Schedulability analysis of limitedpreemptive moldable gang tasks

Joan Marcè i Igual



Daily Supervisor

Geoffrey Nelissen

Co-supervisor

Mitra Nasri

3rd of June, 2020

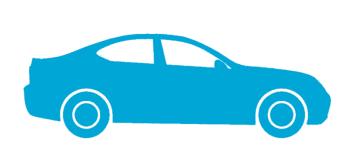


 Systems of which correctness does depends not only on logical results but also on timing constraints

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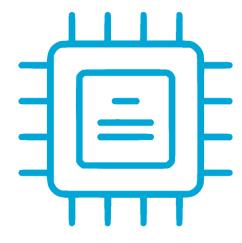


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Multicore systems









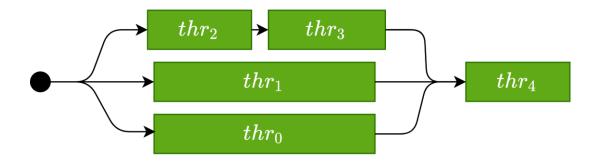
- Task
 - A functionality of the system

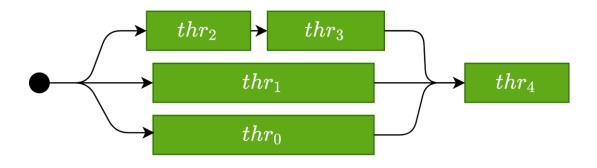
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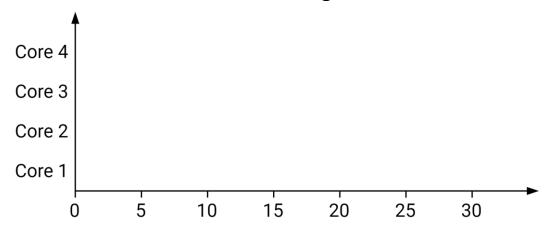
- Task
 - A functionality of the system
- Job
 - Instance of a task
- Schedule
 - A particular assignment of jobs to the processors and time intervals
- Scheduling policy
 - Algorithm that produces a schedule
 - FIFO, Round-Robin, JLFP, EDF

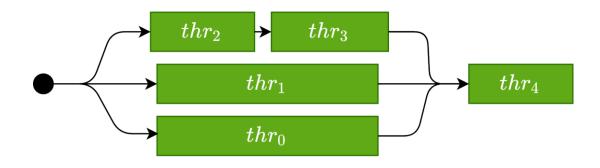




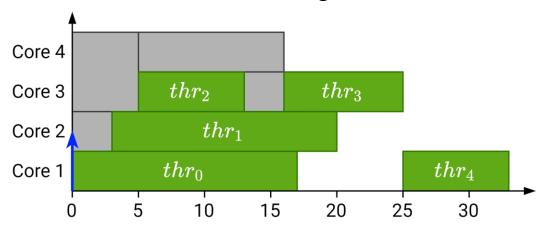


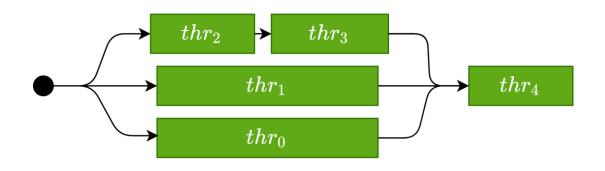
Global scheduling



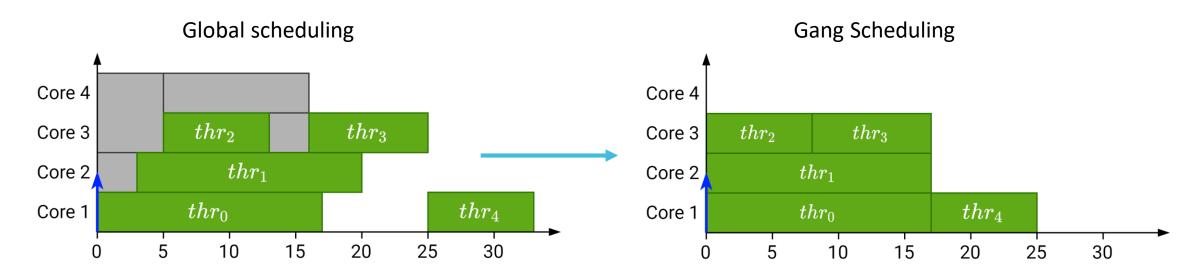


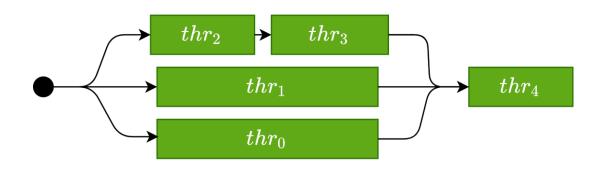
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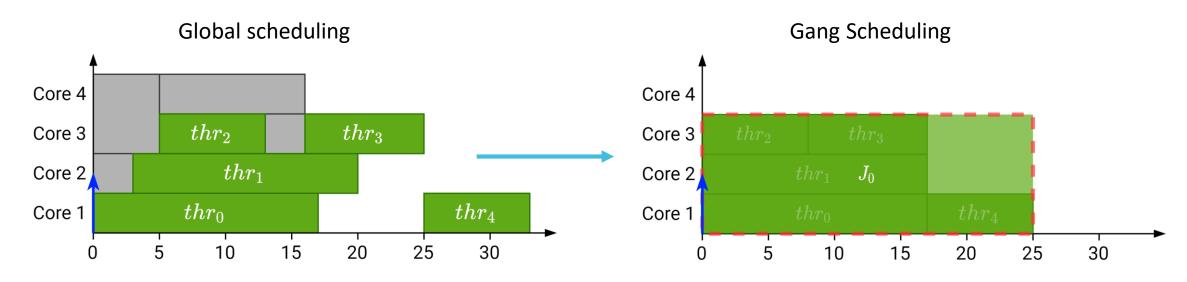


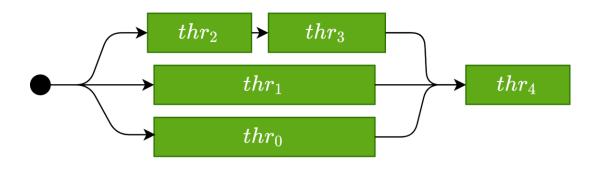
Parallel threads together as a "gang"





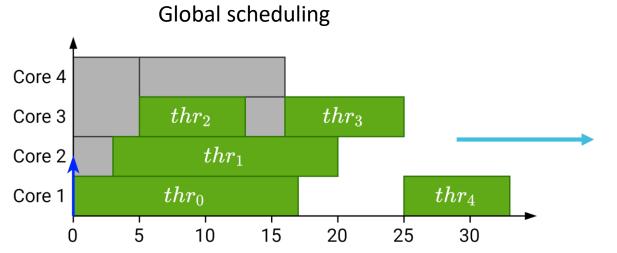
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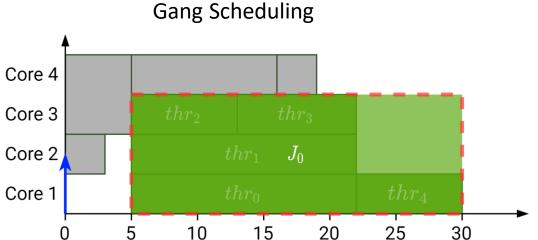




Parallel threads together as a "gang"

Execution does not start until there are enough cores





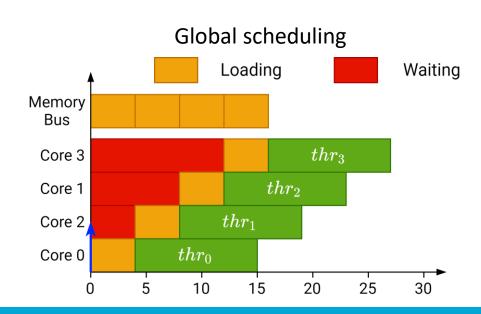


More efficient synchronization

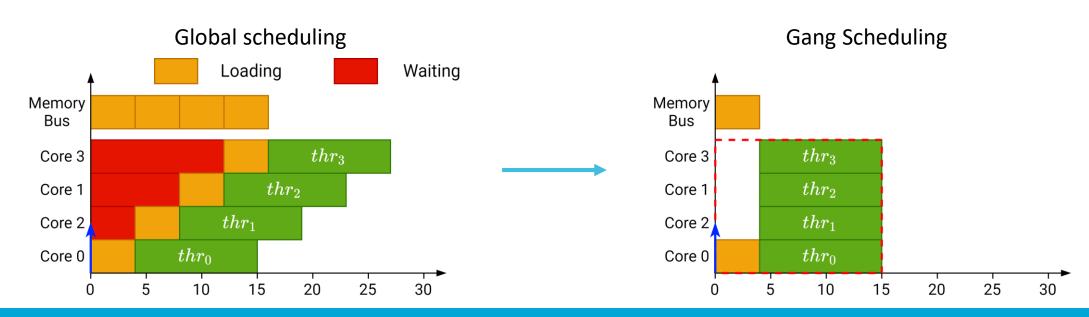
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- Avoids overhead when loading initial data

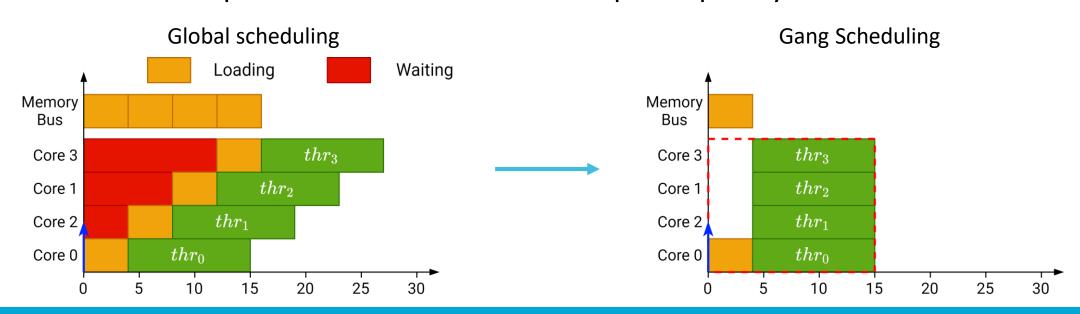
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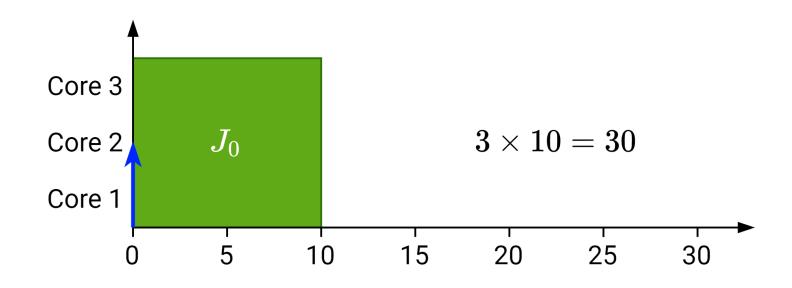
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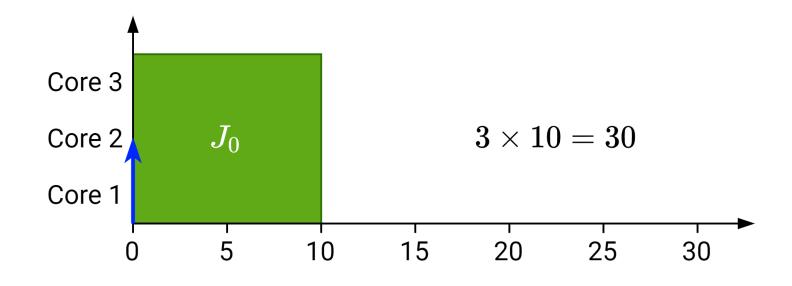
- More efficient synchronization
- Reduces variability in the execution
- Avoids overhead when loading initial data
- Shows its full potential when executed non-preemptively



