

M21 202303 n250 aov

Joanna Morris

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This R script contains the code for analysing the morph 21 erp data for the 200-300 ms time window.

1. First we load the libraries we need

```
library(readr)
library(psych)
library(dplyr)
library(tidyr)
```

Compute PCA

Following Andrews and Lo (2013) this script computes a PCA for our spelling and vocabulary measures. Because the standardised spelling and vocabulary scores were correlated, to facilitate interpretation, two orthogonal measures of individual differences were derived from a principal components analysis. Analysis based on this tutorial

```
library(readr)
library(dplyr)
library(datawizard)
sv_202303 <- read_csv("m21_spell_vocab_raw.csv")
sv_202303.na <- na.omit(sv_202303)
sv_202303.na <- mutate(sv_202303.na, z_ART = standardise(ART_correct), z_vocab = standardise(vocab_correct))
cor.test(sv_202303.na$z_vocab, sv_202303.na$z_spell)
```

Pearson's product-moment correlation

```
data: sv_202303.na$z_vocab and sv_202303.na$z_spell
t = 1.9352, df = 61, p-value = 0.05761
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 -0.007724833  0.460807138
sample estimates:
cor
0.2405005
```

By default, the function `PCA()` in `FactoMineR`, standardizes the data automatically during the PCA; so you don't need do this transformation before the PCA.

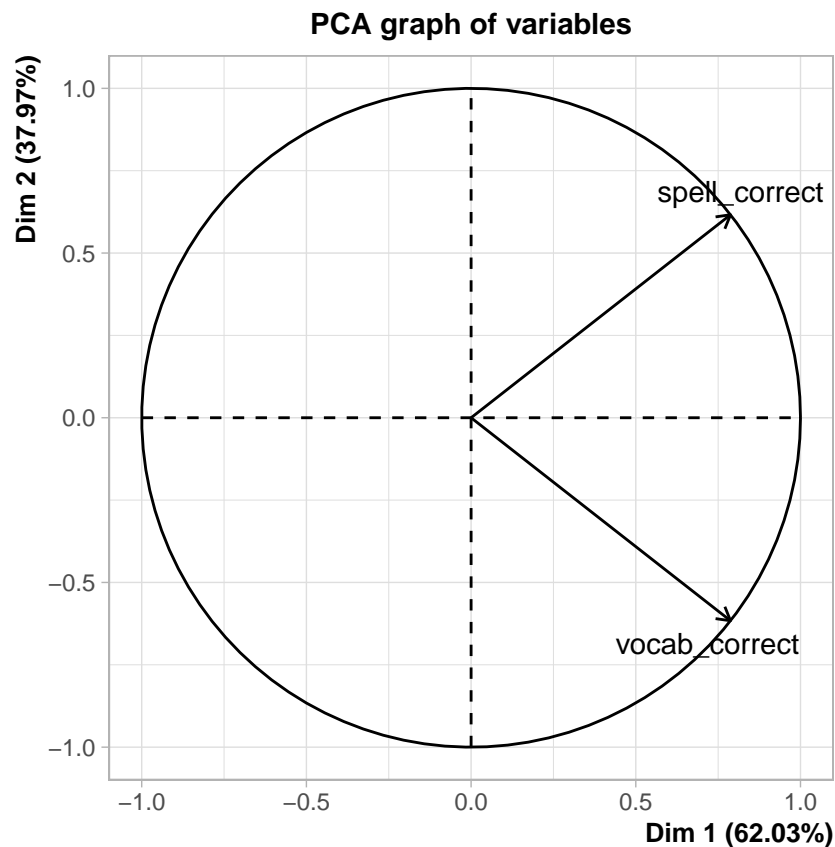
- **X**: a data frame. Rows are individuals and columns are numeric variables
- **scale.unit**: a logical value. If TRUE, the data are scaled to unit variance before the analysis. This standardization to the same scale avoids some variables to become dominant just because of their large measurement units. It makes variable comparable.
- **ncp**: number of dimensions kept in the final results.
- **graph**: a logical value. If TRUE a graph is displayed.

