# A Real-Time, Flexible Logging Infrastructure for MonPoly

Bachelor's Thesis

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## Monitoring Problem

- Runtime Monitoring: Checking a systems actual behavior against a formal specification
- Online Monitoring is done while the system is running
- Offline Monitoring is done on a log after a system has completed
- We focus on the Online Monitoring problem

## MonPoly

- Runtime Monitor
- Metric First Order Temporal Logic (MFOTL)
- ► MFOTL temporal operators (left) and syntactic sugar (right)
  - ►  $\bigcirc_l$  ("Next")

    ►  $\bullet_l$  ("Previous")

    ►  $\mathcal{U}_l$  ("Until")
  - $\triangleright$   $S_I$  ("Since")

▶ □<sub>I</sub> ("Always")

► **I**<sub>I</sub> ("Historically")

 $\triangleright \lozenge_I$  ("Eventually")

► **♦**<sub>1</sub> ("Once")

The interval I restricts the time points relevant to an operator.

- Time Point vs. Time Stamp
  - ► Time Point: Time stamped collection of events (predicates), often referred to by an integer index
  - ► **Time Stamp**: Specifies a moment in time, e.g. seconds since Unix epoch

#### Time-Series Database

- A time-series database is optimized for the insertion and retrieval of temporal data.
- QuestDB
  - Largely compatible with PostgreSQL
  - Adds a TIMESTAMP datatype in addition to the usual types INT, STRING, etc.
- Dedicated time stamp column (analogous to an index column)



## Monitor vs. Database Approach

## Monitor (MonPoly)

- ► Good when:
  - Data changes often
  - Policy changes infrequently
- Bad when:
  - Policy changes frequently

## Time-Series Database (QuestDB)

- ► Good when:
  - Data stays almost constant
  - Varying, frequent queries
- ▶ Bad when:
  - Data changes rapidly

## Combining Monitoring and Time-Series Database: Motivation

- Build a wrapper that allows for both logging and monitoring on the same data
- Provides the functionality of both monitors and time-series database
- Allows us to offer a policy change method
- More accessible interface
  - Web services
  - Distributed systems
- Increase fault tolerance

## Signature to Database Schema schema.sql

```
CREATE TABLE P(x1 INT,x2 STRING,
               tp INT,
               ts TIMESTAMP)
               timestamp(ts);
CREATE TABLE Q(x1 INT, x2 INT,
               tp INT,
               ts TIMESTAMP)
               timestamp(ts);
CREATE TABLE R(x1 INT,x2 STRING,
               x3 STRING.
               tp INT,
               ts TIMESTAMP)
               timestamp(ts);
CREATE TABLE time_points
                (tp INT,
               ts TIMESTAMP)
               timestamp(ts);
```

### signature.sig

```
P(id:int,act:string)
Q(id1:int,id2:int)
R(int,string,string)
```

## Agenda

#### Background and Motivation

MonPoly

Time-Series Database (QuestDB)

#### The Wrapper

Architecture

Data flow

#### Algorithm and Policy Change

Relative Intervals

Extended Relative Intervals

#### Partial Policy Change (Work in Progress)

#### **Evaluation**

Overhead of the Wrapper Policy Change Optimization

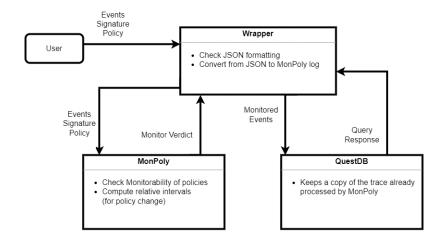
#### Outlook

### The Wrapper - REST API

- / (Info-Page)
- /set-policy
- /set-signature
- /start-monitor
- /stop-monitor
- /change-policy
- /get-policy
- /get-signature
- ► /reset-everything
- ▶ /log-events
- /get-events
- /get-most-recent

- /db-set-user
- ▶ /db-set-password
- /db-set-host
- ► /db-set-pgsql-port
- /db-set-influxdb-port
- ▶ /db-set-database
- /db-get-user
- /db-get-password
- /db-get-host
- /db-get-pgsql-port
- ▶ /db-get-influxdb-port
- /db-get-database

