$$m_0$$
: $ActEffort \sim GammaPoisson(\lambda, \phi)$
 $\log(\lambda) = \alpha$
 $\phi \sim Exponential(1)$
 $\alpha \sim Normal(0,2)$

$$m_2$$
: $ActEffort_i \sim GammaPoisson(\lambda_i, \phi)$
 $\log(\lambda_i) = \alpha_{Acap} \times Acap_i$
 $\phi \sim Exponential(1)$
 $\alpha_{Acap} \sim Normal(0, 2.5)$

$$m_{4}: ActEffort_{i} \sim Exponential(\lambda_{i})$$

$$\lambda_{i} = \alpha + \beta_{Cplx}Cplx_{i} + \beta_{acap}Acap_{i}$$

$$+ \beta_{Pcap}Pcap_{i}$$

$$\propto \sim Normal(0, 0.5)$$

$$\beta_{Cplx} \sim Normal(0,1)$$

$$\beta_{Acap} \sim Normal(0,1)$$

$$\beta_{Pcap} \sim Normal(0,1)$$

$$m_1$$
: $ActEffort_i \sim GammaPoisson(\lambda_i, \phi)$
 $\log(\lambda_i) = \alpha_{Cplx} \times Cplx_i$
 $\phi \sim Exponential(1)$
 $\alpha_{Cplx} \sim Normal(0, 2.5)$

$$m_3$$
: $ActEffort_i \sim GammaPoisson(\lambda_i, \phi)$
 $\log(\lambda_i) = \alpha_{Pcap} \times Pcap_i$
 $\phi \sim Exponential(1)$
 $\alpha_{Pcap} \sim Normal(0, 2.5)$

> precis(m0, depth = 2)
 mean sd 5.5% 94.5% n_eff Rhat4

phi 0.61 0.07 0.49 0.73 1373 1

alpha 6.42 0.14 6.20 6.64 1166 1

> precis(m2, depth = 2)
 mean sd 5.5% 94.5% n_eff Rhat4

phi 0.66 0.08 0.54 0.80 1803 1

a_acap[1] 6.76 0.17 6.49 7.04 2127 1

a_acap[2] 5.68 0.21 5.36 6.01 2241 1

a_acap[3] 5.86 0.37 5.31 6.50 2124 1

> precis(m1, depth = 2) mean sd 5.5% 94.5% n_eff Rhat4 phi 0.73 0.09 0.60 0.89 2577 a_cplx[1] 5.75 0.16 5.50 6.00 2375 a_cplx[2] 6.51 0.59 5.66 7.49 1657 a_cplx[3] 6.13 0.35 5.61 6.72 2187 a cplx[4] 7.15 0.28 6.75 7.60 2572 1 **a_cplx[5]** 7.36 0.47 6.66 8.16 3040 > precis(m3, depth = 2) mean sd 5.5% 94.5% n_eff Rhat4 0.65 0.08 0.53 0.79 2290 phi 1 a_pcap[1] 6.80 0.19 6.50 7.11 2447 1

a pcap[2] 5.84 0.20 5.53 6.16 2586

a_pcap[3] 6.43 0.37 5.87 7.06 2406

1

1

PSIS SE dPSIS dSE pPSIS. weight

m1 1348.3 31.71 0.0 NA 7.1 1

m2 1359.6 32.67 11.3 9.41 5.3 0

m3 1361.7 31.39 13.4 12.05 5.1 (

m0 1369.3 32.21 21.1 13.06 3.1 0