

Problem C. Traveling Salesman Problem

Time limit 1000 ms
Mem limit 262144 kB

You are living on an infinite plane with the Cartesian coordinate system on it. In one move you can go to any of the four adjacent points (left, right, up, down).

More formally, if you are standing at the point (x, y) , you can:

- go left, and move to $(x - 1, y)$, or
- go right, and move to $(x + 1, y)$, or
- go up, and move to $(x, y + 1)$, or
- go down, and move to $(x, y - 1)$.

There are n boxes on this plane. The i -th box has coordinates (x_i, y_i) . It is guaranteed that the boxes are either on the x -axis or the y -axis. That is, either $x_i = 0$ or $y_i = 0$.

You can collect a box if you and the box are at the same point. Find the minimum number of moves you have to perform to collect all of these boxes if you have to **start and finish** at the point $(0, 0)$.

Input

The first line contains a single integer t ($1 \leq t \leq 100$) — the number of test cases.

The first line of each test case contains a single integer n ($1 \leq n \leq 100$) — the number of boxes.

The i -th line of the following n lines contains two integers x_i and y_i ($-100 \leq x_i, y_i \leq 100$) — the coordinate of the i -th box. It is guaranteed that either $x_i = 0$ or $y_i = 0$.

Do note that the sum of n over all test cases is not bounded.

Output

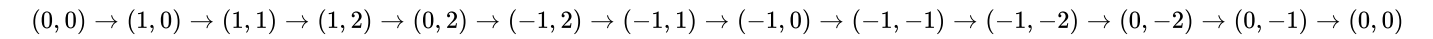
For each test case output a single integer — the minimum number of moves required.

Sample 1

Input	Output
3 4 0 -2 1 0 -1 0 0 2 3 0 2 -3 0 0 -1 1 0 0	12 12 0

Note

In the first test case, a possible sequence of moves that uses the minimum number of moves required is shown below.



A unit square in the complex plane with vertices at 0 , 1 , i , and $-i$. The boundary is oriented counter-clockwise. The vertices are marked with colored squares: 0 is red, 1 is green, i is blue, and $-i$ is blue. The axes are labeled with -2 , -1 , 0 , 1 , 2 .

In the third test case, we can collect all boxes without making any moves.