The plot shows the relationships between all variables. It can be interpreted as follow:

- Positively correlated variables are grouped together.
- Negatively correlated variables are positioned on opposite sides of the plot origin (opposed quadrants).
- The distance between variables and the origin measures the quality of the variables on the factor map. Variables that are away from the origin are well represented on the factor map.

```
library(FactoMineR)
library(factoextra)

res.pca <- PCA(sv_202303.na[,3:4], scale.unit = TRUE, ncp = 2, graph = FALSE)
plot(res.pca, choix = "varcor", graph.type = c("ggplot"))
```



The eigenvalues measure the amount of variation retained by each principal component. Eigenvalues are large for the first PCs and small for the subsequent PCs. That is, the first PCs corresponds to the directions with the maximum amount of variation in the data set.

We examine the eigenvalues to determine the number of principal components to be considered

```
(eig.val <- get_eigenvalue(res.pca))
```

	eigenvalue	variance.percent	cumulative.variance.percent
Dim.1	1.2405005	62.02503	62.02503
Dim.2	0.7594995	37.97497	100.00000

The quality of representation of the variables on factor map is called cos2 (square cosine, squared coordinates). A high cos2 indicates a good representation of the variable on the principal component. In this case the variable is positioned close to the circumference of the correlation circle. A low cos2 indicates that the variable is not perfectly represented by the PCs. In this case the variable is close to the center of the circle. For a given variable, the sum of the cos2 on all the principal components is equal to one. If a variable is perfectly represented by only two principal components (Dim.1 & Dim.2), the sum of the cos2 on these two PCs is equal to one. In this case the variables will be positioned on the circle of correlations.

```
res.pca$var$cos2
```

	Dim.1	Dim.2
vocab_correct	0.6202503	0.3797497
spell_correct	0.6202503	0.3797497

The contributions of variables in accounting for the variability in a given principal component are expressed in percentage. Variables that are correlated with PC1 (i.e., Dim.1) and PC2 (i.e., Dim.2) are the most important in explaining the variability in the data set. Variables that do not correlated with any PC or correlated with the last dimensions are variables with low contribution and might be removed to simplify the overall analysis.

```
res.pca$var$contrib
```

	Dim.1	Dim.2
vocab_correct	50	50
spell_correct	50	50

```
(res.desc <- dimdesc(res.pca, axes = c(1,2), proba = 0.05))
```

```
$Dim.1
```

Link between the variable and the continuous variables (R-square)

```
=====
              correlation      p.value
vocab_correct  0.7875597 1.913196e-14
spell_correct  0.7875597 1.913196e-14
```

