

Some “non-linear” linear models

$$\hat{y} = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 + \dots + \beta_n x_n$$

predicted y (points to \hat{y})

intercept (points to β_0)

“slopes along different parameters” (points to $\beta_1 x_1$, $\beta_2 x_2$, $\beta_3 x_3$, and $\beta_n x_n$)

what can x_n be here? For example, I can say $x_4 = x_3^2$?

**Put it all together with an example:
Hubble's Law**

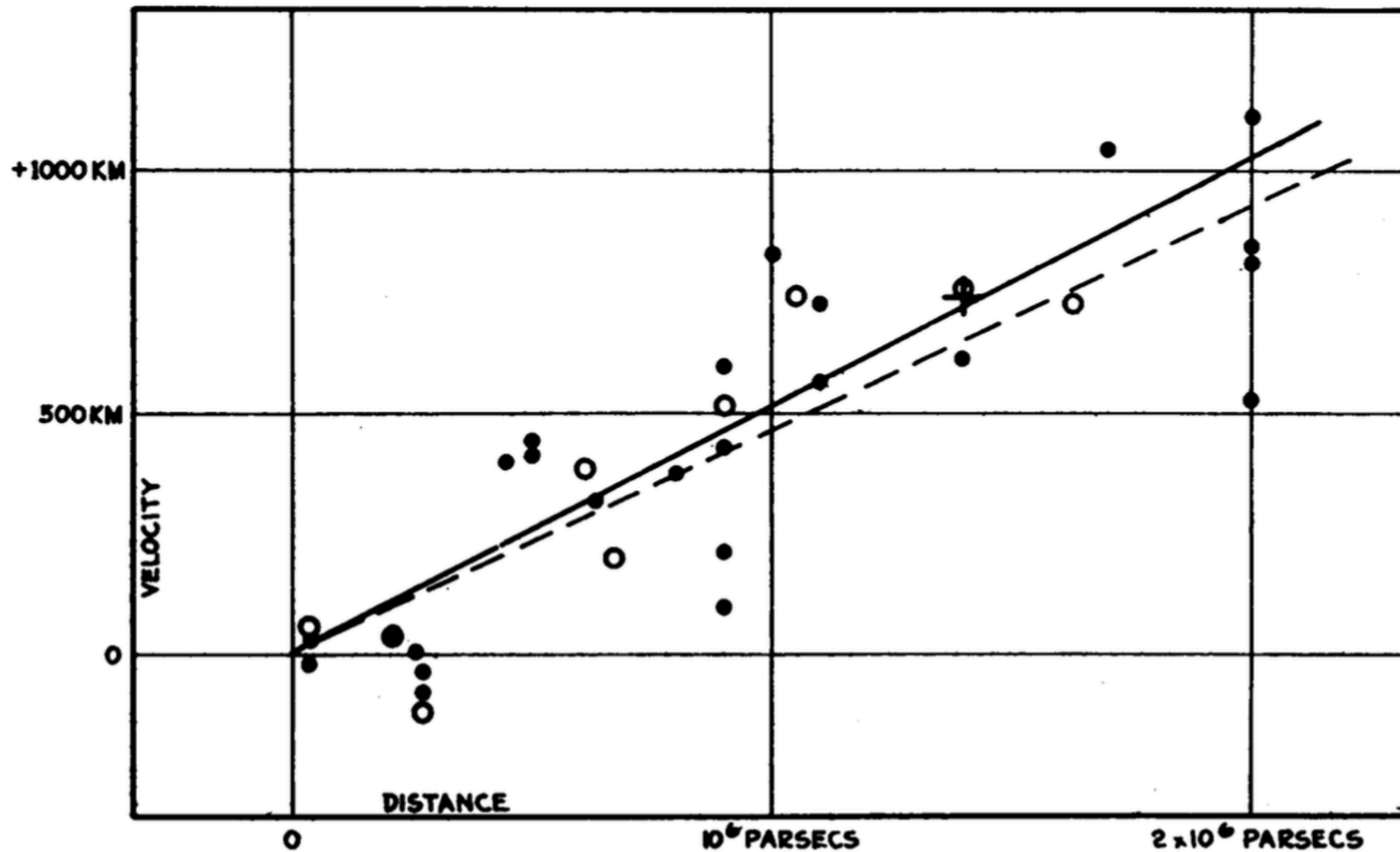


FIGURE 1

Velocity-Distance Relation among Extra-Galactic Nebulae.

