

# Scheduling and Analysis of Limited-Preemptive Movable Gang Tasks

Joan Marcè i Igual

Geoffrey Nelissen

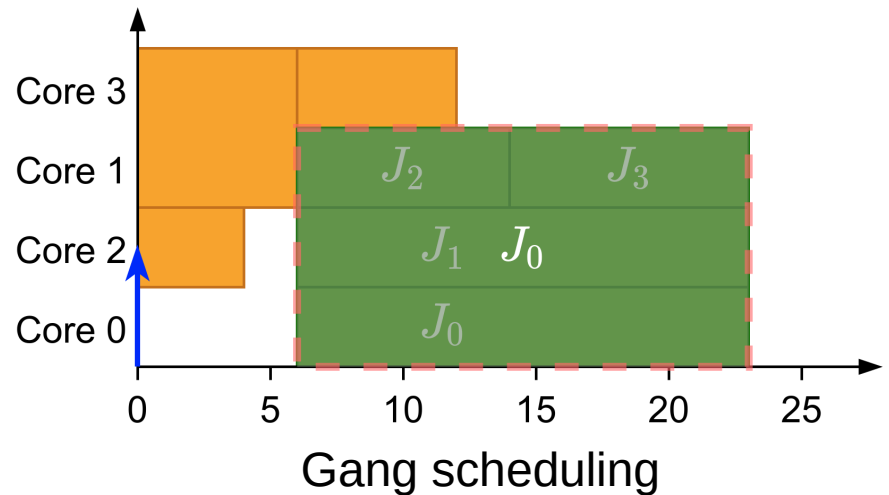
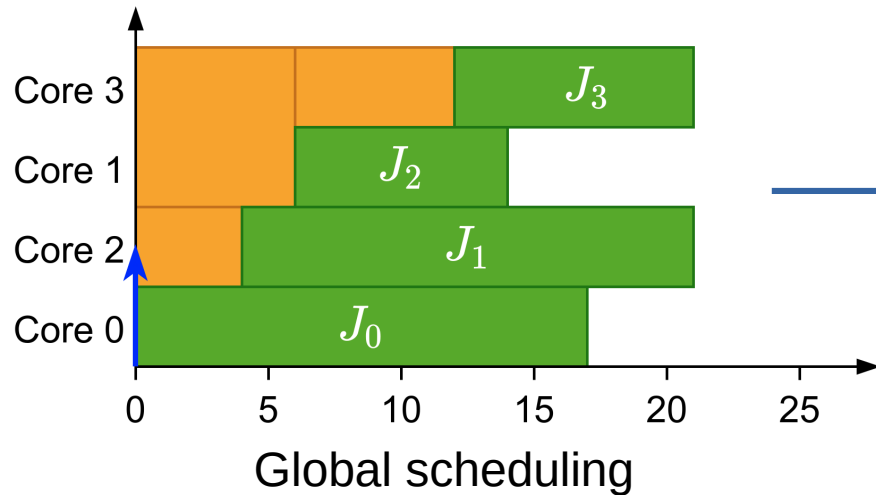
Mitra Nasri