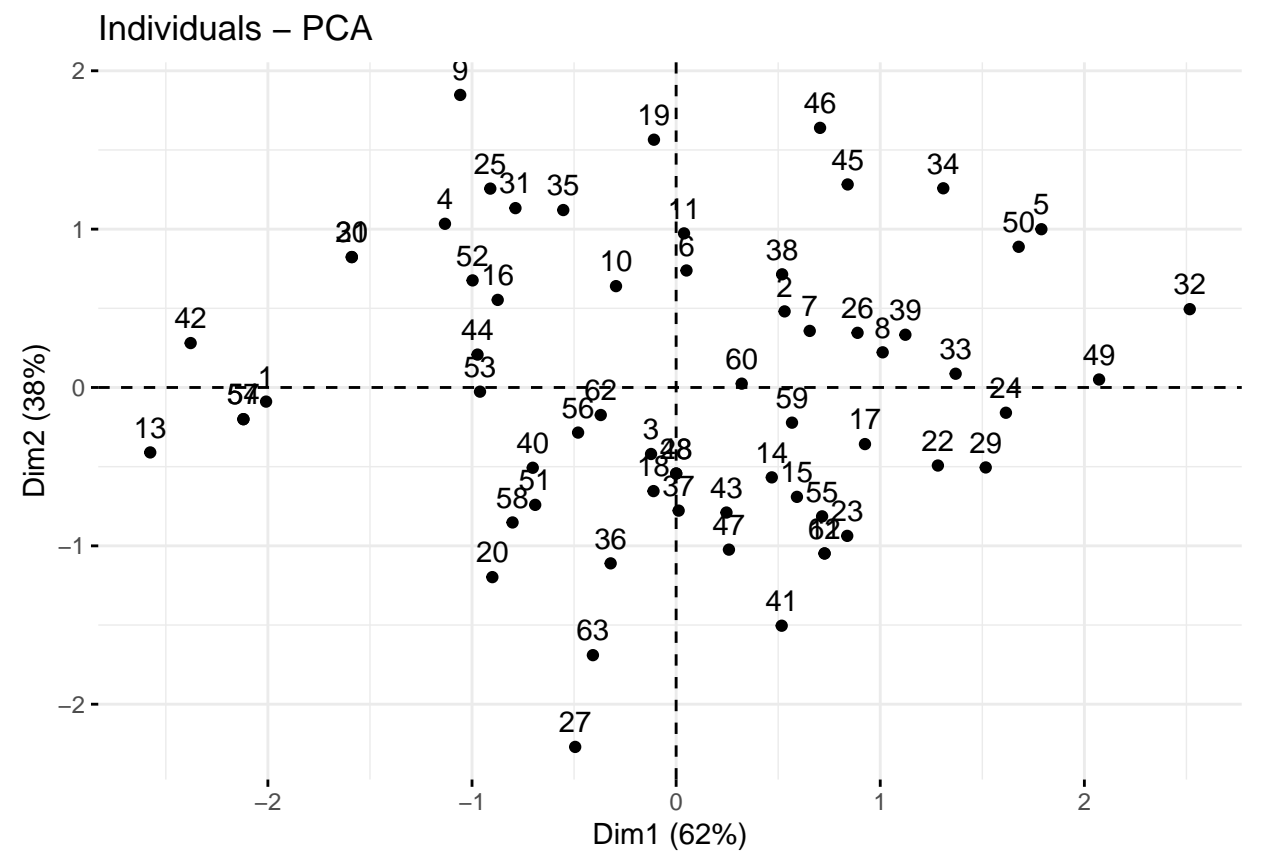
```
$Dim.2
```

Link between the variable and the continuous variables (R-square)

```
=====
              correlation      p.value
spell_correct  0.6162384 7.592937e-08
vocab_correct -0.6162384 7.592937e-08
```

The fviz_pca_ind() is used to produce the graph of individuals.

```
fviz_pca_ind(res.pca)
```



```
sv_202303.na<-bind_cols(sv_202303.na,res.pca$ind$coord)
```

We load the N250 erp data file and the word and non-word base frequency data

```
n250 <- read_csv("S101-177_n250.csv")
```

Then we join the demographic and erp data files. We will use the `inner_join` rather than the `full_join` function in order to eliminate rows with missing data.

```
n250 <- inner_join(sv_202303.na,n250, by = "SubjID") #join subject PCA data
```

Divide participants based on median split of Dim2. Higher values on this factor indicate that spelling scores were relatively higher than vocabulary,

```
n250.median <- median(n250$Dim.2)
n250 <- n250 |>
  mutate(lang_type = case_when(
    Dim.2 < n250.median ~ "Semantic",
    Dim.2 > n250.median ~ "Orthographic"
  ))
```

5. Let's save a `.csv` file with the data from the combined dataset

```
write_csv(n250, "202303_sv_n250_rmna.csv")
```

6. For each dataset, we will create a subset with only the electrode sites we will be analysing—F3, Fz, F4, C3, Cz, C4, P3, Pz, P4

```
sites = c(3,2, 25, 7, 20, 21, 12, 11, 16)
n250_9 <- dplyr::filter(n250, chindex %in% sites)
```

7. We then create separate columns, one for each independent variable (anteriority, laterality, morphological family size). To do this we have to use the `mutate` function from the `dplyr` package along with the `case_when` function. The `case_when` function is a sequence of two-sided formulas. The left hand side determines which values match this case. The right hand side provides the replacement value.

```
n250_9 <- dplyr::mutate(n250_9,
  anteriority = case_when(grepl("F", chlabel) ~ "Frontal",
    grepl("C", chlabel) ~ "Central",
    grepl("P", chlabel) ~ "Parietal"))

n250_9 <- dplyr::mutate(n250_9,
  laterality = case_when(grepl("3", chlabel) ~ "Left",
    grepl("z", chlabel) ~ "Midline",
    grepl("Z", chlabel) ~ "Midline",
    grepl("4", chlabel) ~ "Right"))

n250_9 <- dplyr::mutate(n250_9,
  fam_size = case_when(grepl("small", binlabel) ~ "Small",
    grepl("large", binlabel) ~ "Large"))
```