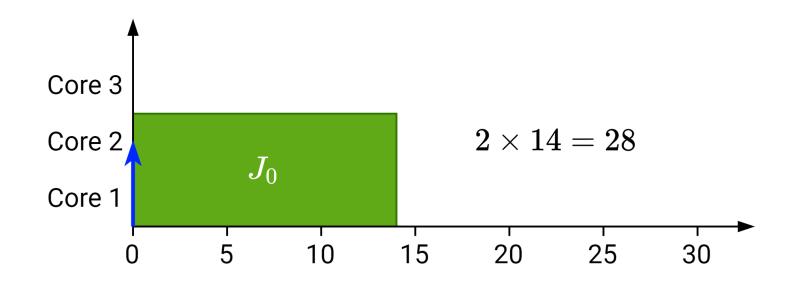
• Rigid: number of cores set by programmer



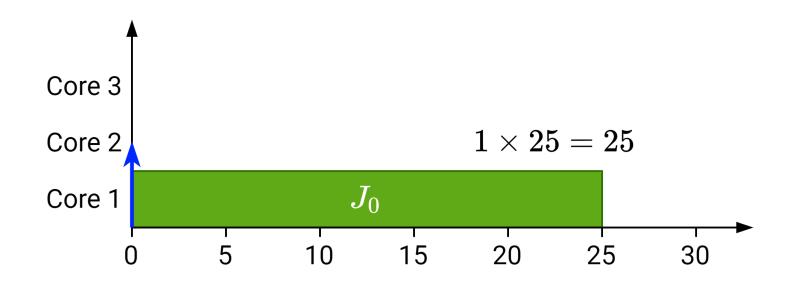
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- Moldable: number of cores assigned when job is dispatched



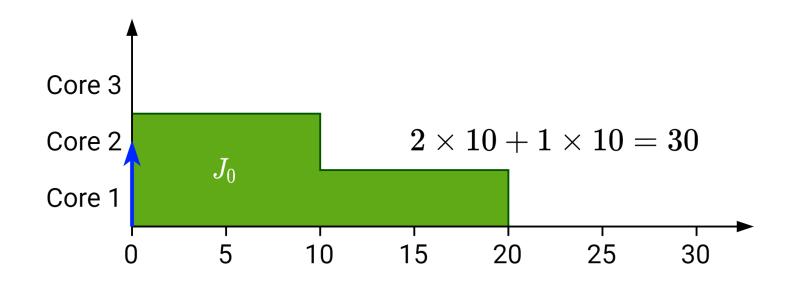
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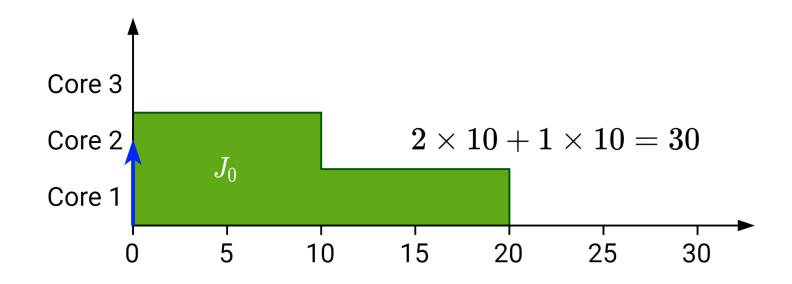
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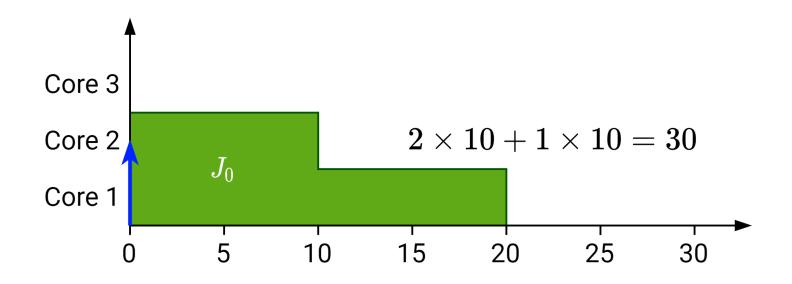
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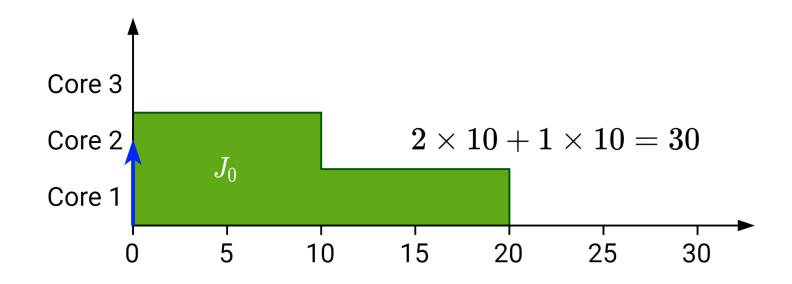
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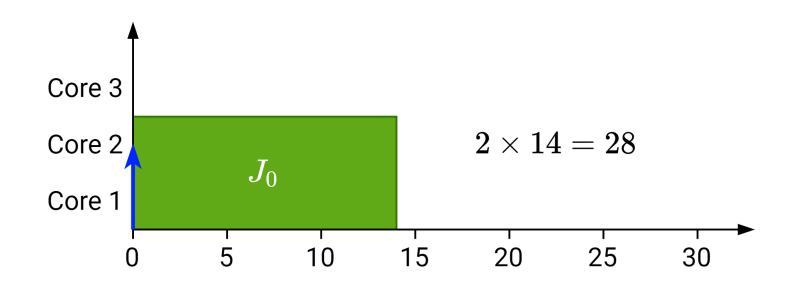
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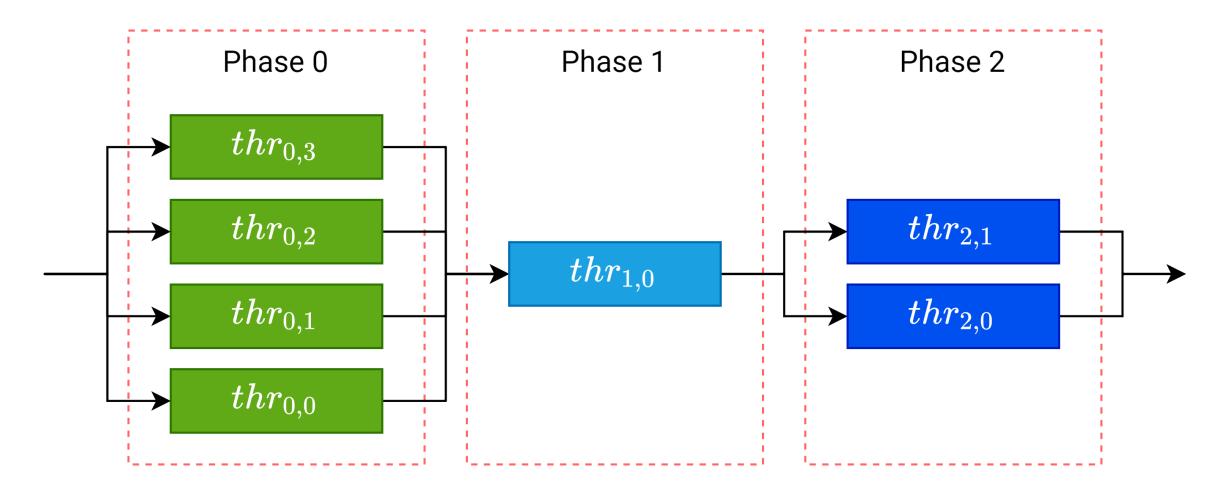
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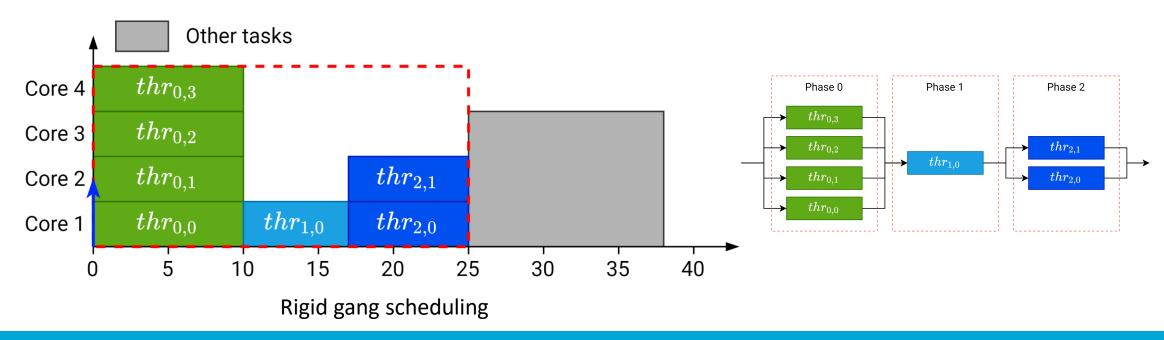
- Rigid: number of cores set by programmer Wastes resources
- **< Moldable**: number of cores assigned when job is dispatched → Flexibility



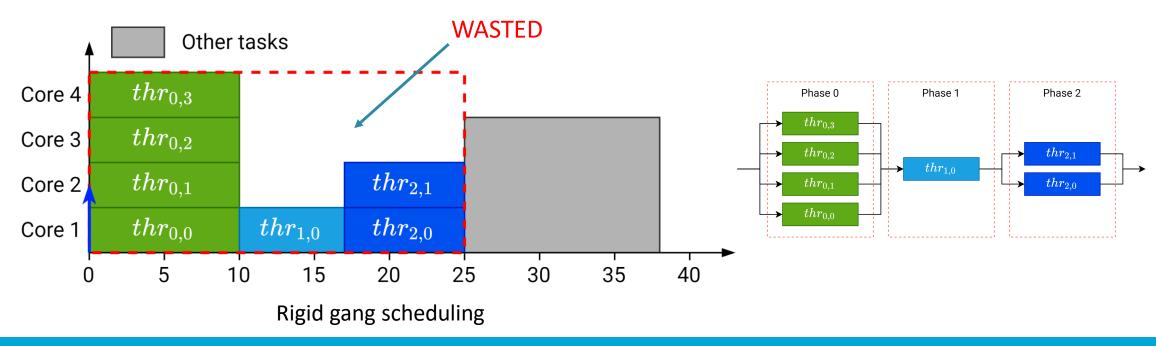
Bundled scheduling^[1] vs limited-preemptive