Paris Panagiotou

24<sup>th</sup> of February, 2020

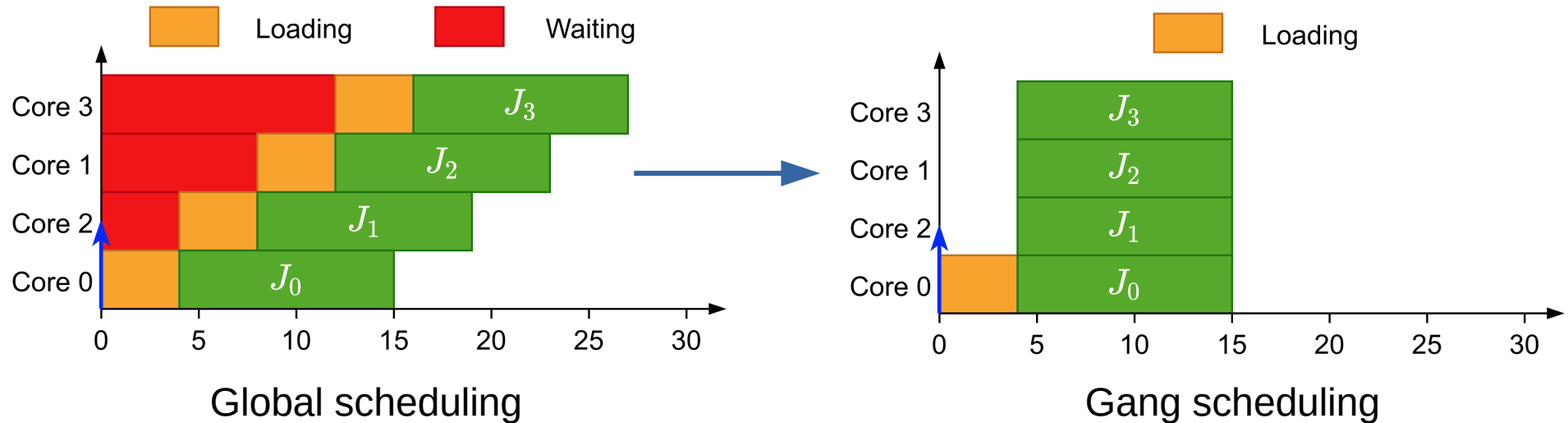
# What is gang?

- Parallel threads executed together as a “gang”
- Execution does not start until there are enough free cores



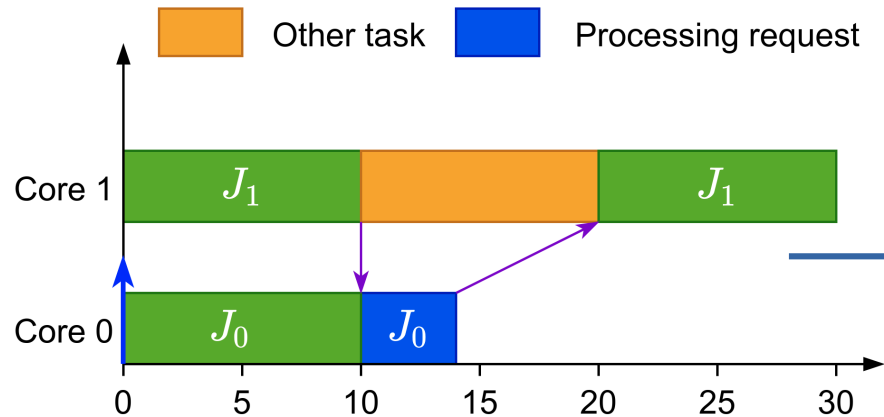
# Why gang?

