Static versus instance methods

Joachim Vandekerckhove

Static Methods

A static method is a method that belongs to the class itself rather than to a particular instance of the class. Here's an example of how to define a static method in Python:

```
class MyClass:
    @staticmethod
    def my_static_method(arg1, arg2):
        # Code for static method goes here
```

To call a static method in Python, you can use the class name followed by the method name, like this:

```
MyClass.my_static_method(arg1, arg2)
```

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- When a method doesn't need to access any instance variables or methods of the class
- When a method needs to be called from both the class and instances of the class
- When a method is not logically tied to any particular instance of the class
- To create specialized instances of the class

Implementation of Static Methods in Python

Under the hood, a static method in Python is just a regular function that's defined inside a class. The @staticmethod decorator is shorthand for this:

```
class MyClass:
    def my_static_method(arg1, arg2):
        # Code for static method goes here
    my_static_method = staticmethod(my_static_method)
```

Static methods cannot access instance variables or methods, since they don't have access to a particular instance of the class. If you need to access instance variables or methods, use a regular instance method instead.

Static Factory Method

A static factory method creates an instance:

```
class BankAccount:
    def deposit(self, amount):
        self.balance += amount
    Ostaticmethod
    def create_empty():
        return BankAccount(0)
    Ostaticmethod
    def load(filename):
        import pickle
        with open(filename, "rb") as f:
            account = pickle.load(f)
        return account
```

Now you can create basic instances of BankAccount:

```
account = BankAccount.create_empty()
```

Simulation

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Random Number Generation: Overview of Algorithms

Random number generation is the process of generating a sequence of numbers that are not predictable and have no discernible pattern. There are many algorithms for generating random numbers, but they can be broadly classified into two categories:

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- Pseudorandom number generators: These are algorithms that
 use a deterministic process to generate a sequence of numbers
 that appear random, but are actually predictable if you know
 the algorithm and the seed value that was used to initialize it.
- True random number generators: These are algorithms that generate numbers from a source of entropy, such as atmospheric noise or radioactive decay, that are truly random and not predictable.

Generating Random Numbers in Python

The numpy package provides a convenient and efficient way to generate random numbers.

The rand() function in numpy generates a random float between 0 and 1.

```
import numpy as np

n = np.random.rand()
print(n) # prints a random float between 0 and 1
```

Seeding Random Number Generators

Pseudorandom number generators use a seed value to initialize the algorithm. If you use the same seed value, you will get the same sequence of numbers every time:

```
np.random.seed(1234) # seed with a fixed value
n = np.random.rand()
print(n) # prints 0.1915194503788923
```

By using the same seed value, we can ensure that the same random sequence is generated every time the code is run.

Sampling from Statistical Distributions

The normal() function in numpy generates random variables from a Gaussian distribution with the specified mean and standard deviation:

```
mu = 0  # Gaussian mean
sigma = 1  # Gaussian standard deviation

n = np.random.normal(mu, sigma)
```

More examples

Generate a sequence of 5 random integers from a binomial distribution with 10 trials and probability of success 0.5

```
b = np.random.binomial(n=10, p=0.5, size=5)
```

Generate 10 numbers from a standard uniform distribution

```
n = np.random.rand(10)
```

Generate 10 integers from a discrete uniform between 1 and 100

```
du = np.random.randint(1, 101, size=10)
```

Generate SDT data from 100 signal and 10 noise trials

```
hr, far, nSig, nNoi = .6, .4, 100, 10
hits, fas = np.random.binomial(n=[nSig, nNoi], p=[hr, far])
```

The diffusion model is a popular cognitive model that describes decision-making processes. In this model, decision-making is represented as a diffusion process of evidence accumulation.

The model assumes that a decision is made by accumulating evidence in favor of one of two alternatives, and that the evidence is accumulated continuously over time until a decision boundary is reached.

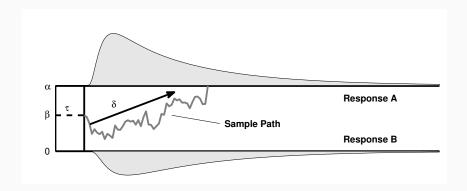


Figure 1: The Wiener diffusion model

Euler-Maruyama Method

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Euler-Maruyama Method

Given the SDE:

$$dX(t) = f(X(t), t)dt + g(X(t), t)dW(t),$$

with $X(0) = x_0$, the Euler-Maruyama method generates a numerical approximation X_n for $X(n\Delta t)$ via the recursion:

$$X_{n+1} = X_n + f(X_n, n\Delta t)\Delta t + g(X_n, n\Delta t)\Delta W_n,$$

where $\Delta W_n = W_{(n+1)\Delta t} - W_{n\Delta t}$ and W_t is the Wiener process.

To simulate the diffusion process, we can use the following equations:

$$dx_t = \delta dt + \sigma dW_t$$
$$x_t = x_{t-1} + dx_t$$

where x_t is the evidence at time t, δ is the drift rate, σ is the diffusion coefficient, dW_t is a Wiener process (i.e., a random noise process), and dt is a small time step.

Simulate the diffusion process using numpy:

```
dt, T, mu, sigma, y0 = 0.001, 1.0, 0.1, 0.5, 0.0

# Initialize arrays
t = np.arange(0, T, dt)
y = np.zeros_like(t) + y0

# Simulate diffusion process
for i in range(1, len(t)):
    dy = mu * dt + sigma * np.sqrt(dt) * np.random.randn()
    y[i] = y[i-1] + dy
```

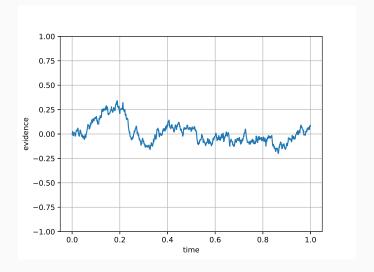


Figure 2: A single diffusion process