

# Unified Streaming/Batch Learning and Explainable Multi-output Prediction

Jesse Read



- 1 Data Streams as Time Series
- 2 Chaining Methods for Multi-Output Learning
- 3 Applications of Chaining in Data Streams

# Outline

- 1 Data Streams as Time Series
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- 3 Applications of Chaining in Data Streams

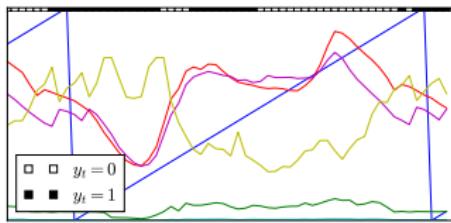
# Data Streams

A data stream,

$$x_1, x_2, \dots, x_t, \dots$$

where, at real time  $t$  we observe  $x_t$ , which comes from some concept (which we don't observe directly):

$$x_t \sim P_t$$



Date	Time	Dst	Remote IP Addr	Remote Name / Message	R Port	Local IP Addr	L Port
07/28	15:37:54.01	udp	46.19.59.178	46-10-59-178.bro-net.bg	26351	192.168.1.117	29011
07/28	15:37:54.01	udp	190.22.141.163	190-22-141-163.baf.movistar.cl	29431	192.168.1.117	29011
07/28	15:37:54.01	udp	189.190.237.215		137	192.168.1.117	137
07/28	15:37:54.01	udp	88.136.8.212	adsl-dynamio-56-136-8-212.california.net	56837	192.168.1.117	29011
07/28	15:37:49.34	udp	85.110.197.48	a85-138-197-48.cpe.metacab.pt	42093	192.168.1.117	29011
07/28	15:37:49.34	tcp	109.70.186.190	isp-195-190-109-190.sovinmail.ru	19705	192.168.1.117	29011
07/28	15:37:49.34	tcp	173.76.103.21	pod-173-76-103-81.tampifl.foxa.verizon.net	71740	192.168.1.117	29011
07/28	15:37:49.34	tcp	82.37.40.91	cpe-92-37-40-81.dynamica.ms.net	50511	192.168.1.117	29011
07/28	15:37:49.34	tcp	109.70.186.200		137	192.168.1.117	137
07/28	15:37:43.77	tcp	178.73.102.9		137	192.168.1.117	29011
07/28	15:37:43.77	tcp	190.225.28.82	host92.190-225-28.telecom.net	111	192.168.1.117	29011
07/28	15:37:43.77	tcp	89.73.245.180	89-73-245-183.dynamic.chello.it	111	192.168.1.117	29011
07/28	15:37:43.77	tcp	89.25.31.195		137	192.168.1.117	29011
07/28	15:37:43.77	tcp	10.178.64.1		68	192.168.1.117	68
07/28	15:37:43.77	tcp	172.18.41.9		255	192.168.1.117	255
07/28	15:37:43.77	tcp	94.233.251.170		137	192.168.1.117	29011
07/28	15:37:39.00	tcp	79.113.211.66	79-113-211-66.rdsnet.ro	1024	192.168.1.117	29011

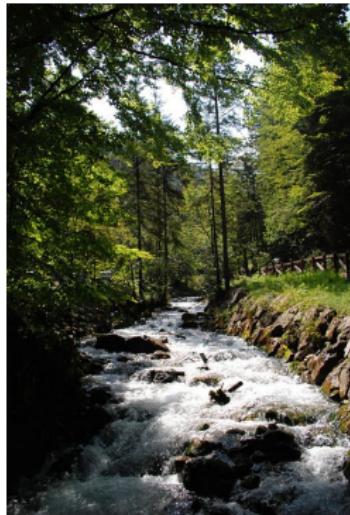
Electricity dataset (left), image [1] (right)

**Applications:** IoT, energy/traffic and demand prediction, monitoring and tracking, event and fraud detection, click/web logs, finance, reinforcement learning, . . . .

# Requirements

To deploy a model in the data stream setting, we require:

- ① Prediction/action done **immediately** ( $\hat{y}_t = h_t(x_t)$  at time  $t$ )
- ② Computational time spent per instance **must be less than the rate of arrival**



# Streaming Classification

Supervised ML models are often studied in the context of streams.