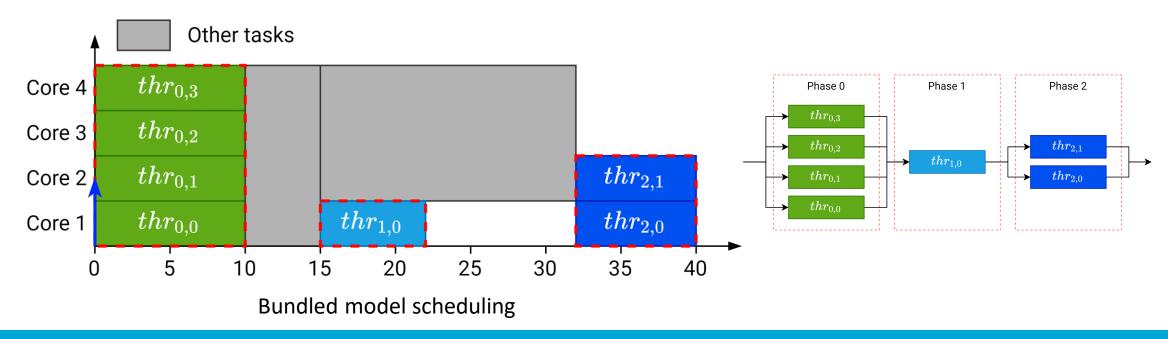
Rigid gang reserves the whole block



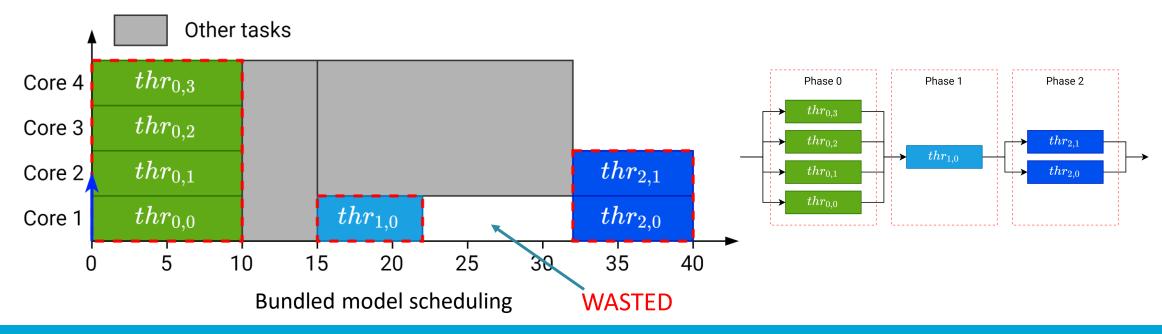
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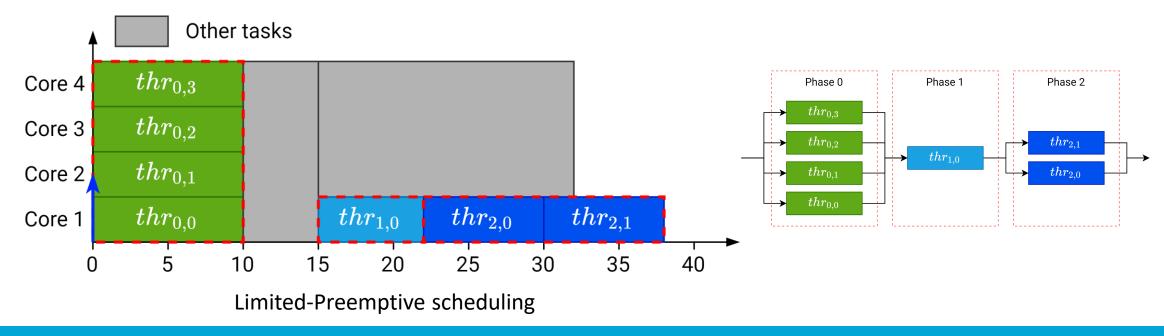
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- Rigid gang reserves the whole block
- Bundled creates rigid blocks with dependencies
- Limited-Preemptive creates moldable blocks with dependencies

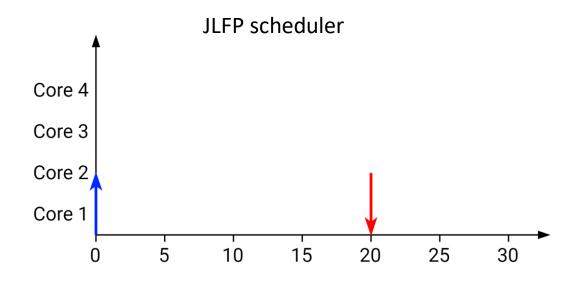




Based on global JLFP scheduler

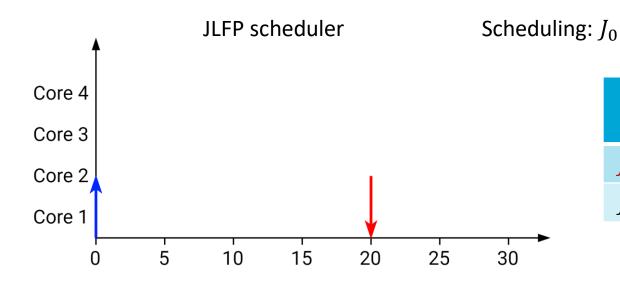
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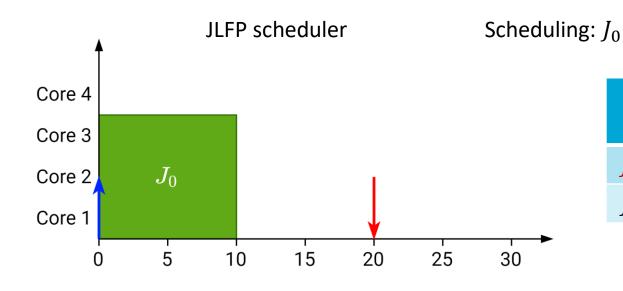
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J_0	High	2	3	∞	15, 10
J_1	Low	2	2	20	15

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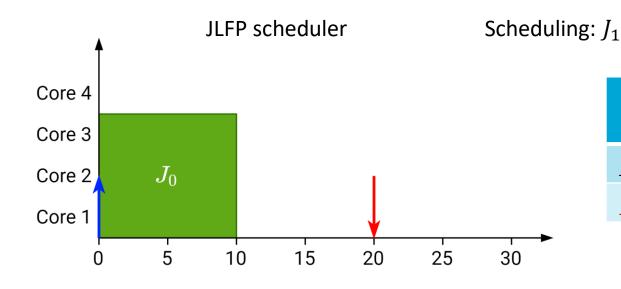
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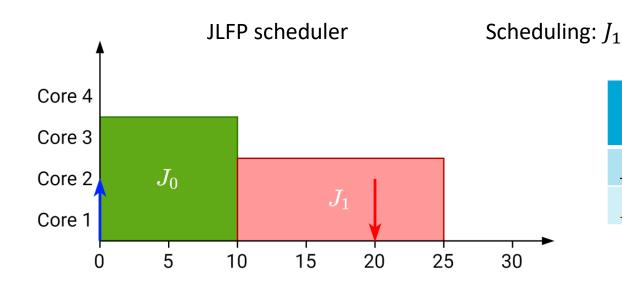
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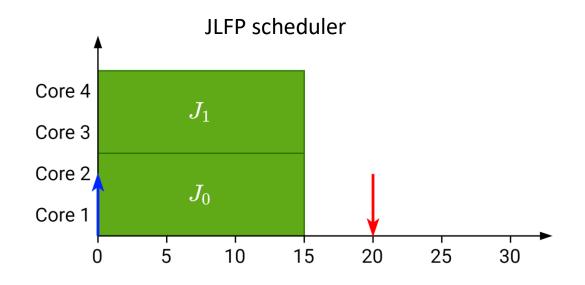
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Introduced in high-performance computing in 1982^[1]

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Preemptive solutions

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Schedulability tests

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• Job-level fixed-priority^[2]

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Optimal for rigid gang (DP-Fair)^[4]

^[2]Goossens et al., 2010

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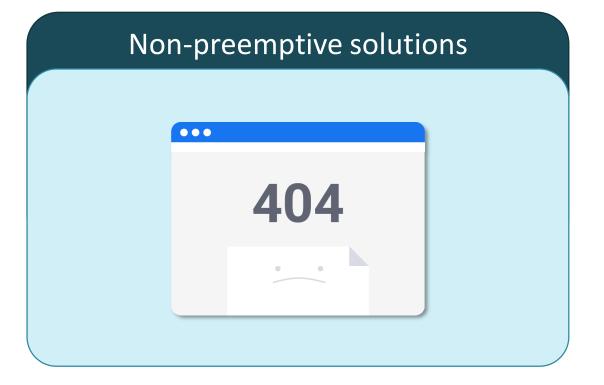
Preemptive solutions

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Our work



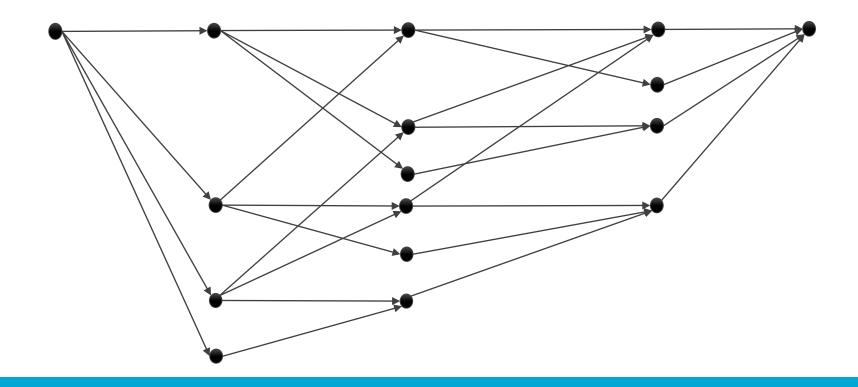
 Design an accurate schedulability analysis for limited-preemptive moldable gang tasks

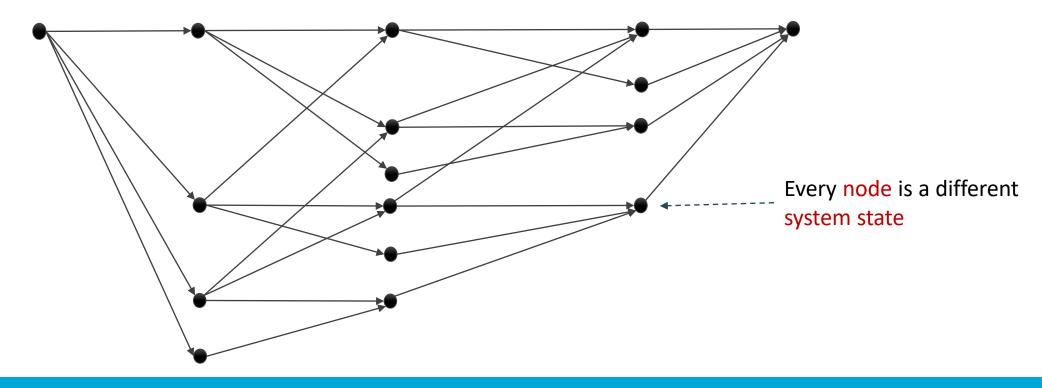
- Design an accurate schedulability analysis for limited-preemptive moldable gang tasks
- 2. Propose a new scheduling algorithm to improve the schedulability of limited-preemptive moldable gang tasks

