# Simulating space use

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### Why to simulate?

- Predict space use of animals in novel habitats.
- Predicting where will the animal be in the future.
- Create maps of the long-term space use in a given area.
- How will an "average" animal behave?

Studies that asses the connectivity between populations or patches often

- 1. Fit an HSF/SSF to telemetry data.
- 2. Create a map of space use by multiplying coefficients with resources (we saw this yesterday).
- 3. Invert these maps and use them as resistance to connectivity.
- 4. Find corridors with other algorithms (e.g., least cost path, circuitscape, randomized shortest path).

While this approach **might** be reasonable for HSF (RSF) analyses, it cant be used for (i)SSF, because it neglects the conditional formulation.

# 2. Create a map of space use by multiplying coefficients with resources

If we do this for iSSF, we introduce a **bias** because we are neglecting conditional formulation of iSSFs when creating maps.



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Estimating utilization distributions from fitted step-selection functions

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- Simulations were used to compare two approaches:
  - naive
  - simulation-based

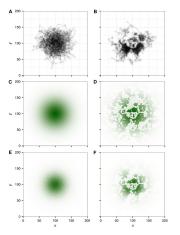


Figure 1: Source Signer et al. 2017

### What do we predict?

We aim to predict a **Utilization Distribution** (UD). The UD is defined as:

The two-dimensional relative frequency distribution of space use of an animal (Van Winkle 1975)

We can distinguish between two different UDs:

- 1. Transient UD (TUD) is the expected space-use distribution over a short time period and is thus sensitive to the initial conditions (e.g., the starting point).
- 2. Steady state UD (SSUD) is the long-term (asymptotically infinite) expectation of the space-use distribution across the landscape.

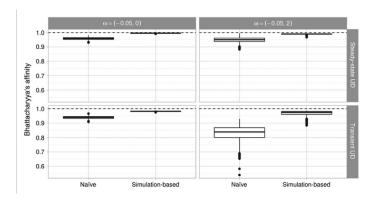


Figure 2: Source Signer et al. 2017

#### The bias becomes even worse if selection is stronger:

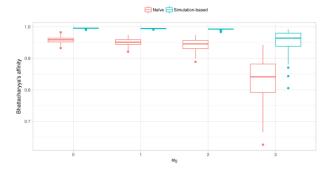


Figure 3: Source Signer et al. 2017

# This bias propagates through derived quantities (e.g., home-range size)

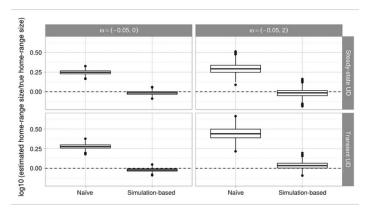


Figure 4: Source Signer et al. 2017

### Take-home messages

- Simulation allow us to predict space-use in the long term, novel environment or other individuals.
- For iSSA it is important to acknowledge the conditional formulation.
- We can acknowledge the conditional formulation by using simulations.

### Predicting space use from HSF

From HSF we can only estimate a SSUD. This is done by using the following formula

$$UD(s_{j}) = \frac{w(s_{j})}{\sum_{j=1}^{G} w(s_{j})} = \frac{\exp(\sum_{i=1}^{n} \beta_{i} x_{i}(s_{j}))}{\sum_{j=1}^{G} \exp(\sum_{i=1}^{n} \beta_{i} x_{i}(s_{j}))}$$

The intercept  $(\beta_0)$  is **not** included.

#### **iSSF**

- For iSSF we have to use simulations (but see Potts and Schlägel 2020).
- We can think of the iSSA as a simple individual based model with habitat selection and a selection-free movement kernel.
   We can rewrite

$$u(s,t+\Delta t)|u(s',t) = \frac{w(X(s);\beta(\Delta t))\phi(s,s',\gamma(\Delta t))}{\int_{\tilde{s}\in G}w(X(\tilde{s},s');\beta(\Delta t))\phi(\tilde{s},s';\gamma(\Delta t))ds}$$

as loglinear function.

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as loglinear function.

$$u(s, t + \Delta t)|u(s', t) \propto \exp\left(\sum_{i=1}^{k} \beta_i x_i(s) + \sum_{j=1}^{l} \gamma_j \theta_j(s, s')\right)$$
 $= w(\cdot) \text{ selection}$ 

- The  $\beta_i$ 's for the selection kernel can be estimated.
- The  $\gamma_j$ ' for the selection-free movement kernel can be expressed as functions for step length and turn angle. Specifically for a Gamma step-length distribution and a von Mises turn-angel distribution they are given by:

$$\phi_i = \exp\left(\underbrace{(\beta_{\cos(\alpha)} + \nu_0)}_{\gamma_{\cos(\alpha_i)}} \cos(\alpha_i) + \underbrace{(\beta_I - q_0^{-1})}_{\gamma_{I_i}} I_i + \underbrace{(\beta_{\ln(I_i)} + k_0 - 1)}_{\gamma_{\ln(I_i)}} \ln(I_i)\right)$$

- With  $\nu_0$  being the tentative concentration parameter of the von Mises distribution, and
- $q_0$  and  $k_0$  the tentative scale and shape parameter of a Gamma distribution for the step-lengths respectively.