## Common assumptions found in the literature

- ① Speed and size of stream implies instance-**incremental learning**  
(at most a single look at each data point)
- ② The true label of data points become available  
(providing a stream of **training examples**)
- ③ **No temporal dependence**
- ④ **Concept drift** will occur

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<sup>1</sup>e.g., predicting the weather – true label comes the next day

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Some observations:

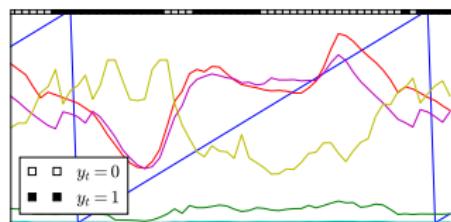
- Assumption 1 is unnecessary
- Assumption 2: Where do true labels from?
  - A human – then contradicts 1. (in most cases)
  - The future<sup>1</sup> – then contradicts 3. – it is a time series
- Assumptions 3 and 4 are contradictory

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<sup>1</sup>e.g., predicting the weather – true label comes the next day

# Data Streams as Time Series

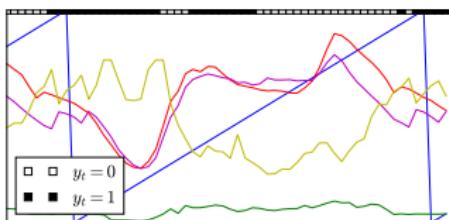
Benchmark datasets often look like time series:



Prediction of Electricity demand

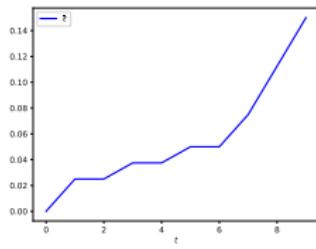
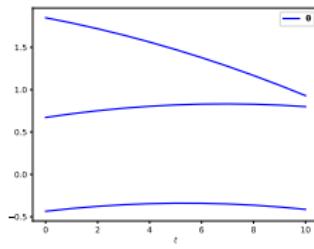
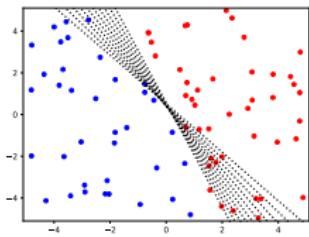
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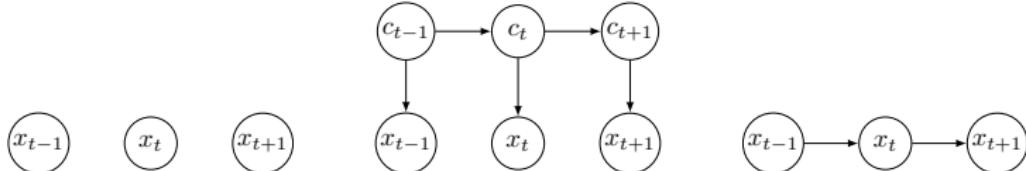


Prediction of Electricity demand

Even when points sampled iid wrt current concept, a time series forms in the coefficients, and/or in the error signal:



Concept drift  $\Rightarrow$  temporal dependence:



Time series tasks:

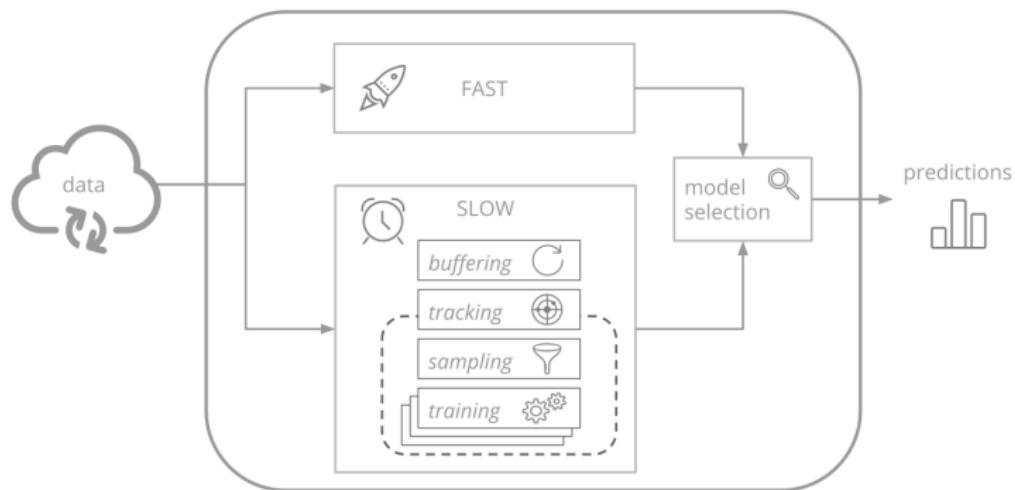
- Filtering
- Forecasting
- State labelling/change point detection
- Event/anomaly detection
- ...