8. We then create a smaller dataset with only the columns we need

```
n250_9b <- dplyr::select(n250_9,
  SubjID,
  lang_type,
  anteriority,
  laterality,
  fam_size,
  value,
  chlabel,
  binlabel)
```

9. We then divide dataset into 3 separate ones—for “words”, “simple nonwords” and “complex nonwords”

```
n250_words <- dplyr::filter(n250_9b, grepl("Critical_word",binlabel))
n250_nwsmpl <- dplyr::filter(n250_9b, grepl("simple",binlabel))
n250_nwcplx <- dplyr::filter(n250_9b, grepl("complex",binlabel))
```

#Plot Means

Get condition means

```
#Define standard error of the mean function
```

```
sem <- function(x) sd(x)/sqrt(length(x))
```

```
(cw.cond.means <- n250_words |>
  group_by(fam_size, lang_type) |>
  summarise(mean = mean(value),
            se = sem(value),
            num_stim = n()))
```

```
# A tibble: 4 x 5
# Groups:   fam_size [2]
  fam_size lang_type      mean    se num_stim
  <chr>    <chr>      <dbl> <dbl>   <int>
1 Large   Orthographic  0.208 0.224    252
2 Large   Semantic     -0.666 0.167    252
3 Small   Orthographic  0.509 0.216    252
4 Small   Semantic     -0.504 0.201    252
```

