmatrix} \begin{pmatrix} i_1 \\ v_2 \end{pmatrix}$$

## FM Ratio Modulator



## FM Ratio Detector



$$f_c = \frac{1}{2\pi\sqrt{L_1 C_2}}$$

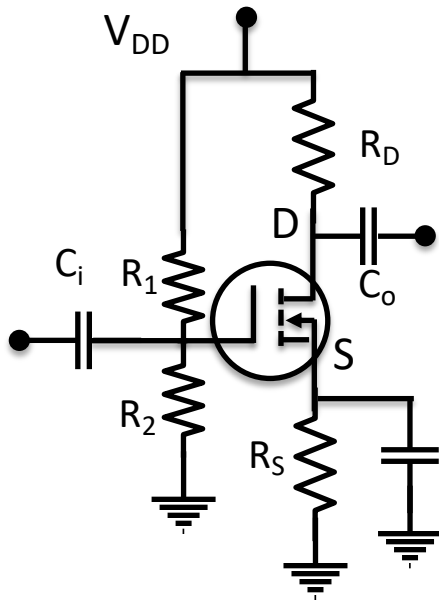
$L_1$  is the transformer input inductance

$C_1$  is a DC block

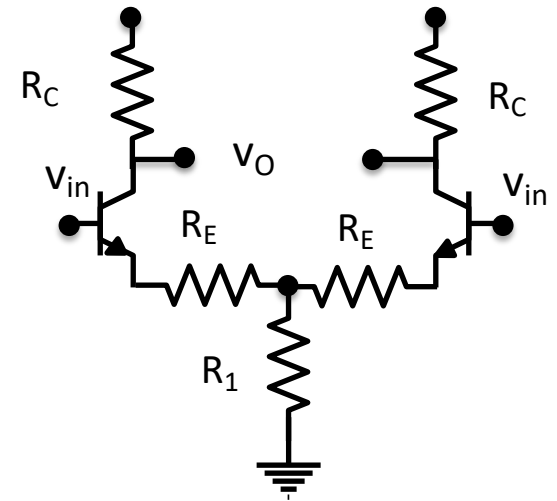


## CMOS Common Emitter amplifier

- Pick power
- $V_{DD} = i_D R_D + V_{DS} + i_D R_S$
- $V_{GS} = V_G - i_S R_S$
- $V_G = V_{DD} \frac{R_1}{R_1 + R_2}$
- $i_D = k(V_G - V_{TH})^2$
- Bias around  $\frac{V_{DD}}{3}$
- Pick gain,  $A = \frac{R_D}{R_S + \frac{1}{g_m}}$



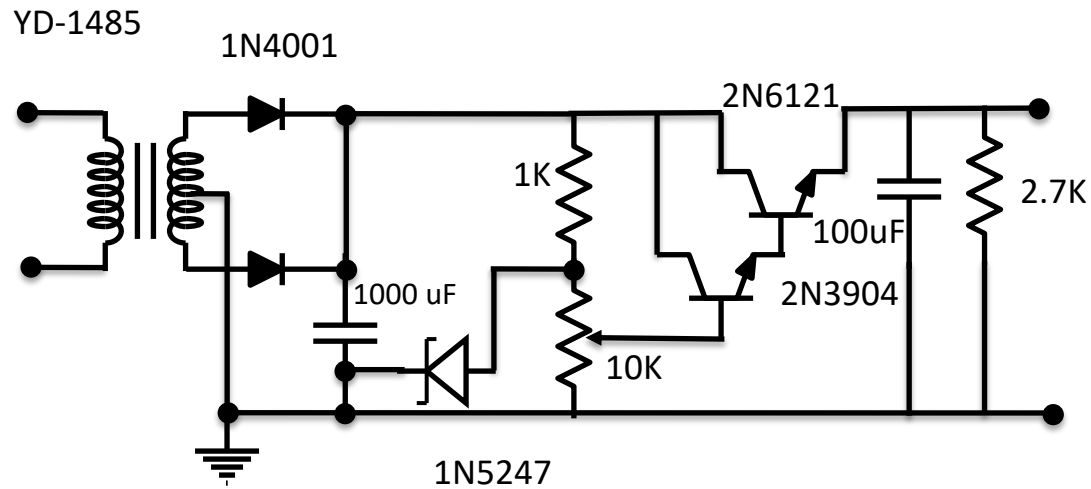
## Differential amplifier



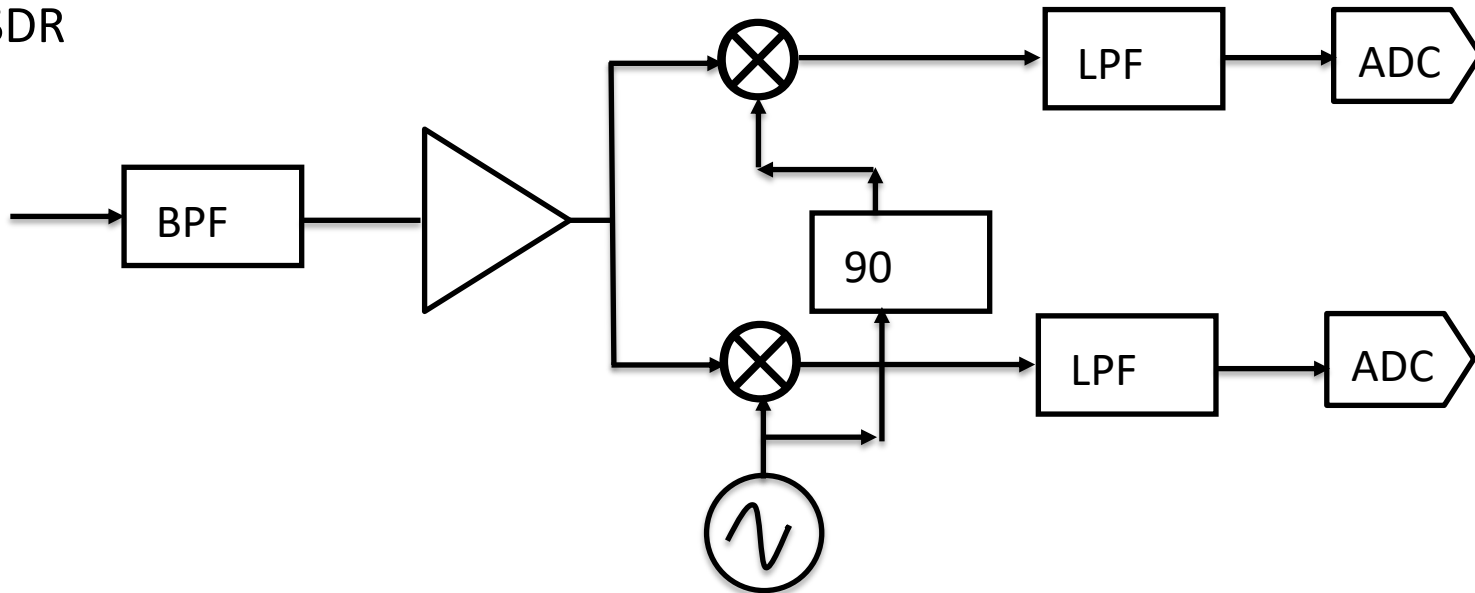
- Two port model
- $\begin{pmatrix} i_1 \\ i_2 \end{pmatrix} = \begin{bmatrix} y_{11} & y_{12} \\ y_{21} & y_{22} \end{bmatrix} \begin{pmatrix} V_1 \\ V_2 \end{pmatrix}$

- Pick power  $\mp 12$
- Choose collector current ( $2mA$ ) by picking  $R_1$
- Pick gain,  $A = \frac{R_C}{2R_E}$