(no supervised streaming classification!)

A **data stream** is a **time series** with constraints (prediction required now, update faster than rate of arrival).

# Fast and Slow Learning

- A framework for **Fast and Slow** learning
- Invest in higher level (slow) processes
- Batch and stream learning need not be mutually exclusive
- Time series methods, weakly labeled and unlabeled data
- Awareness of multi-input *multi-output* setting



Built into Scikit MultiFlow framework: <https://scikit-multiflow.github.io/>

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# Multi-label Learning

Input, e.g.,

$\mathbf{x} =$



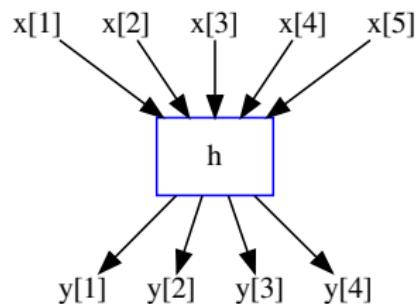
Prediction/output, e.g.,

$$\hat{\mathbf{y}} = [1, 0, 1, 0, 0] \Leftrightarrow \{\text{beach}, \text{foliage}\}$$

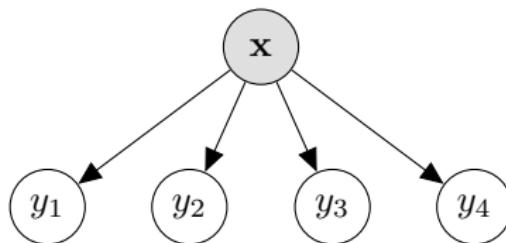
i.e., **multiple** outputs *per instance*.

Multi-label Problem  $[Y_1, \dots, Y_L] \in \{0, 1\}^L$

$X_1$	$X_2$	$X_3$	$X_4$	$X_5$	$Y_1$	$Y_2$	$Y_3$	$Y_4$
1	0.1	3	A	NO	0	1	1	0
0	0.9	1	C	YES	1	0	0	0
0	0.0	1	A	NO	0	1	0	0
1	0.8	2	B	YES	1	0	0	1
1	0.0	2	B	YES	0	0	0	1
0	0.0	3	A	YES	?	?	?	?



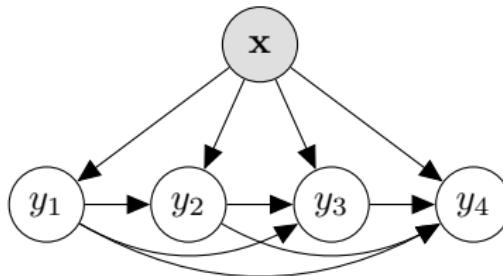
## Why not Independent Classifiers?