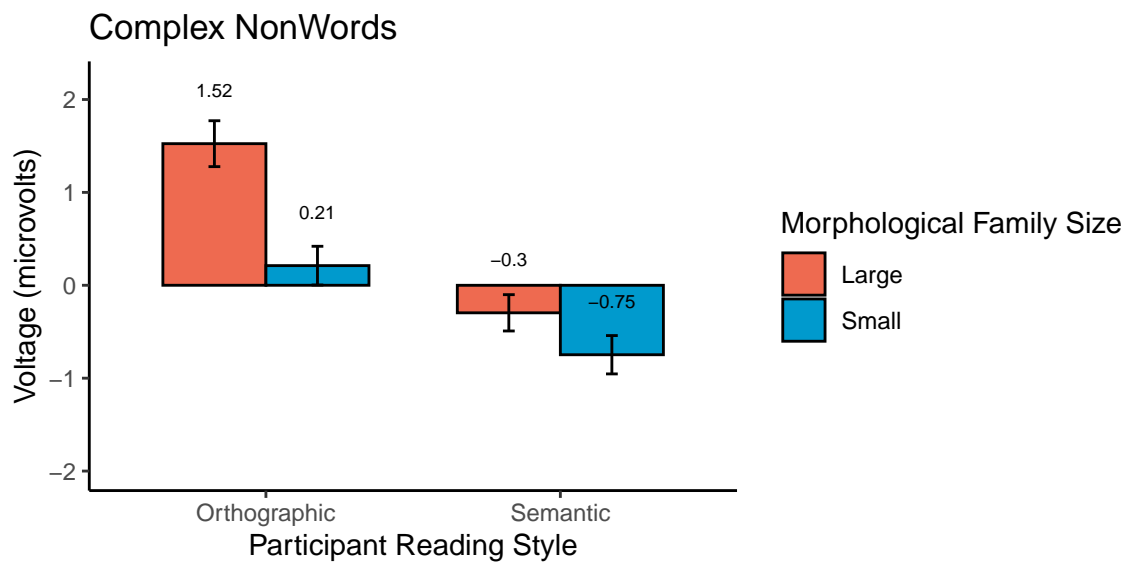
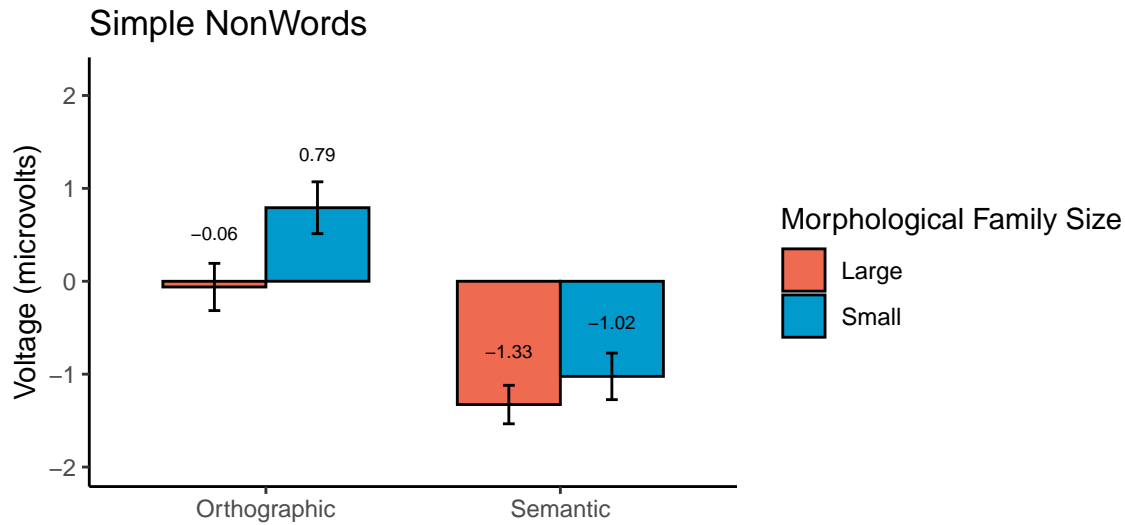
```
(nw_smp.cond.means <- n250_nwsmpl |>
  group_by(fam_size, lang_type) |>
  summarise(mean = mean(value),
            se = sem(value),
            num_stim = n()))
```

```
# A tibble: 4 x 5
# Groups:   fam_size [2]
  fam_size lang_type      mean    se num_stim
  <chr>    <chr>      <dbl> <dbl>   <int>
1 Large   Orthographic -0.0614 0.254    252
2 Large   Semantic     -1.33  0.207    252
3 Small   Orthographic  0.792  0.279    252
4 Small   Semantic     -1.02  0.250    252
```

```
(nw_cpx.cond.means <- n250_nwcplx |>
  group_by(fam_size, lang_type) |>
  summarise(mean = mean(value),
            se = sem(value),
            num_stim = n()))
```

```
# A tibble: 4 x 5
# Groups:   fam_size [2]
  fam_size lang_type      mean    se num_stim
  <chr>    <chr>      <dbl> <dbl>   <int>
1 Large   Orthographic  1.52  0.247    252
2 Large   Semantic     -0.296 0.196    252
3 Small   Orthographic  0.211 0.208    252
4 Small   Semantic     -0.748 0.206    252
```

Barplots



10. Now we can compute the ANOVA for each of the three datasets.

```
library(ez)

ezANOVA(data = n250_words,
         dv = value,
         wid = SubjID,
         within = .(fam_size, anteriority, laterality),
         within_full = .(fam_size, anteriority, laterality, chlabel),
         between = lang_type,
         type = 3)
```

Warning: Converting "SubjID" to factor for ANOVA.

Warning: Converting "fam_size" to factor for ANOVA.

Warning: Converting "anteriority" to factor for ANOVA.

Warning: Converting "laterality" to factor for ANOVA.

Warning: Converting "lang_type" to factor for ANOVA.

Warning: Data is unbalanced (unequal N per group). Make sure you specified a well-considered value for the type argument to ezANOVA().

Warning: Collapsing data to cell means first using variables supplied to "within_full", then collapsing the resulting means to means for the cells supplied to "within".