## The Wrapper - Architecture



#### Data flow

► Increased fault tolerance (compared to MonPoly)



## Policy Change

- Start a new monitor with the new policy
- ► **Goal:** Our monitor evaluates the new policy at the current time point just as if it had seen the same trace as the old monitor
- ▶ Naive approach: Read entire trace again
- ▶ **Idea:** Reduce the size of the trace by removing events that do not influence how the new policy gets evaluated

## Optimization Example

$$\phi = (P(x, "a") \mathcal{S}_{[0,30)} Q(x,2)) \wedge (\neg (R(y, "c", z)) \mathcal{S}_{[20,60)} P(y, z))$$

- ▶ Relative Interval:  $RI(\phi) = (-60, 0]$
- **Extended Relative Intervals:**  $ERI(\phi) =$

$$P(*,*) \rightarrow (-60,-20]$$
  
 $P(*,"a") \rightarrow (-30,0]$   
 $Q(*,2) \rightarrow (-30,0]$   
 $R(*,"c",*) \rightarrow (-60,0]$ 

All time points with time stamps not in the interval  $\{\text{current time stamp}\} \oplus \mathsf{RI}(\phi)$  do not change the evaluation of  $\phi$  at the current time point.

### Interval Operators

Let I and J be two intervals, then

- $I \oplus J = \{i+j \mid i \in I, j \in J\}$ 
  - $[0,3] \oplus [-2,4] = [-2,7]$
- ▶  $I \cup J$  is the smallest interval that contains all elements that are in at least one of the intervals I and J.
  - ightharpoonup  $[-4,1] \cup [4,5] = [-4,5]$

#### Relative Intervals

#### Definition

The relative interval of the formula  $\phi$ , RI $(\phi) \subseteq \mathbb{Z}$  is defined inductively over the formula structure:  $RI(\phi) =$ 

$$\begin{cases} \{0\} & \text{atomic formulas} \\ \text{RI}(\psi) & \neg \psi, \ \exists x. \psi, \forall x. \psi \\ \text{RI}(\psi) \ \uplus \ \text{RI}(\chi) & \psi \lor \chi, \psi \land \chi \\ \\ (-b,0] \ \uplus \ ((-b,-a] \oplus \text{RI}(\psi)) & \bigoplus_{[a,b)} \psi \\ \\ [0,b) \ \uplus \ ([a,b) \oplus \text{RI}(\psi)) \ \uplus \ ((-b,-a] \oplus \text{RI}(\chi)) & \psi \ \mathcal{S}_{[a,b)} \chi \\ \\ [0,b) \ \uplus \ ([0,b) \oplus \text{RI}(\psi)) \ \uplus \ ([a,b) \oplus \text{RI}(\chi)) & \psi \ \mathcal{U}_{[a,b)} \chi \end{cases} \end{cases}$$
 Basin et al. "Scalable Offline Monitoring of Temporal Specifications". In: Formal Methods ind System Design 49 (1 2016), pp. 75-108

#### Extended Relative Intervals

Map data structure replaces intervals and new operators are needed. Let M and N be two masked predicate maps and T an interval, then

$$M \stackrel{.}{\cup} N = \{ p(I) \rightarrow (I \cup J) \mid p(I) \rightarrow I \in m \text{ and } p(I) \rightarrow J \in n \}$$

$$\cup \{ p(I) \rightarrow I \mid (p(I) \rightarrow I \in m \text{ and } p(I) \in k(M) \setminus k(N)) \}$$

$$\cup \{ p(I) \rightarrow I \mid (p(I) \rightarrow I \in n \text{ and } p(I) \in k(N) \setminus k(M)) \}$$

$$T \stackrel{.}{\cup} M = \{ p(I) \rightarrow (T \cup I) \mid p(I) \rightarrow I \in M \}$$

$$T \stackrel{.}{\oplus} M = \{ p(I) \rightarrow (T \cup I) \mid p(I) \rightarrow I \in M \}$$

