# Jety s vysokou příčnou hybností v RunII experimentu ATLAS

Jan Lochman

FJFI ČVUT

Obhajoba diplomové práce

June 9, 2015

# Úvod

#### Cíl práce

Cílem diplomové práce bylo připravit analýzu inkluzivního účinného průřezu produkce jetů a porovnat data s předpovědí next-to-leading order QCD v rámci Standard Model skupiny experimentu ATLAS pro použití po spuštění urychlovače s těžišťovou energií 13 TeV.

#### Osnova prezentace

- ► Úvod Jet, Inkluzivní jet, K čemu?
- Analýza dat Charakteristika dat, Rekonstrukce jetů, Unfolding.
- Porovnání dat s předpovědí NLO QCD Neurčitosti v předpovědích QCD, LO vs. NLO QCD.
- ▶ Závěr

# Why Do We Need Jets?

# Gluon radiation cross section: Divergences:

- ▶ Infrared  $(E_k = 0)$
- ▶ *Collinear*  $(\theta = 0)$

$$\sigma_{q \to qg} \sim \frac{d\theta}{|\sin \theta|} \frac{dE_k}{E_k}$$

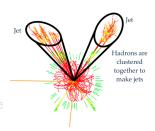
10000000000

#### Jet: A group of collimated particles

**Jet algorithm:** A prescription, how particles (or other objects) are clustered into separate jets. It should fulfill

- ► Infrared safety: The presence of an additional soft particle should not affect the recombination of particles into a jet
- ► Collinear safety: Jet reconstruction should not depend on the fact, if the energy is carried by one particle, of if the particle is split into more collinear particles

q or g CANNOT be directly observed. Jets CAN



# Why Do We Need Jets?

# Gluon radiation cross section: Divergences:

$$\sigma_{q o qg} \sim rac{d heta}{|\sin heta|} rac{dE_k}{E_k}$$

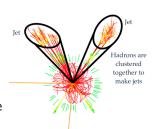
- ▶ Infrared  $(E_k = 0)$
- ▶ *Collinear*  $(\theta = 0)$

Jet: A group of collimated particles

Jet algorithm: A prescription, how particles (or other objects) are clustered into separate jets. It should fulfill

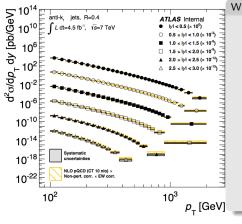
- ► Infrared safety: The presence of an additional soft particle should not affect the recombination of particles into a jet
- ► Collinear safety: Jet reconstruction should not depend on the fact, if the energy is carried by one particle, of if the particle is split into more collinear particles

q or g CANNOT be directly observed. Jets CAN



#### Inclusive Jets

#### **Inclusive Jet:** $pp \rightarrow jet + "anything"$ , 2012 Analysis<sup>1</sup>:



#### Why Inclusive Jets?

- ► They Cover a wide range of momentum transfers ( $\sim$  1 GeV 1 TeV on the LHC)  $\rightarrow$  predictions sensitive to the properties of the running coupling constant  $\alpha_S$
- ► They probe the structure of proton at small distance scales

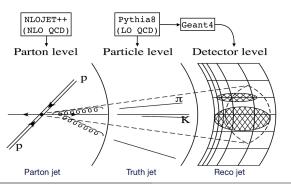
$$\lambda \sim 1/
ho_{T} \sim \, ext{TeV}^{-1} \sim 10^{-19} \, ext{m}$$

- ► They contribute to our understanding of PDFs
- They appreciate the increase in the center-of-mass energy as no other physics process observed on hadron colliders

<sup>&</sup>lt;sup>1</sup>Georges Aad et al. "Measurement of inclusive jet and dijet production in pp collisions at  $\sqrt{s} = 7$  TeV using the ATLAS detector". In: Phys.Rev. D86 (2012), p. 014022. DOI: 10.1103/PhysRevD.86.014022. arXiv: 1112.6297 [hep-ex].

