```
remotes::install_github("gilberto-sassi/statBasics")
library(statBasics)
library(tidyverse)
    Downloading GitHub repo gilberto-sassi/statBasics@HEAD
     rlang
               (0.4.11 \rightarrow 0.4.12) [CRAN]
     lifecycle (1.0.0 -> 1.0.1 ) [CRAN]
     stringi (1.7.4 \rightarrow 1.7.5) [CRAN]
    pillar
               (1.6.2 \rightarrow 1.6.4) [CRAN]
               (3.1.4 -> 3.1.5 ) [CRAN]
    tibble
     Installing 5 packages: rlang, lifecycle, stringi, pillar, tibble
     Installing packages into '/usr/local/lib/R/site-library'
     (as 'lib' is unspecified)
     ✓ checking for file '/tmp/RtmpdUqNCK/remotes46d809a4/gilberto-sassi-statBasics-56f6
     - preparing 'statBasics':

✓ checking DESCRIPTION meta-information

    - checking for LF line-endings in source and make files and shell scripts

    checking for empty or unneeded directories

        Omitted 'LazyData' from DESCRIPTION
    - building 'statBasics_0.1.0.tar.gz'
     Installing package into '/usr/local/lib/R/site-library'
     (as 'lib' is unspecified)
n <- 100
  map_dbl(\k) {
```

```
num_amostra <- 1000
media_pop <- 10</pre>
calculos <- seq_len(num_amostra) |>
    amostra <- rnorm(n, mean = media_pop, sd = 2)</pre>
    (mean(amostra) - media_pop) * sqrt(n) / sd(amostra)
  })
calculos
```