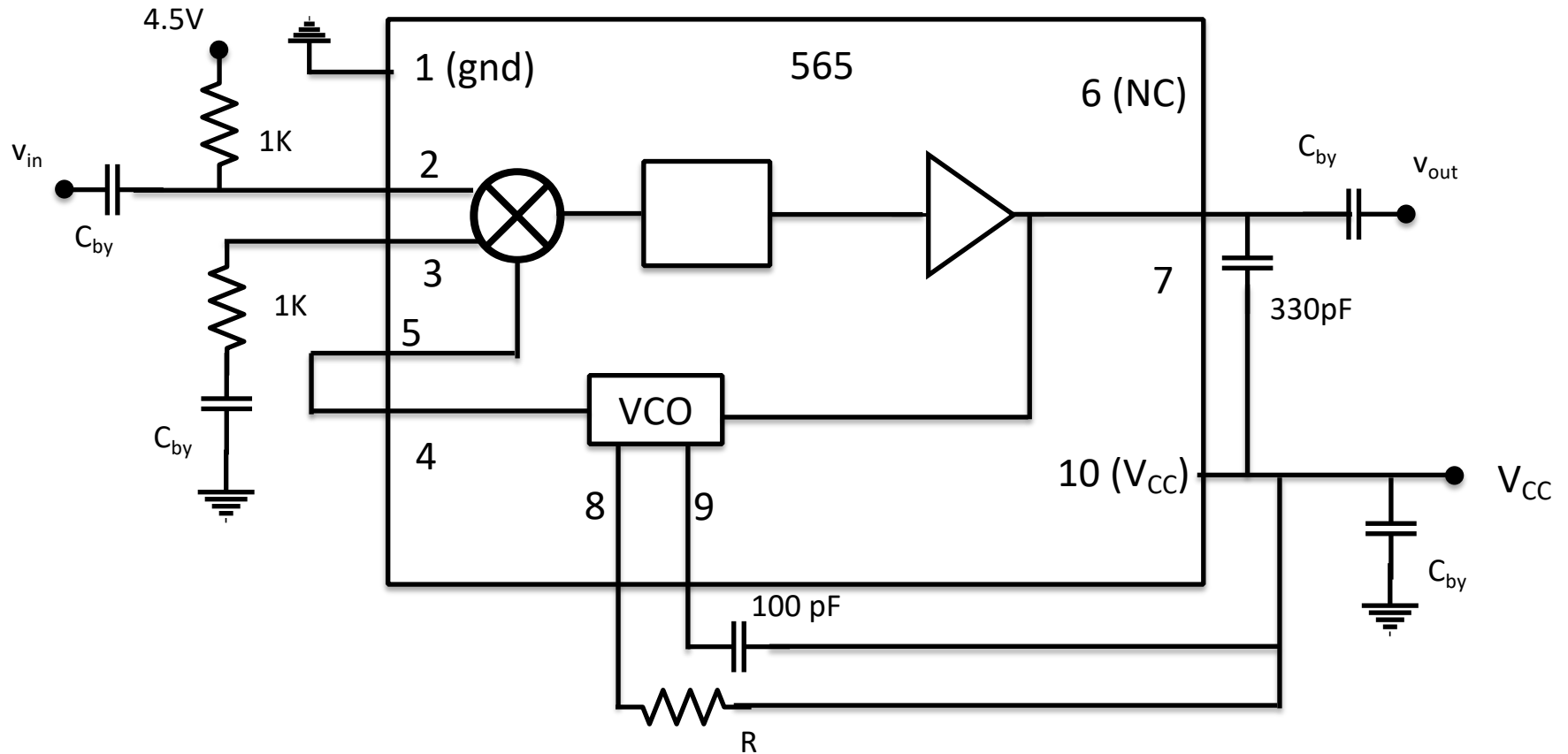
## Variable power supply



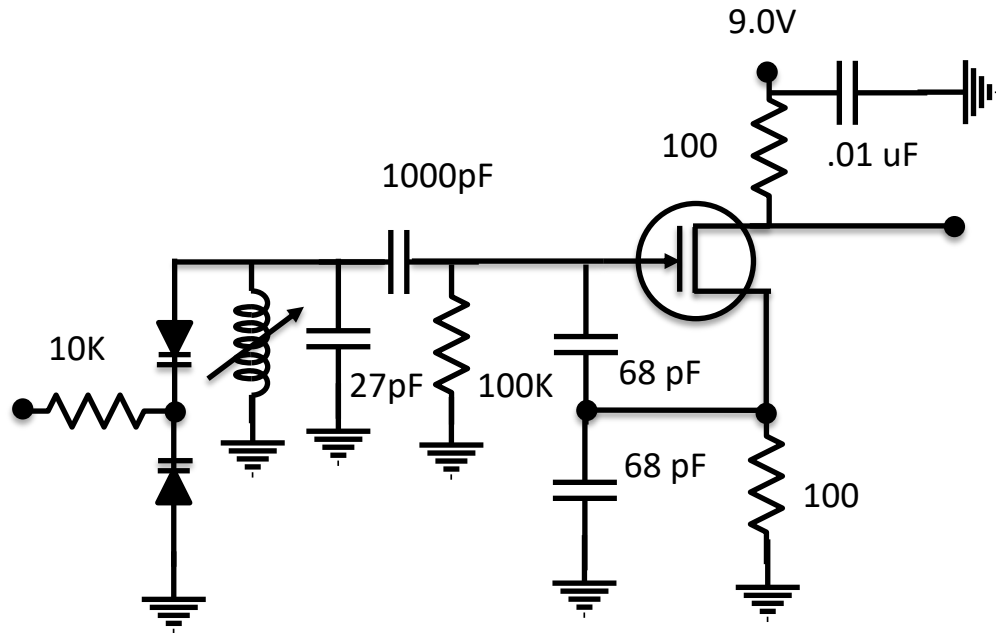
## SDR



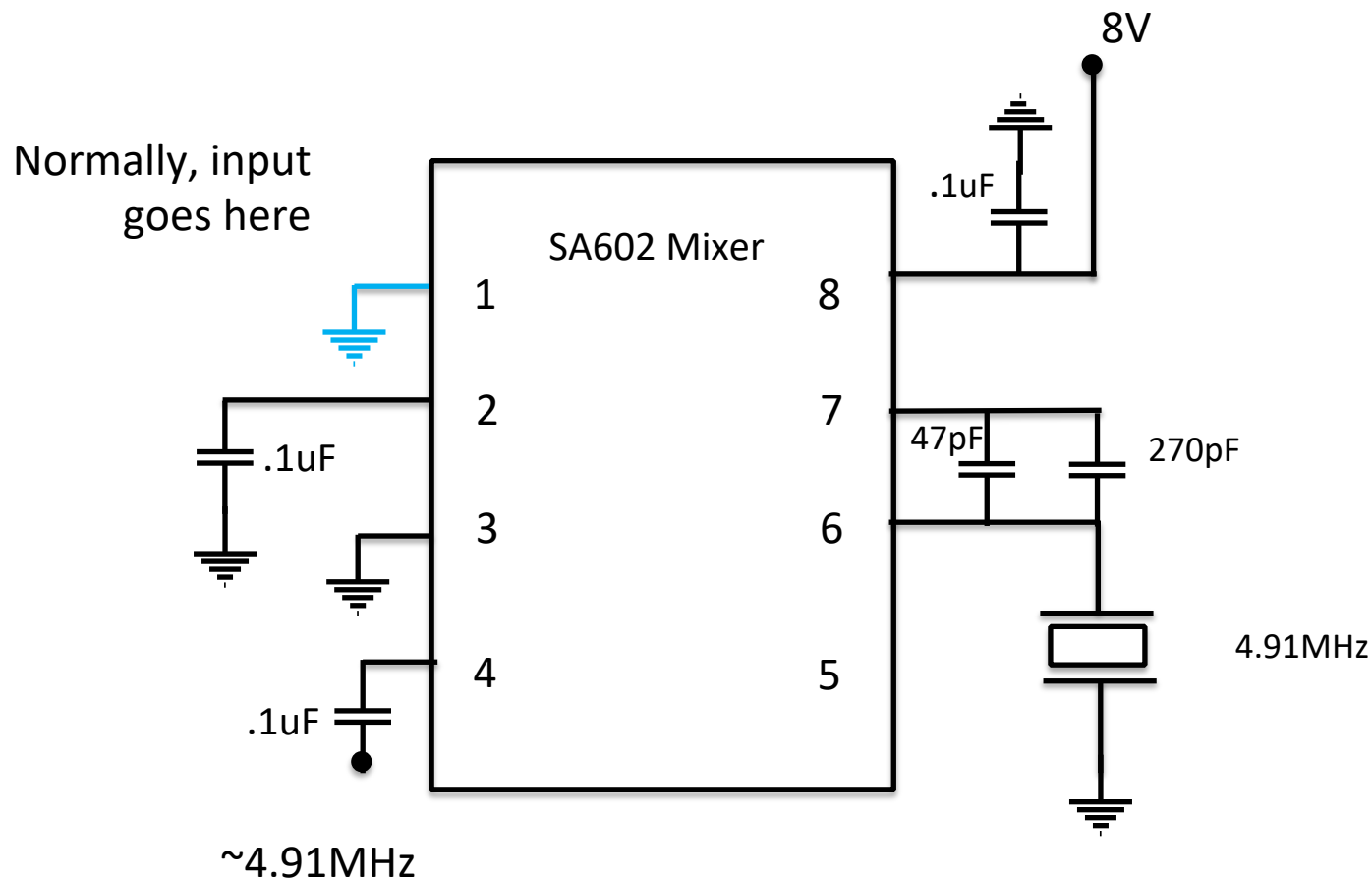
# PLL as FM detector with 565



# VCO



# SA612 Mixer



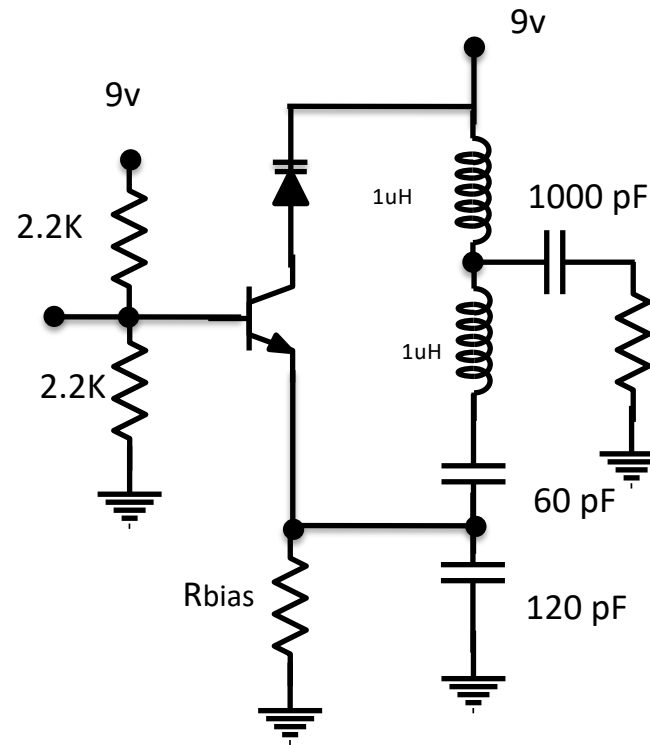
Outputs (4,5) are 180 degrees out of phase

