

# Multiple Source Files

- Programs can be made up of multiple source files.
- One source file must contain the `main()` function as the entry point for execution.
- Advantages:
  - Grouping related files together helps to clarify the structure of a program
  - Each source file can be compiled separately (and can be checked out separately) – time saver.
  - Functions can be more easily re-used in other programs when grouped in separate source files.

# Header Files (1)

- How can a function in one file:
  - call a function in another file or
  - use macros (#define directives) in another file or
  - or use external variables in another file?
- The #include directive tells the compiler to open another specified file and insert its contents into the current file.
- By convention header files have the extension **.h**.

# Header Files (2)

- For C libraries:

`#include <stdio.h>`

Compiler searches in the directory for system header files.

- For other header files:

`#include "random.h"`

Compiler searches in the current directory, any specified directory and then the directory for system header files.

# Example

```
chapter_8.h
void parameter_test_swap(int first, int second);

void parameter_test_swap_with_pointers(int *first, int *second);
```

chapter\_8.h

```
chapter_8_2.cpp
// chapter_8_2.cpp : Defines the entry point for the console application.
//

#include "stdafx.h"
#include "string.h"
#include "chapter_8.h"

//For Part 1
//declare a structure of type PERSON
//and a variable Zhang of type PERSON, one way
struct PERSON
{
    int    nAge;
```

chapter\_8\_2.cpp

```
chapter_8_functions.cpp
#include "stdafx.h"
#include "chapter_8.h"

//function with two int arguments
//the function swaps the two int arguments
void parameter_test_swap(int first, int second)
{
    printf("\nIn function parameter_test_swap\n");
    printf("first is: %d, second is: %d\n", first, second);
    printf("swapping first and second...\n");
    int temp = first;
    first = second;
    second = temp;
    printf("first is: %d, second is: %d\n", first, second);
    printf("Leaving function parameter_test_swap\n");
    return;
}
```

chapter\_8\_2\_functions.cpp

# Sharing Function Prototypes

- The functions `parameter_test_swap(int first, int second)` and `parameter_test_swap_with_pointers(int *first, int *second)` have been moved to a separate file `chapter8_2_functions.cpp`.
- The program `chapter8_2.cpp` uses these functions.
- Before calling a function the compiler needs to see the prototype of the function first.
- Therefore include the prototypes in a header file (here: `chapter_8.h`)
- **Also include** the header file in the source file in which the function is defined so that the compiler can check that the function's prototype matches the definition.

# Bitwise Operators

- Basic binary encoding
- Bitwise operators
  - Left shift
  - Right shift
  - Bitwise complement
  - Bitwise AND
  - Bitwise exclusive OR
  - Bitwise inclusive OR
- Very Briefly: using bitwise operators to access bits
  - Setting a bit
  - Clearing a bit
  - Toggling a bit
  - Checking a bit
- Named bits

# Motivation

- Low-level computing allows us to hold and manipulate several states in one variable.
- We **use individual bits** of an unsigned int variable to store data.
- In embedded systems it is useful to have fewer variables to save memory.
- In certain areas of Computing, e.g. image processing there is a lot of information to deal with, e.g. the colour of a pixel can be encoded in its RGB components. We could use one int to store the 3 colours rather than three ints.
- Advantages: faster processing, less memory needed, simpler (at least some very experienced programmers say that).

# Binary Encoding

- The integer value 10 as unsigned short int:

15								6 5 4 3 2 1 0							
0	0	0	0	0	0	0	0	0	0	0	0	1	0	1	0
$2^{15}$	$2^{14}$	$2^{13}$	$2^{12}$	$2^{11}$	$2^{10}$	$2^9$	$2^8$	$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$

- To calculate the decimal value:  $1 * 2^3 + 1 * 2^1$



# Decimal to Binary Number Conversion

- Decimal value: 10
- Divide the number by the highest power of 2
- Then divide the remainder by the highest power of 2
- ... $10/2^6$ ,  $10/2^5$ ,  $10/2^4$  : result  $< 1$  set bits to 0
- $10/2^3 = 1$ ,  $10\%2 = 2$  continue with remainder
- $2/2^2$  : result  $< 1$  set bit to 0
- $2/2^1 = 1$
- remaining bit is 0 (number is fully converted)

# Bitwise Operators

- << left shift
- >> right shift
- ~ one's complement (unary)
- & bitwise AND
- ^ bitwise exclusive OR
- | bitwise inclusive OR

# Bitwise Shift Operators

- Transform the binary representation of an integer by shifting its bits to the left or to the right.
- Can be used on any integer type including char.
- Have lower priority than arithmetic operators.
- Examples:

0000000000000000**1010** – decimal value ?