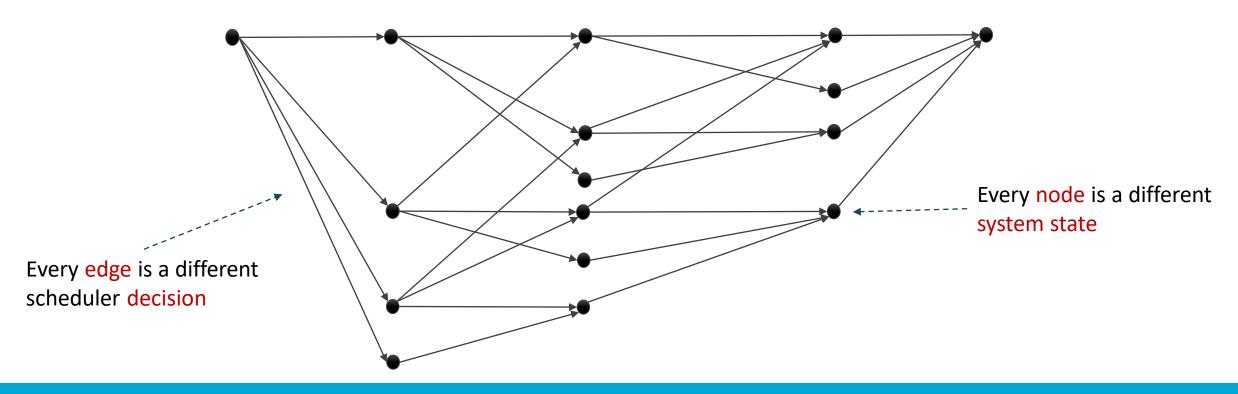
- Design an accurate schedulability analysis for limited-preemptive moldable gang tasks
- 2. Propose a new scheduling algorithm to improve the schedulability of limited-preemptive moldable gang tasks
 - Extend analysis to support this new algorithm

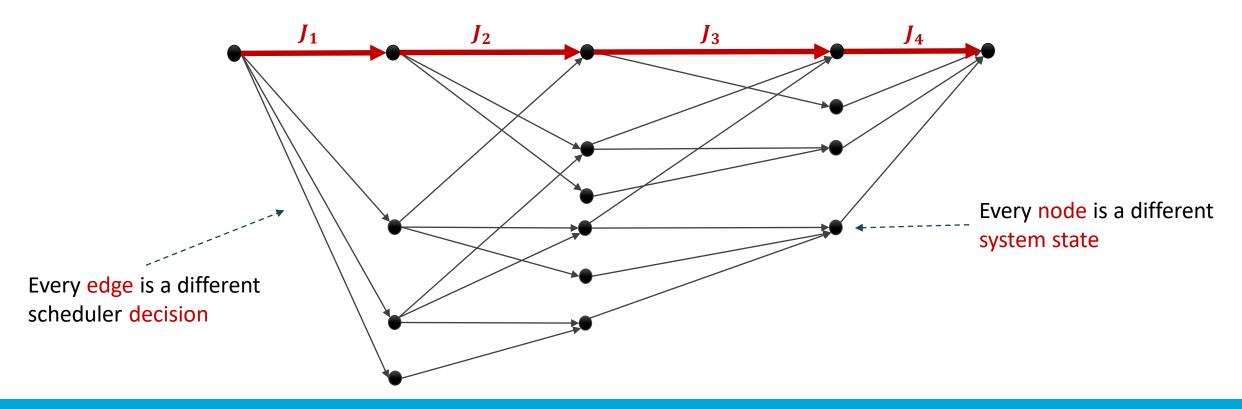
Agenda

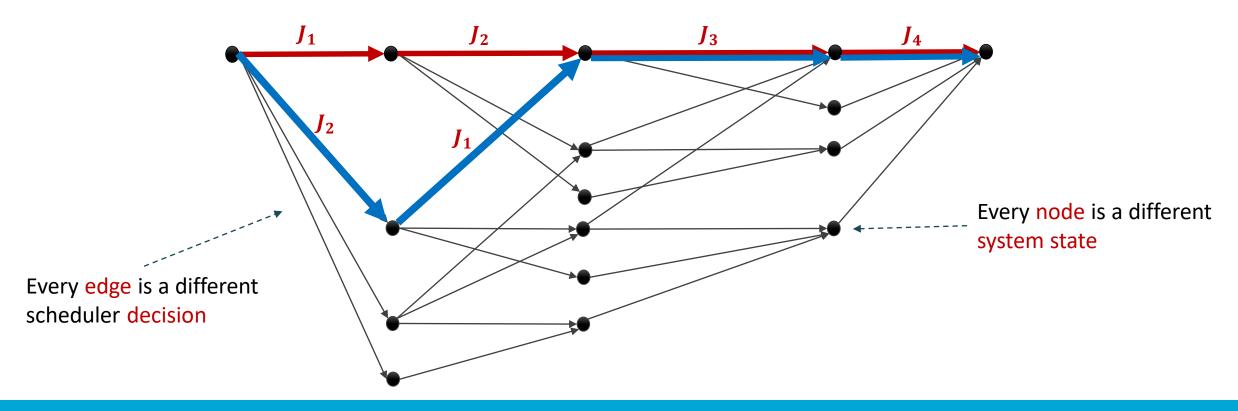
- Gang schedulability analysis
- New scheduling policy





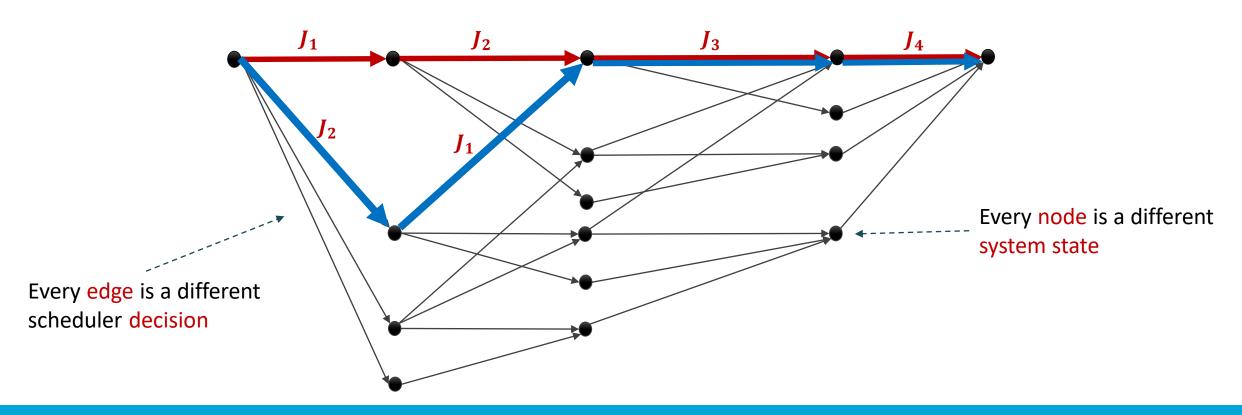






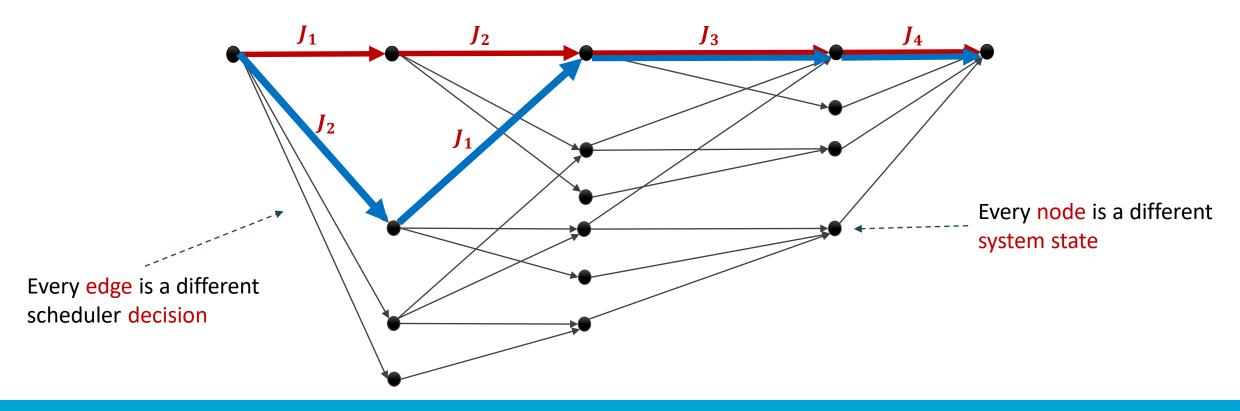
Schedule abstraction graph

• It is a technique that allows:



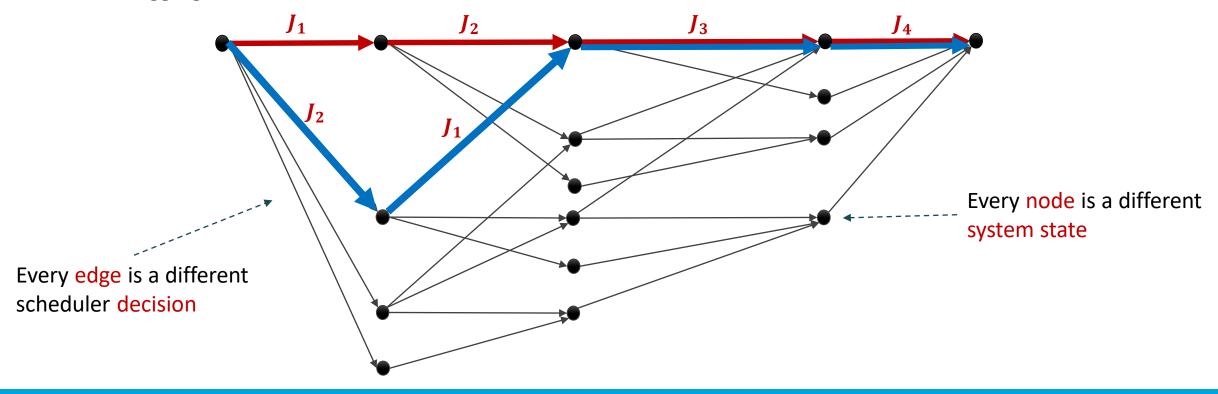
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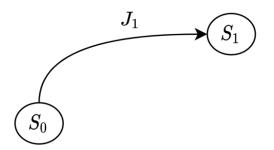


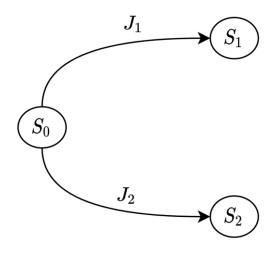
Schedule abstraction graph

- It is a technique that allows:
 - Search for all possible schedules
 - Aggregate "similar" schedules