#### Relative Intervals

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#### Extended Relative Intervals

```
\mathsf{ERI}(\phi) =
```

```
atomic formulas
                                                                                                                                                                                                                                                                                excl. predicates
                                                                                                                                                                                                                                                                                 predicate p
                                                                                                                                                                                                                                                                                with mask m,
\begin{cases} \mathsf{ERI}(\psi) \\ \mathsf{ERI}(\psi) \ \ddot{\mathbf{u}} \ \mathsf{ERI}(\chi) \\ (-b,0] \ \dot{\mathbf{u}} \ ((-b,-a] \ \dot{\mathbf{b}} \ \mathsf{ERI}(\psi)) \\ [0,b) \ \dot{\mathbf{u}} \ ([a,b) \ \dot{\mathbf{b}} \ \mathsf{ERI}(\psi)) \\ (-b,0] \ \dot{\mathbf{u}} \ ((-b,0] \ \dot{\mathbf{e}} \ \mathsf{ERI}(\psi)) \ \ddot{\mathbf{u}} \ ((-b,-a] \ \dot{\mathbf{e}} \ \mathsf{ERI}(\chi)) \\ [0,b) \ \dot{\mathbf{u}} \ ([0,b) \ \dot{\mathbf{e}} \ \mathsf{ERI}(\psi)) \ \ddot{\mathbf{u}} \ ([a,b) \ \dot{\mathbf{e}} \ \mathsf{ERI}(\chi)) \end{cases}
                                                                                                                                                                                                                                                                                 \neg \psi, \exists x. \psi, \forall x. \psi
                                                                                                                                                                                                                                                                                \psi \vee \chi, \psi \wedge \chi
                                                                                                                                                                                                                                                                                lackbox[a,b]\psi
                                                                                                                                                                                                                                                                           \psi \, \mathcal{S}_{[\mathsf{a},\mathsf{b})} \, \chi
```

We proofed that this definition is a correct approximation such that it extracts all necessary time points from a trace and that the evaluation of  $\phi$  is the same for the original trace and the extraction.

## Extended Relative Intervals - SQL Query

$$\phi = (P(x, "a") \mathcal{S}_{[0,30)} Q(x,2)) \wedge (\neg (R(y, "c", z)) \mathcal{S}_{[20,60)} P(y, z))$$

- ▶ Relative Interval:  $RI(\phi) = (-60, 0]$
- **Extended Relative Intervals:**  $ERI(\phi) =$

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 $R(*,"c",*) \rightarrow (-60, 0]$ 

## Extended Relative Intervals - SQL Query

```
SELECT * FROM P WHERE
    (time_stamp > <NOW>-60 AND time_stamp <= <NOW>-20)
    OR.
    (x2 = "a" AND
    time_stamp > <NOW> -30 AND time_stamp <= <NOW>-0);
SELECT * FROM Q WHERE
    (x2 = 2 AND)
    time_stamp > <NOW>-30 AND time_stamp <= <NOW>-0);
SELECT * FROM R. WHERE
    (x2 = "c" AND)
    time_stamp > <NOW>-60 AND time_stamp <= <NOW>-0);
SELECT * FROM time_points WHERE
    (time_stamp > <NOW>-60 AND time_stamp <= <NOW>-0);
```

#### Database Result Conversion

#### QuestDB Response

```
[{"R":[]},

{"Q":[[0,8,65536,"Thu, 01 Jan 1970 00:00:01 GMT"]]},

{"P":[]},

{"time_points":[[65536,"Thu, 01 Jan 1970 00:00:01 GMT"],

[65537,"Thu, 01 Jan 1970 00:00:02 GMT"]]}]
```

#### wrapper.json

```
[{"predicates":[{"name":"Q","occurrences":[[0,8]]}],
"timepoint":65536,"timestamp":"1970-01-01 00:00:01"},
{"predicates":[],
"timepoint":65537,"timestamp":"1970-01-01 00:00:02"}]
```