# Colpitts 1

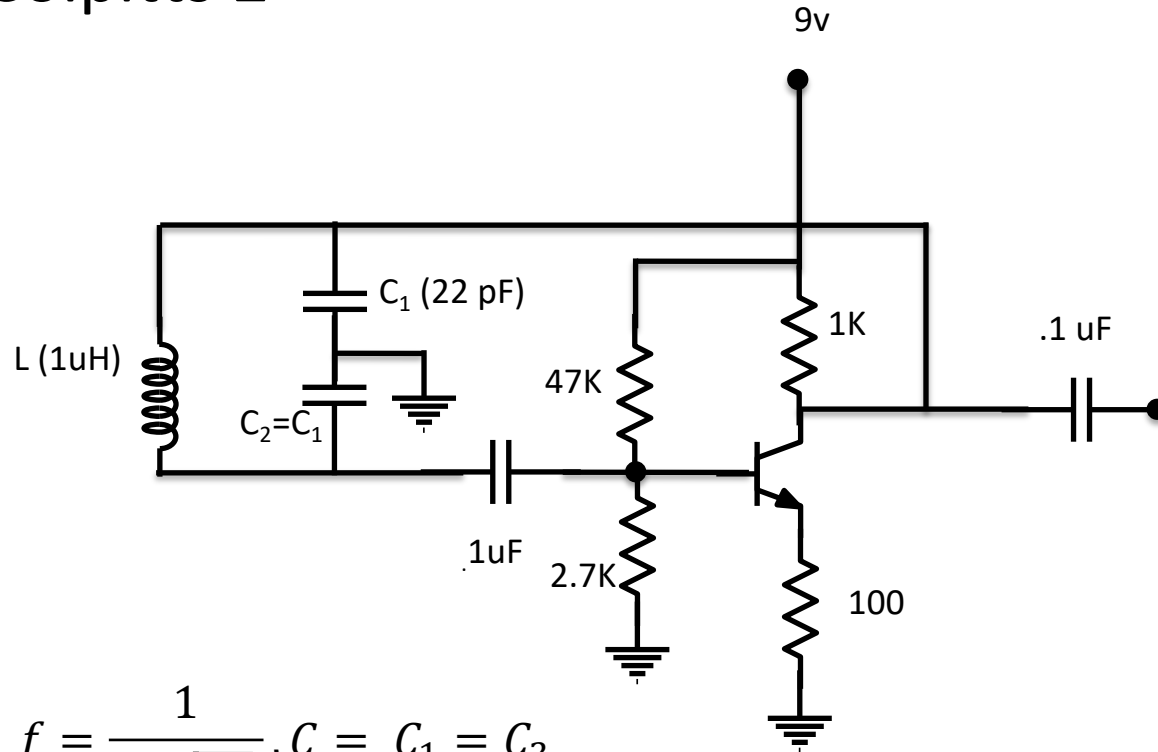
25.3MHz  
.5uA through  $R_{bias}$

Noise

$$P_N = kTB$$



# Colpitts 2

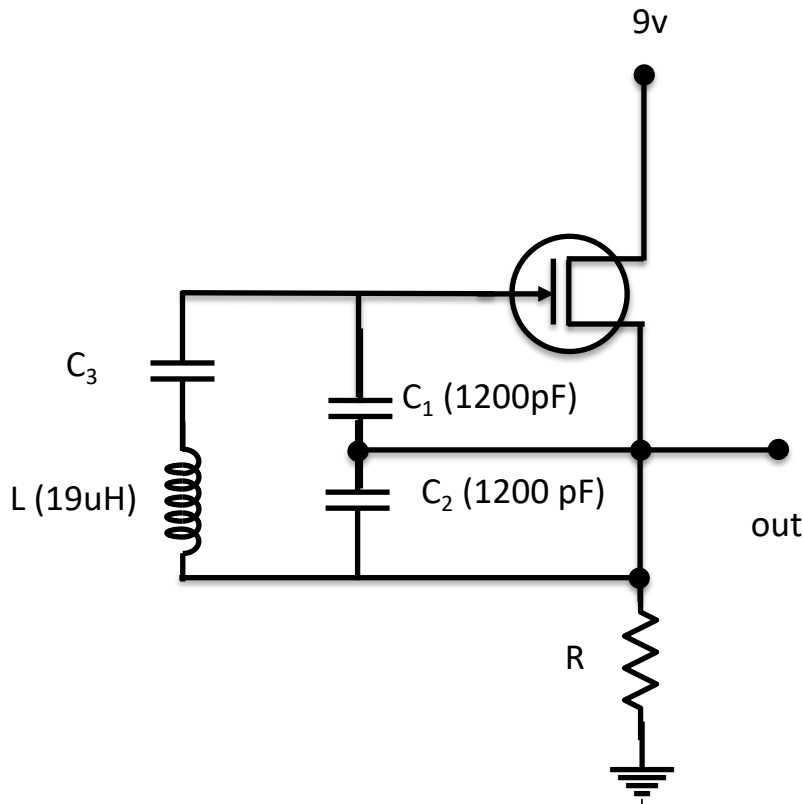


$$f = \frac{1}{2\pi\sqrt{LC}}, C = C_1 = C_2$$

About 32MHz in this example

About 23MHz if C= 47pF

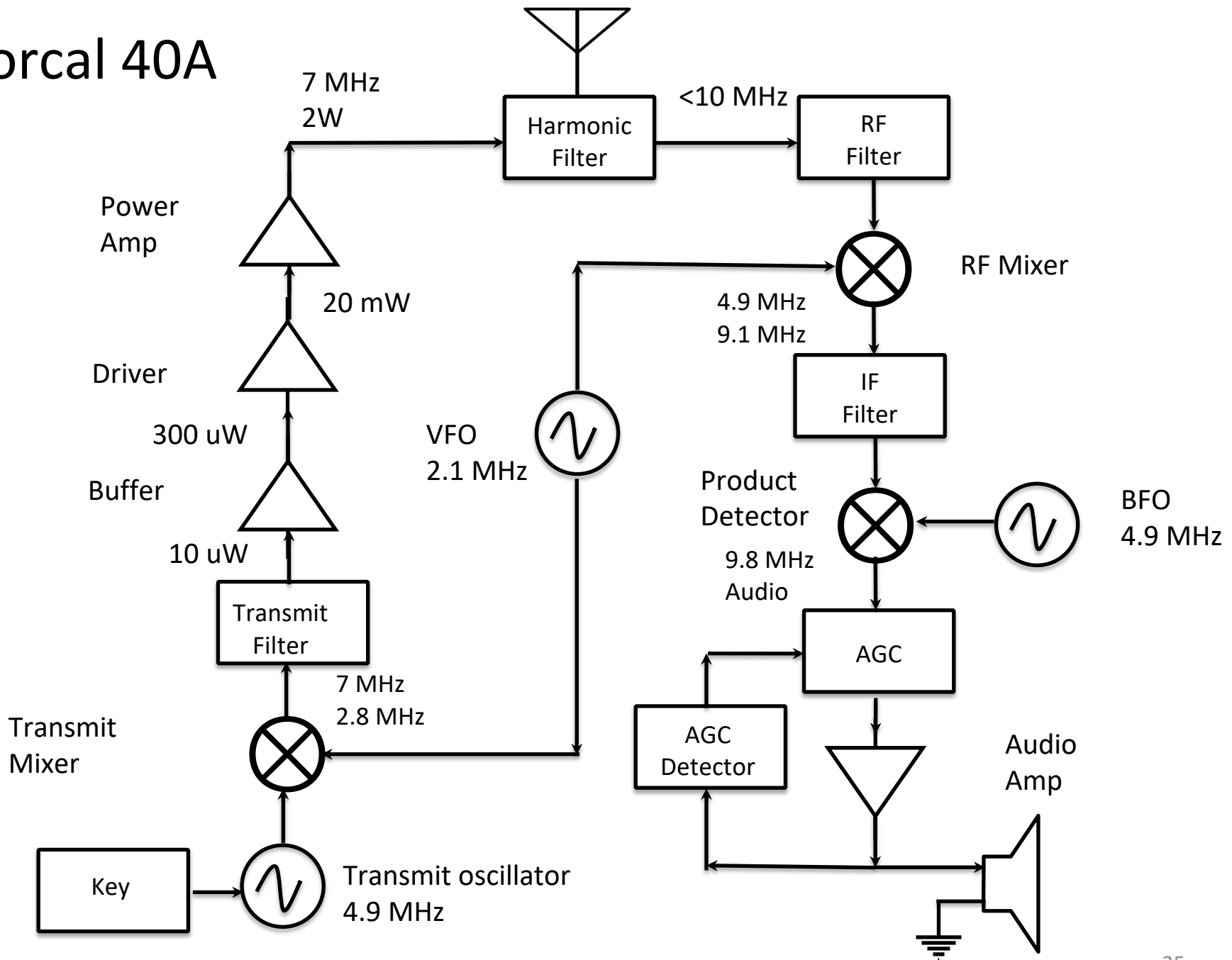
# Norcal Clapp



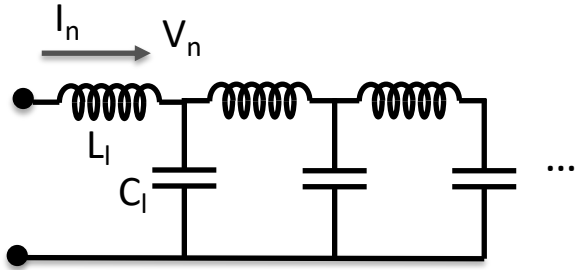
- $i_d = g_m v_{gs}$
- Resonance:  $-\frac{1}{j\omega_0 C_2} = j\omega_0 L + \frac{1}{j\omega_0 C_3} + \frac{1}{j\omega_0 C_1}$
- $\omega_0 = \frac{1}{\sqrt{LC}}, C = C_1 || C_2 || C_3$
- At resonance,  $v_{gs} = R i_d \frac{C_1}{C_2}, L = \frac{C_1}{RC_2}$
- Oscillation continues if  $g_m > \frac{C_1}{RC_2}$
- $v_{gs} = 2v_s$



# Norcal 40A



# Transmission Lines



Power

$$\tau = \frac{V}{V_+} = 1 + \rho = \frac{2Z}{Z + Z_0}, V = 2V_+$$

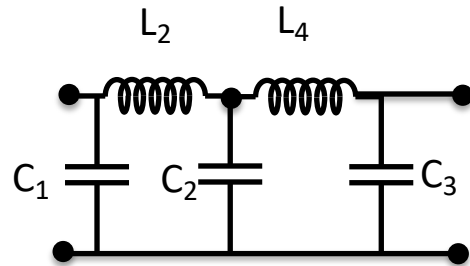
Lookback resistance is  $R_s = Z_0$

$$P_+ = \frac{V_+^2}{2Z_0} = \frac{V_0^2}{8Z_0}, \text{ This is the total available power}$$

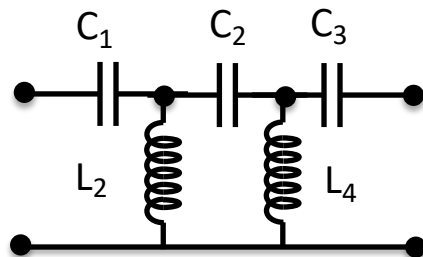
- $V_{n+1} - V_n = -L_l \frac{\partial I_{n+1}}{\partial t}, L = \frac{L_l}{l}$
- $I_{n+1} - I_n = -C_l \frac{\partial V_n}{\partial t}, C = \frac{C_l}{l}$
- $\frac{\partial^2 V}{\partial z^2} = LC \frac{\partial^2 V}{\partial t^2}$  and  $\frac{\partial^2 I}{\partial z^2} = LC \frac{\partial^2 I}{\partial t^2}$
- Solution is  $V(z - vt), v = \frac{1}{\sqrt{LC}}$ , for forward wave
- $V' = vLI', \frac{V}{I} = \sqrt{\frac{L}{C}}, Z_0 = \sqrt{\frac{L}{C}}$
- Another solution is  $V(z + vt), v = \frac{1}{\sqrt{LC}}$ , for reverse wave
- $Z_0 = \frac{V_+}{I_+}, -Z_0 = \frac{V_-}{I_-}, V = V_+ + V_-$
- $P_+(t) = \frac{V_+^2}{Z_0}, P_-(t) = -\frac{V_-^2}{Z_0}$
- $\rho = \frac{V_-}{V_+}, Z = \frac{V}{I} = \frac{V_+ + V_-}{I_+ + I_-} = \frac{V_+}{I_+} \frac{1 + \frac{V_-}{V_+}}{1 + \frac{I_-}{I_+}} = Z_0 \frac{1 + \rho}{1 - \rho}$
- $\rho = \frac{Z - Z_0}{Z + Z_0}$
- $\rho_i = \frac{i_-}{i_+} = -\rho$

# Filters

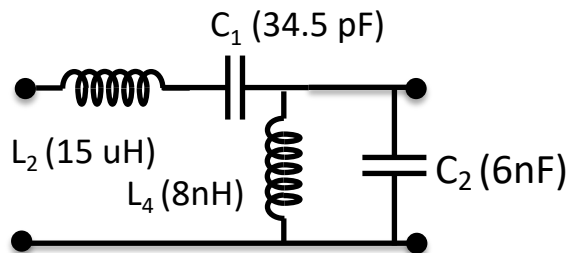
Low pass



High pass



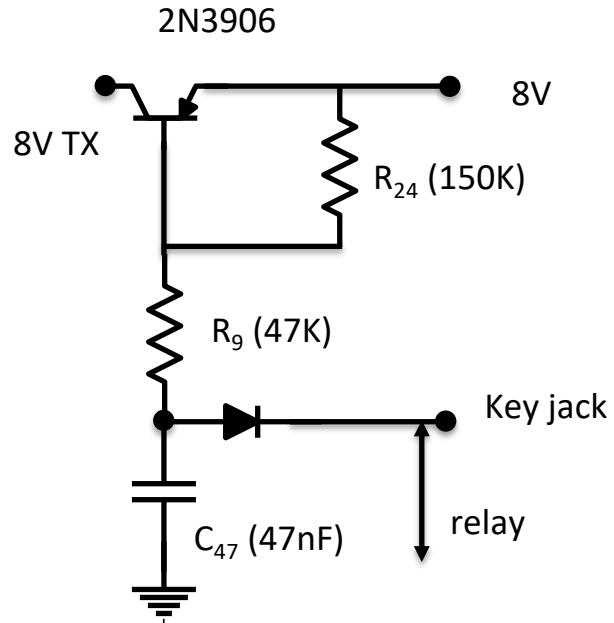
7 MHz bandpass



# Acoustics

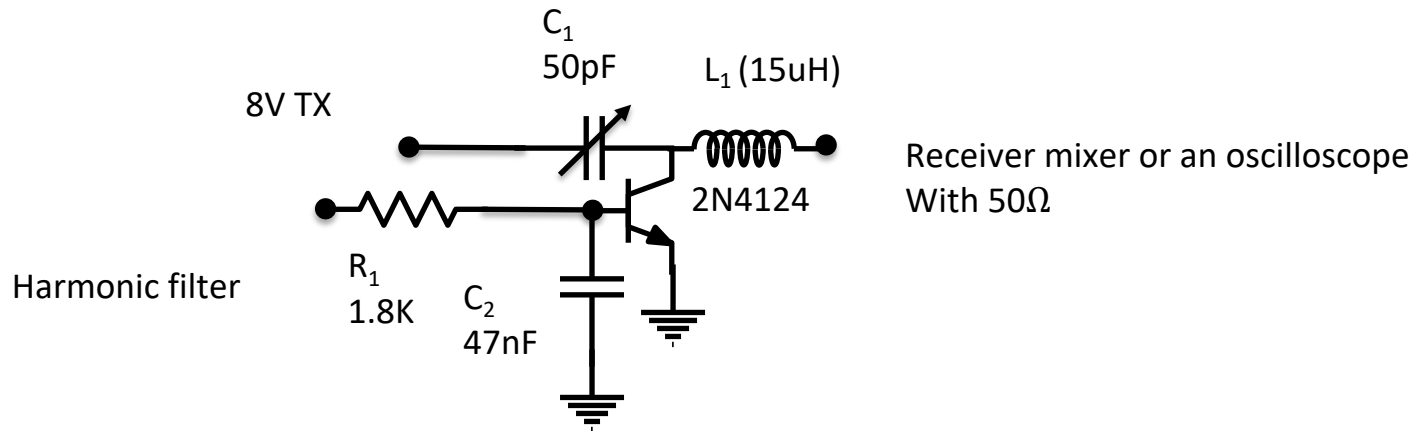
- $\frac{\partial^2 P}{\partial t^2} = \frac{\gamma P}{\rho} \frac{\partial^2 P}{\partial x^2}, v = \sqrt{\frac{\gamma P}{\rho}} = 332 \frac{m}{s}$
- $SWR = \frac{\lambda^2}{2\pi A}$ , A is the area of the tube