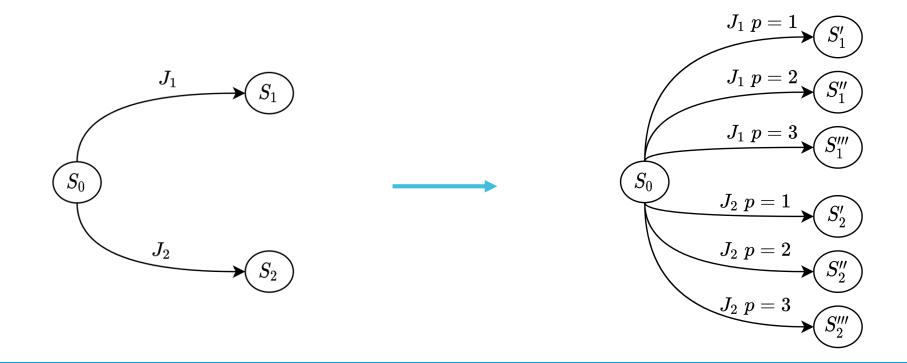




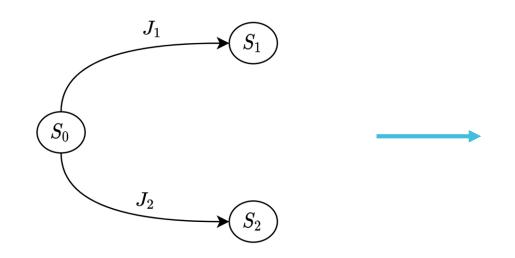


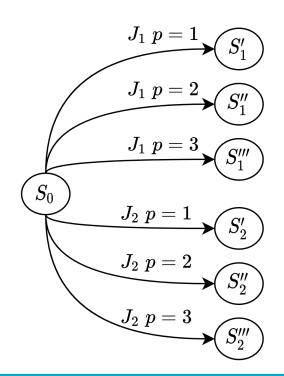


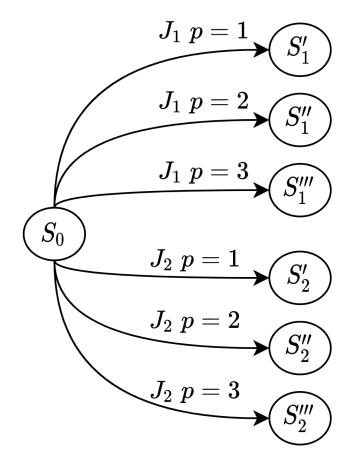
- Previously a state was created for every schedulable job
- Now a state is created for every job and possible number of cores



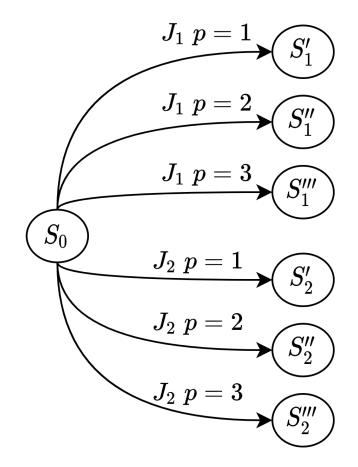
- Previously a state was created for every schedulable job
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- Can stimulate state-space explosion





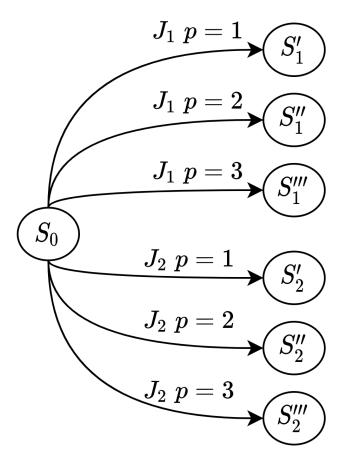


Exploring more states



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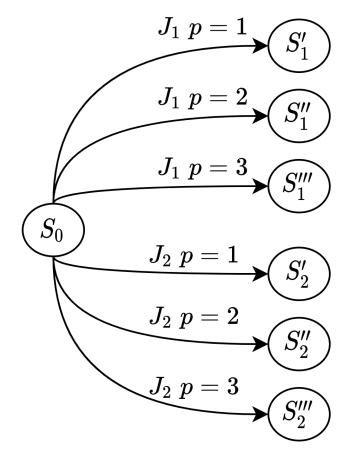
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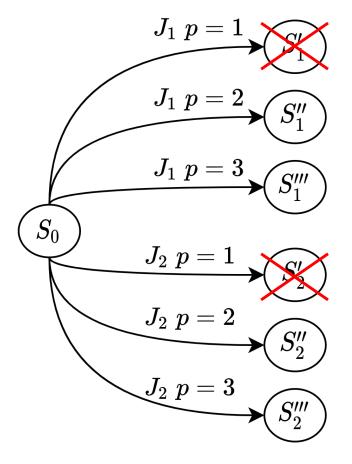
Slower and more pessimistic



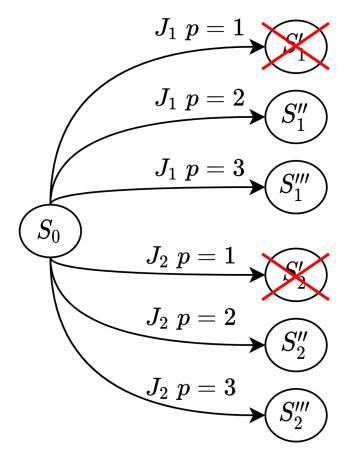
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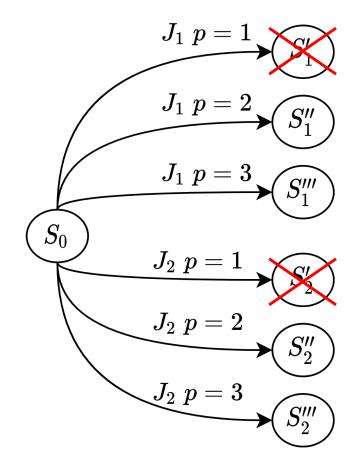
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- Exploring more states
 - Is safe, does not make analysis invalid
 - Slower and more pessimistic
- Additional checks for candidate jobs
 - cores available

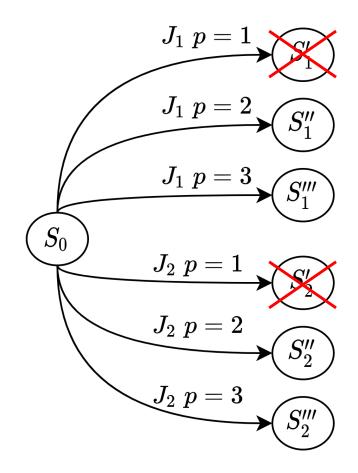


- Exploring more states
 - Is safe, does not make analysis invalid
 - Slower and more pessimistic
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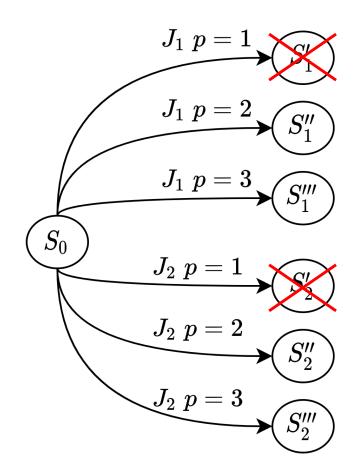
- Exploring more states
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 Slower and more pessimistic
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 - More cores not available



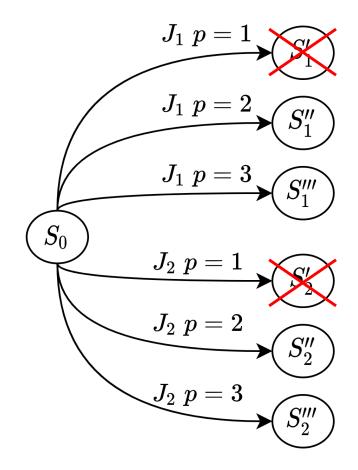
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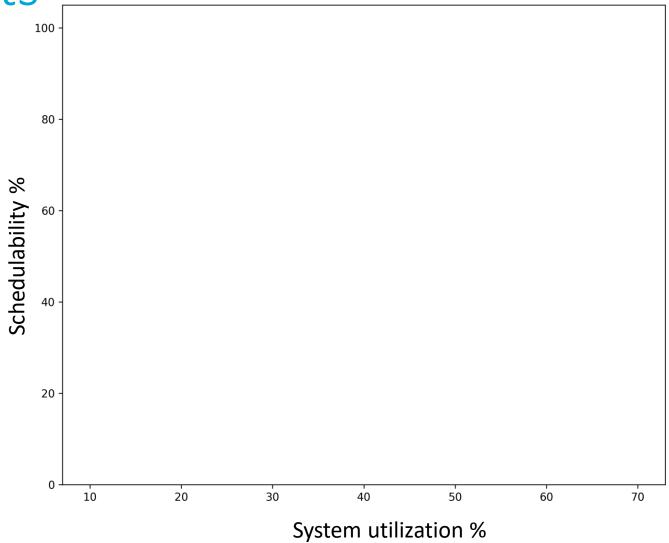
 Slower and more pessimistic
- Additional checks for candidate jobs
 - p cores available
 - More cores not available
 - Precedence constraints with multiple cores



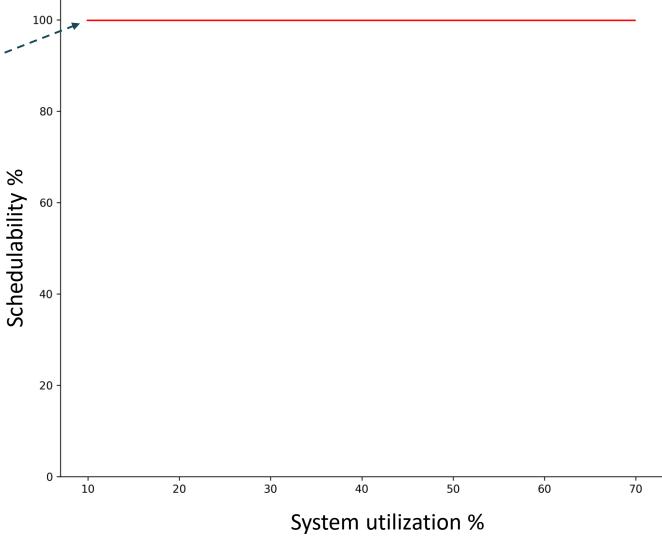
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 Slower and more pessimistic
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- Proofs