0000000000000000**1010**00 – shift how many places?

000000000000000000**10** – shift how many places?

# The Left Shift Operator

- Operator: <<
- Shifts the bits of an integer by the stated number of places.
- The non-negative variable j represents this here.
- For each bit that is shifted off the left, another 0 bit is added to the right
- Example:  
i << j;  
Shifts the bits in i by j places to the left.

# The Right Shift Operator

- Operator: >>
- Shifts the bits of an integer by the stated number of places (j).
- Example:  
    `i >> j;`  
    Shift the bits in i by j places to the right.

# Right Shift Portability Concerns

- For portability it is best to perform shift operations on unsigned numbers (positive numbers).
- If *i* is of an unsigned type or if the value of *i* is non-negative, zeros are added at the left as needed.
- We use unsigned short int.
- If *i* is a negative number, the result is implementation-defined,
  - some implementation add zeros at the left end
  - other preserve the signed bit by adding ones.

# Examples

## C code

```
unsigned short i = 5;  
unsigned short j = i << 3;  
unsigned short k = j >> 1;  
i <<= 2;  
i >>= 1;  
unsigned short t = i << 2 + 1;  
//the left shift operator has  
// lower priority than the +  
//operator
```

## Binary representation

i: 0000000000000000101  
j: 000000000000101000  
k: 00000000000010100  
i: 00000000000010100  
i: 0000000000001010  
t: 000000000010100001

# The Bitwise Complement Operation

- The operation produces the complement of its operand.
- Example:

unsigned int i = 10;

$\sim i$

0	0	0	0	0	0	0	0	0	0	0	0	1	0	1	0
---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---

1	1	1	1	1	1	1	1	1	1	1	1	0	1	0	1
---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---



# The Bitwise Complement Operation

- Operator:  $\sim$  (tilde, twiddle)
- The operator produces the complement of its operand:
  - 0 is replaced by 1
  - 1 is replaced by 0
- The operator is unary (only one operand).

# Example

- unsigned short i = 10;
- binary representation: 00000000 00001010
- unsigned short j = ~ i;
- binary representation: 11111111 111110101

# The Bitwise AND Operator (1)

- The bitwise AND operator:
  - Compares each bit of its first operand to the corresponding bit of the second operand.
  - If **both bits** are **1's**,
    - the corresponding bit of the result is set to **1**.
  - **Otherwise**,
    - it sets the corresponding result bit to **0**.

## The Bitwise AND Operator (2)

- Operator: **&** (ampersand)
- Both operands have to be of an integer type.
- The result has the same type as the converted operands.
- An expression can have more than one bitwise AND operator.

# Example

## C source code

```
unsigned short i = 92;  
unsigned short j = 46;  
unsigned short k = i & j;  
//k is 12
```

```
////*****////
```

```
short l = 1 & 4;
```

What is the binary value of l?

What is the decimal value of l?

## Bit representation

```
0000000001011100
```

```
000000000101110
```

```
00000000000001100
```

## & vs. &&

- Do not mix up the logical AND operator (&&) with the bitwise AND operator (&)

- Example:

1 && 4 evaluates to non-zero (true)

1 & 4 ?

1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1
4	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0
1&4	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

# The Bitwise Exclusive OR Operator (1)

- The bitwise exclusive OR operator:
  - Compares each bit of its first operand to the corresponding bit of the second operand.
  - If **both** bits are **1's** or both bits are **0's**,
    - the corresponding bit of the result is set to **0**.
  - **Otherwise**,
    - it sets the corresponding result bit to **1**.