#### monpoly.log

```
@1 Q(0,8);
@2 ;
```

## Partial Policy Change in MonPoly (Work in Progress)

- Only for First Order Logic operators above temporal operators
- ► Named formulas: NAME[f1, name1] OR NAME[f2 and f3, name2]
- Added data types for NAME in MonPoly
- Updated formula parser for NAME constructs
- Started work on commands for adding and removing parts of formulas.
- **Commands** to add or remove conjuncts or disjuncts:

```
>remove_part <name><
>add_conjunct <name1> <name2> <formula><
>add_disjunct <name1> <name2> <formula><</pre>
```

## Partial Policy Change in MonPoly (Work in Progress)

$$\phi = (P(x,"a") \, \mathcal{S}_{[0,30)} \, Q(x,2)) \wedge (\neg (R(y,"c",z)) \, \mathcal{S}_{[20,60)} \, P(y,z))$$

#### Becomes:

```
NAME [(P(x, "a") SINCE [0,30) Q(x,2)), part1] AND
NAME [(NOT (R(y, "c", z)) SINCE [20,60) P(y, z)), part2]
>add_disjunct part1 part3 'NOT P(2,"b")'
(NAME[P(x,"a") SINCE[0,30) Q(x,2), part1] OR
NAME[NOT P(2,"b"), part3]) AND
NAME [NOT (R(y, "c", z)) SINCE [20,60) P(y, z), part2]
         \phi' = ((P(x, "a") S_{[0,30)} Q(x,2)) \wedge (\neg P(2, "b")))
              \wedge \left( \neg (R(y, "c", z)) \, \mathcal{S}_{[20.60)} \, P(y, z) \right)
```

## Partial Policy Change in MonPoly (Work in Progress)

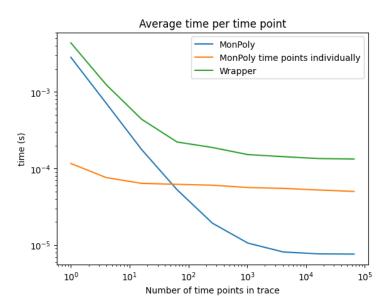
#### Next up:

- Compute the internal state for formula parts that will be added.
- Combine existing state with the state of the new formula.
- ▶ Update state when a formula part gets removed.

## Overhead of the Wrapper

- ▶ Random policy with intervals bounded by [0, 20)
- ▶ Random trace with  $4^i$  time points, for i = 0, ..., 8
- ▶ Measure the time it takes for MonPoly to monitor these traces
- Measure the time it takes for MonPoly to monitor the traces, when the time points are not in a single file, but sent individually
  - ► This is a better simulation of online monitoring
- Measure the time it takes for the wrapper to monitor these traces
- ► This was done **100 times** (with 100 different policies)

## Overhead of the Wrapper



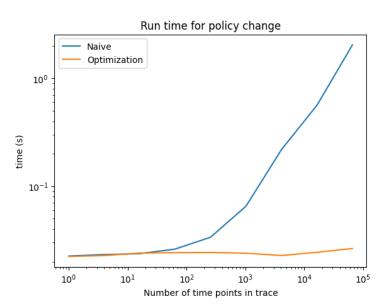
## Overhead of the Wrapper - Conclusion

- More detailed profiling is required
- Possible sources of the overhead are:
  - The conversion of our JSON format for logs to the MonPoly format
  - ► The wrapper sends time points synchronously to MonPoly
  - ► The wrapper must go over the events once to send them to MonPoly and again later to send them to QuestDB

## Policy Change Optimization

- ▶ Policy change with 2 randomly generated formulas
- Intervals in policies are bounded by [0,20).
- ▶ Random traces with  $4^i$  time points, for i = 0, ..., 8
- Load trace into wrapper and then initiate the policy change
- ▶ This was done 100 times, for 100 different policy pairs.

## Policy Change Optimization



#### Outlook

- Reduce overhead of the wrapper
  - More in depth profiling of the wrapper
  - Send time points asynchronously (don't wait for response before sending the next time point)
- Speed up policy change
  - More involved checking for constraints on variables in formulas (such as x < 20)
- Continue the partial policy change within MonPoly

Thank you for your attention!