$$U = U(S, V, N)$$

 $T = \partial U/\partial S$

 $\mu = \partial U/\partial N$

 $U[T, \mu] = U - TS - \mu N$

Eliminando U, S y N se obtiene $U[T, \mu]$ como función de T, V, μ

$$U[T, \mu] = \text{función de } T, V y \mu$$

 $-S = \partial U[T, \mu]/\partial T$

(5.48)

 $-N = \partial U[T, \mu]/\partial \mu$

(5.49)

 $U = U[T, \mu] + TS + \mu N$

(5.50)

Eliminando $U[T, \mu]$, $T y \mu$ se obtiene

U = U(S, V, N)

$$dU[T, \mu] = -S dT - P dV - N d\mu$$

$$S[1/T] \equiv S - \frac{1}{T}U = -F/T$$

$$S[P/T] \equiv S - \frac{P}{T}V$$

$$S[1/T, P/T] = S - \frac{1}{T}U - \frac{P}{T}V = -G/T$$

$S = S(U, V, N_1, N_2, ...)$

 $P/T = \partial S/\partial V$

S[P/T] = S - (P/T)V

Eliminando S y V se obtiene S[P/T] como función de U, P/T, N_1 , N_2 , ...

$S[P/T] = \text{función de } U, P/T, N_1, N_2, \dots$

(5.57)

 $-V = \partial S[P/T]/\partial (P/T)$

(5.58)

S = S[P/T] + (P/T)V

(5.59)

Eliminando S[P/T] y P/T se obtiene

 $S = S(U, V, N_1, N_2, ...)$

$$dS[P/T] \,=\, (1/T)\,dU \,-\, V\,d(P/T) \,-\, (\mu_1/T)\,dN_1 \,-\, \frac{\mu_2}{T}\,dN_2,\,\ldots$$