- Avoids overhead when loading initial data

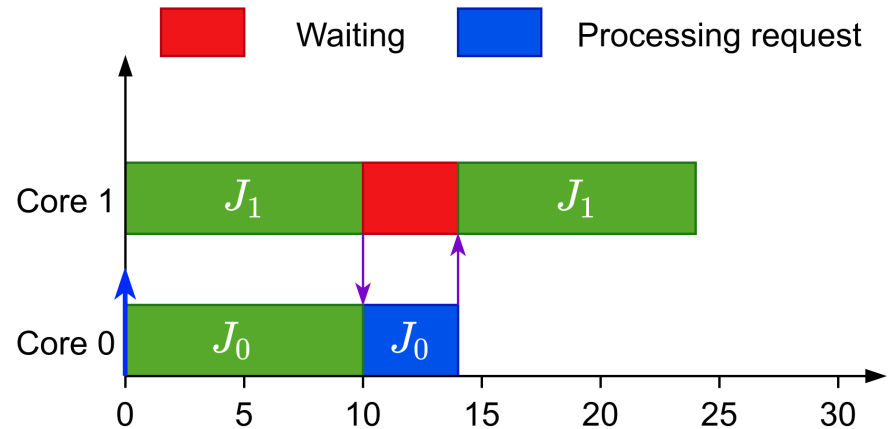


# Why gang?

- Avoids overhead when loading initial data
- Allows synchronization



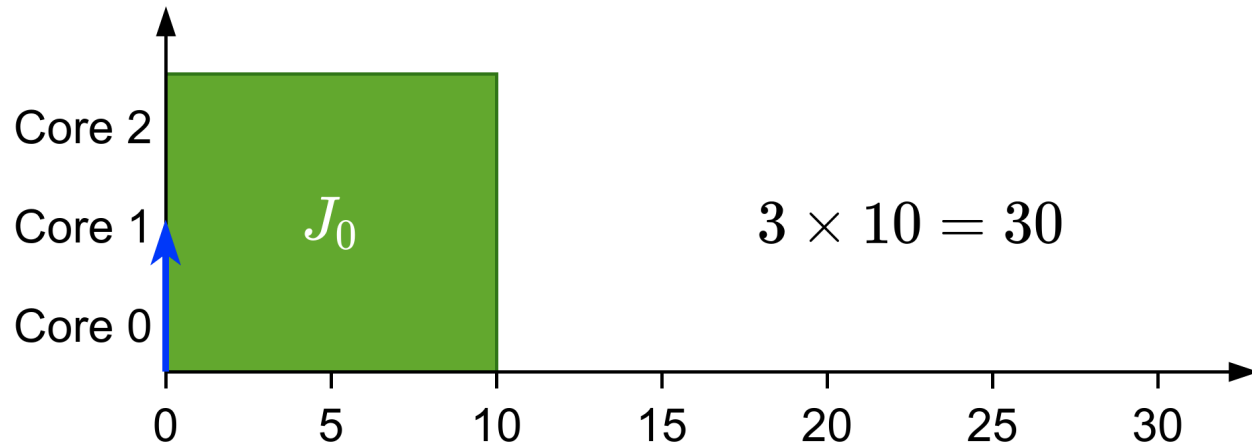
Global scheduling



Gang scheduling

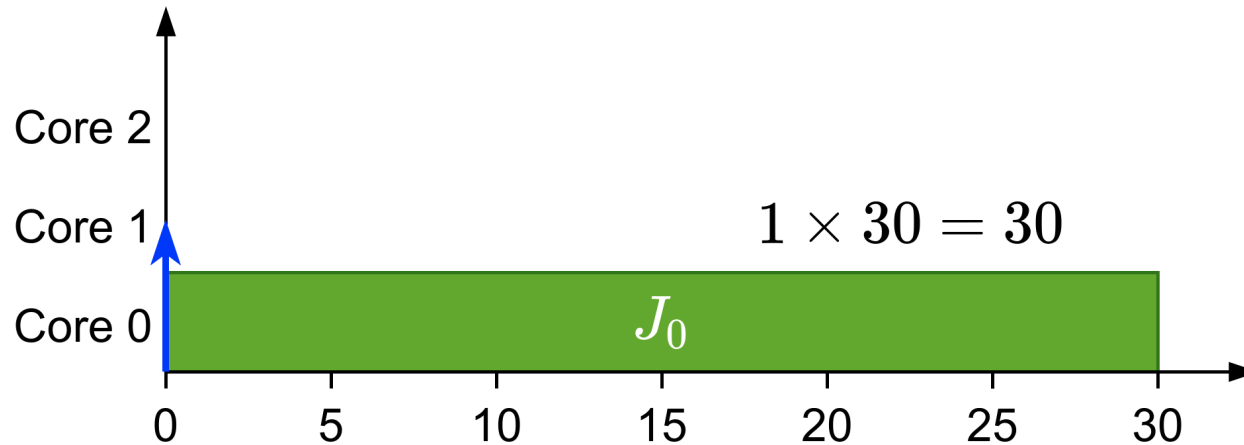
# Types of gang

- **Rigid:** number of cores set by programmer



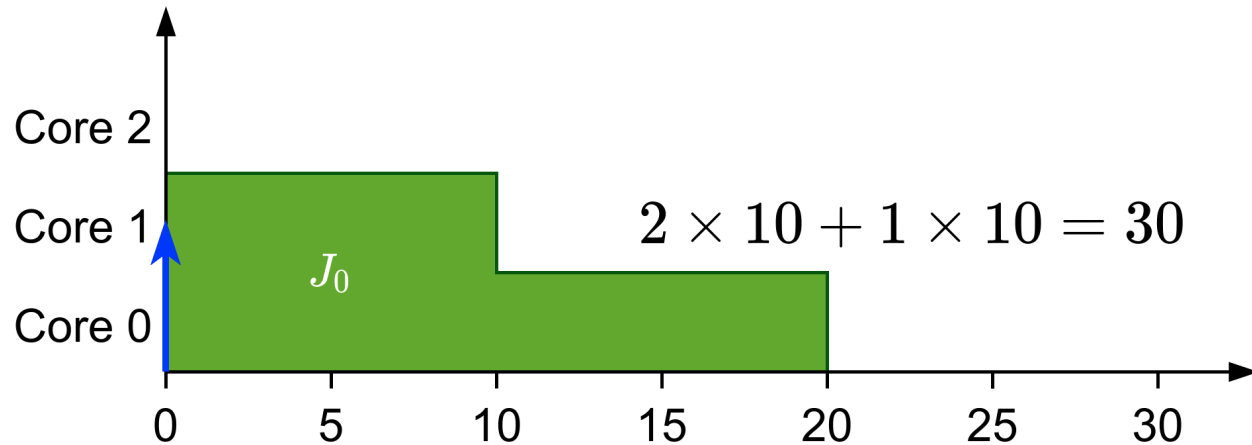
# Types of gang

- **Rigid:** number of cores set by programmer
- **Moldable:** number of cores assigned during scheduling



# Types of gang

- **Rigid**: number of cores set by programmer