# Transmitter switch



- When key is down, transistor conducts

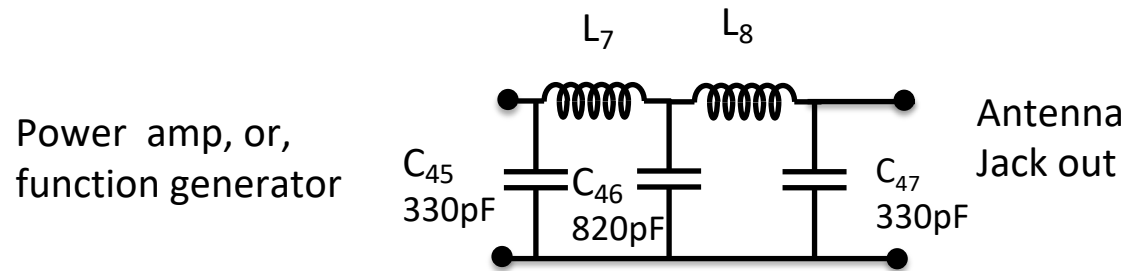
# Receiver switch



If using function generator  
use a 1.8K resistor

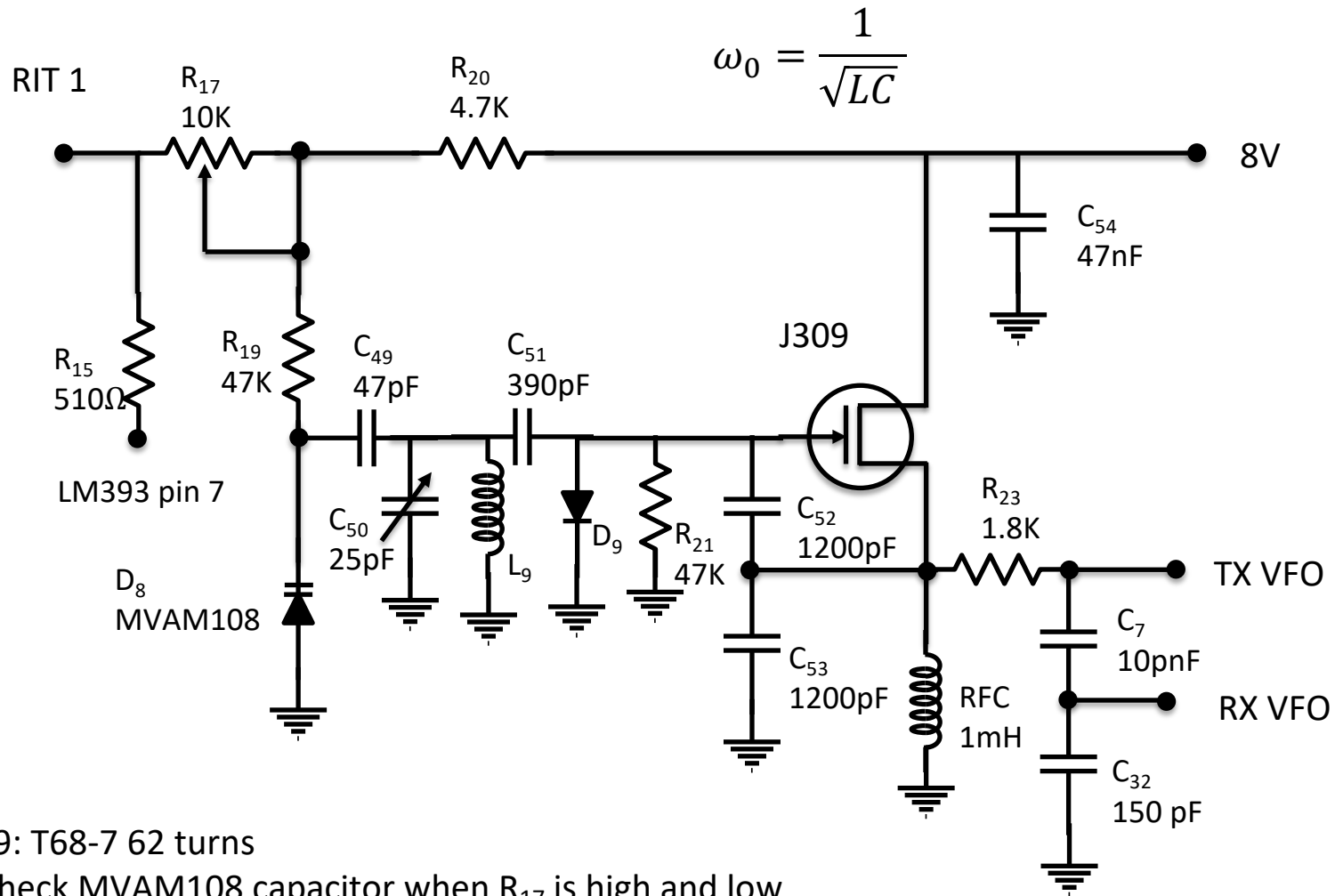
- When transistor conducts the receiver filter shorts

# Norcal Harmonic Filter



- $L_7$ ,  $L_8$  use T37-2 core, 18 turns, 1.3uH
- Compare loss at 7MHz and 14MHz

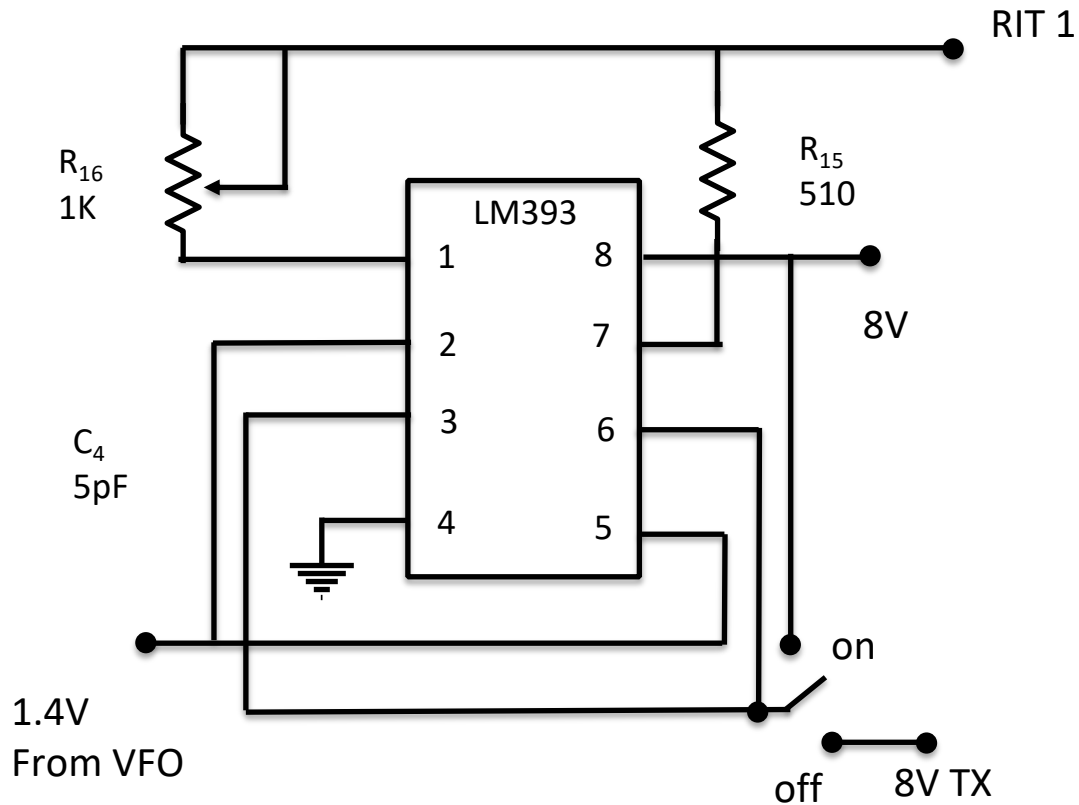
# Norcal VCO



- L9: T68-7 62 turns
- Check MVAM108 capacitor when R<sub>17</sub> is high and low
- Start resistor (R<sub>21</sub>) pulls gate to ground at start
- When gain limiting diode (D9) conducts, it pulls gate negative
- Oscillator keeps growing as long as  $g_m > 1/R$

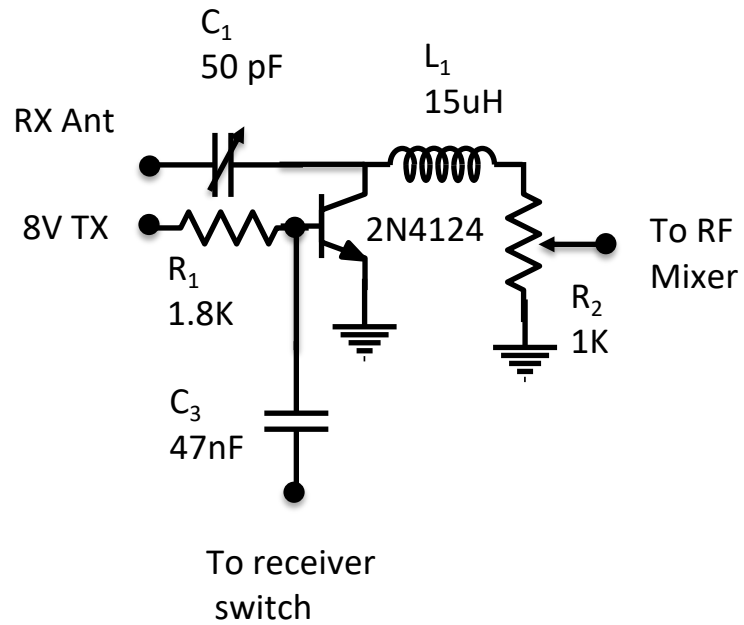


# Norcal Receiver Incremental Tuning (RIT)

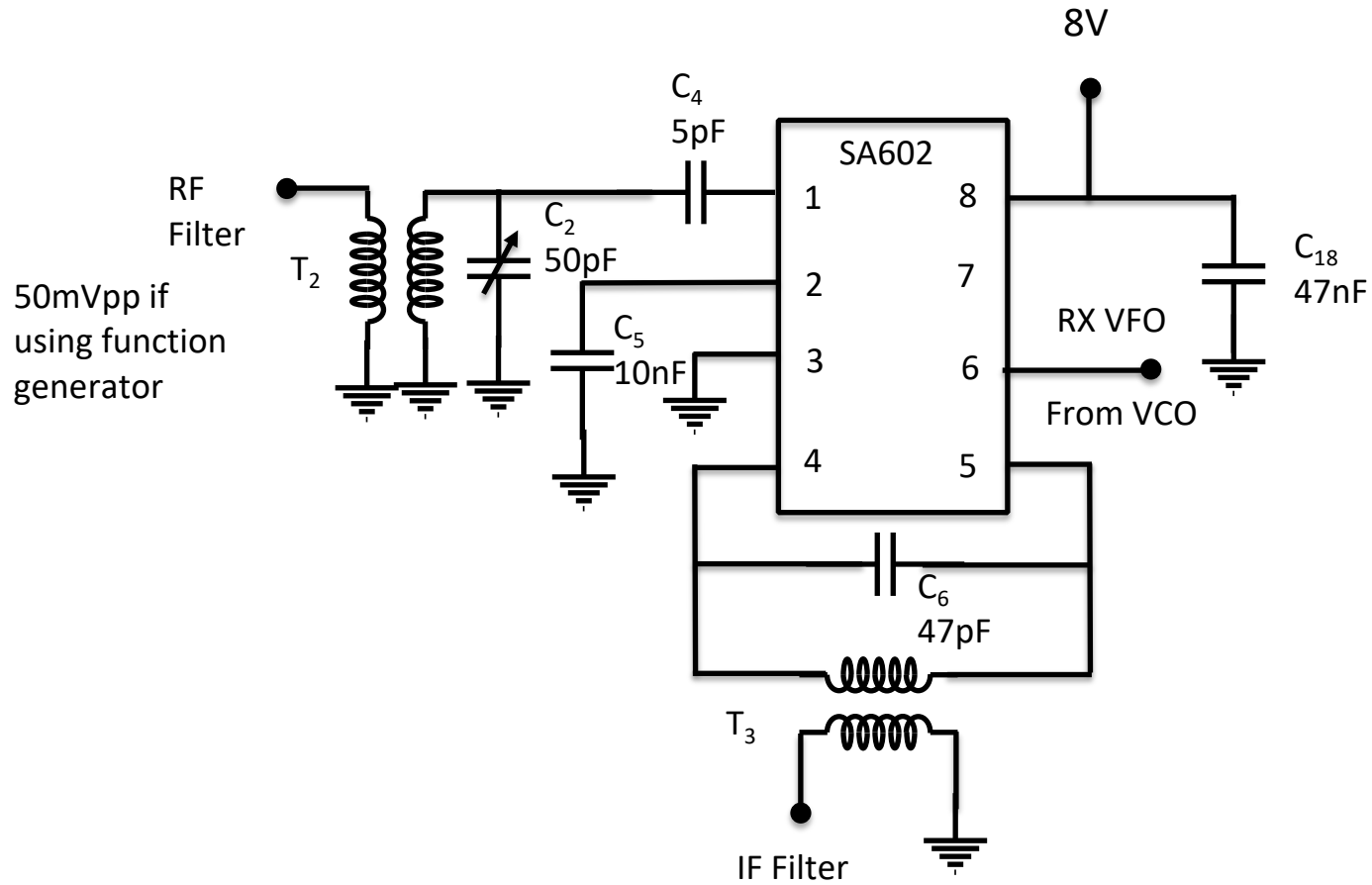


- LM393 is a comparator
- For function generator connect through 1.5K

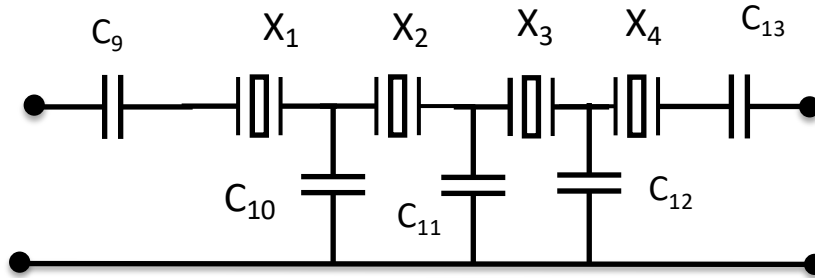
# Norcal RF Filter



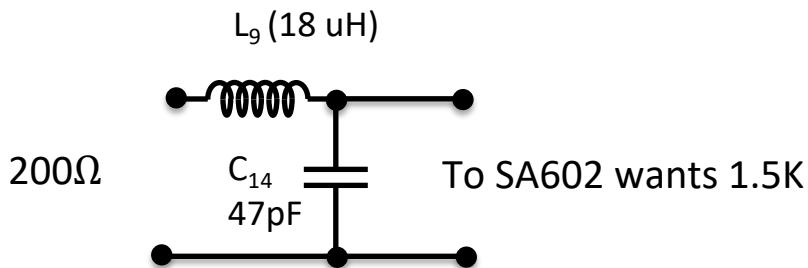
# Norcal RF Mixer



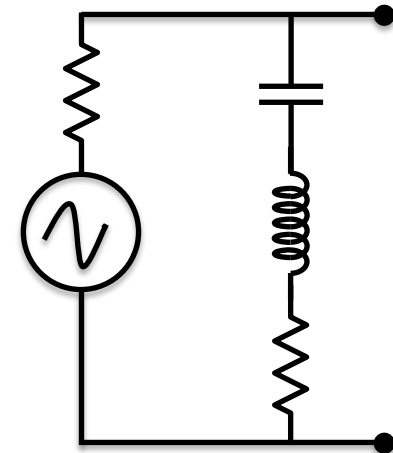
# Norcal IF Cohn Filter



- $X_1$  through  $X_4$  are 4.91 MHz
- $C_{10}$ ,  $C_{11}$ ,  $C_{12}$  are 270 pF
- Set function generator to 50mV<sub>pp</sub> from function generator
- Calculate R and X for filter