 $-0.168300829820724 \cdot 0.754985621516972 \cdot -1.22345894799884 \cdot 0.0900857127419628 \cdot -0.75516658$ $-1.29328719636468 \cdot -0.563985013406954 \cdot 0.0215911748624674 \cdot -1.2867875866899 \cdot -0.335774668299 \cdot -0.357746999 \cdot -0.357746999 \cdot -0.3577499 \cdot -0.3577499 \cdot -0.3577499 \cdot -0.3577499 \cdot -0.3577499 \cdot -0.357749 \cdot -0.35774$ $\textbf{-1.37547207835353} \cdot 0.0453398727867129 \cdot \textbf{-1.57036390498853} \cdot 0.502797522502557 \cdot 0.5202180090 \cdot \textbf{-1.570363904989} \cdot \textbf{-1.570363904989} \cdot \textbf{-1.57036390499} \cdot \textbf{-1.5703639049} \cdot \textbf{-1.5703639049} \cdot \textbf{-1.5703639049} \cdot \textbf{-1.5703639049} \cdot \textbf{-1.570369} \cdot \textbf{-1.570369}$ $-1.43843551211335 \cdot 1.66109530187994 \cdot 0.531579661920989 \cdot -0.212532801342423 \cdot 0.36397114667$ $-0.884082114183462 \cdot 1.73256834233541 \cdot -0.972211329018824 \cdot -1.9156765391269 \cdot 0.44189472388 \cdot -0.884082114183462 \cdot 1.73256834233541 \cdot -0.972211329018824 \cdot -1.9156765391269 \cdot 0.44189472388 \cdot -0.884082114183462 \cdot -0.972211329018824 \cdot -0.97221132901884 \cdot -0.972211329018824 \cdot -0.972211329018824 \cdot -0.97221132901884 \cdot -0.97221132901884 \cdot -0.972211329018824 \cdot -0.97221132901884 \cdot -0.972211884 \cdot -0.97221132901884 \cdot -0.972211884 \cdot -0.97221884 \cdot -0.97221884$ $0.497116140945608 \cdot -1.38666710651799 \cdot 1.07142568651727 \cdot 1.57706626978032 \cdot -1.538189306697 \cdot -1.07142568651727 \cdot -1.07142568667 \cdot -1.07142568651727 \cdot -1.07142568667 \cdot -1.07142568667 \cdot -1.07142568667 \cdot -1.07142568667 \cdot -1.0714256867 \cdot -1.071425687 \cdot -1.07142567 \cdot -1.071425687 \cdot -1.071425687 \cdot -1.07142$ $-3.0239598626441 \cdot 0.47099266199696 \cdot 0.776164961261645 \cdot -1.57262567158646 \cdot -1.339512596506$ $-1.35789552384965 \cdot 1.29190332059166 \cdot 0.563136584848419 \cdot 0.603976496744238 \cdot -0.63622413182 \cdot -0.6362413182 \cdot -0.63622413182 \cdot -0.63622413182 \cdot -0.63622413182 \cdot -0.63622413182 \cdot -0.63622413182 \cdot -0.6362413182 \cdot -0.63641182 \cdot -0.6461182 \cdot -0.646118182 \cdot -0.64611818182 \cdot -0.646118181818182 \cdot -0.6461181818181818181818$ $-1.14964957794406 \cdot 0.907156138912171 \cdot -0.444417318146627 \cdot -0.674631197452035 \cdot 1.017060768$ $-0.0872326850673182 \cdot -0.914186204085035 \cdot 0.722214841755185 \cdot -1.20922885045086 \cdot 0.84573004 \cdot 0.0872326850673182 \cdot -0.087232685045086 \cdot 0.087232685045086 \cdot 0.08722685045086 \cdot 0.08724686 \cdot 0.08724686 \cdot 0.08724686 \cdot 0.08724686 \cdot 0.08724686 \cdot 0.0872468 \cdot 0.087246 \cdot 0.008724 \cdot$ $0.578426892817073 \cdot 0.222112406521308 \cdot -0.240014010653008 \cdot -0.420504141472873 \cdot -1.24365908 \cdot -0.420504141472873 \cdot -0.420504141472873 \cdot -0.420504141472873 \cdot -0.420504141474878 \cdot -0.420504141474874 \cdot -0.44004141474874 \cdot -0.44004141474874 \cdot -0.440041474 \cdot -0.44004141474 \cdot -0.440041474 \cdot -0.44004141474 \cdot -0.44004141474 \cdot -0.44004141474 \cdot -0.44004141474 \cdot -0.44004141474 \cdot -0.44004141474 \cdot -0.440041414 \cdot -0.4400414 \cdot -0.4400414 \cdot -0.4400414 \cdot -0.4400414 \cdot -0.4400414 \cdot -0.4400414 \cdot -0.44004 \cdot -0.4400414 \cdot -0.4400414 \cdot -0.44004 \cdot -0.4$ $0.544843296813701 \cdot -2.76915727385347 \cdot 0.792304269424686 \cdot 0.517476044874061 \cdot 1.8071733538$ $-1.47734942872241 \cdot 1.06178683462874 \cdot 1.42521246511781 \cdot 0.251186267839835 \cdot 0.4119987458585 \cdot 0.41199874585 \cdot 0.41199874585 \cdot 0.41199874585 \cdot 0.4119987458 \cdot 0.41199874 \cdot 0.411998 \cdot 0.41199 \cdot 0.41199 \cdot 0.41199 \cdot 0.41199 \cdot 0.41199 \cdot 0.41199 \cdot 0.411$

interepretação do intervalo de confinaça

Intervalo de confinaça t

população: N(10, 2)

 $dp_pop < -2$

- Construir intervalo de confiança quando NÃO CONHECEMOS O DESVIO PADRÃO DA POPULAÇÃO.
- coeficiente de confiança: 97%

```
num_amostras <- 1000
n <- 13
media_pop <- 10
```

```
intervalos_corretos <- seq_len(num_amostras) |>
map dbl(\k) {
 amostra <- rnorm(n, mean = media_pop, sd = dp_pop)</pre>
 quantil \leftarrow qt(0.985, df = n - 1)
 li <- mean(amostra) - quantil * sd(amostra) / sqrt(n)</pre>
 ls <- mean(amostra) + quantil * sd(amostra) / sqrt(n)</pre>
 return(li <= media_pop & media_pop <= ls)</pre>
})
intervalos_corretos
mean(intervalos_corretos)
  amostra \leftarrow rnorm(20, mean = 10, sd = 4)
ci_norm(amostra, conf_level = 0.96)
      A tibble: 1 × 3
  lower ci upper ci conf level
   <dbl>
       <dbl>
            <dbl>
```

6.807489

10.58234

0.96