- **Moldable**: number of cores assigned during scheduling
- **Malleable**: number of cores can change during runtime



# Previous work

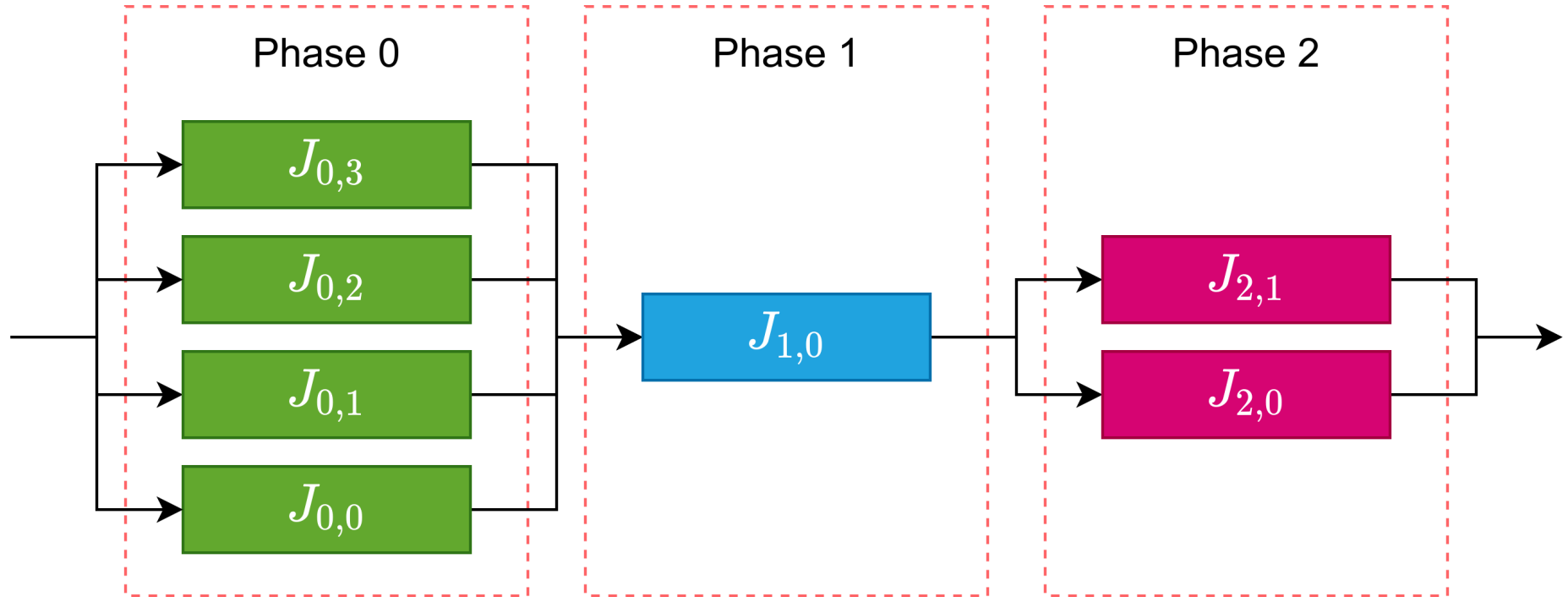
- Introduced in the context of high-performance computing<sup>[1]</sup>
- In real-time:
  - For rigid tasks:
    - Job-Level Fixed-Priority is not predictable<sup>[2]</sup>
    - An optimal scheduler (DP-Fair) exists for preemptive tasks<sup>[3]</sup>
  - For moldable tasks
    - Global EDF has been adapted<sup>[4]</sup>
    - Preemptive scheduler that chooses cores to meet the deadline<sup>[5]</sup>