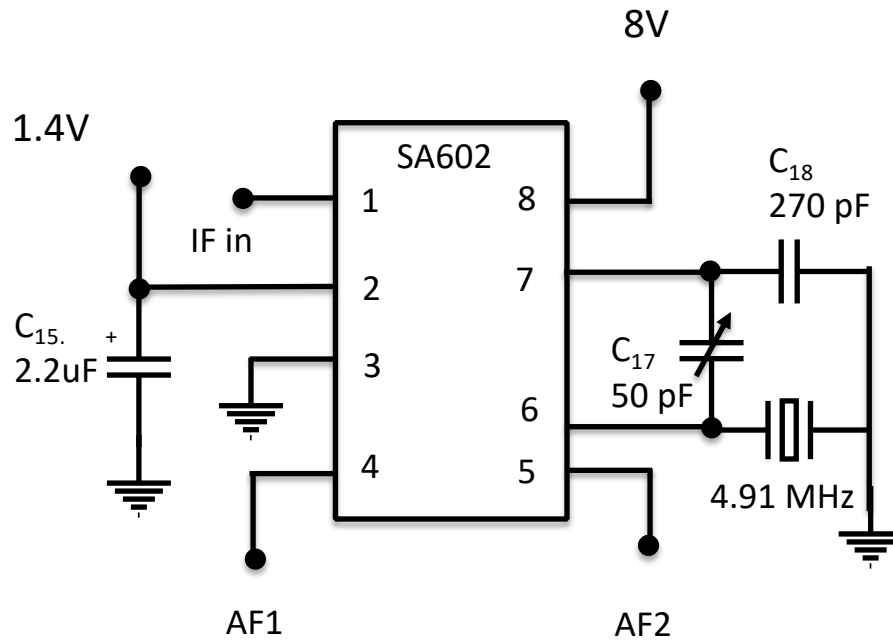


Matching network



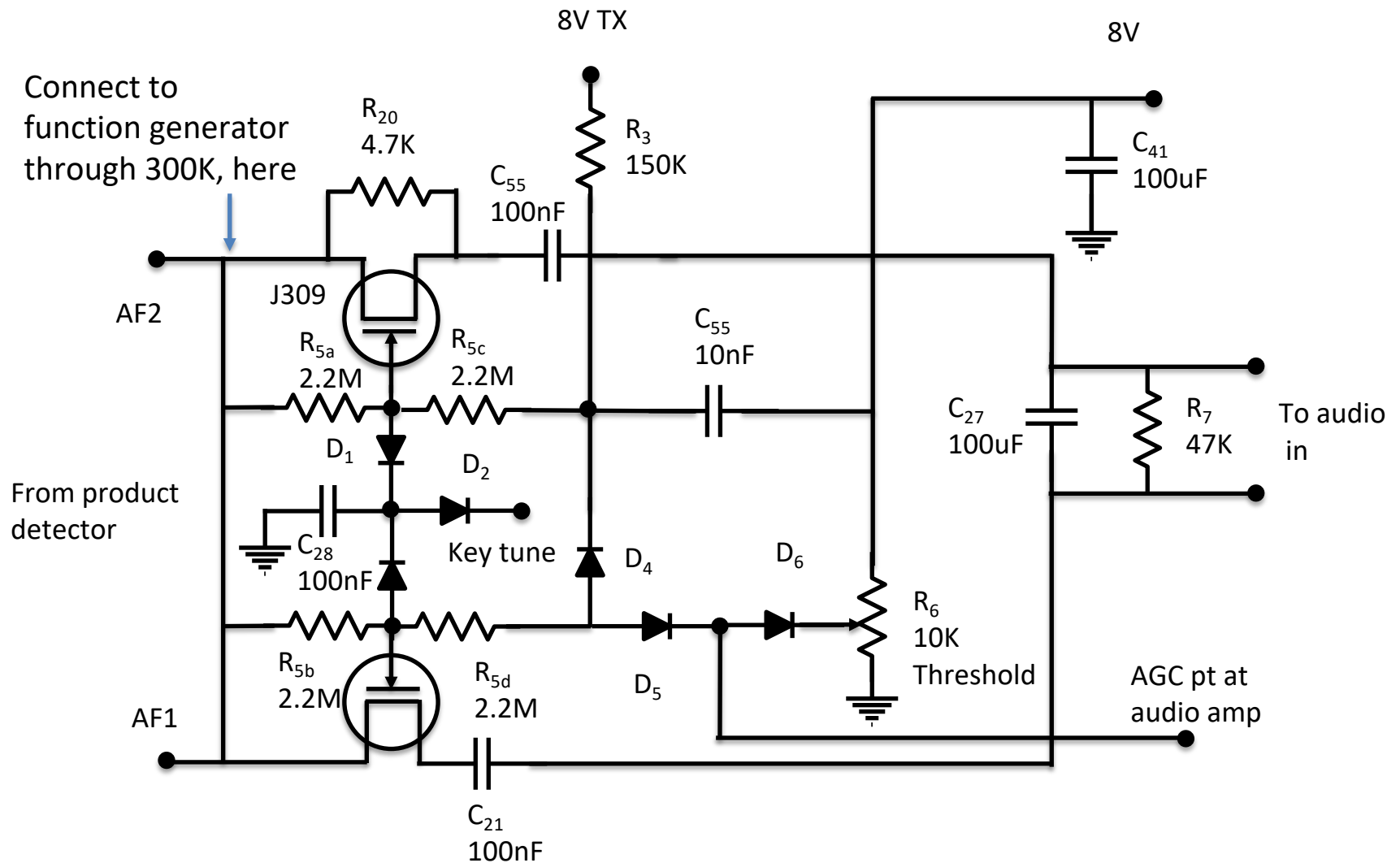
Equivalent circuit for crystal and generator

# Norcal Product Detector

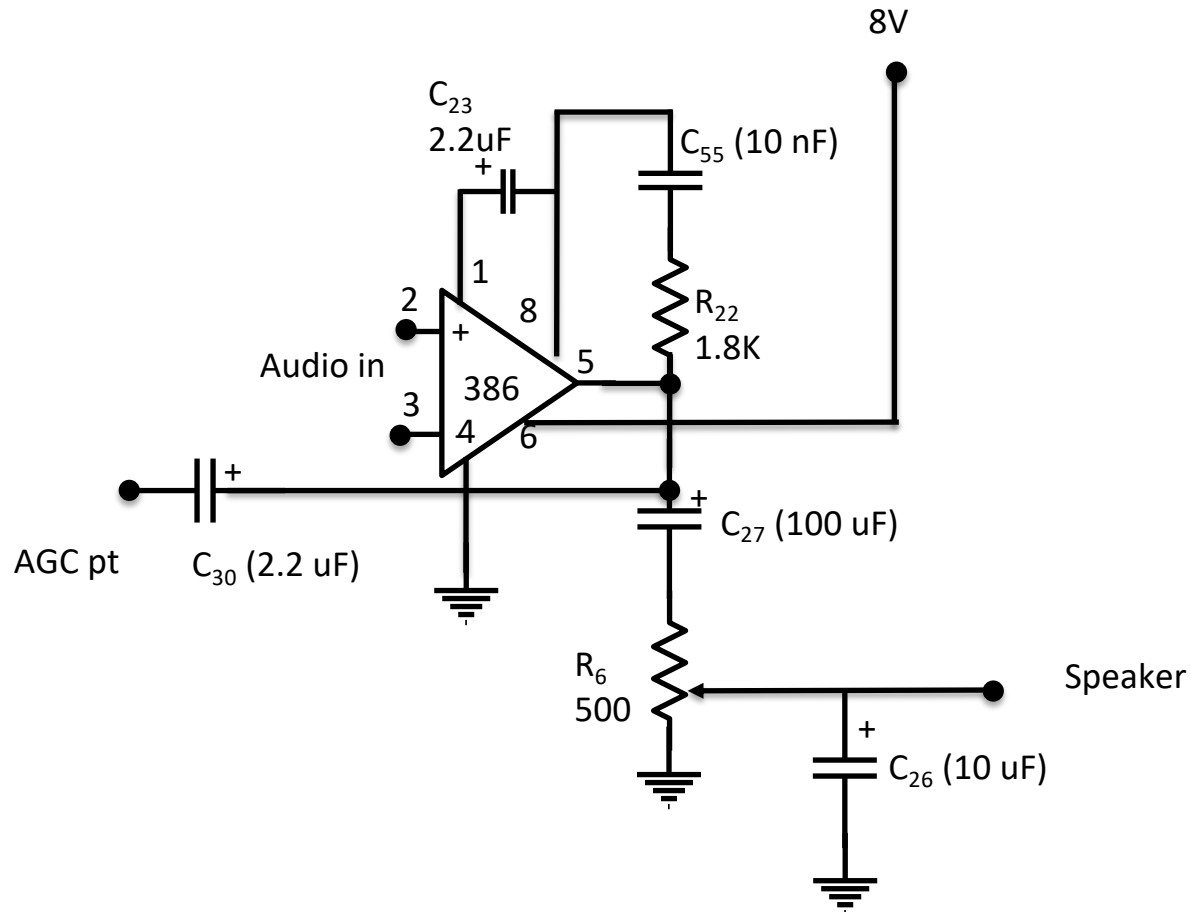


- 620 Hz output through AF1 and AF2

# Norcal AGC

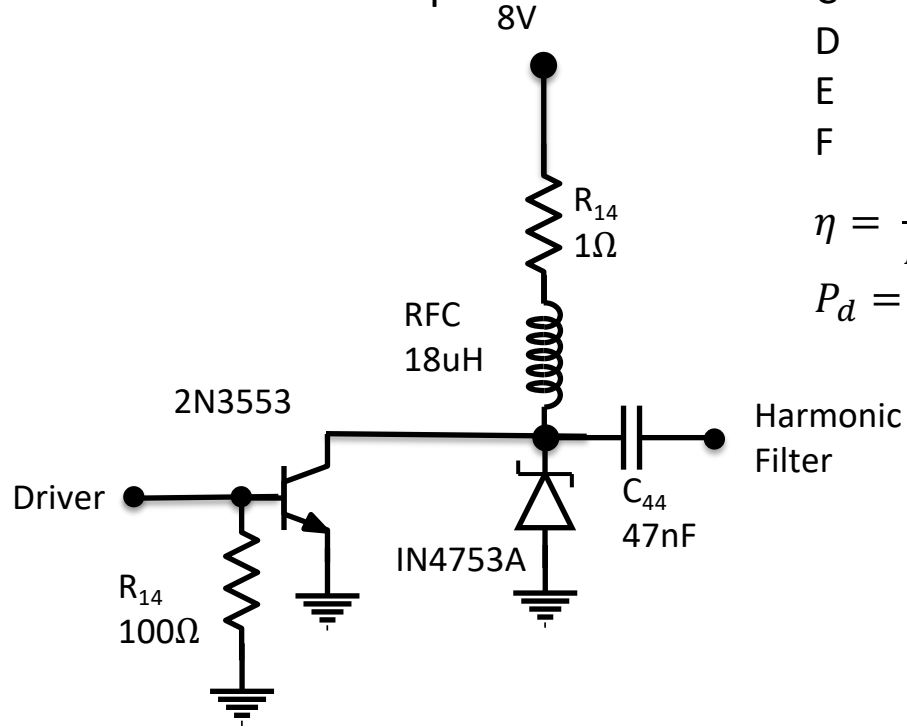


# Norcal Audio Amp



# Norcal Power Amp

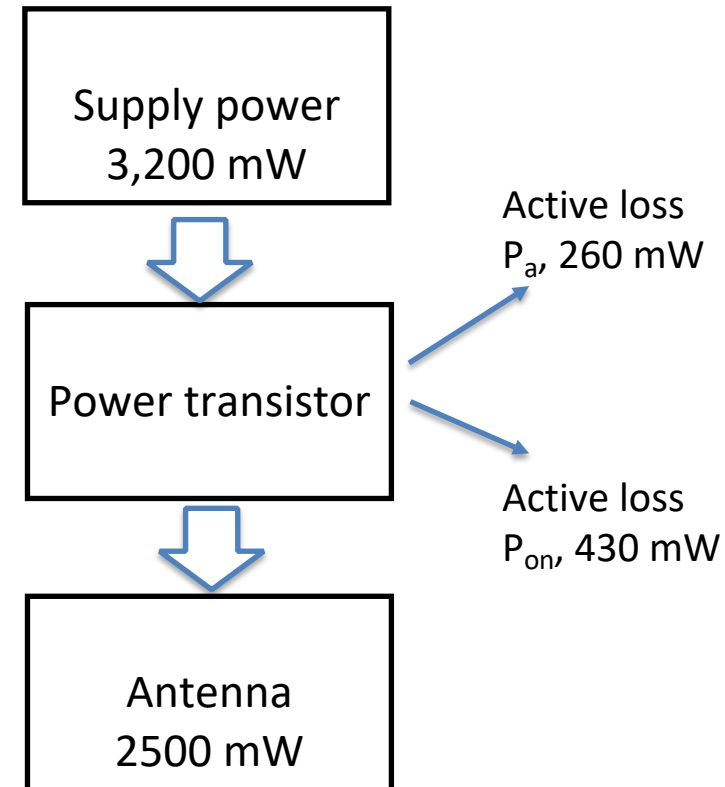
Norcal-40 Power amp is class C



Class	Efficiency	Characteristics
A	35%	Full bias
B	60%	Low bias
C	75%	Saturating
D	75%	Switch in pass-band
E	90%	Voltage switch
F	80%	Harmonic resonators