\$ANOVA

	Effect	DFn	DFd	F	p	p<.05
2	lang_type	1	53	1.34052920	0.2521318	
3	fam_size	1	53	0.44055247	0.5097330	
5	anteriority	2	106	3.54036213	0.0324800	*
7	laterality	2	106	1.86750178	0.1595571	
4	lang_type:fam_size	1	53	0.02668433	0.8708615	
6	lang_type:anteriority	2	106	0.17547672	0.8393002	
8	lang_type:laterality	2	106	0.01315056	0.9869371	
9	fam_size:anteriority	2	106	0.78886227	0.4570104	
11	fam_size:laterality	2	106	0.05490062	0.9466061	
13	anteriority:laterality	4	212	1.22349077	0.3018535	
10	lang_type:fam_size:anteriority	2	106	1.37578636	0.2571147	
12	lang_type:fam_size:laterality	2	106	2.15737581	0.1206787	
14	lang_type:anteriority:laterality	4	212	1.09698544	0.3590346	
15	fam_size:anteriority:laterality	4	212	0.81524150	0.5166772	
16	lang_type:fam_size:anteriority:laterality	4	212	1.15610296	0.3312942	

ges

2	1.538873e-02
3	1.230218e-03
5	9.016435e-03
7	9.871855e-04
4	7.460070e-05
6	4.507590e-04
8	6.958375e-06
9	4.283027e-04
11	1.164972e-05
13	5.331596e-04
10	7.467276e-04
12	4.575837e-04
14	4.780588e-04
15	9.993534e-05
16	1.417135e-04

\$'Mauchly's Test for Sphericity'

	Effect	W	p	p<.05
5	anteriority	0.4058906	6.586204e-11	*
6	lang_type:anteriority	0.4058906	6.586204e-11	*
7	laterality	0.9804224	5.980593e-01	
8	lang_type:laterality	0.9804224	5.980593e-01	
9	fam_size:anteriority	0.4879182	7.889015e-09	*
10	lang_type:fam_size:anteriority	0.4879182	7.889015e-09	*


```

11          fam_size:laterality 0.5493066 1.718639e-07      *
12      lang_type:fam_size:laterality 0.5493066 1.718639e-07      *
13          anteriority:laterality 0.5443236 2.681494e-04      *
14      lang_type:anteriority:laterality 0.5443236 2.681494e-04      *
15          fam_size:anteriority:laterality 0.7448430 8.716674e-02
16 lang_type:fam_size:anteriority:laterality 0.7448430 8.716674e-02

$`Sphericity Corrections`
      Effect      GGe      p[GG] p[GG]<.05
5          anteriority 0.6273095 0.05493706
6      lang_type:anteriority 0.6273095 0.73326668
7          laterality 0.9807984 0.16042064
8      lang_type:laterality 0.9807984 0.98595966
9          fam_size:anteriority 0.6613399 0.41054799
10      lang_type:fam_size:anteriority 0.6613399 0.25335612
11          fam_size:laterality 0.6893255 0.88669122
12      lang_type:fam_size:laterality 0.6893255 0.13828384
13          anteriority:laterality 0.7707591 0.30308999
14      lang_type:anteriority:laterality 0.7707591 0.35295625
15          fam_size:anteriority:laterality 0.8855715 0.50422514
16 lang_type:fam_size:anteriority:laterality 0.8855715 0.33047616
      HFe      p[HF] p[HF]<.05
5 0.6353169 0.05432862
6 0.6353169 0.73635212
7 1.0181179 0.15955713
8 1.0181179 0.98693714
9 0.6717135 0.41231797
10 0.6717135 0.25365302
11 0.7017170 0.89014371
12 0.7017170 0.13759516
13 0.8237879 0.30306897
14 0.8237879 0.35473182
15 0.9567943 0.51214862
16 0.9567943 0.33106571

```

```

ezANOVA(data = n250_nwsmpl,
        dv = value,
        wid = SubjID,
        within = .(fam_size, anteriority, laterality),
        within_full = .(fam_size, anteriority, laterality, chlabel),
        between = lang_type,
        type = 3)

```

Warning: Converting "SubjID" to factor for ANOVA.

Warning: Converting "fam_size" to factor for ANOVA.

Warning: Converting "anteriority" to factor for ANOVA.

Warning: Converting "laterality" to factor for ANOVA.

Warning: Converting "lang_type" to factor for ANOVA.

Warning: Data is unbalanced (unequal N per group). Make sure you specified a well-considered value for the type argument to ezANOVA().

Warning: Collapsing data to cell means first using variables supplied to "within_full", then collapsing the resulting means to means for the cells supplied to "within".