All task sets pass necessary test



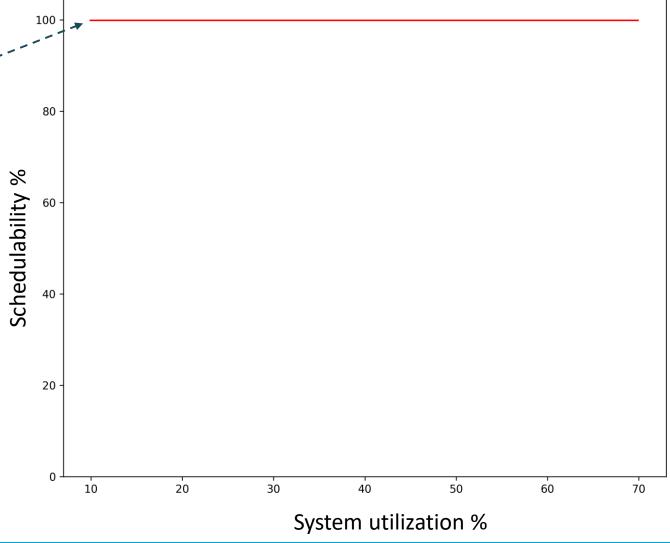
All task sets pass necessary test

• System processors: 8

System tasks: 4

• Execution-time variation: 25%

• Segments per task: 1



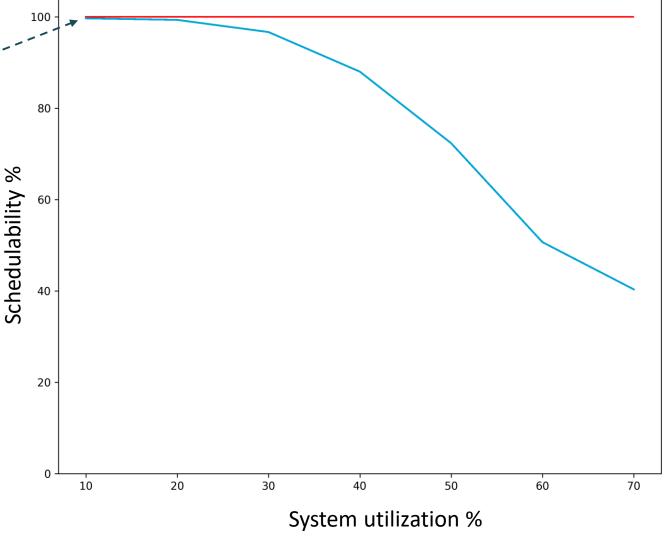
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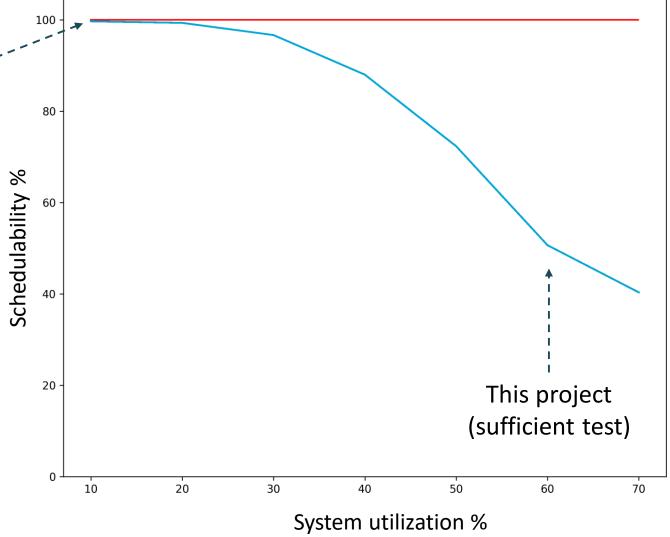
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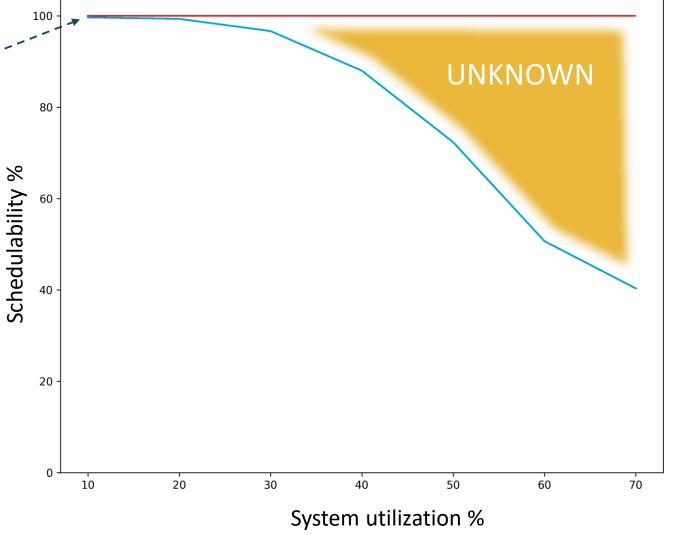
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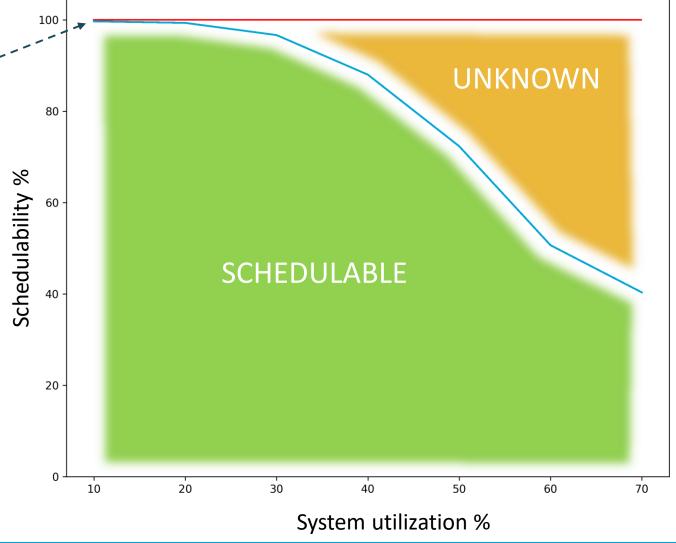
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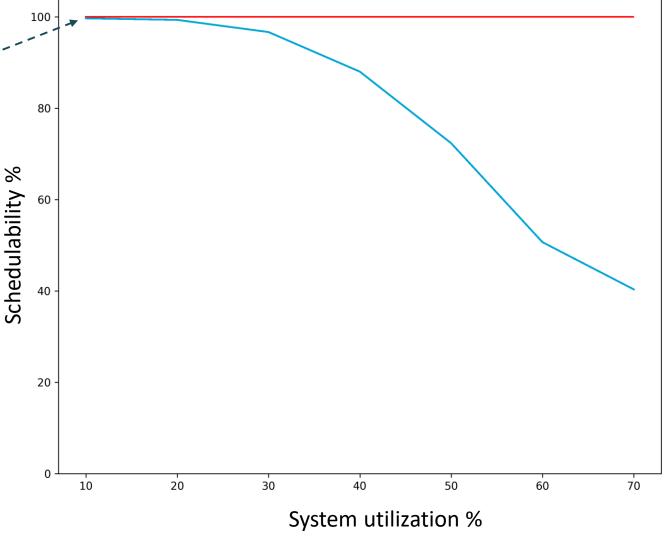
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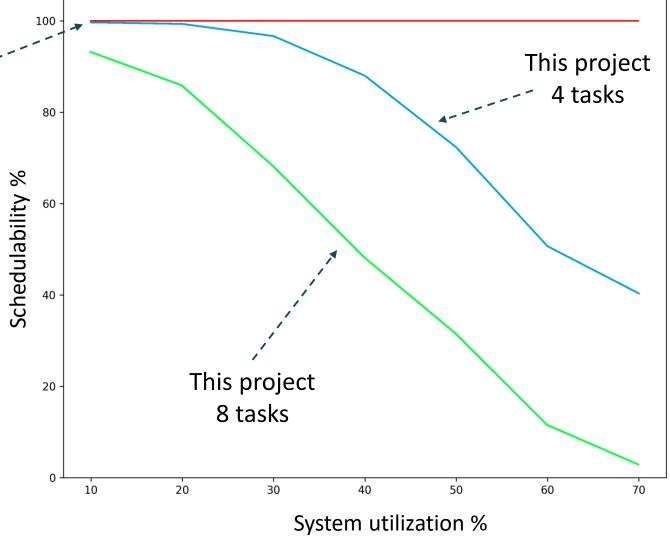
All task sets pass necessary test

System processors: 8

System tasks: 4 and 8

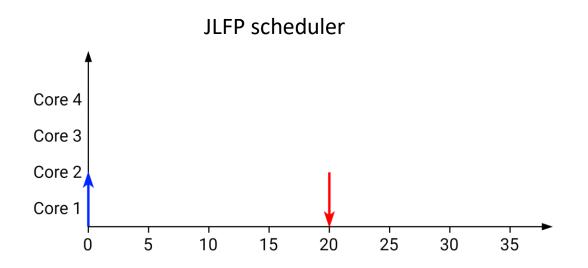
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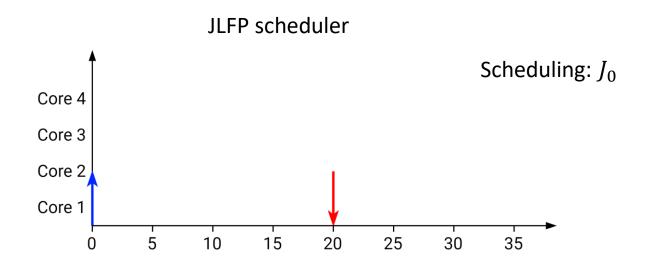


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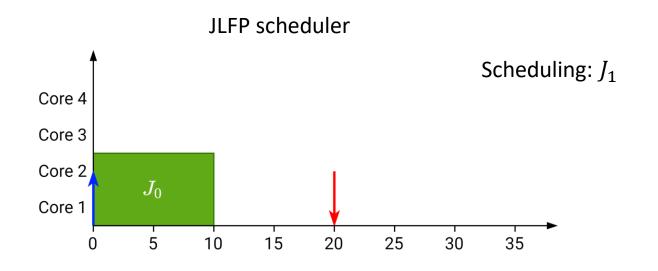
- Gang schedulability analysis
- New scheduling policy



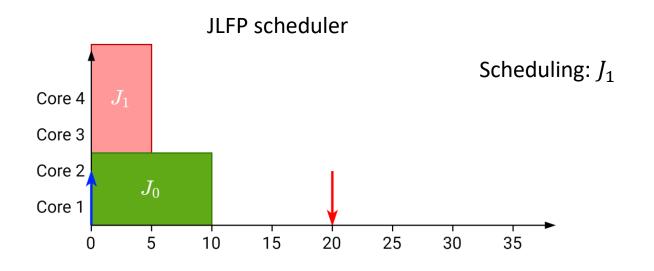
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J_0	High	2	∞	10
J_1	Mid-high	3	20	5
J_2	Mid-low	1	∞	20
J_3	Low	1	∞	20



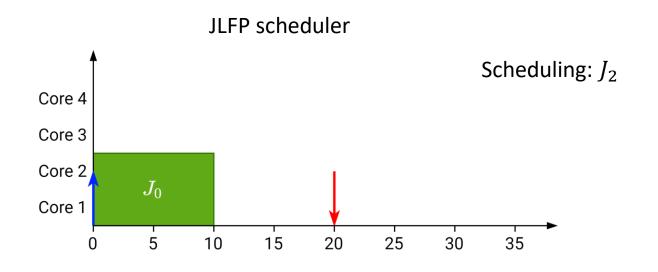
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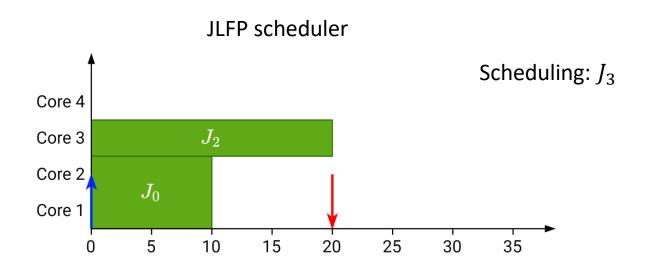
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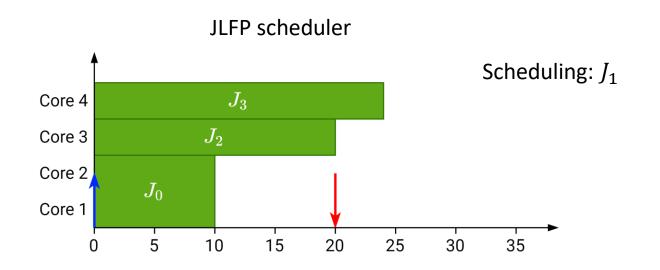
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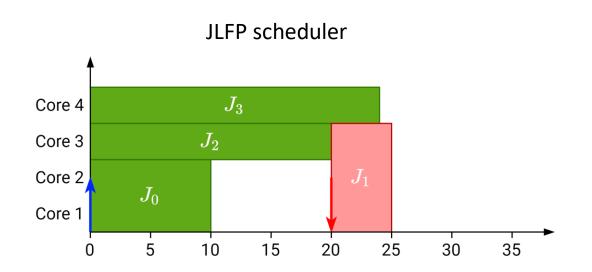
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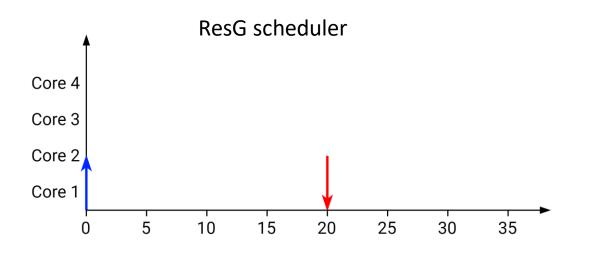