If we model labels together, we can achieve

- Better predictive performance
- Better computational performance
- Interpret relationships among labels (i.e., interpretability)
- Approach structured-output prediction tasks

# Classifier Chains



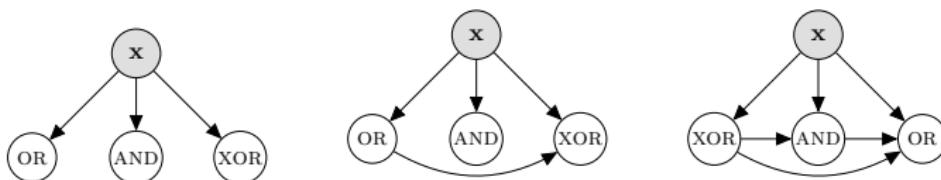
- Predictions **cascade along a chain** (as additional features)
- Has a probabilistic interpretation:

$$\hat{\mathbf{y}} = \underset{\mathbf{y} \in \{0,1\}^L}{\operatorname{argmax}} P(y_1|\mathbf{x}) \prod_{j=2}^L P(y_j|\mathbf{x}, y_1, \dots, y_{j-1})$$

- Inference becomes a **search** (for best  $\hat{\mathbf{y}}$ , in  $\{0, 1\}^L$  space); e.g., greedy, Monte Carlo search,  $\epsilon$ -greedy, beam search.

# Ordering/Structuring the Labels

- ➊ Existing hierarchy? May not be useful
  - Only models positive dependence (if human-defined)
  - No guarantee of suitability for chosen classifiers
- ➋ Based on label dependence? It depends (on classifiers, inference, ...); consider:



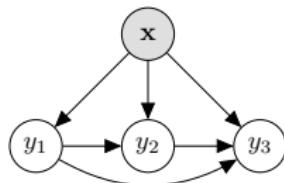
Metric	(left)	(middle)	(right)
Hamming score	0.83	1.00	0.83
Exact match	0.50	1.00	0.50

Logistic regression at each node  $h_j$ , greedy inference

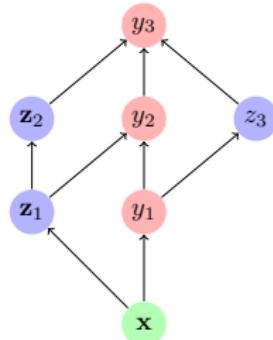
- ➌ Hill-climbing in the label-structure space: Slow(!), but
  - Many local maxima (easy to reach) – i.e., it works!
  - Can make use of sub-optimal models that were trialled

# Classifier Chains: Why it Works

As a probabilistic graphical model:

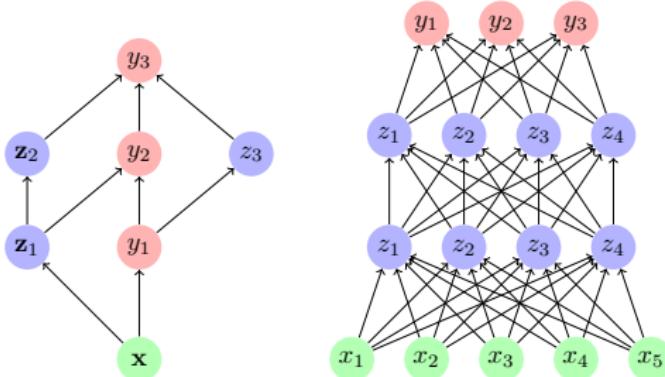


vs as a neural network ( $z$  delay nodes simply carry forward value):



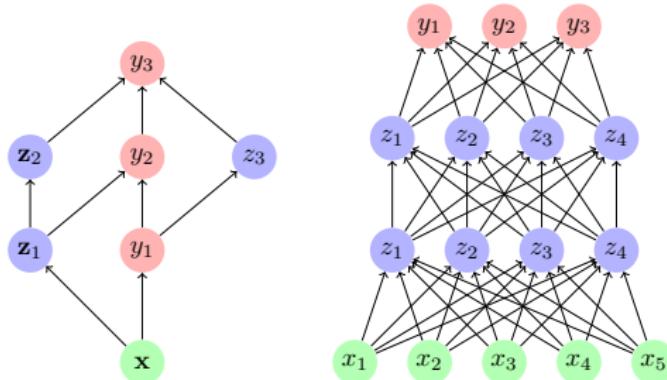
it's deep in the label space!

