

"I pledge my honor that I have abided by the Stevens Honor System"

- ① $R(A, B, C, D, E)$ with $FD = \{AB \rightarrow C, CD \rightarrow E, C \rightarrow A, C \rightarrow D, D \rightarrow B\}$
List candidate keys, NOT superkeys

Attributes $\rightarrow C, E, A, D, B$

$$A^+ = \{A\}$$

$$B^+ = \{B\}$$

$$D^+ = \{D\}$$

$$C^+ = \begin{matrix} C \rightarrow A \\ C \rightarrow D \\ C \rightarrow C \end{matrix}$$

$$\begin{matrix} C \rightarrow D \dots D \rightarrow B \\ C \rightarrow D \dots CD \rightarrow E \end{matrix}$$

$$C^+ = ABCDE$$

C^+ is Candidate Key here then...

Now look at combinations with C as attr.

$$AB^+ = \underline{AB} \text{ given, } AB \rightarrow C, AB \rightarrow C \rightarrow D, AB \rightarrow CD \rightarrow E \rightarrow AB^+ = ABCDE$$

$$AD^+ = \underline{AD} \text{ given, } D \rightarrow B, AB \rightarrow C, CD \rightarrow E \rightarrow AD^+ = ABCDE$$

$$AE^+ = \underline{AE} \text{ given} \rightarrow AE^+ = AE$$

$$BD^+ = \underline{BD} \text{ given} \rightarrow BD^+ = BD$$

$$BE^+ = \underline{BE} \text{ given} \rightarrow BE^+ = BE$$

$$DE^+ = \underline{DE} \text{ given, } D \rightarrow B \rightarrow DE^+ = BDE$$

$$\boxed{\text{CANDIDATE KEYS} = C, AB, AD}$$

- ② $R(A, B, C, D, E, F)$ with $FD = \{AB \rightarrow C, AD \rightarrow B, C \rightarrow B, F \rightarrow AD, F \rightarrow E\}$
use Armstrong Axioms to prove F is superkey of R .

$$\underline{F \rightarrow B} \text{ from } F \rightarrow AD \text{ and } AD \rightarrow B \quad : \text{transitivity}$$

$$\underline{F \rightarrow A} \text{ and } \underline{F \rightarrow D} \text{ from } F \rightarrow AD \quad : \text{Decomposition}$$

$$\underline{F \rightarrow AB} \text{ from } F \rightarrow A \text{ and } F \rightarrow B \quad : \text{Union}$$

$$\underline{F \rightarrow C} \text{ from } F \rightarrow AB \text{ and } AB \rightarrow C \quad : \text{Transitive}$$

$$\underline{F \rightarrow E} \text{ from Functional Dependencies } FD \quad : \text{given}$$

$$F^+ = \{ABCDEF\}$$

and is the superkey of R

③ StudentInfo (StudNo, StudName, Major, Advisor, CourseNo, Ctitle, InstrucName, InstrucLocn, Grade)

FD = {
 $\text{StudNo} \rightarrow \text{StudName}$
 $\text{CourseNo} \rightarrow \text{Ctitle, InstrucName}$
 $\text{InstrucName} \rightarrow \text{InstrucLocn}$
 $\text{StudNo, CourseNo, Major} \rightarrow \text{Grade}$
 $\text{StudNo, Major} \rightarrow \text{Advisor}$
 $\text{Advisor} \rightarrow \text{Major}$ }

Student (StudNo, StudName)

StudMajor (StudNo, Major, Advisor)

Stud Course (StudNo, Major, CourseNo, Ctitle, InstrucName, InstrucLocn, Grade)

Satisfy BCNF?

~~Student~~ $\text{StudNo} \rightarrow \text{StudName}$ FD1

$\text{StudNo}^+ = \text{StudNo, StudName}$

$\text{StudNo} = \text{superkey}$ ✓

Student relation satisfies

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StudentMajor (StudNo, Major, Advisor)

$\text{StudNo, Major} \rightarrow \text{Advisor}$

$\text{Advisor} \rightarrow \text{Major}$

$\text{studNo}^+ = \{\text{studNo, studName}\}$

$\text{Major}^+ = \{\text{Major}\}$

$\text{Advisor}^+ = \{\text{Advisor, Major}\}$

~~studNo, Major~~ $\text{studNo, Major}^+ = \{\text{studNo, ~~studName~~, Advisor, Major}\}$

Satisfy BCNF?

No ~~studNo~~ $\text{Advisor} \rightarrow \text{Major}$ messed up
 need to separate more