

## 02441 Applied Statistics and Statistical Software

### Exercise 4D - KFM

The dataset kfm contains measurements of the newborn babies, their mother and milk consumption

Variable name	Description
dl.milk	amount of breast milk (dl)
sex	gender of body
weight	baby weight (kg)
ml.suppl	amount of milk supplement (ml)
mat.weight	mothers weight (kg)
mat.height	mothers height (cm)

1. Make appropriate plots of the birthweight in order to check whether the weight is normally distributed

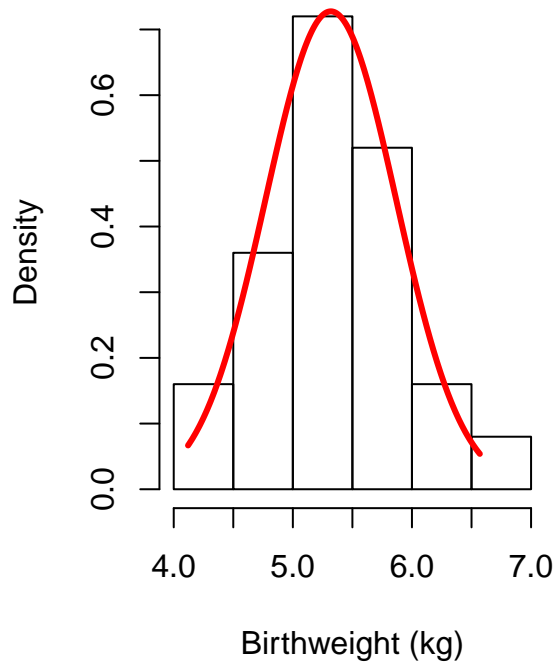
```
# Read data
df <- read.table("kfm.txt", header=TRUE, row.names=1)
df <- df[,-1]
head(df)
```

```
##   dl.milk sex weight ml.suppl mat.weight mat.height
## 1    8.42 boy  5.002      250         65        173
## 2    8.44 boy  5.128         0         48        158
## 3    8.41 boy  5.445        40         62        160
## 4    9.65 boy  5.106        60         55        162
## 5    6.44 boy  5.196       240         58        170
## 6    6.29 boy  5.526         0         56        153
```

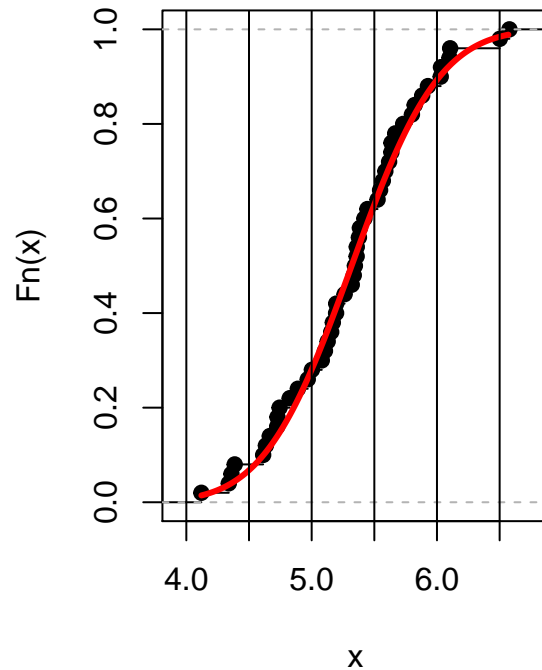
```
# Visual comparison of histogram with normal pdf
par(mfrow=c(1,2))
hist1 <- hist(df$weight, freq = FALSE, main="Histogram of birthweight", xlab="Birthweight (kg)")
x_range <- seq(min(df$weight), max(df$weight), by = 0.01)
lines(x_range, dnorm(x_range, mean(df$weight), sd(df$weight)), lw = 3, col = "red")
color1 <- rgb(1,0,0, alpha = 0.5)
# polygon(c(seq(3.5,4,0.05),4,3.5), c(dnorm(seq(3.5,4,0.05), mean(x), sd(x)),0,0), col = color1, border

# Visual comparison of ecdf with normal cdf
plot(ecdf(df$weight), main="ECDF vs. CDF of birthweight")
lines(x_range, pnorm(x_range, mean(df$weight), sd(df$weight)), lw = 3, col = "red")
abline(v=hist1$breaks)
```

Histogram of birthweight



ECDF vs. CDF of birthweight



From the visual inspection it seems that birthweight is normally distributed.

2. Make a  $\chi^2$ -test to test if the birthweights for the babies can be assumed normally distributed

```
shapiro.test(df$weight)
```

```
##  
##  Shapiro-Wilk normality test  
##  
## data:  df$weight  
## W = 0.98976, p-value = 0.9405
```

```
# Get expected counts for all histogram bins  
breaks <- hist1$breaks  
prob <- pnorm(c(-Inf, breaks[-c(1, length(breaks))]), Inf), mean(df$weight), sd(df$weight))  
prob <- diff(prob)  
expected <- length(df$weight)*prob  
  
# Chi Square test for goodness-of-fit  
counts <- hist1$counts  
chi_obs <- sum((counts - expected)^2 / expected)  
p_value <- 1 - pchisq(chi_obs, df = length(hist1$mids) - 3)
```

Birthweight is normally distributed since p-value is greater than  $\alpha$ , i.e. we fail to reject  $H_0$  since  $0.5005768 > 0.05$ .