# EC443 PS 15 Question 4

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February 26, 2010

LM Test for autocorrelation (Breusch-Godfrey)

 $H_0$ : No autocorrelation in error term u

 $H_1$ : u is AR(p) process

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- ▶ For p = 1 this is asymptotically equivalent to Durbin h-test.