\$ANOVA

	Effect	DFn	DFd	F	p
2	lang_type	1	53	3.542030221	0.06532792
3	fam_size	1	53	0.644034405	0.42583771
5	anteriority	2	106	4.626995884	0.01184252
7	laterality	2	106	1.194697087	0.30683935
4	lang_type:fam_size	1	53	0.039047341	0.84411083
6	lang_type:anteriority	2	106	1.197556263	0.30598260
8	lang_type:laterality	2	106	0.001765241	0.99823635
9	fam_size:anteriority	2	106	0.202446342	0.81704535
11	fam_size:laterality	2	106	1.057745855	0.35087359
13	anteriority:laterality	4	212	1.120027994	0.34800591
10	lang_type:fam_size:anteriority	2	106	0.005155040	0.99485847
12	lang_type:fam_size:laterality	2	106	0.797918163	0.45295096
14	lang_type:anteriority:laterality	4	212	0.333479506	0.85523982
15	fam_size:anteriority:laterality	4	212	0.551179728	0.69836176
16	lang_type:fam_size:anteriority:laterality	4	212	2.874532340	0.02389738
p<.05 ges					
2				3.627006e-02	
3				2.835068e-03	
5	*			7.943032e-03	
7				5.517226e-04	
4				1.723471e-04	
6				2.067986e-03	
8				8.156545e-07	
9				1.481022e-04	
11				2.770158e-04	
13				5.133859e-04	
10				3.771780e-06	
12				2.089831e-04	
14				1.529117e-04	
15				1.010517e-04	
16	*			5.267842e-04	

\$'Mauchly's Test for Sphericity'

	Effect	W	p	p<.05
5	anteriority	0.4979627	1.340038e-08	*
6	lang_type:anteriority	0.4979627	1.340038e-08	*
7	laterality	0.9704010	4.578588e-01	
8	lang_type:laterality	0.9704010	4.578588e-01	
9	fam_size:anteriority	0.3768510	9.558976e-12	*
10	lang_type:fam_size:anteriority	0.3768510	9.558976e-12	*
11	fam_size:laterality	0.9079524	8.121582e-02	
12	lang_type:fam_size:laterality	0.9079524	8.121582e-02	
13	anteriority:laterality	0.6944730	2.752149e-02	*
14	lang_type:anteriority:laterality	0.6944730	2.752149e-02	*
15	fam_size:anteriority:laterality	0.7589110	1.161195e-01	

```
16 lang_type:fam_size:anteriority:laterality 0.7589110 1.161195e-01
```

```
$'Sphericity Corrections'
```

	Effect	GGe	p[GG]	p[GG]<.05
5	anteriority	0.6657624	0.02495448	*
6	lang_type:anteriority	0.6657624	0.29232836	
7	laterality	0.9712519	0.30607721	
8	lang_type:laterality	0.9712519	0.99791877	
9	fam_size:anteriority	0.6160864	0.70574406	
10	lang_type:fam_size:anteriority	0.6160864	0.96787810	
11	fam_size:laterality	0.9157110	0.34629651	
12	lang_type:fam_size:laterality	0.9157110	0.44334128	
13	anteriority:laterality	0.8312614	0.34496999	
14	lang_type:anteriority:laterality	0.8312614	0.82115825	
15	fam_size:anteriority:laterality	0.8968233	0.67930081	
16	lang_type:fam_size:anteriority:laterality	0.8968233	0.02891560	*

	HFe	p[HF]	p[HF]<.05
5	0.6764506	0.02436629	*
6	0.6764506	0.29299050	
7	1.0076405	0.30683935	
8	1.0076405	0.99823635	
9	0.6233343	0.70857606	
10	0.6233343	0.96899505	
11	0.9468388	0.34806292	
12	0.9468388	0.44699517	
13	0.8935714	0.34630701	
14	0.8935714	0.83479611	
15	0.9699622	0.69302247	
16	0.9699622	0.02525749	*

```
ezANOVA(data = n250_nwcplx,
  dv = value,
  wid = SubjID,
  within = .(fam_size, anteriority, laterality),
  within_full = .(fam_size, anteriority, laterality, chlabel),
  between = lang_type,
  type = 3)
```

Warning: Converting "SubjID" to factor for ANOVA.

Warning: Converting "fam_size" to factor for ANOVA.

Warning: Converting "anteriority" to factor for ANOVA.

