

Question 7

$$S \rightarrow aST \mid b$$

$$T \rightarrow a \mid b \mid \epsilon$$

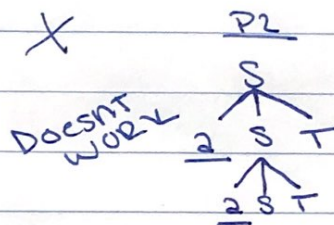
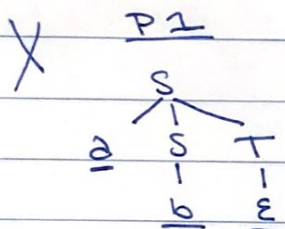
Root = S

 Vertex NonTerm
 Leaf Term or ϵ

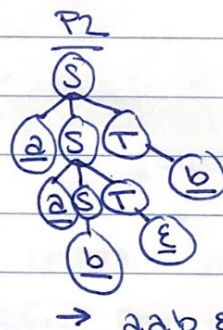
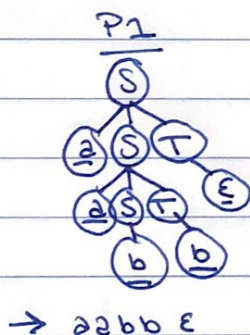

A grammar is unambiguous if there only exist 1 parse tree
 and ambiguous with more than 1 parse tree

lets considering the string input ~~abab~~

~~abab~~ ab



Now lets considering string aabb



Because this ~~for~~ Grammar generates String aabb that has more than 1 parse tree therefore it is

an ambiguous grammar.

SAME happens ~~as~~ with other strings like aabbbb and string aaabab

Jukka Wilson

Question 6

$$L = \{0^i 1^j, i \text{ is even} \Rightarrow i > j\}$$

Assume L is Regular

let there exist a pumping length P such that
 $|s| \geq P$ $xy^iz \in L$ for $i \geq 0$

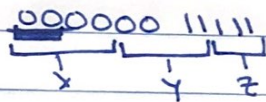
$$|s| \geq P \quad s = 0^{P+1} 1^P \quad \leftarrow \text{Because } i > j$$

$$|y| > 0 \\ |xy| \leq P$$

$$\text{let } P = 5$$

$$s = 00000011111 = 0^6 1^5 : i \text{ is even} = 6 \text{ and } i > j > 5$$

Split into xyz



Trying to show
 $\{xy^iz \notin L \text{ for some } i\}$

$$x = 00000$$

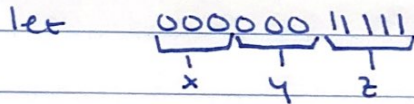
$$y = 0011$$

$$z = 111$$

$$\text{let } i = 3$$

$$0000 \ 001 \ 0011 \ 0011 \ 111$$

Does not exist in L



$$x = 000$$

$$y = 000$$

$$z = 11111$$

$$|xy| \leq P ?$$

$$|3+3| \leq P ?$$

$$6 \leq P=5 \quad \times$$

Does Not satisfy
 $|xy| \leq P$

~~let $s = 00000011111$~~

Because to be regular the Pumping lemma must satisfy the rules and by contradiction L is NOT Reg