# Previous work

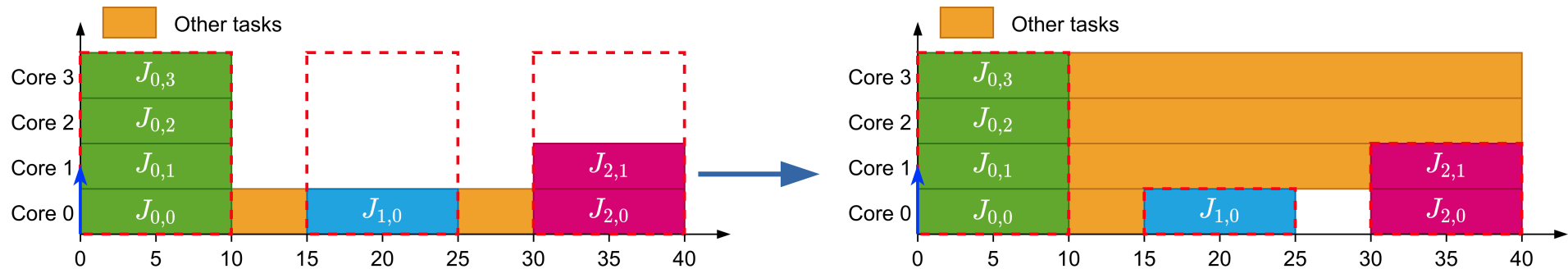
- In real-time:
  - For malleable tasks:
    - An optimal preemptive scheduler, in terms of processors, has been proposed<sup>[6]</sup>
  - Bundled task-model<sup>[7]</sup>:
    - Preemptive rigid gang tasks
    - Tasks with precedence constraints modeled as a succession of “bundles”
    - Our limited-preemptive definition comes from here

# Limited-Preemptive



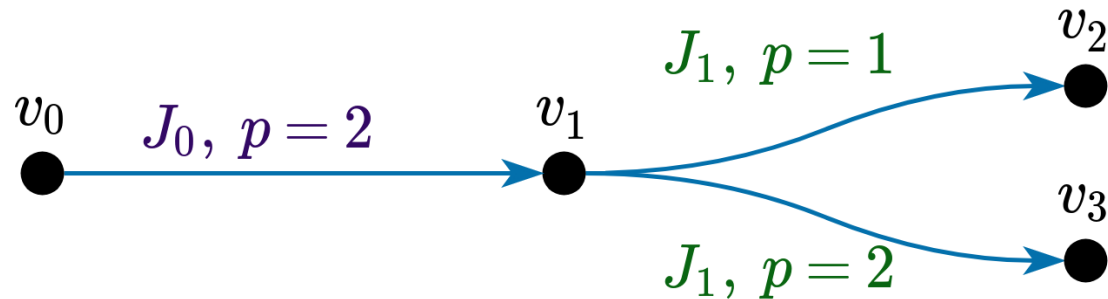
# Limited-Preemptive

- Rigid gang could ask for cores that does not use
- Bundled<sup>[7]</sup> asks only the required cores but preemptions can happen inside a bundle
- LP only allows preemptions between bundles