## Advantages vs standard neural network?



- Just apply 'off-the-shelf' [deep] neural net?
  - Dependence is modelled via the hidden layer(s)
  - Well-established, popular, competitive
- But with classifier chains:
  - The 'hidden' nodes come 'for free' (they're not hidden): faster training, less data required
  - A form of **transfer learning**

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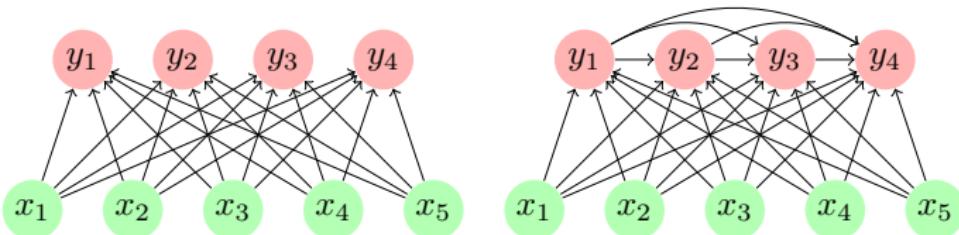


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Observation: a bad/outdated prediction does not mean a bad representation!

# Multi-Output Regression

$X_1$	$X_2$	$X_3$	$X_4$	$X_5$	$Y_1$	$Y_2$	$Y_3$
1	0.1	3	A	NO	37.00	25	0.88
0	0.9	1	C	YES	-22.88	22	0.22
0	0.0	1	A	NO	19.21	12	0.25
1	0.8	2	B	YES	88.23	11	0.77
1	0.0	2	B	YES	?	?	?

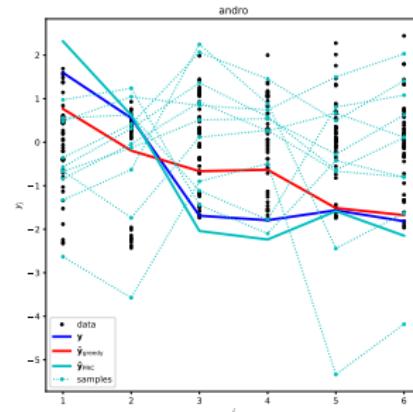
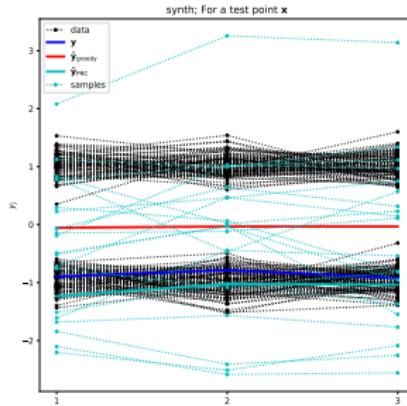


- Individual regressors – directly applicable.
- Chains
  - greedy inference – directly applicable, but may be pointless!
  - with probabilistic inference – not tractable, but we can sample if we have  $p(y_j|\mathbf{x}, y_1, \dots, y_{j-1})$ .

# Regressor Chains

Results of chains under MSE (mean squared error) no better than using individual models / not interesting, *unless*

- Predictions provide an improved (**non-linear**) representation.
- **Non-isotropic** (state space models; where  $x_j$  is seen at 'time'  $j$ )
- We are interested in **interpretation/explainability**, e.g.,
  - Anomaly detection
  - Missing-value imputation
- New label concepts arrive later (we can **transfer learning**), make computational **time savings**.

