

— PROZESUEN ADIERAZPENA: OINARRIZKO EKVAZIOAREN DIFERENTIALAREN BIDEZ

$$U = U(S, V, N_1, \dots, N_n)$$

$$dU = \left(\frac{\partial U}{\partial S} \right)_{V, N_1, \dots, N_n} dS + \left(\frac{\partial U}{\partial V} \right)_{S, N_1, \dots, N_n} dV + \left(\frac{\partial U}{\partial N_1} \right)_{S, V, \dots, N_n} dN_1 + \dots + \left(\frac{\partial U}{\partial N_n} \right)_{S, V, N_1, \dots} dN_n$$

PARAMETRO INTENSIBOAK / EGOERA-EKVAZIOAK

$$T \equiv \left(\frac{\partial U}{\partial S} \right)_{V, N_1, \dots} = T(S, V, N_1, \dots)$$

$$P \equiv - \left(\frac{\partial U}{\partial V} \right)_{S, N_1, \dots} = P(S, V, N_1, \dots)$$

$$\mu_K \equiv \left(\frac{\partial U}{\partial N_K} \right)_{S, V, \dots} = \mu_K(S, V, N_1, \dots)$$

$$Y_j \equiv \left(\frac{\partial U}{\partial X_j} \right)_{S, \dots}$$

$$dU = T dS - P dV + \sum_{K=1}^N \mu_K dN_K$$

ZERO ORDENAKO FUNTZIO HOMOGENEOAK: PROPIETATEA

$$Y(\lambda S, \lambda V, \lambda N_1, \dots, \lambda N_n) = Y(S, V, N_1, \dots, N_n)$$

"AURREKO FORMALISMO"AREN KIDAKO ALDERAKETA: LEHENENGO PRINTZIPIOA

$$dU = T dS + \sum_{j=1}^N P_j dX_j$$

BARNE-ENERGIA \rightsquigarrow LANA ("TERMIKOA", EDOZEN MOTATZAKOA)