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ELEC 4700 Assignment-2 Finite Difference Method

Assignment 2 - Joanna Abalos 100962263

```
clc
clear
close all

% In this assignment, Laplace's equation by Fourier Domain was used to
% examine electrostatic potential problems and currentflow in inhomogeneous
% solids. This report contains PDF simulations. To see the simulations in
% full scale (without overlap or compression), assignment2.m should be ran.
```

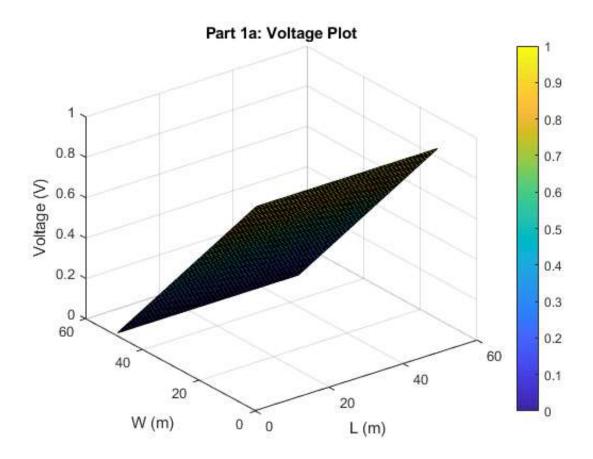
Part 1

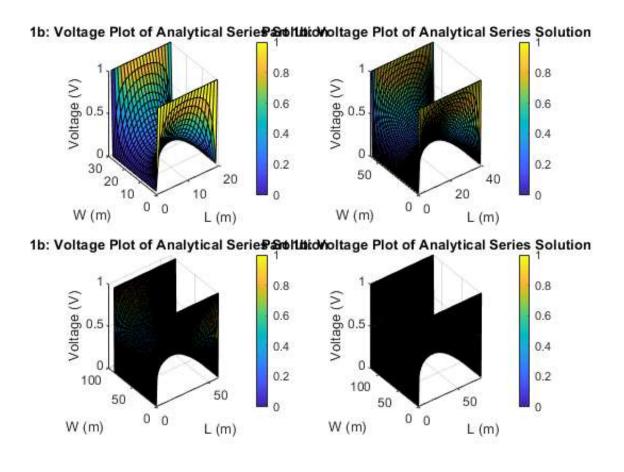
```
% Part 1 uses the Finite Difference Method to make observations on a
% rectangular region with isolated conducting sides. Using a specific
% analytical solution, meshing was observed.

%-------Part 1a------%
assignment21a
%-------Part 1b------%

for i =1:4
    assignment21b(i);
end

% The meshing reaches the solution when the number of points on the meshing
% approaches infinity. The more points on the mesh, the closer to the actual
% solution. Although infinite points cannot be simulater, numerical
% solutions are very common, are easy to visualize, and provide sufficient
% approximations. Analytic solutions can be slow but they
% provide exact approximations.
```





```
%-----%
assignment22a
%-----%
I = zeros(1,10);
for i =1:10
   I(i) = assignment22b(i);
end
x=linspace(1,10,10);
figure(4)
subplot(2,2,1)
plot(x,I);
title('Mesh Density')
xlabel('Scale (units/m)')
ylabel('Current (A)')
%-----%
I = zeros(1,10);
for i =1:10
   I(i) = assignment22c(i);
end
x = 1./x;
subplot(2,2,2)
plot(x,I);
title('Narrowing of Bottle-Neck - Current')
xlabel('Scaling Width Between Resistive Regions - Narrow to Wide (m)')
ylabel('Current (A)')
%-----%
I = zeros(1,10);
for i =1:10
   sig(i) = 1/(i);
   I(i) = assignment22d(sig(i));
end
subplot(2,2,3)
plot(sig,I);
title('Sigma Charge Density Variations')
xlabel('Charge Density (C/m)')
ylabel('Current (A)')
```