## The Bitwise Exclusive OR Operator (2)

- Operator:  $\wedge$  (caret)
- Both operands must have an integer type.
- The result has the same type as the converted operands.
- The result is not an lvalue.



# Example

## C source code

- unsigned short i = 92;
- unsigned short j = 46;
- unsigned short k = i ^ j;  
//k is 114

## Bit representation

0000000001011100

0000000000101110

0000000001110010

# The Bitwise Inclusive OR Operator (1)

- The bitwise inclusive OR operator:
  - Compares the values (in binary format) of each operand.
  - If **both bits** are **0**,
    - The result of that bit is **0**;
  - **Otherwise**,
    - The result is **1**.
- The bit pattern shows which bits in either of the operands has the value 1.

# The Bitwise Inclusive OR Operator (2)

- Operator: **|** (pipe)
- Both operands must have an integral (or enumeration type).
- The result has the same type as the converted operands.
- The result is not an lvalue.

# Example

## C source code

- unsigned short i = 92;
- unsigned short j = 46;
- unsigned short k = i | j;  
//k is 126

## Bit representation

0000000001011100

0000000000101110

0000000001111110

## `||` vs. `|`

- The bitwise OR operator (`|`) should not be confused with the logical OR operator (`||`).
- `1 | 4` evaluates to 5.  
00000000000000000001  
00000000000000000100  
00000000000000000101
- `1 || 4` evaluates to non-zero (true).

# Precedence

- Highest: << >> (explain the operation)
  - ~ (explain the operation)
  - & (explain the operation)
  - ^ (explain the operation)
- Lowest: | (explain the operation)
- Always use brackets to force precedence.

# Complex Expressions

## C source code

```
unsigned short i = 10;
```

```
unsigned short j = 8;
```

```
unsigned short k = 11;
```

```
unsigned short r = (i ^ j) & ~k;
```

## Binary representation

```
00000000000001010
```

```
00000000000001000
```

```
00000000000001011
```

```
00000000000000010
```

$i \wedge j$

```
11111111111110100
```

$\sim k$

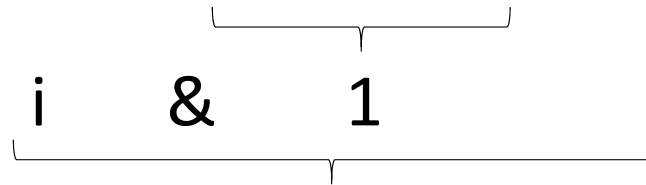
```
00000000000000000
```

$i \wedge j \& \sim k$

## Be Aware!

- The precedence of  $\&$ ,  $\wedge$  and  $|$  is lower than the precedence of the relational and equality operators.
- Example:

if (i & 7 != 0) {....}



If  $i$  has the 1 bit set this is non-zero (true).

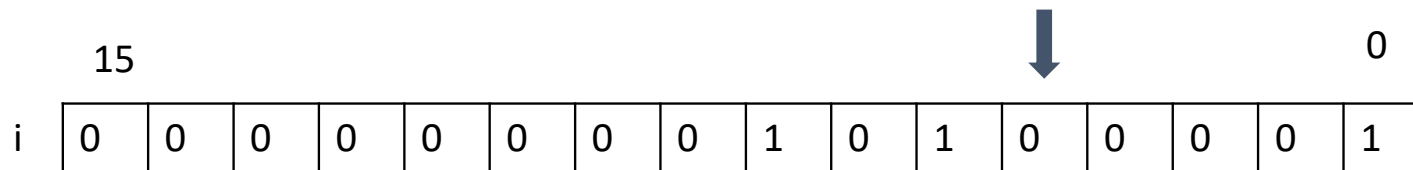


# Using Bitwise Operators to Access Bits

- In low level programming certain information is often stored in single bits or a collection of bits.
- For example one (16 bit) unsigned short variable could be used to store 16 binary states.
- We number the bits from leftmost bit (# 15) to rightmost bit (# 0).