# Schedulability analysis

- Accurate and relatively fast analysis
- Based on the notion of Schedule Abstraction Graph
- Faster than an exact analysis
- Not as pessimistic as closed-form analyses



# Our work

- We aim to extend schedulability analysis to moldable gang under the Job-Level Fixed Priority scheduler
  - Many different scenarios
  - Scheduler has to decide
    - When to release a job
    - How many cores to assign to this job
  - This could lead to state-space explosion

# Analysis

- $A_p^{\min}$  Time at which we have  $p$  cores **possibly** available
- $A_p^{\max}$  Time at which we have  $p$  cores **certainly** available
- $EST_i^p$  Earliest Start Time of job  $i$  with  $p$  cores
- $LST_i^p$  Latest Start Time of job  $i$  with  $p$  cores
- $EFT_i^p$  Earliest Finishing Time of job  $i$  with  $p$  cores
- $LFT_i^p$  Latest Finishing Time of job  $i$  with  $p$  cores

$$EST_i^p \leq LST_i^p$$

# Analysis

$$EST_i^p = \max\{r_i^{\min}, A_p^{\min}\}$$

- Job cannot start before:

- Being released
- Enough cores are available

$$LST_i^p = \min\{t_{avail}, t_{wc}, t_{high} - 1\}$$

- Job cannot start with  $p$  cores after:

- $p+1$  are available
- A lower priority task can start
- A higher priority task can start

# Analysis

- Obtain  $EFT_i^p$  and  $LFT_i^p$  from job  $i$

$$EFT_i^p = EST_i^p + c_i^{\min}(p)$$

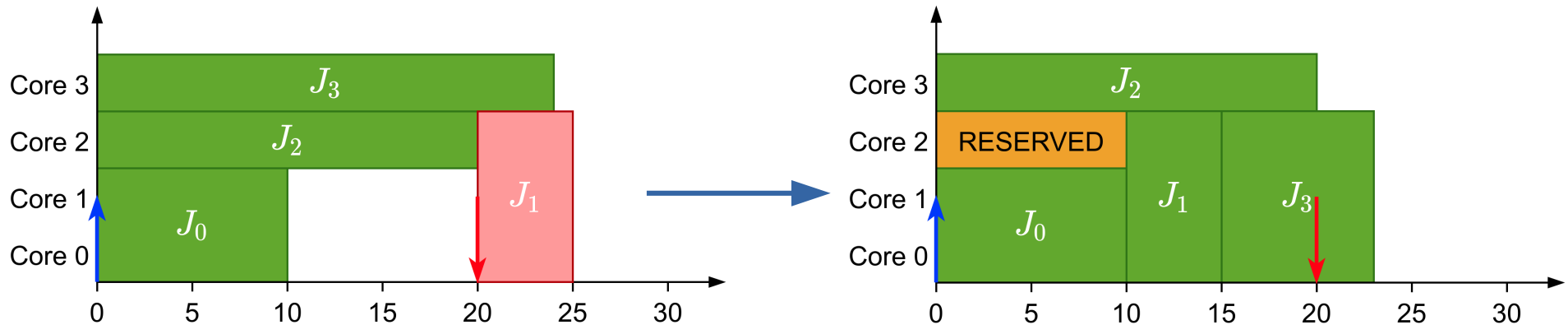
$$LFT_i^p = LST_i^p + c_i^{\max}(p)$$

- Which allows us to compute  $A_p^{\min}$  and  $A_p^{\max}$



# LPMRGS

- Limited-Preemptive Malleable Reservation Gang Scheduler
- Non-work conserving scheduler
- Reserve cores of higher priority tasks and distribute the remaining ones among lower priority tasks



# Questions?