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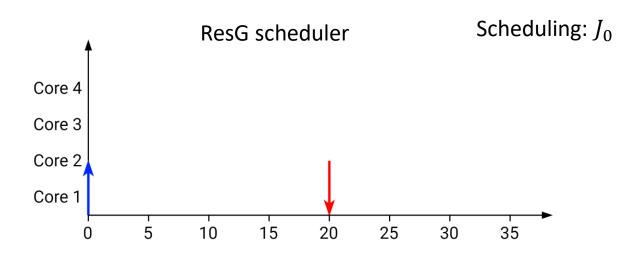
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Reservation-based



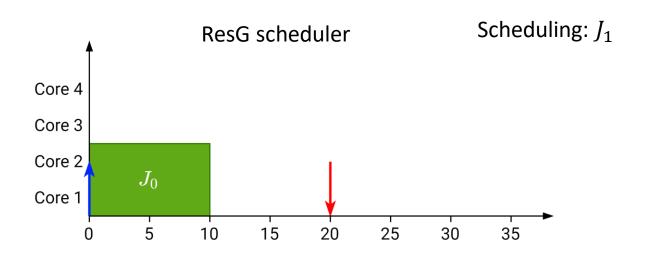
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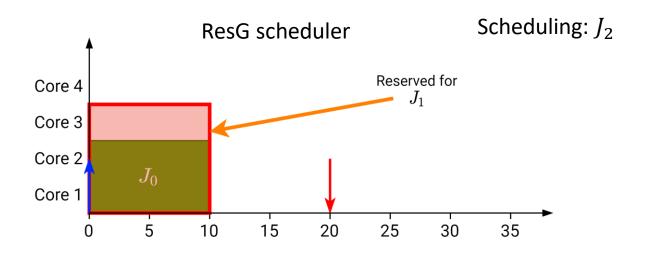
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Reservation-based



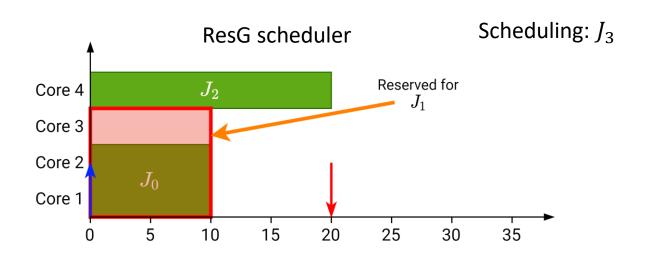
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- Reservation-based
- Reserve cores of higher-priority tasks and distribute the remaining ones among lower priority tasks



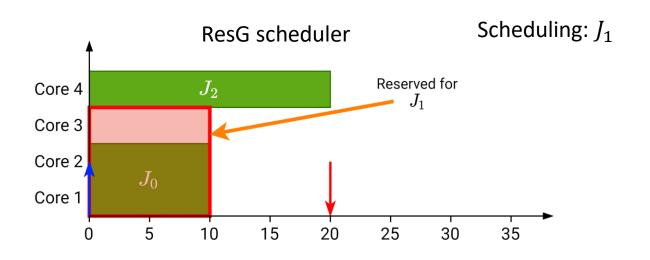
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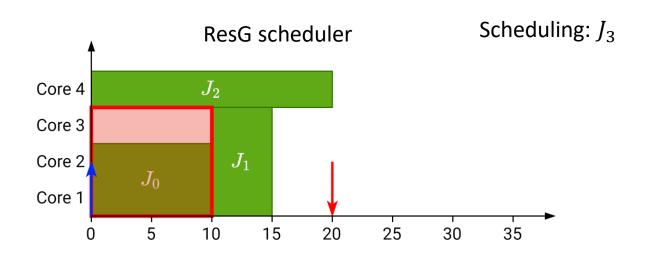
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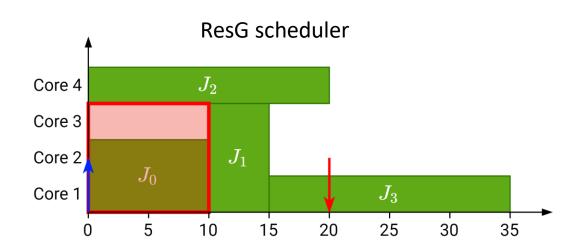
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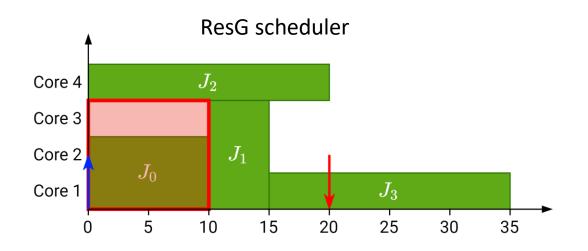
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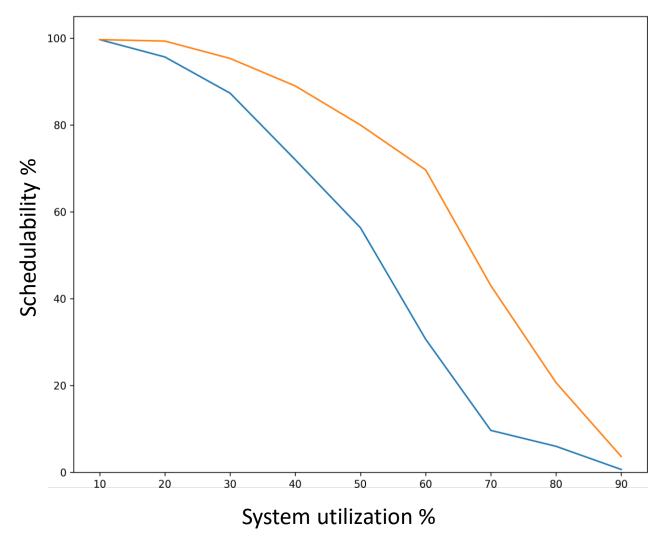


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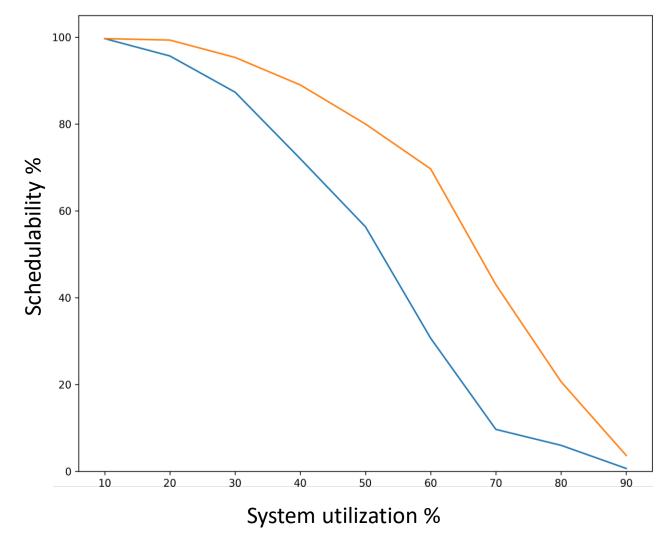
- Reservation-based
- Reserve cores of higher-priority tasks and distribute the remaining ones among lower priority tasks
- Non-work conserving scheduler



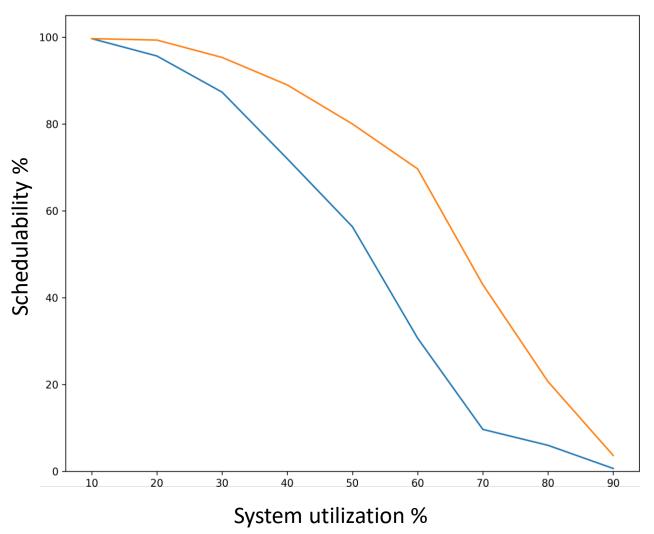
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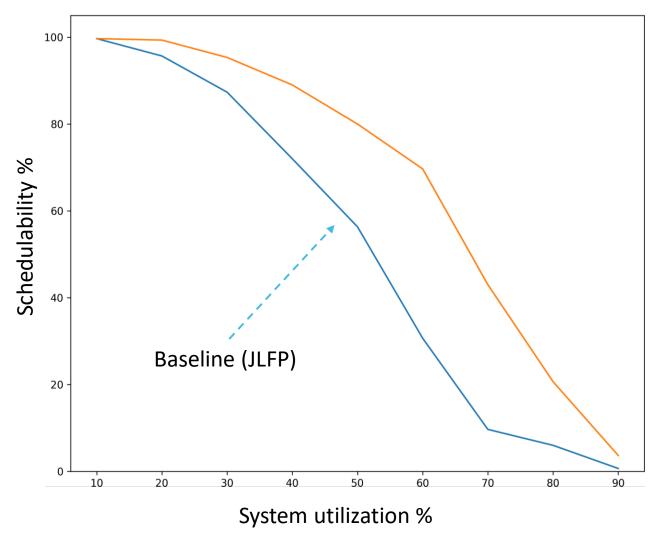
Evaluated in simulator



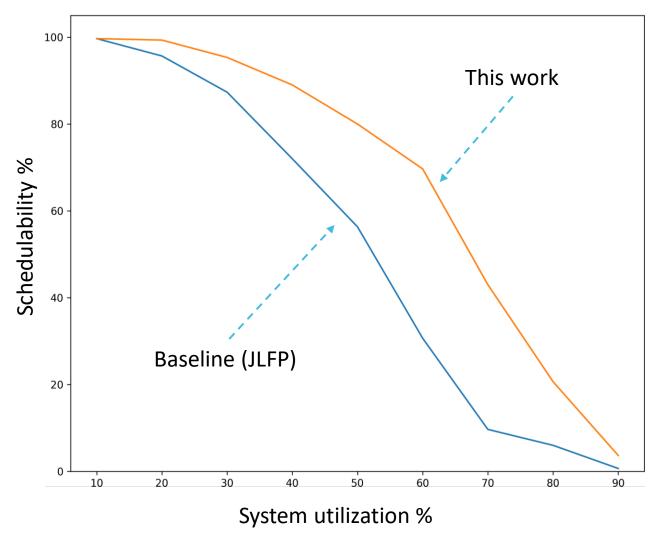
- Evaluated in simulator
- Randomly generated task sets