$$\eta = \frac{P}{P_0}, P_d = P_0 - P_i$$

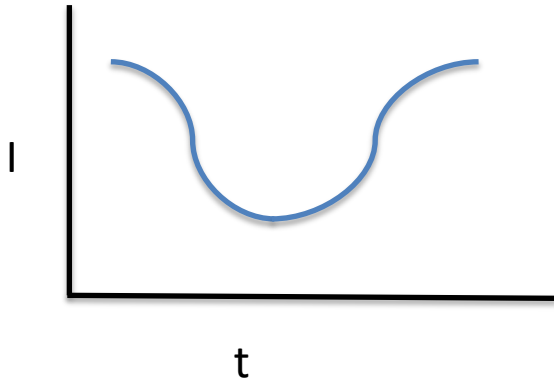
$$P_d = P_a + P_{on}$$



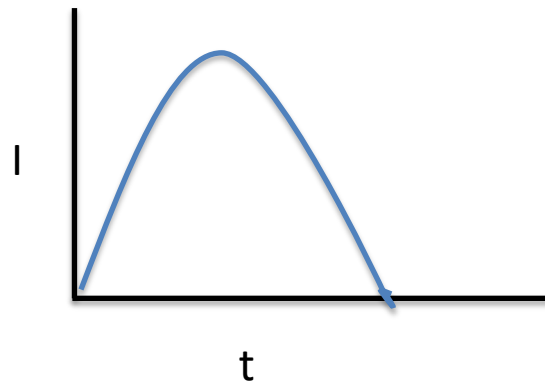
- $R_t = \frac{T - T_0}{P_d}$
- $T_0$  is ambient temperature,  $T$  is heat sink temperature



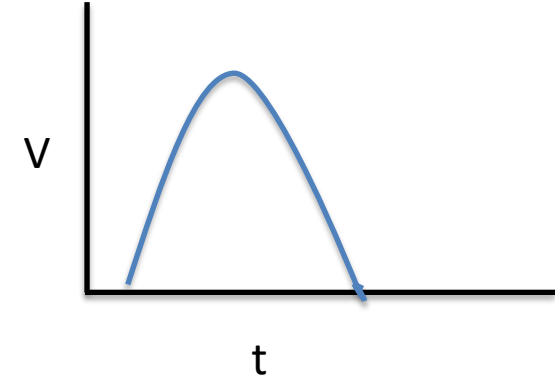
# Amplifier classes



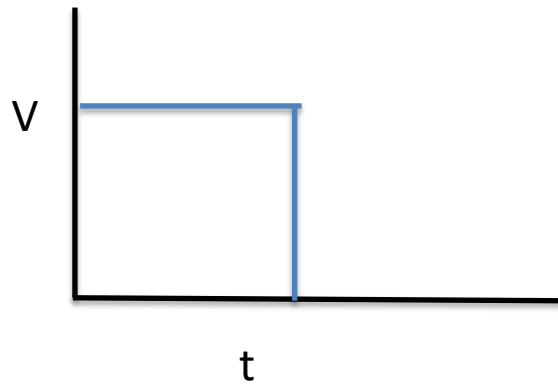
Class A



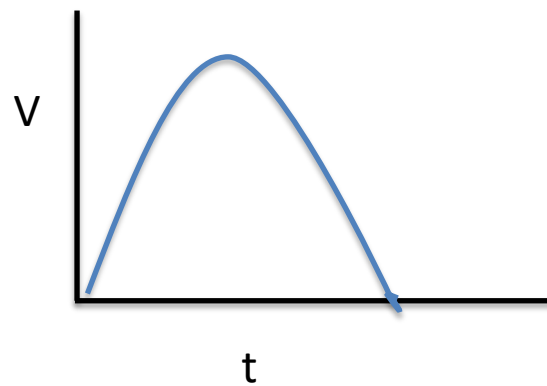
Class B



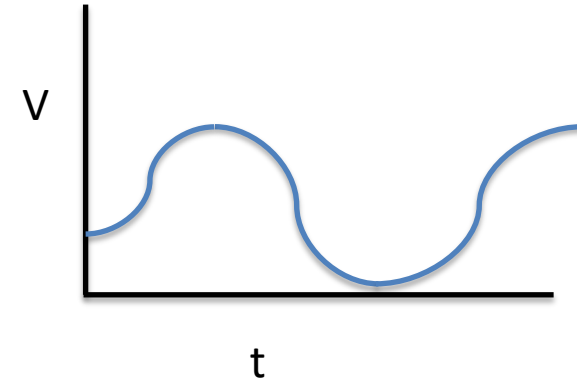
Class C



Class D



Class E

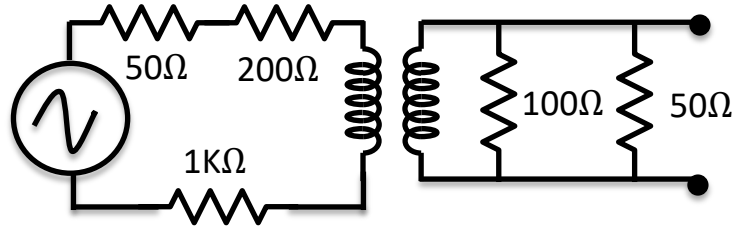
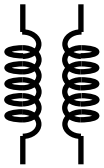


Class F

# Norcal matching transformers

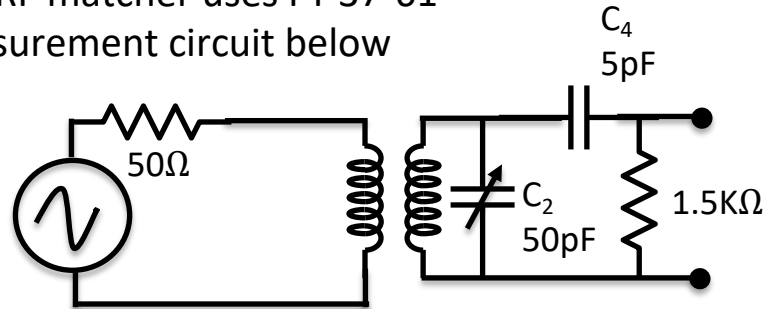
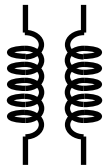
- $T_1$  is driver matcher uses FT 37-43
- Measurement circuit below