## Setting a Bit (1)

- Assume we have a 16 bit unsigned short  $i$
- We want to set the # 4 bit of  $i$ :



- Apply the **bitwise inclusive OR** operator with the

mask that sets the 4-bit 00000000000010000

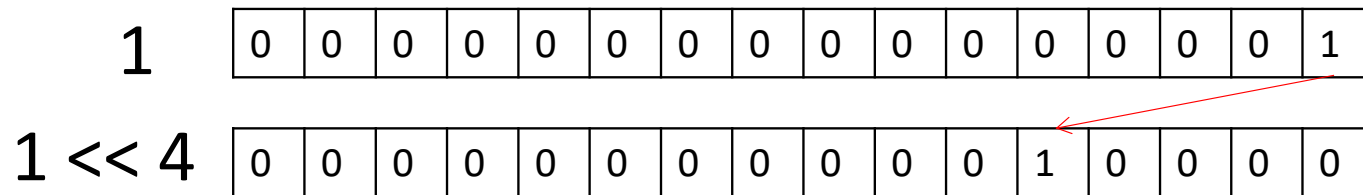
$i |= j$  0000000010110001

- What happens if the bit is already set?
- What happens to other set bits?

## Setting a Bit (2)

- If the position of the bit to be set is stored in the variable  $j$  ( $j = 4$ )
- We can use the shift operator to create a mask:

$i \mid= 1 \ll j;$



# Clearing a Bit

- To clear the # 4 bit:
- Use a **mask** with a 0 bit in position 4 and 1 bits everywhere else.
- Apply the **bitwise AND** operator:

- |  |                               |
|--|-------------------------------|
| • <code>int i = 255;</code>              | <code>0000000011111111</code> |
| • <code>~ (1 &lt;&lt; j)</code>          | <code>1111111111110111</code> |
| • <code>i &amp;= ~ (1 &lt;&lt; j)</code> | <code>0000000011101111</code> |

## Testing a Bit (1)

- If the bit (here # 4) has been set (i.e. is 1) the expression should evaluate to non-zero
- If the bit (here # 4) has not been set (i.e. is 0) the expression should evaluate to zero
- Use a mask with a 1 in position 4 and 0 everywhere else.
- Then apply the bitwise AND operator:
  - Only the (# 4) bit is 1 the result will be non-zero.

## Testing a Bit (2)

- if ( $i \& 1 \ll j$ ) {...}

$i = 239;$

1

$1 \ll 4$

$i \& 1 \ll 4$

The result is 0 (i.e. not set).

0000000011101111

0000000000000001

00000000000010000

0000000000000000

## To “Toggle” a Bit (1)

- To toggle means to “flip” the bit or to switch it on or off.
- We can do this by applying the **exclusive OR operator ^** with a mask that has set the bits that we want to toggle.
- Use the left-shift operator to create a mask that has set the bits that we want to toggle.

## “Toggle” a Bit (2)

### C source code

- unsigned short int i:
- mask, unsigned short int j:
- $i \wedge j$ :

### Bitwise representation

00000000001100010

00000000000011010

00000000001111000

- If a relevant bit was set before the exclusive OR operation, it will be unset afterwards ( $1 \wedge 1 = 0$ )
- If a relevant bit was unset before the exclusive OR operation, it will be set afterwards ( $0 \wedge 1 = 1$ )
- The mask has only the relevant bits set, all non-relevant bits are 0, these will keep their state ( $0 \wedge 0 = 0$ ,  $1 \wedge 0 = 1$ )



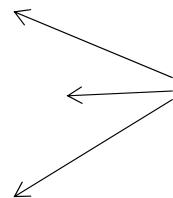
# Named Bits

Bits with a significant meaning are often defined as macros.

Example:

The bits 0, 1 and 2 of a number represent the colours red, green and blue:

```
#define BLUE 1  
#define GREEN 2  
#define RED 4
```



No semicolons after #define

# The BLUE Bit

- The int i holds the settings of RED, GREEN, BLUE.
- Setting BLUE:  
    `i |= BLUE;`
- Clearing BLUE:  
    `i &= ~ BLUE;`
- Testing BLUE:  
    `if (i & BLUE) ...`