#### Three Different Levels of Collision

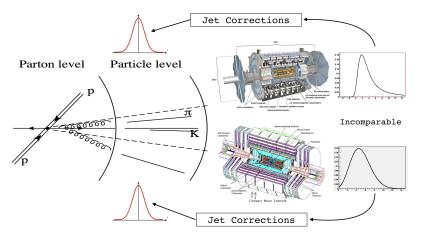
- **Parton level** particles (q,g,...) created just after the collision NLOJET++ (NLO QCD)
- ▶ Particle level particles created by the hadronization Events generated by PYTHIA8 (LO QCD)
- ▶ Detector level recorded signal Detector response obtained by GEANT4 full detector simulation



Detector causes distortion of observables

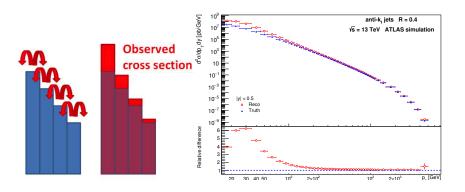
#### Jet Corrections

- ► Correct observables derived from detector to particle level by removing the detector effects
- ► Two main procedures Calibration and Unfolding



### Unfolding

- ► Final step of jet corrections
- ► Tries to minimize the effects of detector *finite resolution*
- ► Analysis dependent



# Unfolding - Mathematical Formulation

- ▶ I want:  $f(p_T)$  (distribution of inclusive jet  $p_T$  for  $p_T \in \langle a, b \rangle$ )
- ▶ From detector, **I get:** g(x) (distribution of unphysical variable x)

$$g(x) = \int_a^b A(x, p_T) f(p_T) dp_T$$

- Detector smearing described by  $A(x, p_T)$  (suppose, it is known)
- Complicated integral equation for  $f(p_T)$
- ▶ Luckily g(x) and  $f(p_T)$  are for practical purpose discretized and in

$$g_i = \int_{N(i)} g(x) dx$$
 ,  $f_i = \int_{N(i)} f(p_T) dp_T$ 

► So the response of the detector is described by a "simple"

$$g = Af$$

# Unfolding - Mathematical Formulation

- ▶ I want:  $f(p_T)$  (distribution of inclusive jet  $p_T$  for  $p_T \in \langle a, b \rangle$ )
- ▶ From detector, **I get:** g(x) (distribution of unphysical variable x)

$$g(x) = \int_a^b A(x, p_T) f(p_T) dp_T$$

- Detector smearing described by  $A(x, p_T)$  (suppose, it is known)
- ightharpoonup Complicated integral equation for  $f(p_T)$
- ▶ Luckily g(x) and  $f(p_T)$  are for practical purpose discretized and in analysis, I assume  $x \in \langle a, b \rangle$ ,  $N(i) \subset \langle a, b \rangle$

$$g_i = \int_{N(i)} g(x) dx$$
 ,  $f_i = \int_{N(i)} f(p_T) dp_T$ 

► So the response of the detector is described by a "simple" matrix equation, with A being called Transfer Matrix

$$g = Af$$

### Unfolding

#### Unfolding(detector spectrum) $\approx$ particle spectrum

**Transfer matrix**  $A_{ij}$  - containing the number of jets which entered detector in bin i but were reconstructed in bin j

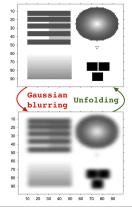
I test two approaches to the unfolding, allowing a dealing with the double binning (in  $p_T$  and y)

#### 1. Simple unfolding

If reconstructed jet migrates to different rapidity bin, it is ignored. 8 independent 46x46 transfer matrices, one for each rapidity bin  $(46 = \text{number of } p_T \text{ bins})$ 

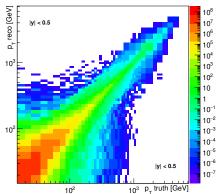
#### 2. 2D unfolding

Migration to different rapidity bins allowed. Only one  $368\times368$  transfer matrix  $(368 = 8 \times 46)$ 

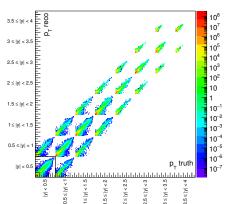


#### Transfer Matrices





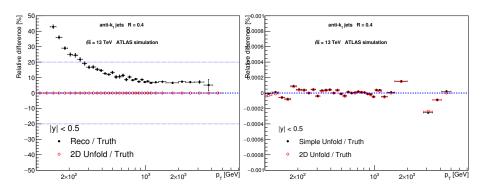
### 2D unfolding



# Unfolding Results

Detector (Reco) and Unfolded VS. Particle (Truth) Spectrum

Simple and 2D Unfolded VS. Particle (Truth) Spectrum



# NLO QCD Prediction

- ▶ NLO QCD predictions on parton level for  $\sqrt{s} = 8 \, \text{TeV}$  and 13 TeV
- ▶ Theoretical uncertainties which are taken into account
  - Scale uncertainty
     Choice of renormalization and factorization scales, including neglecting
  - $\alpha_S$  uncertainty
    Because of experimental measurements of  $\alpha_S$

the higher order terms beyond the NLO

- ► PDF uncertainty
  Prediction depends on the concrete choice of a PDF
- ► *Other corrections* (not so significant<sup>2</sup>)
  - Nonperturbative corrections
     Hadronization and Underlying Event corrections
  - Electroweak corrections
     Next to the QCD processes, the electroweak processes should be assumed