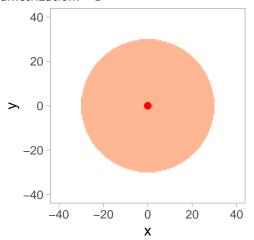
### Dispersal kernels

A dispersal kernel consists of:

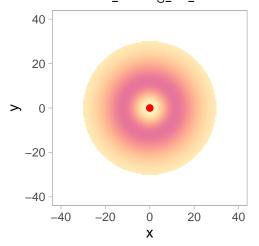
- A selection-free movement kernel, that is characterized by a
  - turn-angle distribution (e.g. von Mises)
  - step-length distribution (e.g. Gamma)
- A movement-free selection kernel

Both kernels are included simulatenously in the integrated Step-Selection Function.

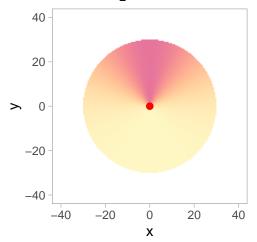
We with this we can parameterize different dispersal kernels. Parametrization: ~1



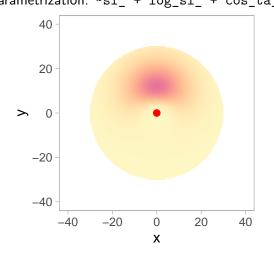
We with this we can parameterize different dispersal kernels. Parametrization: ~sl\_ + log\_sl\_



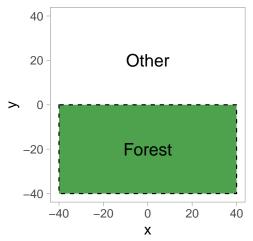
We with this we can parameterize different dispersal kernels. Parametrization: ~cos\_



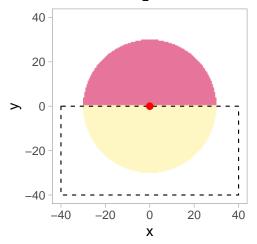
We with this we can parameterize different dispersal kernels. Parametrization: ~sl\_ + log\_sl\_ + cos\_ta\_



We with this we can parameterize different dispersal kernels. Habitat

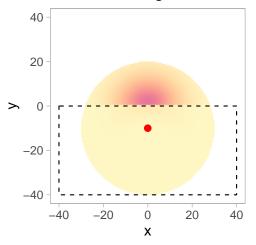


We with this we can parameterize different dispersal kernels. Parametrization: ~forest\_end

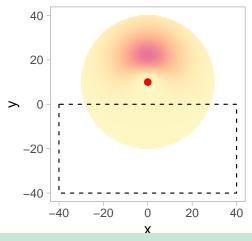


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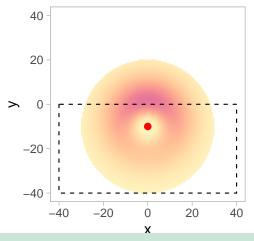
Parametrization: ~sl\_ + log\_sl\_ + cos\_ta\_ + forest\_end



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We with this we can parameterize different dispersal kernels. Parametrization: ~sl\_ + log\_sl\_ + cos\_ta\_ + cos\_ta\_:forest\_start



#### How to get values for the movement kernel?

- Estimate an iSSF.
- Then plugin the estimated coefficient together with their tentative estimates.

$$\phi_i = \exp\left(\underbrace{(\beta_{\cos(\alpha)} + \nu_0)}_{\gamma_{\cos(\alpha_i)}} \cos(\alpha_i) + \underbrace{(\beta_I - q_0^{-1})}_{\gamma_{I_i}} I_i + \underbrace{(\beta_{\ln(I_i)} + k_0 - 1)}_{\gamma_{\ln(I_i)}} \ln(I_i)\right)$$

#### How-to do simulations?

- We can simulate a new path where the animal would have gone using series of dispersal kernels and then sampling from these kernels. Repeating this many times leads us to a transient UD.
- We can simulate for a very long time in order obtain the steady-state UD.
- Implementation for this not fully completed.

#### What can be simulated in amt

#### Static selection-free movement kernel

Available in amt for SSUD and TUD

#### Dynamic selection-free movement kernel

• Work in progress (hopefully not much longer)

#### **Take-home messages**

- 1. We can estimate parameters for a selection-free movement kernel and movement-free selection kernel using iSSF.
- 2. Using the iSSF we can include both kernels in a loglinear form.
- 3. With this we can simulate how the space use might look in future or under novel conditions.

# **Key resources/publications**

- Avgar, T., Potts, J. R., Lewis, M. A., & Boyce, M. S. (2016). Integrated step selection analysis: bridging the gap between resource selection and animal movement. Methods in Ecology and Evolution, 7(5), 619-630.
- Potts, J. R., & Schlägel, U. E. (2020). Parametrizing diffusion-taxis equations from animal movement trajectories using step selection analysis. Methods in Ecology and Evolution, 11(9), 1092-1105.
- Signer, J., Fieberg, J., & Avgar, T. (2017). Estimating utilization distributions from fitted step-selection functions. Ecosphere, 8(4), e01771.