Some “non-linear” linear models

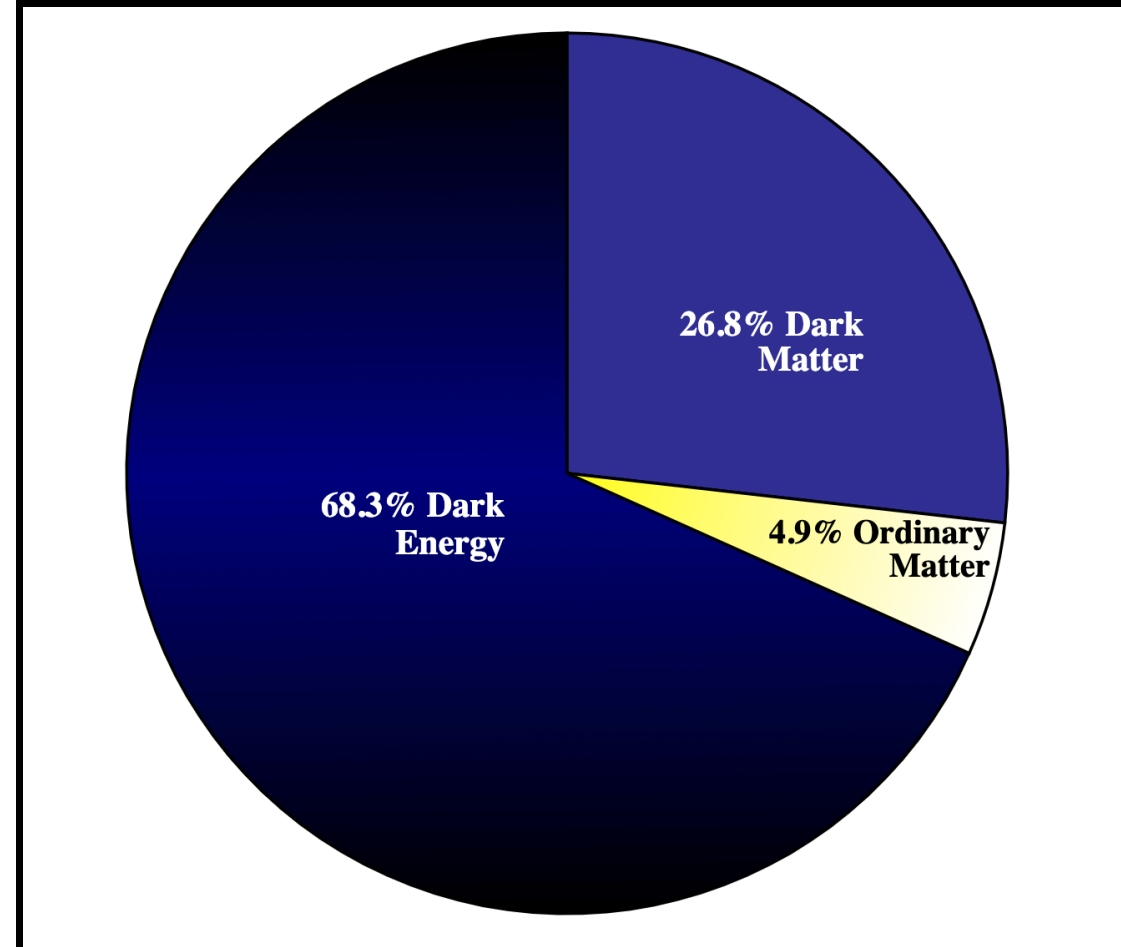
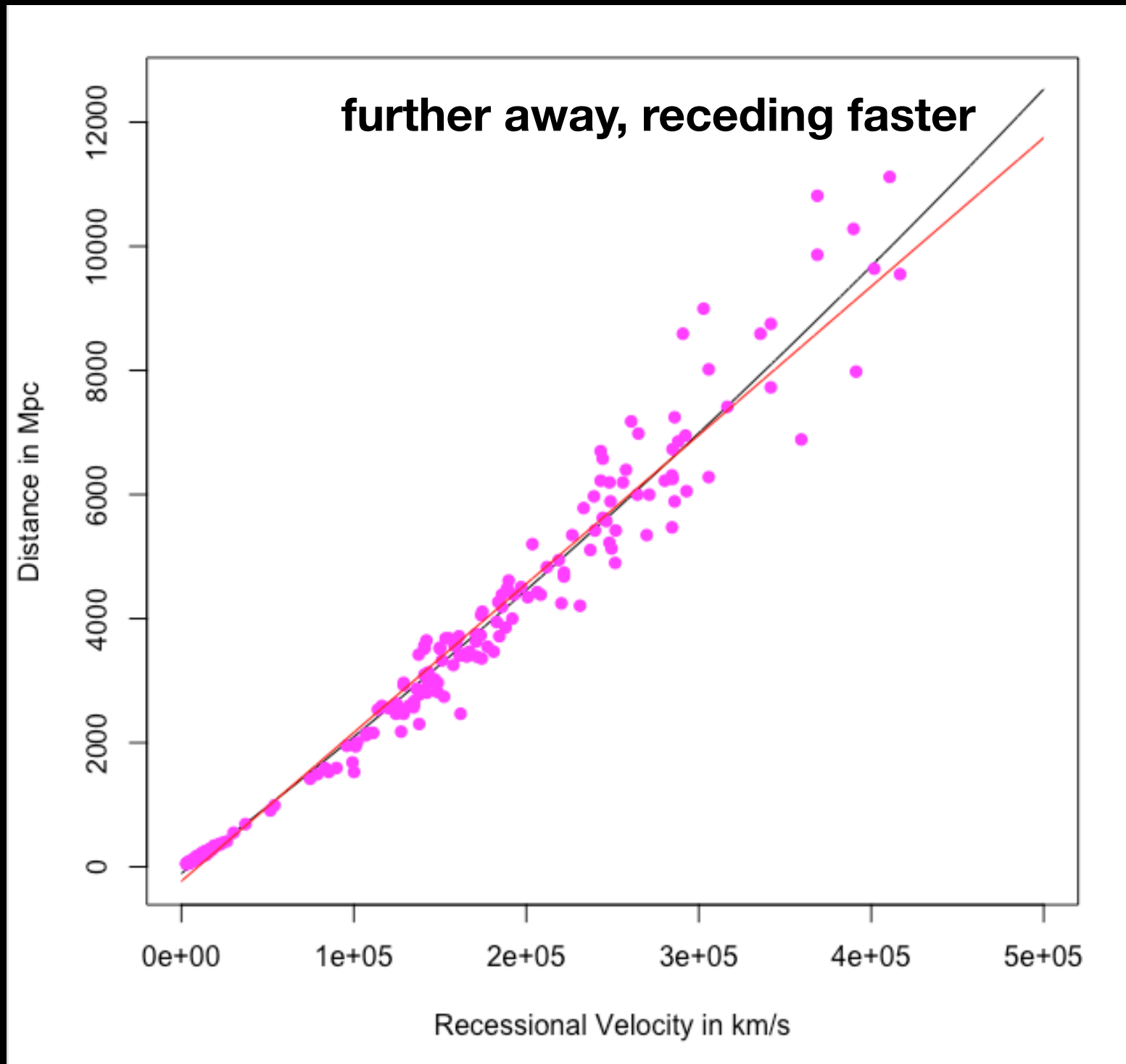
$$\hat{y} = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 + \dots + \beta_n x_n$$