$T_1$ , 14:4

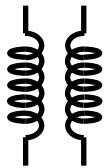


- $T_2$  is RF matcher uses FT 37-61
- Measurement circuit below

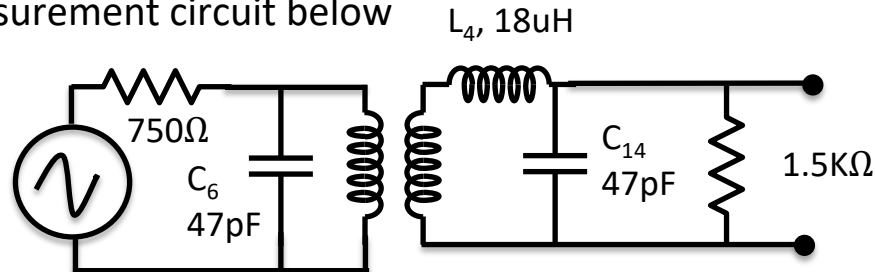
$T_2$ , 1:20



$T_3$ , 23:6

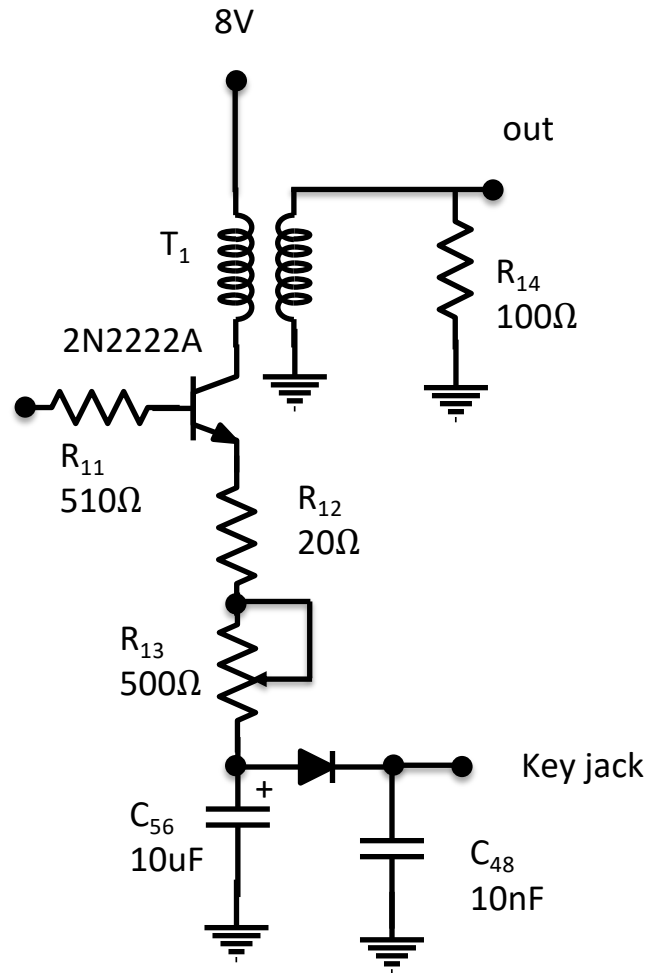


- $T_3$  is IF matcher uses FT 37-61
- Measurement circuit below

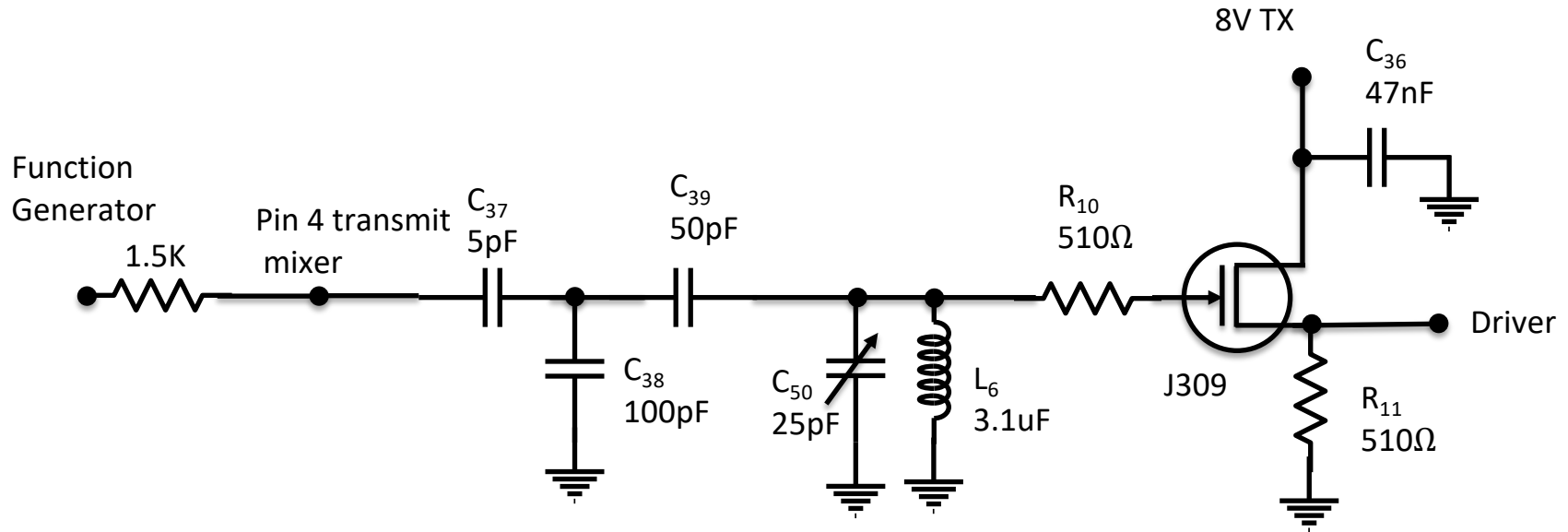


# Norcal Driver

- Use 50 $\Omega$  scope probe

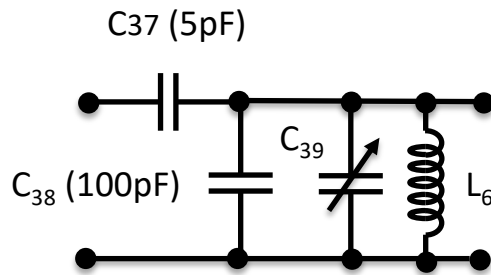


# Norcal Buffer



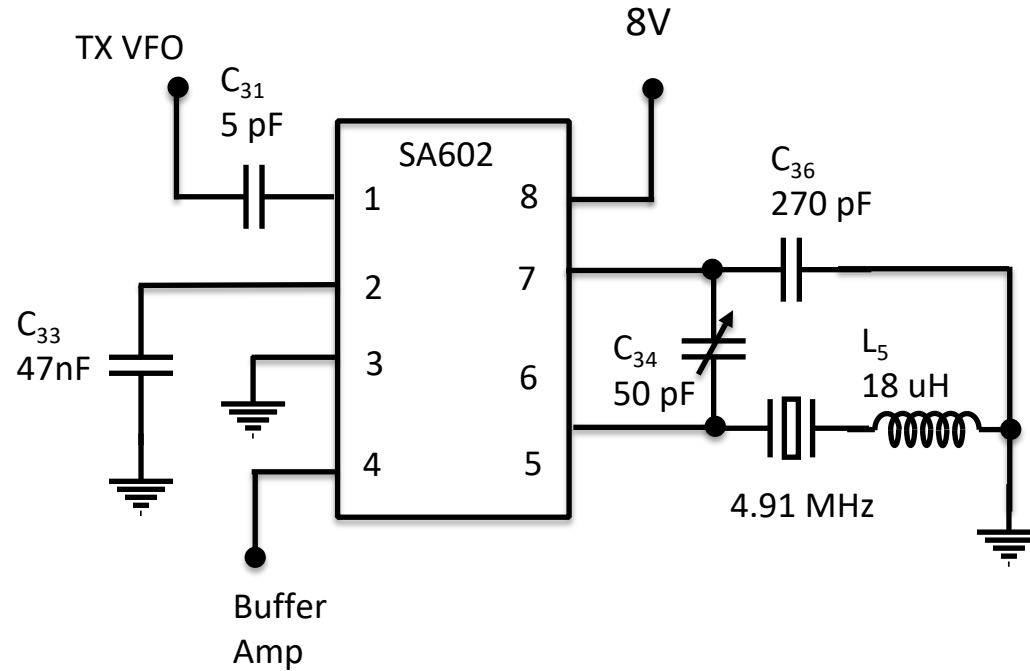
$$G_V = \frac{V}{V_i}$$

# Norcal transmit bandpass filter



- $C_{39} = 50\text{pF}$ ,
- $L_6$  is 36 turns #28 on T37-2 which has  $A_l = 4 \frac{\text{nH}}{\text{turn}^2}$
- $L_6 = A_l \cdot 36^2 = 3.1\mu\text{H}$
- $Z_2 = -\frac{j}{(C_{38}+C_{39})\omega_o}$ ,  $Z_3 = jL_6\omega_o$ ,  $Z_1 = \frac{j}{C_{37}\omega_o}$
- $Z_{2,3-eq} = \frac{jL_6\omega_o}{L_6(C_{38}+C_{39})\omega_o^2 - 1}$
- Resonance is when  $Z_{2,3-eq} \rightarrow \infty$ ,  $\omega_o^2 = \frac{1}{(C_{38}+C_{30})L_6} \approx \frac{10^{18}}{465}$ , when almost all the voltage drop is across  $Z_{2,3-eq}$
- $\omega_o = \frac{10^9}{\sqrt{465}} \approx 50.8 \times 10^6$ ,  $f_0 = \frac{\omega_o}{2\pi} \approx 7.1 \text{ MHz}$
- Q of filter is:  $Q_s = \frac{X_s}{R_s}$ .  $R_s$  comes from the other components and must be measured
- Note that  $Z_{2,3-eq}$  is small for the other modulation product

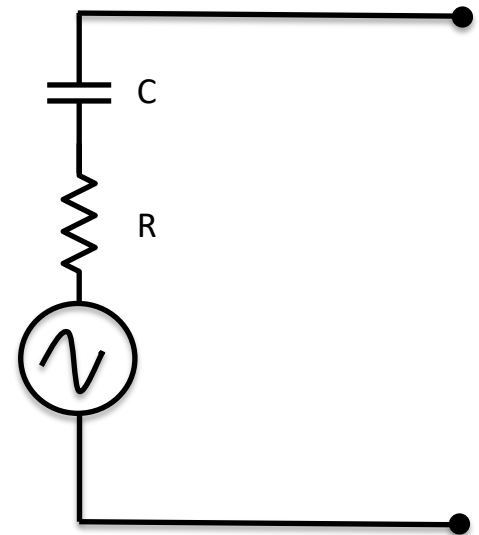
# Norcal transmit mixer and oscillator



# Antennas and propagation

- From Maxwell, for a plane wave (E in x direction, H in y direction), wave is of form  $\exp(j\omega t - j\beta z)$
- $\nabla \times E = -j\mu_0\omega H$
- $\nabla \times B = j\epsilon_0\omega E$
- $\beta \hat{z} \times E = \mu_0\omega H, \beta E_x \hat{y} = \mu_0\omega H$
- Substituting and taking the restricted cross products, we get:  $\beta E_x = \omega\mu_0 \frac{\omega\epsilon_0}{\beta}$ , so  $\beta = \omega\sqrt{\mu_0\epsilon_0}$
- Power density:  $S = \text{Re} \left( \frac{E_x \overline{H_y}}{2} \right) = \frac{(|E_x|)^2}{2\eta_0}$
- $\eta_0 = \frac{E_x}{H_y} = \sqrt{\frac{\mu_0}{\epsilon_0}} = 377\Omega$
- Impedance:  $P_t = \frac{R|I|^2}{2}$ , R is real part of Z,  $R = R_r + R_l, \eta = \frac{R_r}{R}$
- Power density for isotropic antenna:  $S_i = \frac{P_t}{4\pi r^2}$
- Define  $G(\theta, \phi) = \frac{S(\theta, \phi)}{S_r}$ .  $S(\theta, \phi)$  is just the Poynting vector
- For isotropic reference,  $G = \frac{4\pi r^2 S}{P_t}$

Receiving antenna Thevenin



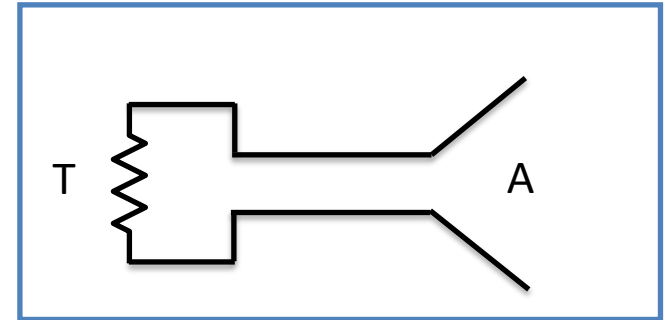
# Antennas and propagation

- Receiving antenna:
- $V_0 = hE$ ,  $h$  is effective antenna length ( $h = \frac{l}{2}$  for short antenna)
- For dipole:  $V_0 = \frac{l}{2} E \sin(\theta)$
- $A(\theta, \phi) = \frac{P_r}{S(\theta, \phi)}$ . This is the definition of the effective area,  $A$ .
- By reciprocity,  $A(\theta, \phi) = \frac{\lambda^2}{4\pi} G(\theta, \phi)$
- $P_r = \frac{|V_0|^2}{8R_a} = \frac{|hE|^2}{8R_a}$ , so
- $P_r = \frac{h^2 S \eta_0}{4R}$
- $A = \frac{h^2 \eta_0}{4R}$



# Antennas and propagation

Insulated cavity

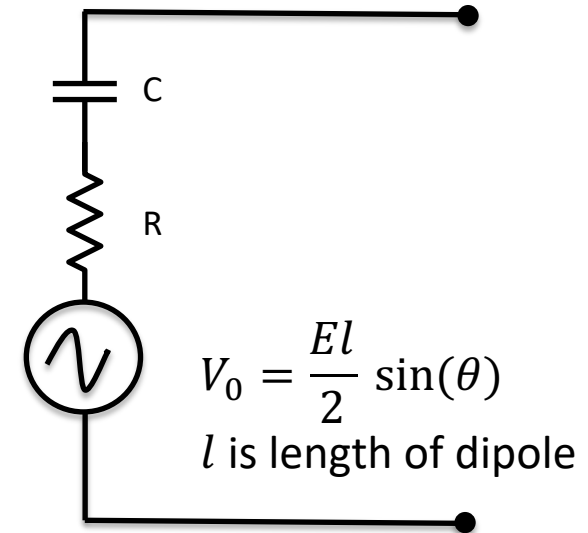


- Antenna theorem:  $\oint A d\Omega = \lambda^2$
- For cavity on right, T is constant at thermodynamic equilibrium and the same power is transmitted and emitted, the Johnson noise is  $kT$ . The energy received is  $E = \frac{4\pi kT}{c\lambda^2}$ . Set  $B = \frac{kT}{\lambda^2}$ .  $kT = \oint BA d\Omega = \oint A \frac{kT}{\lambda^2} d\Omega$ , which gives the antenna theorem
- For transmitting/receiving antenna pairs:  $G_1 A_2 = \frac{|V|^2 \pi r^2}{|I|^2 R_1 R_2} = G_2 A_1$ . So  $\frac{G_1}{A_1} = \frac{G_2}{A_2} = \frac{4\pi}{\lambda^2}$
- Friis formulas
- $S = \frac{P_t G}{4\pi r^2}, P_r = SA = \frac{P_t GA}{4\pi r^2}$

# Reciprocity and dipole

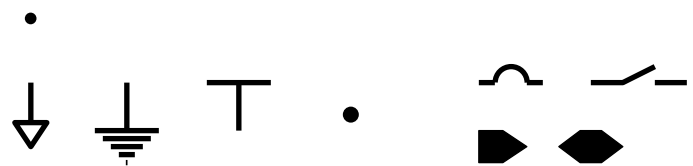
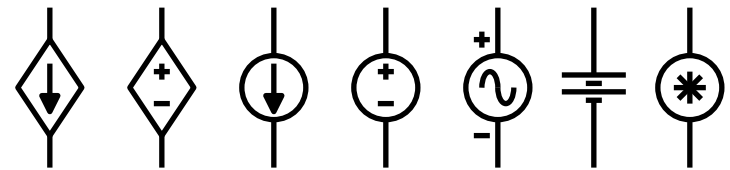
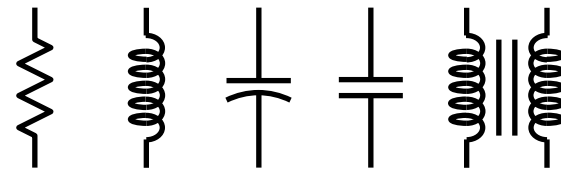
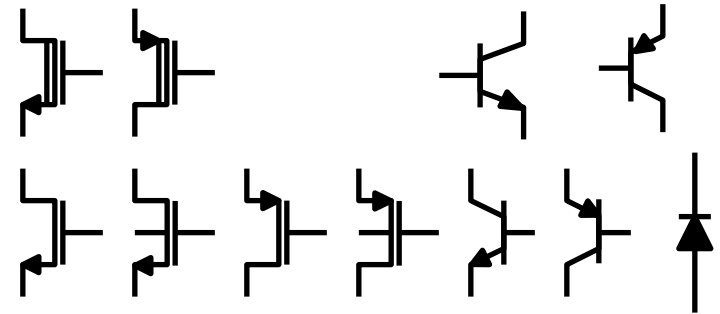
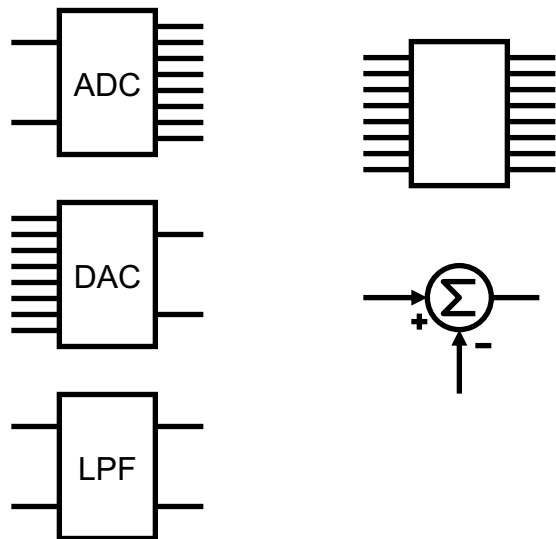
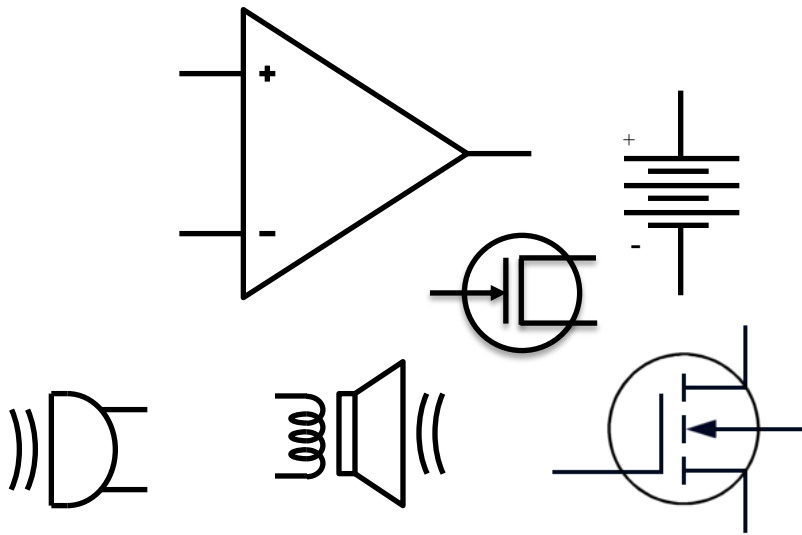
Dipole Thevenin equivalent circuit

