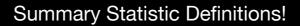


Some of these may look familar but some might be new -- the mean, median and quartiles might be new.



Mean (Sample) = sum of all data values divided by number of data points

 $\label{eq:mean} \text{Mean} = \frac{\text{Sum of all values}}{\text{Number of values}}$ Symbolically, $\overline{x} = \frac{\sum x}{n}$

where \overline{x} (read as 'x bar') is the mean of the set of x values, $\sum x$ is the sum of all the x values, and n is the number of x values.

(note - only works with "numerical" data types... more about data types later)

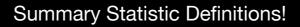
Median = if we order the data from smallest to largest, this is the observation in the middle (splits the data in 2 halves)

First/Third Quartiles = where 25% of the data falls below/above

Standard Deviation = this is the square root of the variance, where the variance is roughly the average distance of data values from the mean

Standard Deviation (sample) =
$$\sqrt{\frac{\sum_{i=1}^{n} (x_i - \text{mean})^2}{n-1}}$$

Mean and median give a sense of the "typical value" in your dataset.



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Standard deviation and quartiles give measures of the variability in the data.