The diagram shows the equation $\hat{y} = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 + \dots + \beta_n x_n$ in blue. Below the equation, there are four red annotations with arrows pointing to specific parts of the equation: 'predicted y' points to \hat{y} , 'intercept' points to β_0 , and '“slopes along different parameters”' has four arrows pointing to $\beta_1 x_1$, $\beta_2 x_2$, $\beta_3 x_3$, and $\beta_n x_n$.

what can x_n be here? For example, I can say $x_4 = x_3^2$?

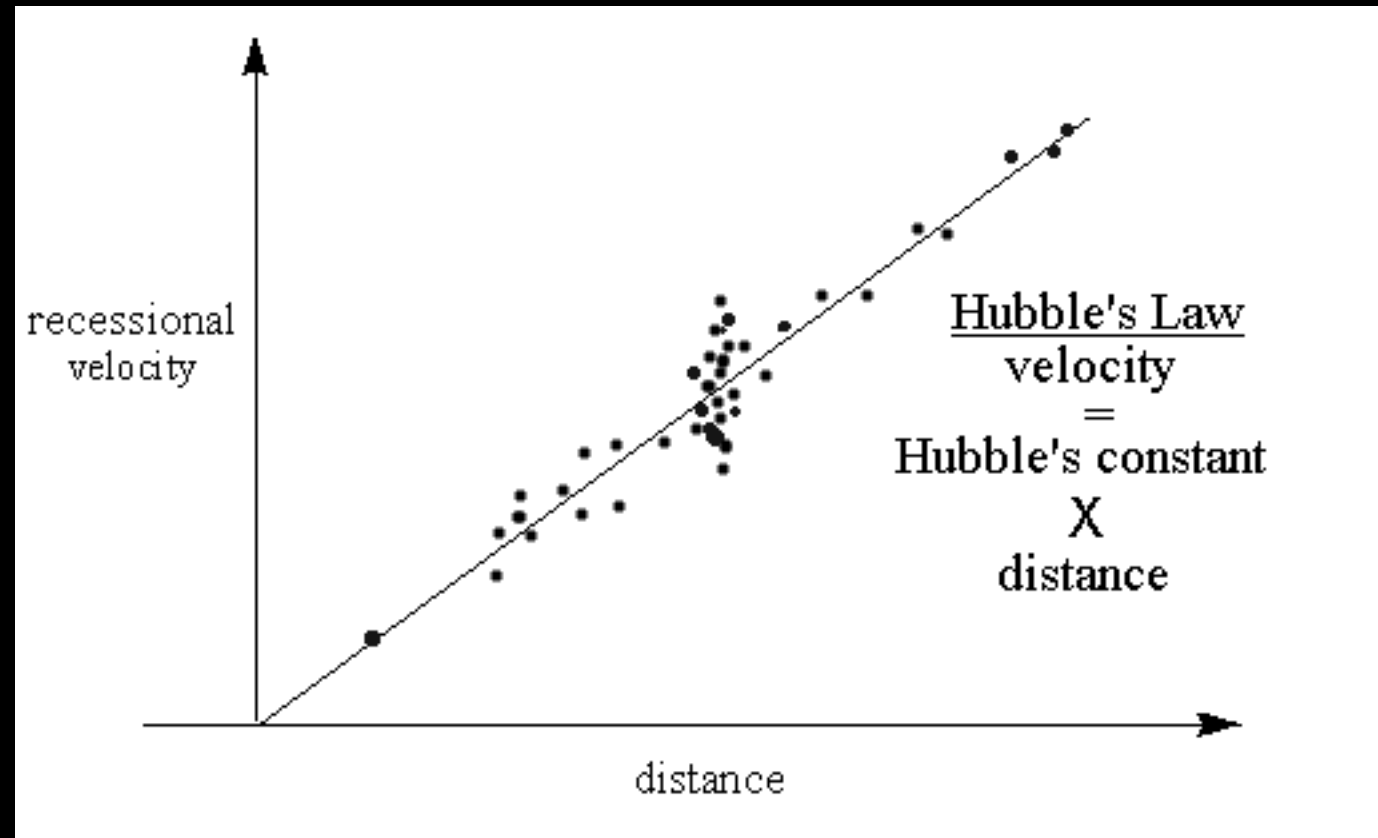
Yes!

Let's do this in R for the Hubble data



http://adamdempsey90.github.io/python/dark_energy/dark_energy.html

Hubble's Law



In essence: galaxies that are further away from us look like they are moving away from us faster than those near by