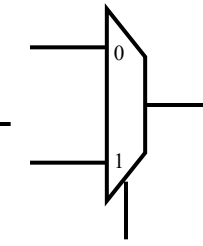
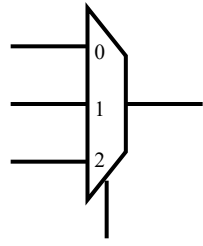
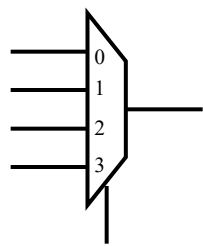
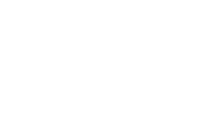
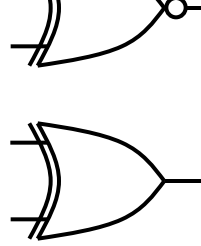
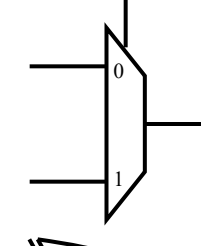
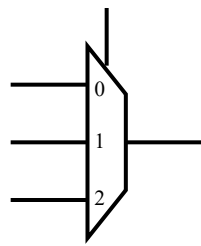
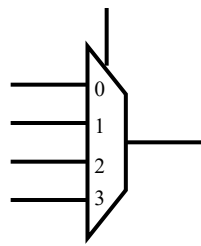
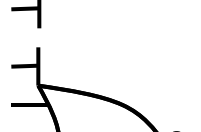
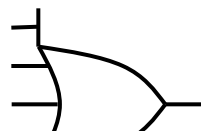
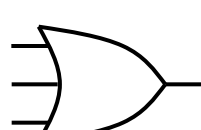
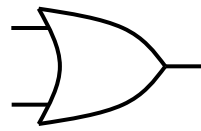
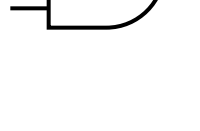
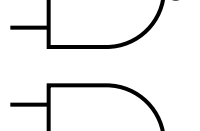
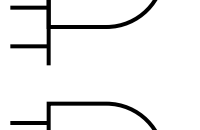
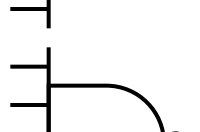
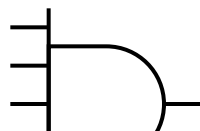
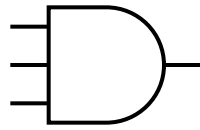
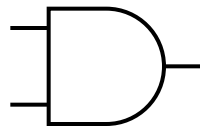
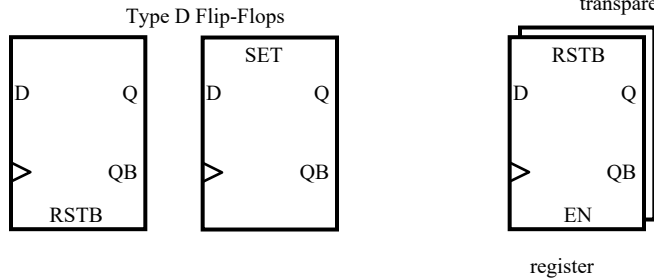
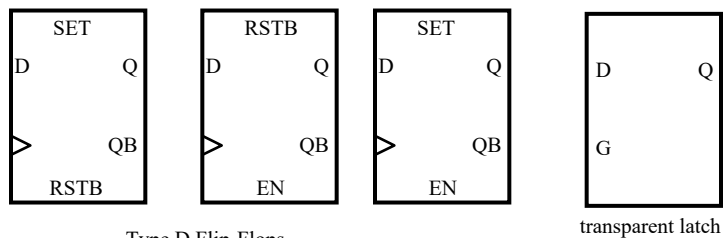
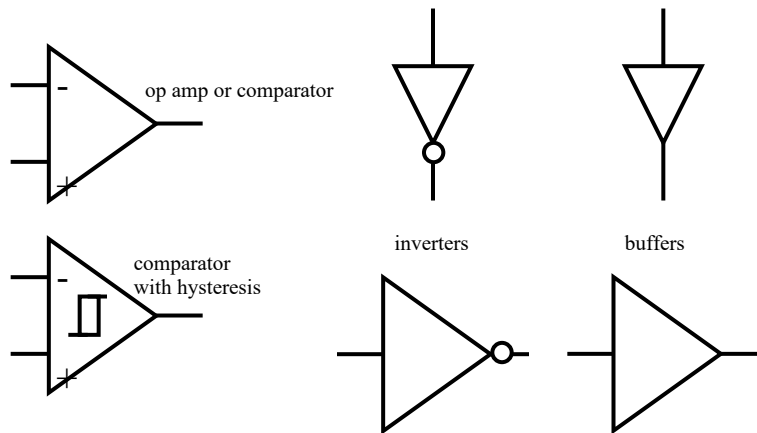
- For dipole (Length:  $l = \frac{\lambda}{2}$ )
- $\lambda^2 = \int A d\Omega = \int \frac{h^2 \eta_0}{4R_r} d\Omega$ , so
- $R_r = \frac{l^2 \eta_0}{16\lambda^2} \int \sin^2(\theta) d\Omega = \eta_0 \frac{\pi}{6} \left(\frac{l}{\lambda}\right)^2$
- $A = \frac{3\lambda^2}{8\pi} \sin^2(\theta)$  and  $G = 1.5 \sin^2(\theta)$ . . Note we used  
 $h = \frac{l}{2} \sin(\theta)$
- For Norcal,  $G = 1$ ,  $A = 150 \text{ m}^2$ , for  $r = 2000 \text{ m}$ ,  $P_r = 6 \text{ pW}$

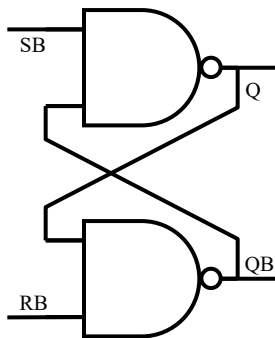
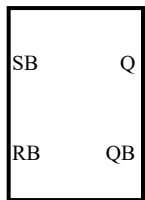


# Noise

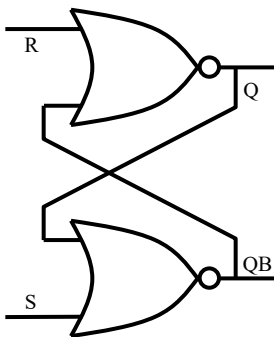
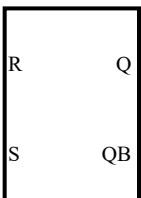
- $V_{n(rms)} = \sqrt{\frac{1}{\tau} \int_0^{\tau} V(t)^2 dt}$
- $P_n = \frac{V_{n(rms)}^2}{R}$ ,  $R$  is load resistance
- $SNR = \frac{P}{P_n}$
- $MDS = \frac{P_n}{G}$
- Nyquist
- $V_C = \frac{1}{j\omega C} \frac{V_n}{R + j\omega L + \frac{1}{j\omega C}}$
- $\overline{|V_C|^2} = \frac{\overline{|V_n|^2}}{|1 - \omega^2 LC + j\omega RC|^2}$
- Expected energy at resonance is  $kT = \frac{C}{2} \int_0^{\infty} |V_C|^2 df$
- $\int_0^{\infty} \frac{1}{|1 - \omega^2 LC + j\omega RC|^2} df = \frac{1}{4RC}$
- So,  $\overline{|V_C|^2} = 8kTR$



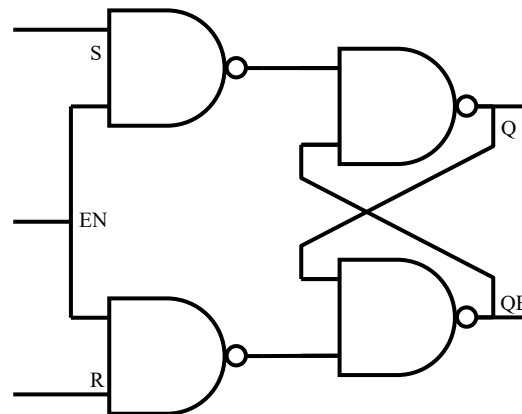
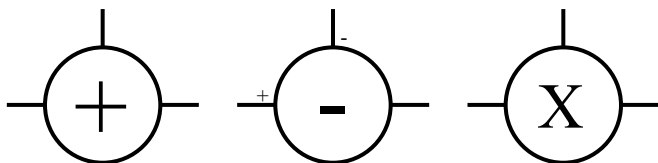
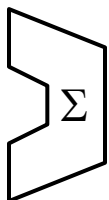




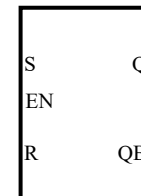
SB	RB	Action
0	0	Q=1 QB=1
0	1	Q=1 QB=0
1	0	Q=0 QB=1
1	1	Keep state



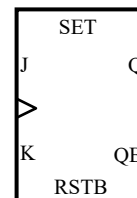
S	R	Action
0	0	Keep state
0	1	Q=0 QB=1
1	0	Q=1 QB=0
1	1	Q=0 QB=0



EN	Action
0	Keep state
1	same as SR latch

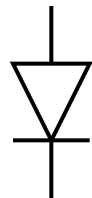
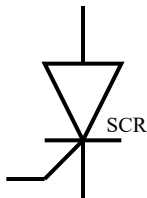
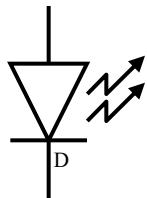
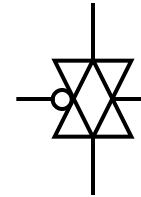
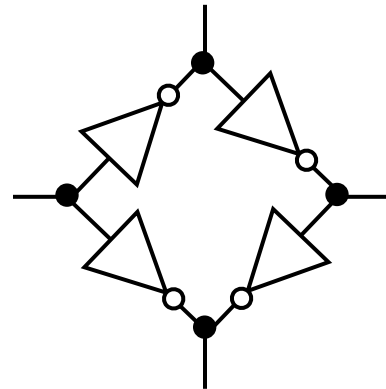
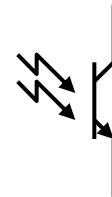
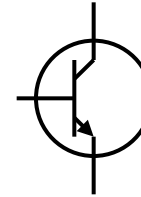
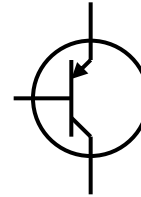
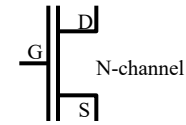
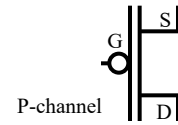
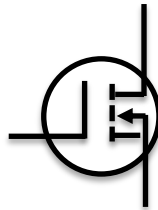
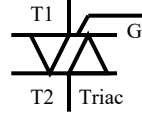


Gated SR Latch



J	K	Next Value
0	0	No Change
0	1	Q=0
1	0	Q=1
1	1	Toggle

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