<sup>&</sup>lt;sup>2</sup>Georges Aad et al. "Measurement of inclusive jet and dijet production in pp collisions at  $\sqrt{s} = 7$  TeV using the ATLAS detector". In: Phys.Rev. D86 (2012), p. 014022. D0I: 10.1103/Phys.RevD.86.014022. arXiv: 1112.6297 [hep-ex].

# **NLO QCD Prediction**

- ▶ NLO QCD predictions on parton level for  $\sqrt{s} = 8 \text{ TeV}$  and 13 TeV
- ► Theoretical uncertainties which are taken into account
  - Scale uncertainty

Choice of renormalization and factorization scales, including neglecting the higher order terms beyond the NLO

- $\triangleright \alpha_{S}$  uncertainty
  - Because of experimental measurements of  $\alpha_s$
- PDF uncertainty

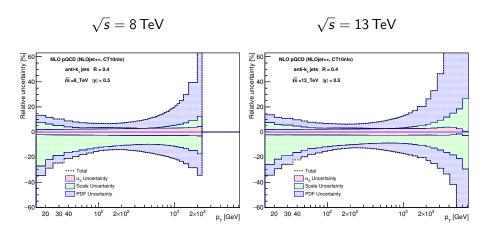
Prediction depends on the concrete choice of a PDF

- ► Other corrections (not so significant²)
  - ► Nonperturbative corrections Hadronization and Underlying Event corrections
  - Electroweak corrections Next to the QCD processes, the electroweak processes should be assumed

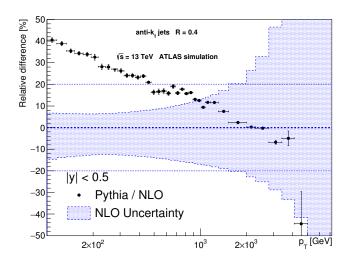
Jan Lochman (FNSPE CTU) High pr jets June 9, 2015 12 / 15

<sup>&</sup>lt;sup>2</sup>Georges Aad et al. "Measurement of inclusive jet and dijet production in pp collisions at  $\sqrt{s}=7$  TeV using the ATLAS detector". In: Phys.Rev. D86 (2012), p. 014022, DOI: 10.1103/PhysRevD.86.014022, arXiv: 1112.6297 [hep-ex].

# **NLO Systematic Uncertainties**



# Comparison of LO and NLO QCD



#### Thesis Conclusions

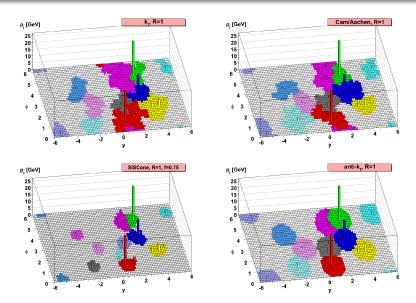
#### Unfolding

- ► Two approaches were probed
- ► No significant differences between these two approaches imply, for the real analysis, the Simple Unfolding approach should be used for its simpler implementation
- ▶ Agreement of the unfolded  $p_T$  spectra with the truth  $p_T$  spectra up to systematic error  $< 10^{-3} \%$

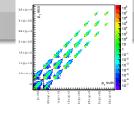
#### LO and NLO QCD

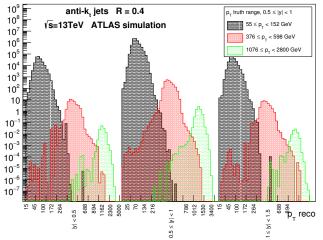
► Significant differences showing the influence of the NLO QCD processes on physical observables

# Jet Clustering



# Slices in Transfer Matrix of 2D Unfolding





# Comparison of $\sqrt{s} = 8$ and 13 TeV