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Warning: Converting "lang_type" to factor for ANOVA.

Warning: Data is unbalanced (unequal N per group). Make sure you specified a well-considered value for the type argument to ezANOVA().

Warning: Collapsing data to cell means first using variables supplied to "within_full", then collapsing the resulting means to means for the cells supplied to "within".

\$ANOVA

	Effect	DFn	DFd	F	p
2	lang_type	1	53	3.3436494	0.073094421
3	fam_size	1	53	4.6270020	0.036050679
5	anteriority	2	106	5.7346857	0.004317225
7	laterality	2	106	1.6938118	0.188754330
4	lang_type:fam_size	1	53	0.9233787	0.340953002
6	lang_type:anteriority	2	106	1.4888084	0.230321048
8	lang_type:laterality	2	106	0.3198610	0.726948474
9	fam_size:anteriority	2	106	3.6236036	0.030043695
11	fam_size:laterality	2	106	0.5137177	0.599749053
13	anteriority:laterality	4	212	1.8778827	0.115463833
10	lang_type:fam_size:anteriority	2	106	1.8738263	0.158585377
12	lang_type:fam_size:laterality	2	106	0.2350721	0.790924821
14	lang_type:anteriority:laterality	4	212	1.3512588	0.252096900
15	fam_size:anteriority:laterality	4	212	1.5984002	0.175911774
16	lang_type:fam_size:anteriority:laterality	4	212	0.9403921	0.441455408
p<.05 ges					
2				0.0332048269	
3	*			0.0156023905	
5	*			0.0135747170	
7				0.0010131866	
4				0.0031530383	
6				0.0035599750	
8				0.0001914885	
9	*			0.0026908737	
11				0.0002320468	
13				0.0012165335	
10				0.0013933065	
12				0.0001061957	
14				0.0008756738	
15				0.0005226730	
16				0.0003075721	

\$'Mauchly's Test for Sphericity'

	Effect	W	p	p<.05
5	anteriority	0.4901323	8.874556e-09	*
6	lang_type:anteriority	0.4901323	8.874556e-09	*
7	laterality	0.8896657	4.785176e-02	*
8	lang_type:laterality	0.8896657	4.785176e-02	*
9	fam_size:anteriority	0.4073456	7.228354e-11	*
10	lang_type:fam_size:anteriority	0.4073456	7.228354e-11	*
11	fam_size:laterality	0.8204428	5.824457e-03	*
12	lang_type:fam_size:laterality	0.8204428	5.824457e-03	*
13	anteriority:laterality	0.6779696	1.808040e-02	*
14	lang_type:anteriority:laterality	0.6779696	1.808040e-02	*
15	fam_size:anteriority:laterality	0.5500376	3.314039e-04	*
16	lang_type:fam_size:anteriority:laterality	0.5500376	3.314039e-04	*

\$'Sphericity Corrections'

	Effect	GGe	p[GG]	p[GG]<.05
5	anteriority	0.6623097	0.01222813	*
6	lang_type:anteriority	0.6623097	0.23188373	
7	laterality	0.9006296	0.19200026	
8	lang_type:laterality	0.9006296	0.70423076	
9	fam_size:anteriority	0.6278826	0.05195645	
10	lang_type:fam_size:anteriority	0.6278826	0.17379468	
11	fam_size:laterality	0.8477757	0.57001230	
12	lang_type:fam_size:laterality	0.8477757	0.75426524	
13	anteriority:laterality	0.8277485	0.12892882	
14	lang_type:anteriority:laterality	0.8277485	0.25764137	
15	fam_size:anteriority:laterality	0.8234969	0.18718235	
16	lang_type:fam_size:anteriority:laterality	0.8234969	0.42889859	

	HFe	p[HF]	p[HF]<.05
5	0.6727521	0.01183915	*
6	0.6727521	0.23199151	
7	0.9303745	0.19105868	
8	0.9303745	0.71131368	
9	0.6359290	0.05135199	
10	0.6359290	0.17353983	
11	0.8728266	0.57524085	
12	0.8728266	0.76084643	
13	0.8895010	0.12393409	
14	0.8895010	0.25574985	
15	0.8845777	0.18324619	
16	0.8845777	0.43359041	