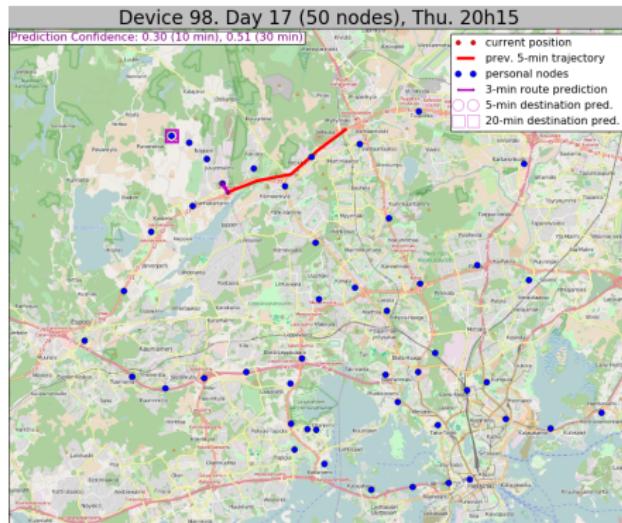


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# Route Forecasting

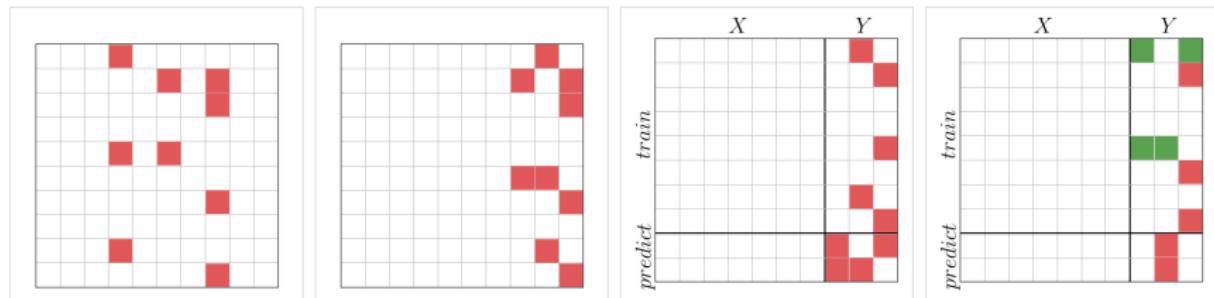
- Create ‘personal nodes’ for a traveller
- Model and predict routes using classifier chains
- An advantage with relatively little training data and vs other methods (e.g., HMM, RNN)



Personal nodes of a traveller and a predicted trajectory

# Missing-Value Imputation

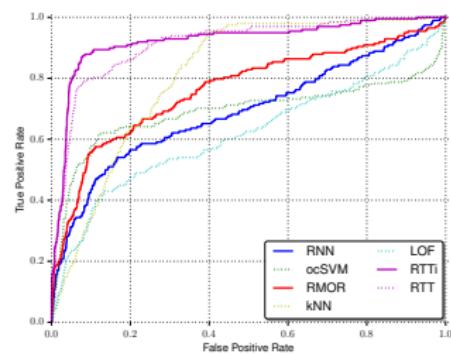
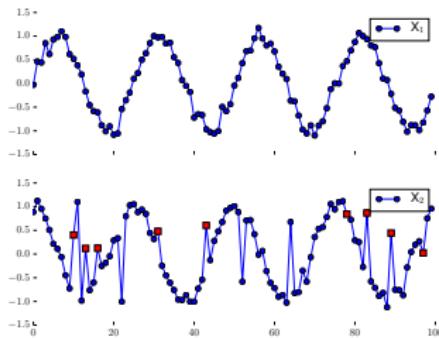
- Some values in the stream are missing!
- Turn the stream into multi-output samples, train, and predict (*impute*) missing values.
- Related to tasks in recommender systems



A set/stream of data transformed into a multi-output prediction problem.

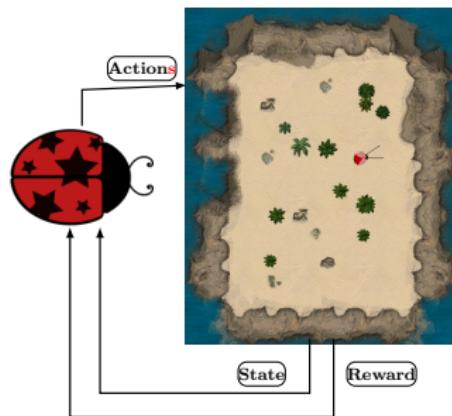
# Anomaly Detection and Interpretation

- Create ‘random threads’ (classifier/regressor chain cascades) through feature space and time (window)
- Monitor error spaces for anomalies
- Generate likely paths over the ‘gap’ (expand the number of samples if necessary)
- Impute this (treat it as a missing value) prior to using as a training example



# Continual Learning

In reinforcement learning,



- Reward signal is sparse
- Self-train on own **surrogate reward**, then use it as a feature.
- Recall: Incorrect predictions are not useless representations
- i.e., build up representation; transfer learning.

# Summary

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<http://www.lix.polytechnique.fr/~jread/>  
<http://www.lix.polytechnique.fr/dascim/>