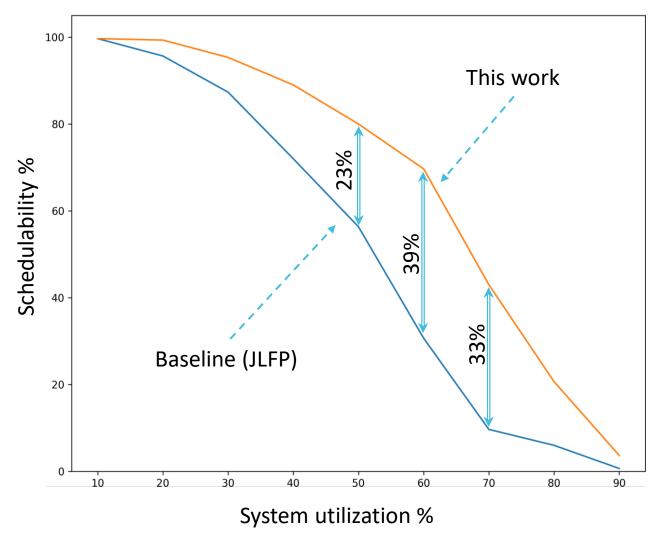
- Evaluated in simulator
- Randomly generated task sets



- Evaluated in simulator
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- Evaluated in simulator
- Randomly generated task sets



Conclusions



Conclusions

 With a better scheduling policy one can improve the schedulability of moldable gang tasks

Summary

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A new analysis for gang tasks using SAG has been defined

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A new analysis for gang tasks using SAG has been defined

 A new scheduling policy that uses gang moldable properties has been created

• Further reduce sources of pessimism

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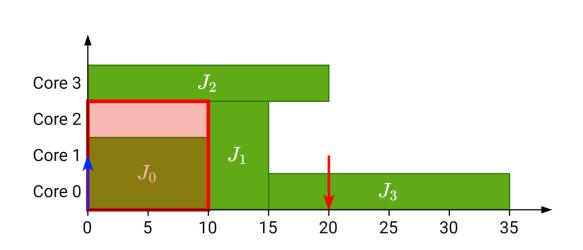
Provide analysis for ResG scheduler and respective proofs

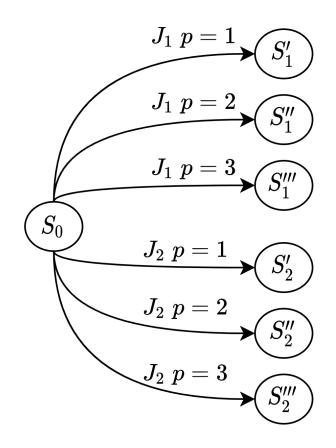
Further reduce sources of pessimism

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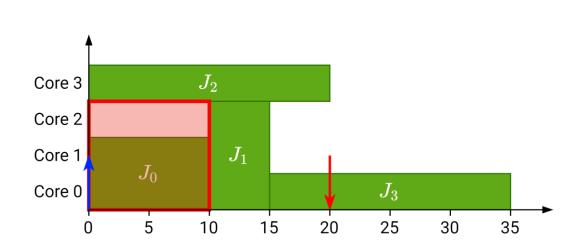
Thorough evaluation of results using SURFSara cluster

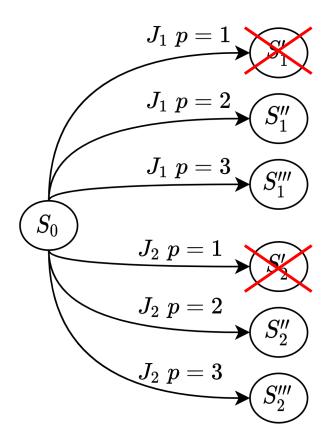
Questions?





Questions?





```
\begin{split} EST_i &= \max\{R_i^{\min}, A_1^{\min}\} \\ LST_i &= \min\{t_{wc}, t_{high} - 1\} \\ t_{wc} &= \max\{A_1^{\max}, \min\{R_x^{\max} | J_x \in \mathcal{R}^p\}\} \\ t_{high} &= \min\{th_x(J_i)|J_x \in \mathcal{R}^p \land p_x < p_i\} \\ th_x(J_i) &= \max\{r_x^{\max}, \\ \max\{LFT_y^*|J_y \in pred(J_x) \setminus pred(J_i)\} \} \end{split}
```

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$$EST_{i} = \max\{R_{i}^{\min}, A_{1}^{\min}\}$$

$$LST_{i} = \min\{t_{wc}, t_{high} - 1\}$$

$$t_{wc} = \max\{A_{1}^{\max}, \min\{R_{x}^{\max} | J_{x} \in \mathcal{R}^{p}\}\}$$

$$t_{high} = \min\{th_{x}(J_{i})|J_{x} \in \mathcal{R}^{p} \land p_{x} < p_{i}\}$$

$$th_{x}(J_{i}) = \max\{r_{x}^{\max}, max\}$$

$$\max\{LFT_{y}^{*}|J_{y} \in pred(J_{x}) \setminus pred(J_{i})\}\}$$

Check if execution with p cores is possible

$$EST_{i}^{p} = \max\{R_{i}^{\min}, t_{gang}\}$$

$$LST_{i}^{p} = \min\{t_{avail}, t_{wc}, t_{high} - 1\}$$

$$t_{wc} = \min_{J_{j} \in \mathbb{R}^{v}} \left\{ \max\left\{R_{j}^{\max}, A_{m_{j}^{\min}}^{\max} \right\} \right\}$$

$$t_{high} = \min_{J_{j} \in \{hp_{i} \cap \mathbb{R}^{v}\}} \left\{ th_{x}(J_{i}, J_{j}) \right., \\ \max\{LFT_{y}^{*} | J_{y} \in pred(J_{j}) \setminus pred(J_{i})\} \right\}$$

$$t_{h}(J_{i}, J_{j}) = \begin{cases} r_{j}^{\max} & \text{if } m_{j}^{\min} \leq p \\ \max\{r_{j}^{\max}, A_{m_{j}^{\min}}^{\min} \right\} & \text{otherwise} \end{cases}$$

$$t_{gang} = \begin{cases} A_{p}^{\min} & \text{if } p = m_{i}^{\max} \\ A_{p}^{exact} & \text{otherwise} \end{cases}$$

$$t_{avail} = \begin{cases} A_{p+1}^{\max} - 1 & \text{if } p < m_{i}^{\max} \\ +\infty & \text{otherwise} \end{cases}$$

$$\begin{split} EST_i &= \max\{R_i^{\min}, A_1^{\min}\} \\ LST_i &= \min\{t_{wc}, t_{high} - 1\} \\ t_{wc} &= \max\{A_1^{\max}, \min\{R_x^{\max} \mid J_x \in \mathcal{R}^p\}\} \\ t_{high} &= \min\{th_x(J_i) \mid J_x \in \mathcal{R}^p \land p_x < p_i\} \\ th_x(J_i) &= \max\{r_x^{\max}, \\ \max\{LFT_y^* \mid J_y \in pred(J_x) \setminus pred(J_i)\}\} \end{split}$$

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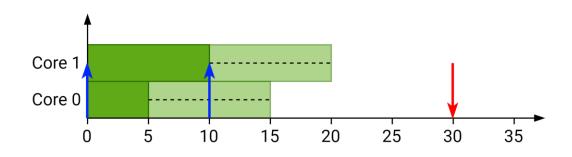
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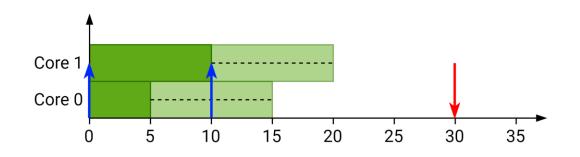
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J_i	C_i^{min}	C_i^{max}	r_i	d_i	P_i
J_1	10	15	10	30	1
J_2	5	5	0	100	2

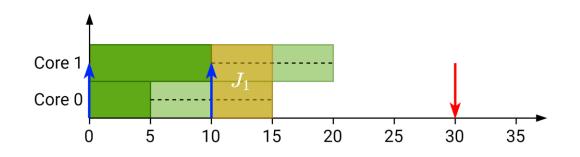


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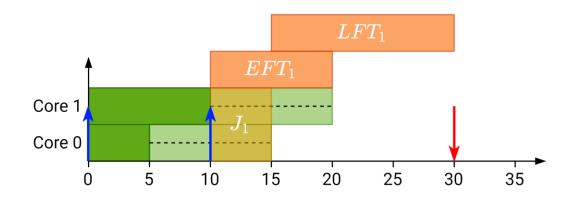


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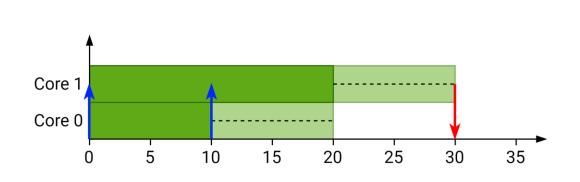


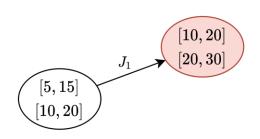
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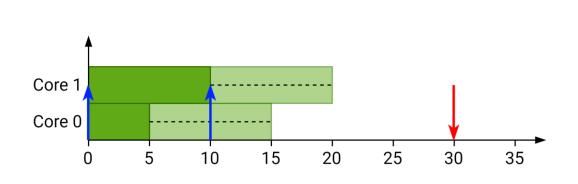
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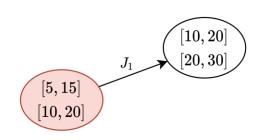
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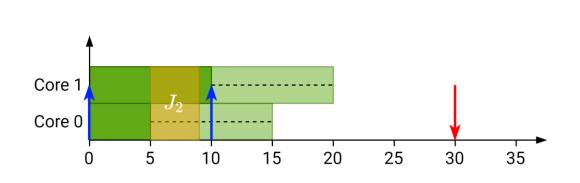


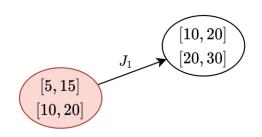
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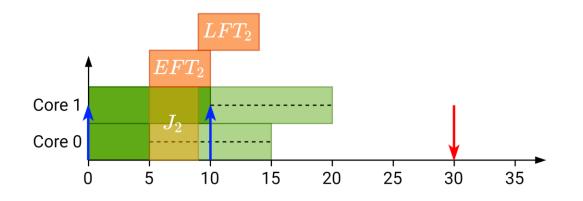


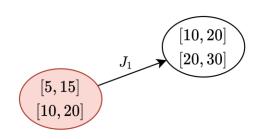
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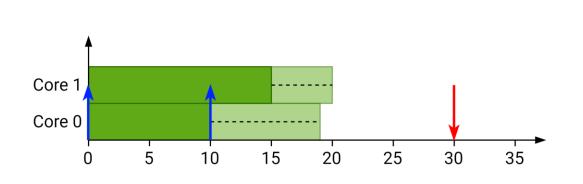


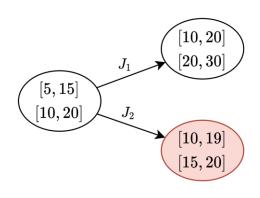
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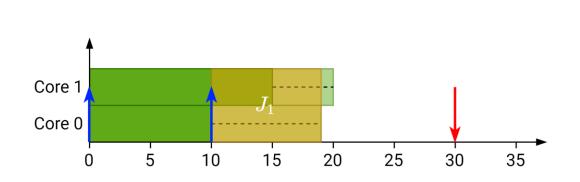


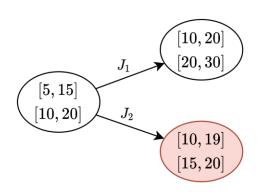
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